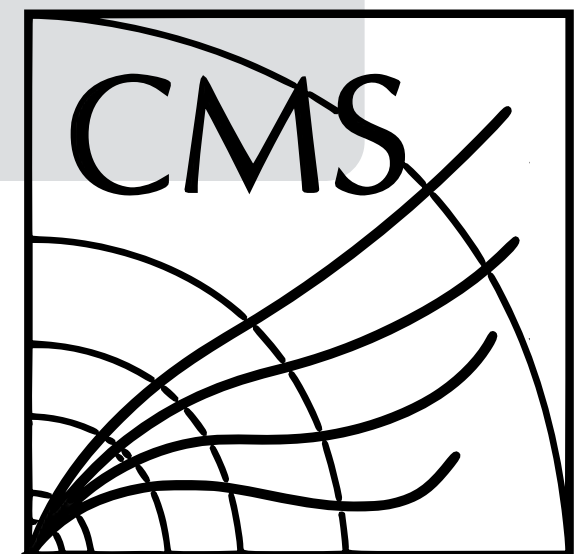


ATLAS+CMS ultimate precisions on $H(125)$

David Di Valentino,
on behalf of the **ATLAS+CMS** collaborations

Higgs Hunting 2015

01/08/15

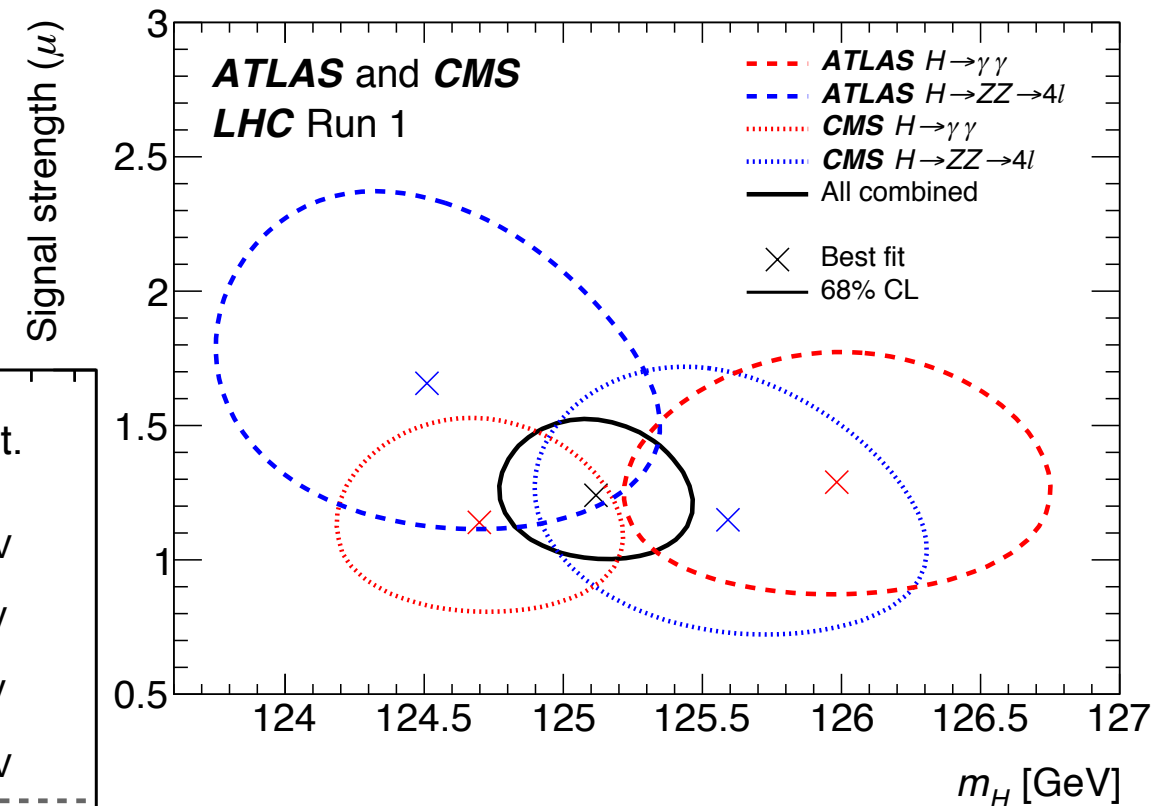
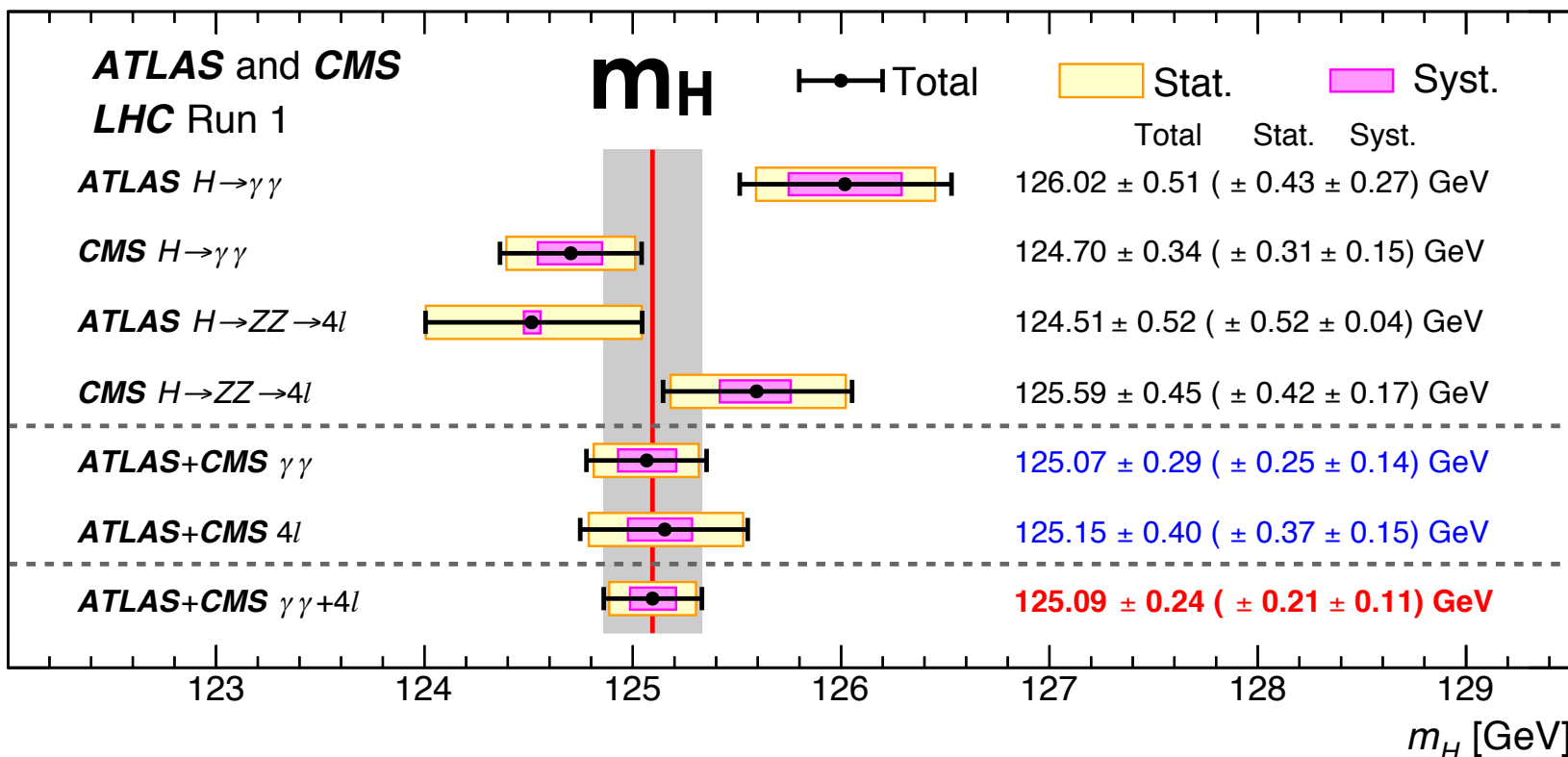


Outline of talk

1. Current Higgs boson measurement precisions
2. Future physics program highlights
3. Measurement precisions at 300, 3000 fb⁻¹
 - i. Coupling strength (κ , λ) measurements
 - ii. Signal strength (μ) measurements
 - iii. CP-mixing in $H \rightarrow ZZ^* \rightarrow 4l$
 - iv. Rare, interesting Higgs processes
4. Conclusions

The story so far ...

ATLAS+CMS Higgs boson mass (m_H) per channel:

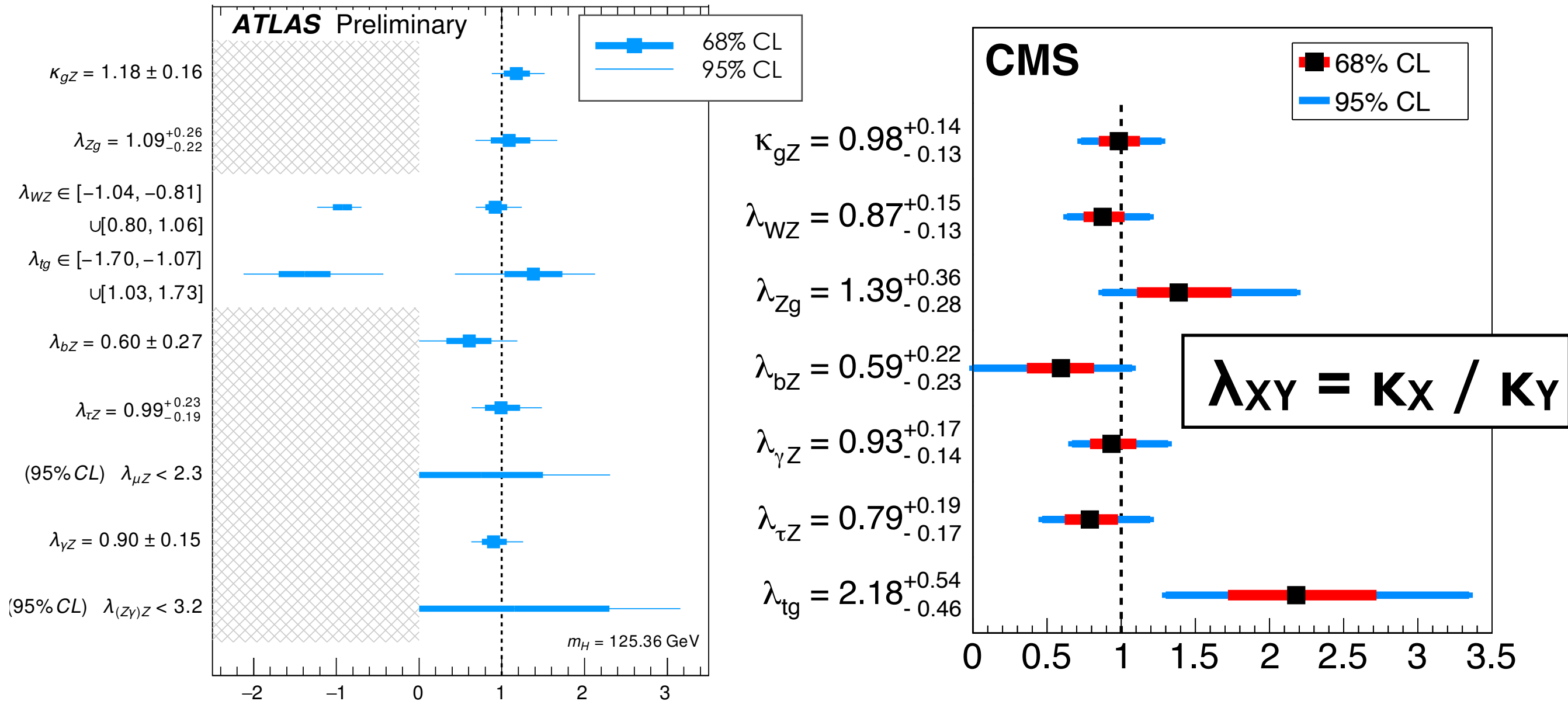


Signal strength (μ) vs. m_H

- Latest ATLAS+CMS **combined results** as of March 2015 using 7+8 TeV datasets
 - Combines measurements from $H \rightarrow ZZ \rightarrow 4l$ and $H \rightarrow \gamma\gamma$ decay channels
- Combined **CMS+ATLAS m_H measurement** found to be ($\sigma(m_H)$ derived from LL width),

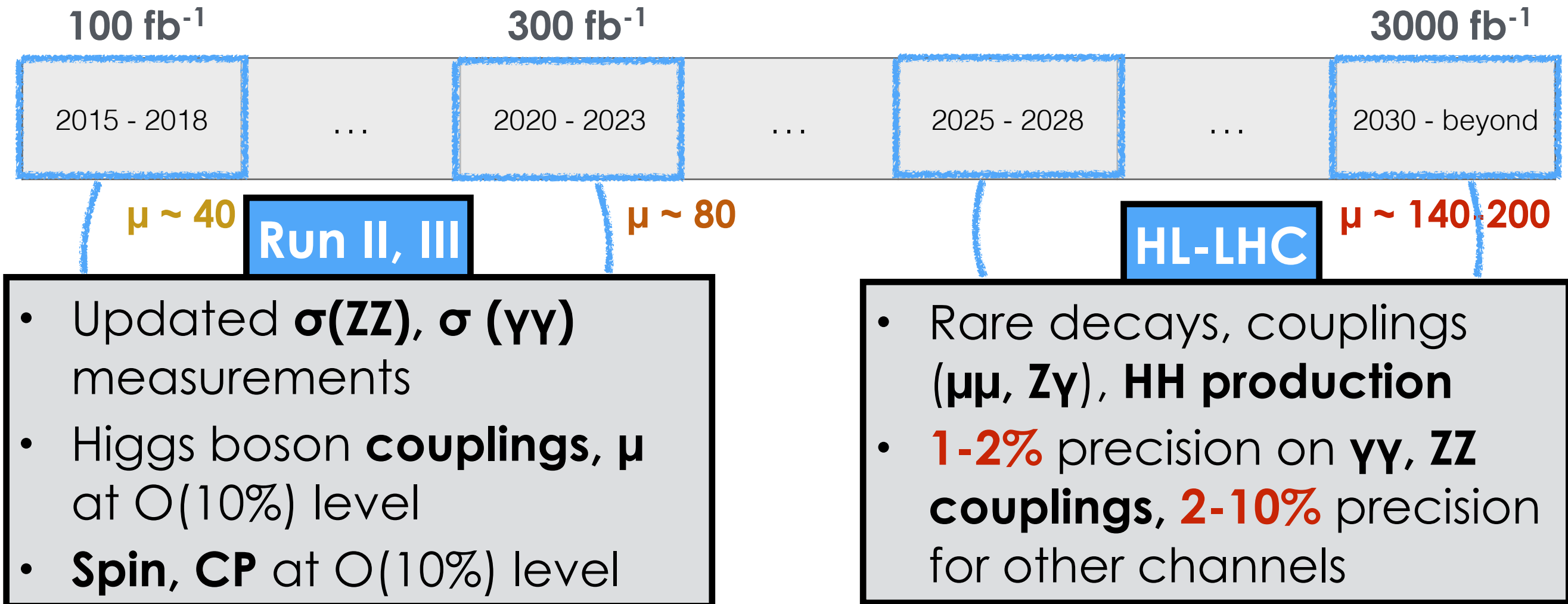
$$\begin{aligned}
 m_H &= 125.09 \pm 0.24 \text{ GeV} \\
 &= 125.09 \pm 0.21 \text{ (stat.)} \pm 0.11 \text{ (syst.) GeV}
 \end{aligned}$$

The story so far ...



- Channel-specific **ratios of coupling scale factors** calculated both for CMS, ATLAS using the 7+8 TeV dataset
 - Make no assumptions on Higgs boson width, loop particle coupling strengths
- Signal strength, coupling precisions generally $\Delta\mu/\mu, \Delta\lambda/\lambda < 20\text{-}50\%$

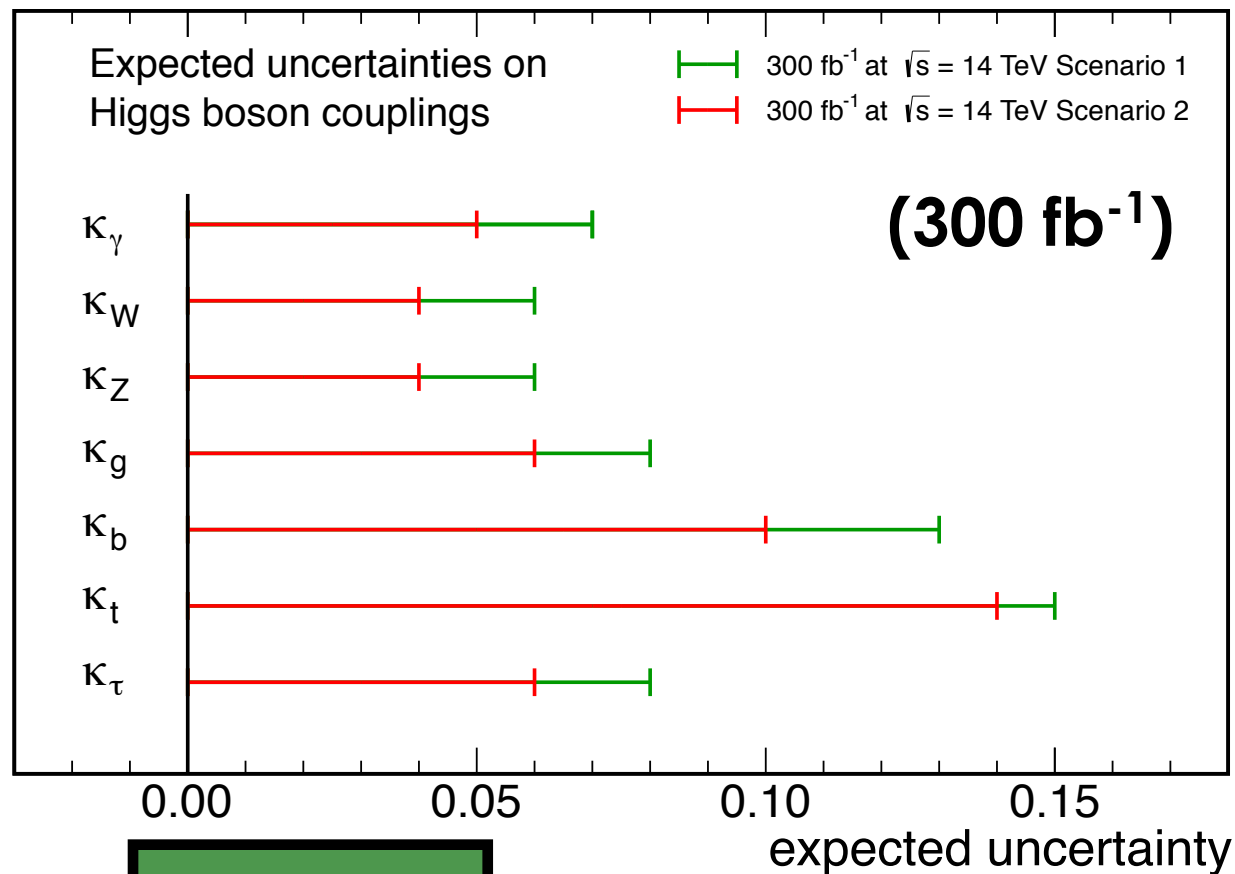
Physics program highlights for 300, 3000 fb⁻¹



- CMS, ATLAS will undergo **L1 trigger, muon, calorimeter upgrades** to offset pileup
- Differences in 300, 3000 fb⁻¹ result estimation approaches:
 - CMS:** Extrapolate **2012-equivalent performance** to higher \sqrt{s} , \sqrt{s}
 - ATLAS:** Truth samples, **smearing functions** for detector response

Expected Higgs coupling (κ_x) precisions

CMS Projection



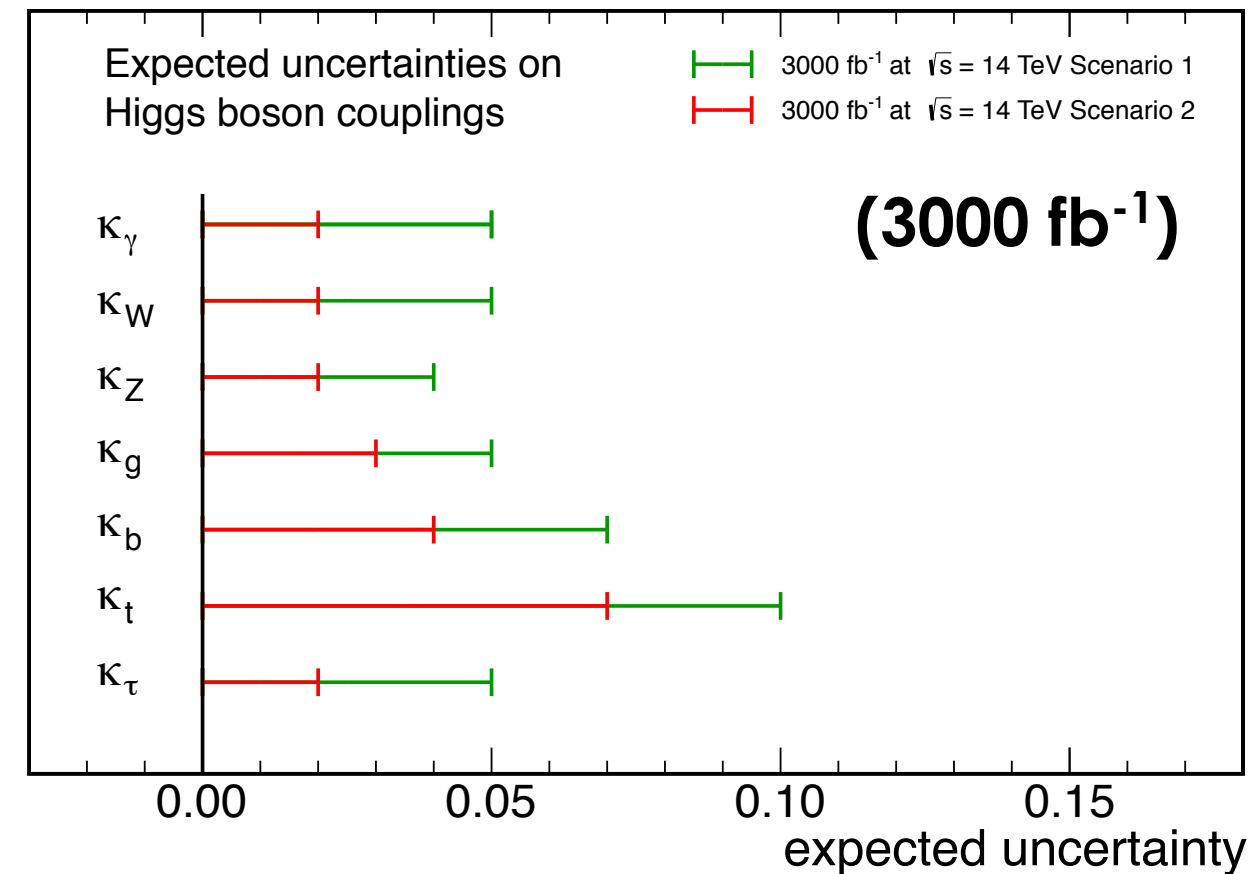
Scenario 1:

All systematic uncertainties are left unchanged

Scenario 2:

- Theoretical uncertainties scaled by 1/2
- Other systematic uncertainties scaled by $\sqrt{(\text{int. lumi.})}$

CMS Projection



- Using **zero-width approximation**, we can decompose signal rates as,

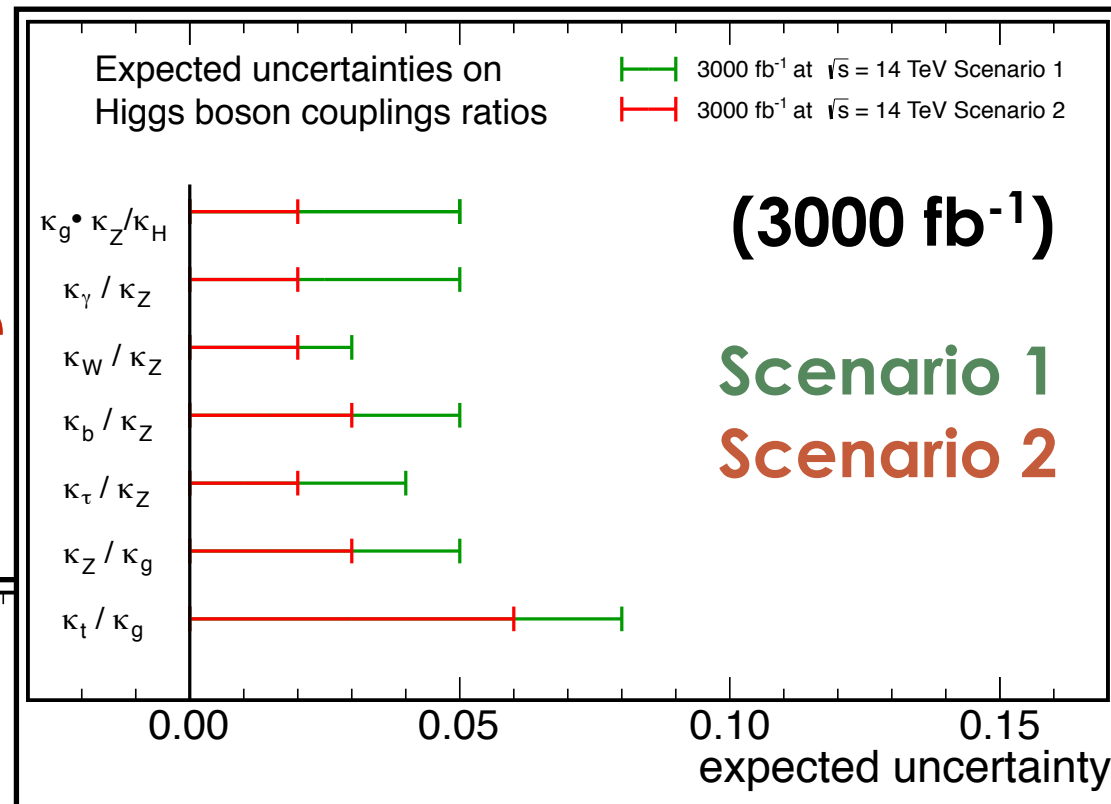
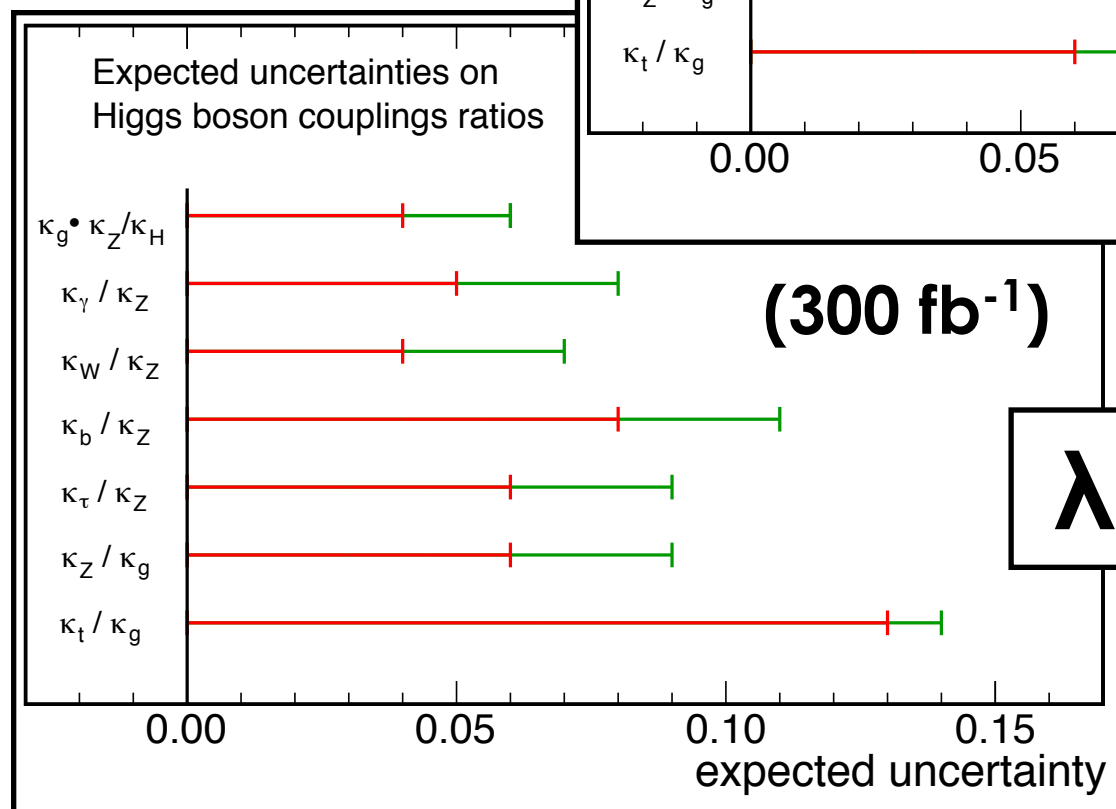
$$\sigma \cdot B(i \rightarrow H \rightarrow f) = \frac{\sigma_i \cdot \Gamma_f}{\Gamma_H}$$

- Can therefore rewrite $\sigma \cdot B, \mu$ using scale factors κ^2
- Good agreement in CMS, ATLAS predictions → expect **5-15% ultimate precision**, varies by coupling

Expected Higgs coupling ratio (λ_{XY}) precisions

$\lambda_{WZ}, \lambda_{YZ}$
most precise

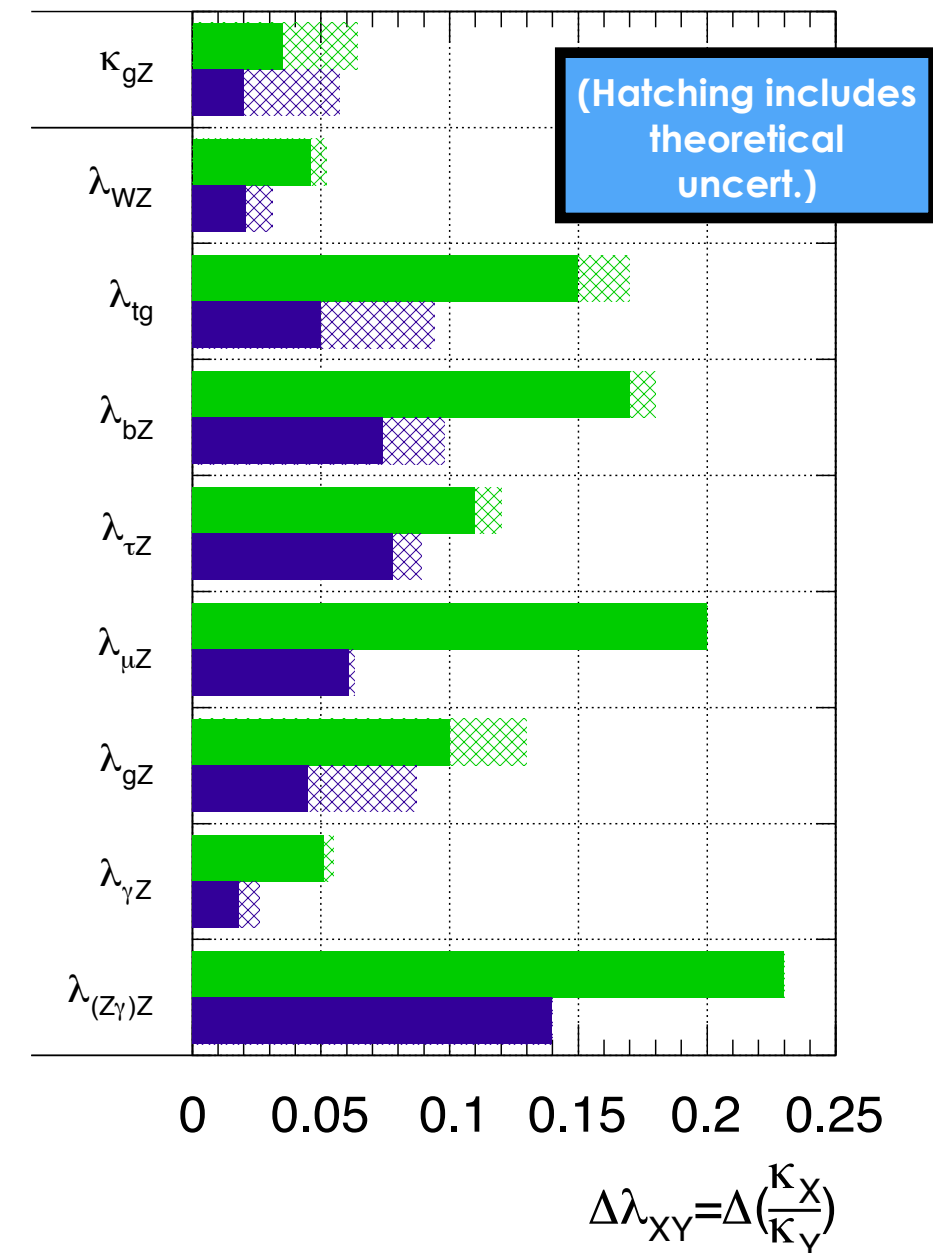
CMS Projection



$$\lambda_{XY} = \kappa_X / \kappa_Y$$

ATLAS Simulation Preliminary

$\sqrt{s} = 14$ TeV: $\int L dt = 300 \text{ fb}^{-1}$; $\int L dt = 3000 \text{ fb}^{-1}$



- Ratios of **coupling scale factors** make no assumptions on Higgs boson width, cancel uncertainties
- Most uncertainties on couplings $\Delta\lambda/\lambda \leq 10\%$ for 3000 fb⁻¹

Expected Higgs coupling ratio (λ_{XY}) precisions

Expected uncertainties on Higgs boson couplings ratios

3000 fb⁻¹ at $\sqrt{s} = 14$ TeV Scenario 1
3000 fb⁻¹ at $\sqrt{s} = 14$ TeV Scenario 2

ATLAS Simulation Preliminary

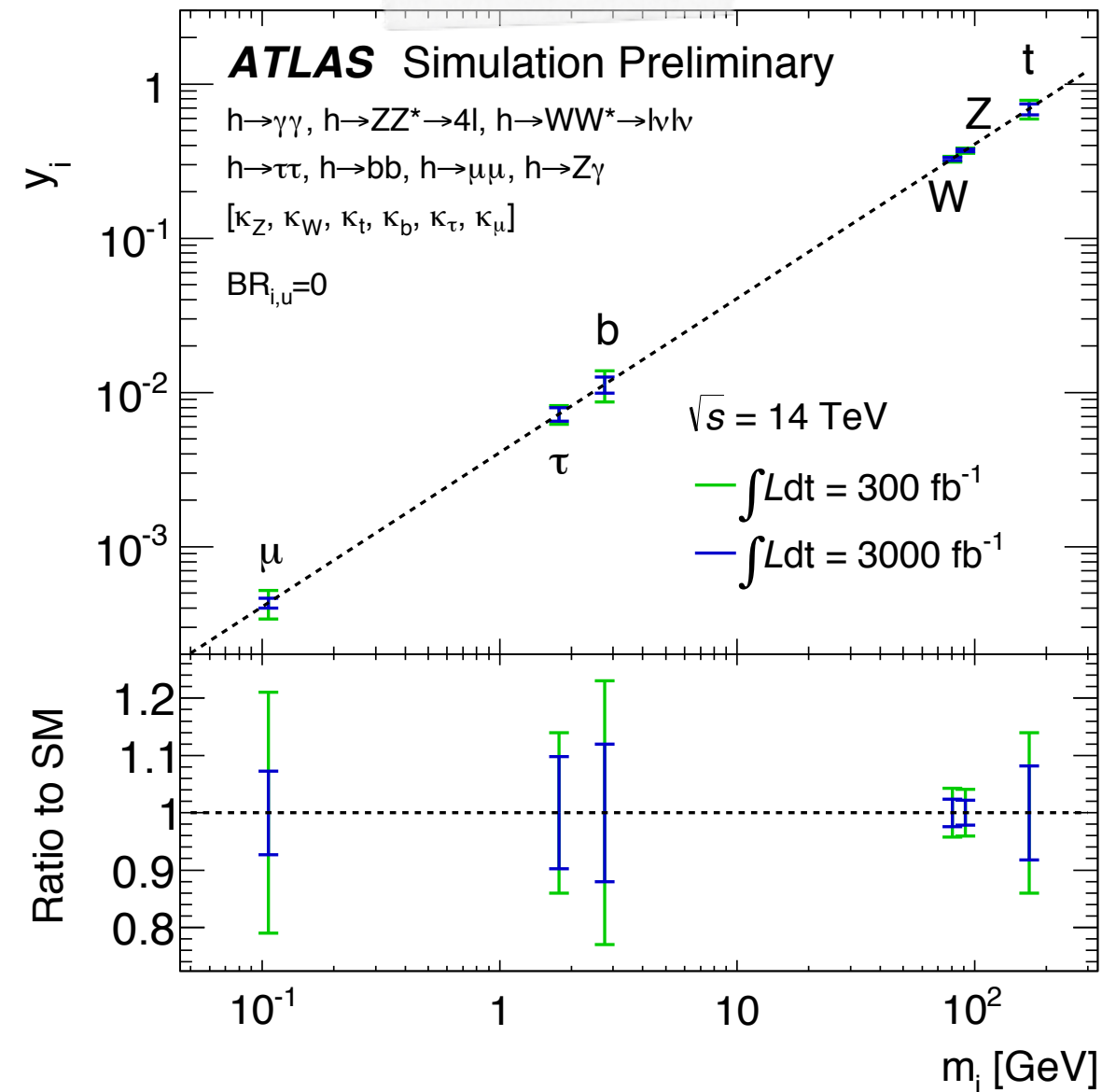
$\sqrt{s} = 14$ TeV: $\int L dt = 300 \text{ fb}^{-1}$; $\int L dt = 3000 \text{ fb}^{-1}$

Can define reduced, **mass-dependent couplings**,

$$y_{V,i} = \sqrt{\kappa_{V,i} \frac{g_{V,i}}{2v}} = \sqrt{\kappa_{V,i}} \frac{m_{V,i}}{v}$$

$$y_{F,i} = \kappa_{F,i} \frac{g_{F,i}}{\sqrt{2}} = \kappa_{F,i} \frac{m_{F,i}}{v}$$

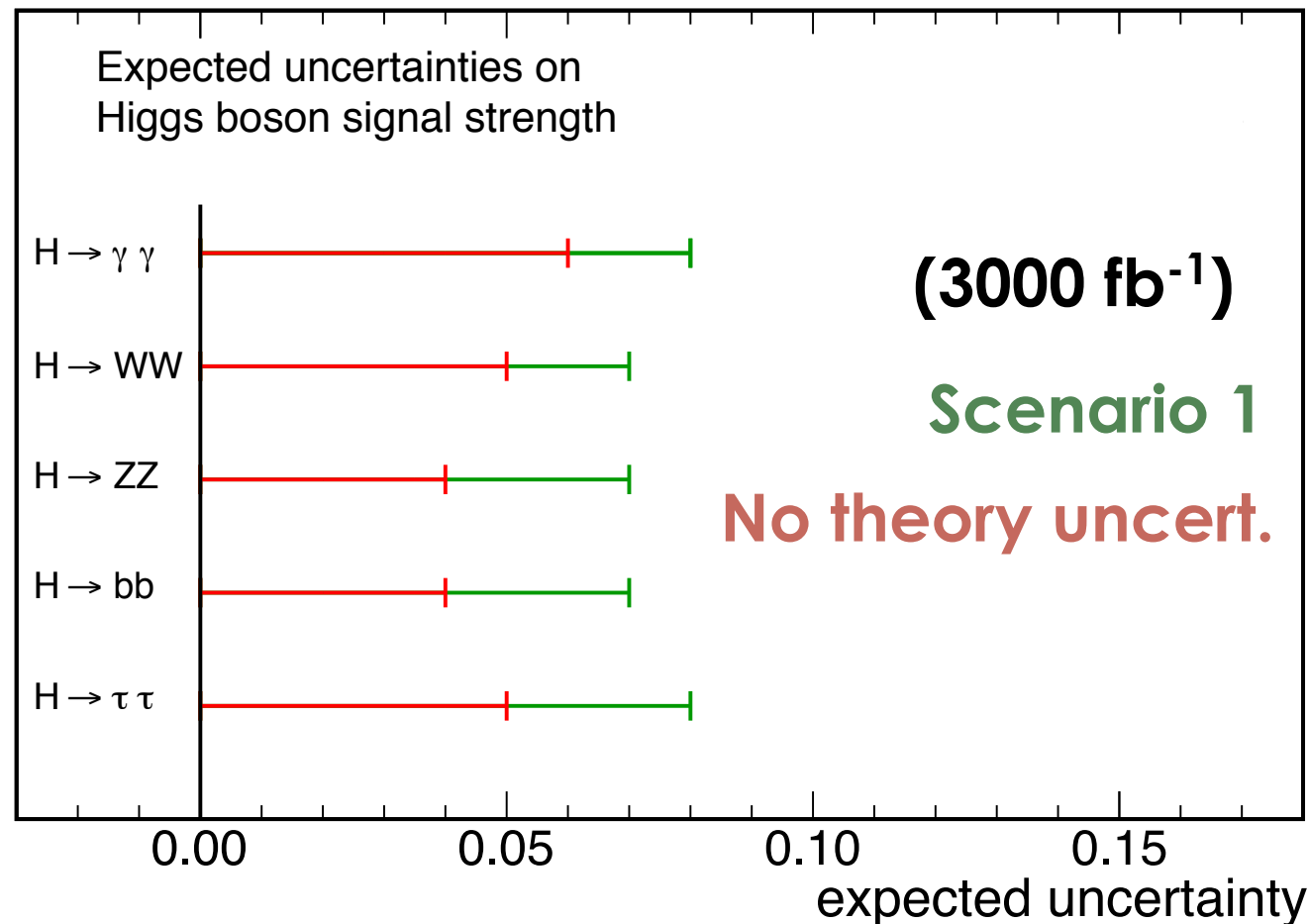
- Fit results **assume no new Higgs decay modes**
- Can plot reduced coupling scale factors y_i as **against mass** of particle i (see right)
- $\Delta y_x / y_x$ smallest for W, Z ($\leq 5\%$), largest for b, t quarks



- Ratios of **coupling scale factors** make no assumptions on Higgs boson width, cancel uncertainties
- Most uncertainties on couplings $\Delta\lambda/\lambda \leq 10\%$ for 3000 fb⁻¹

Expected Higgs signal strength (μ) precisions

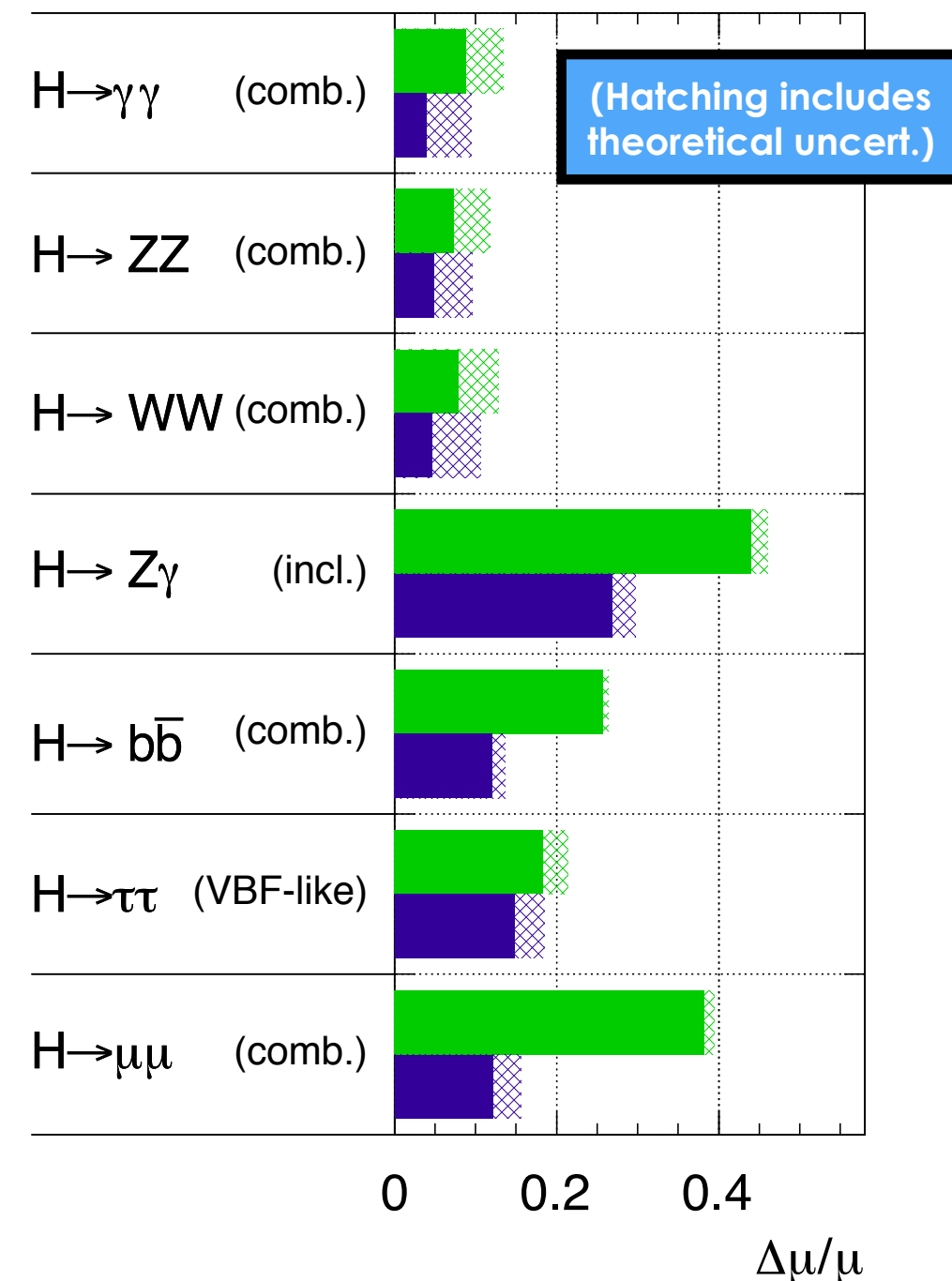
CMS Projection



- Measurements of $\sigma \times \text{BR}$ expressed in terms of the ratio $\mu = \sigma / \sigma_{\text{SM}}$
- Uncertainties of $\Delta\mu/\mu \sim 4\%$ reachable with 3000 fb⁻¹ for **diboson states**
- Signal strength measurement of **gg** → **H production** has $\Delta\mu/\mu \sim 4\%$

ATLAS Simulation Preliminary

$\sqrt{s} = 14$ TeV: $\int \mathcal{L} dt = 300 \text{ fb}^{-1}$; $\int \mathcal{L} dt = 3000 \text{ fb}^{-1}$

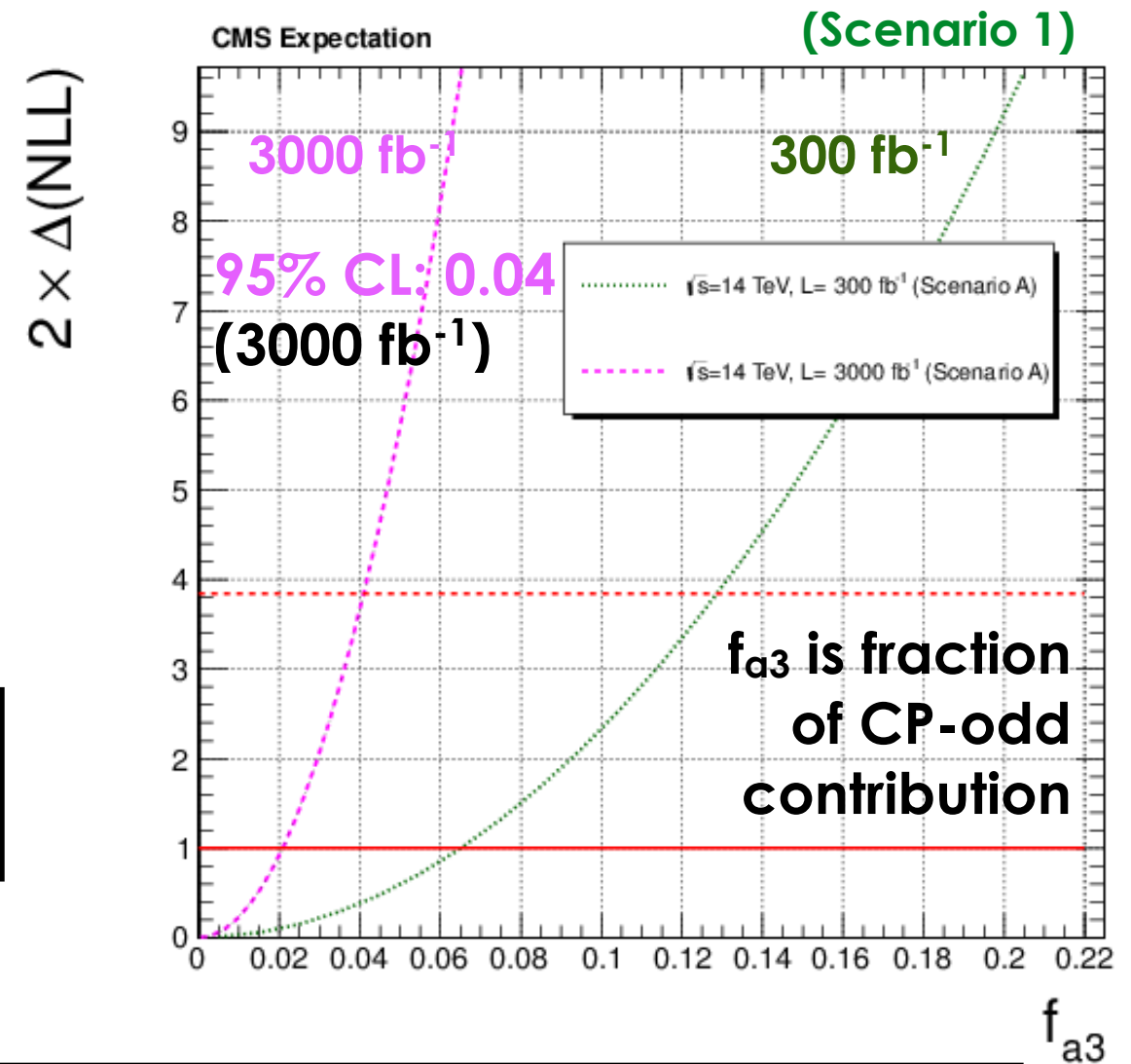
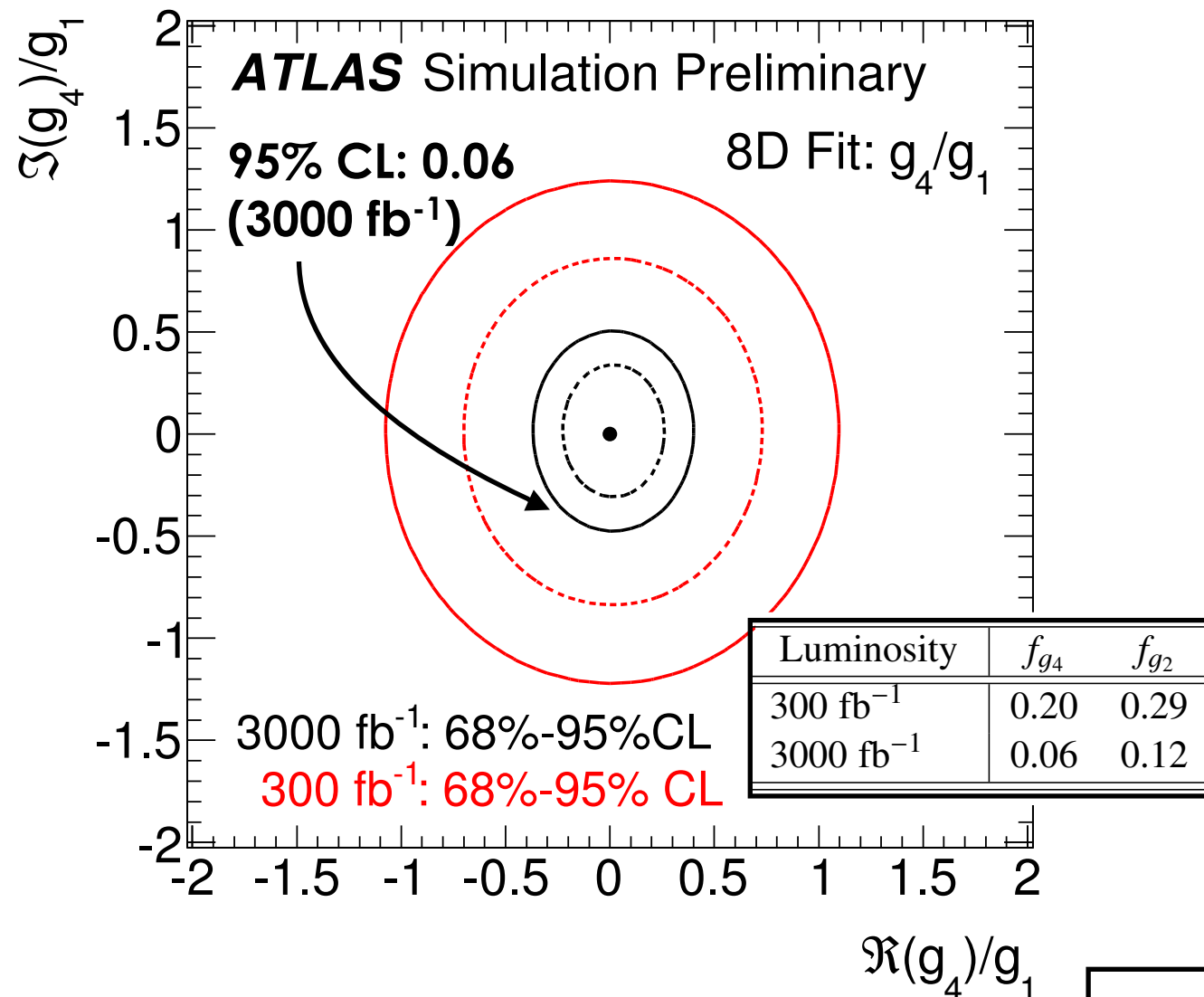


CP-mixing in $H \rightarrow ZZ^{(*)} \rightarrow 4l$

Decay amplitude for **spin-0 boson** decaying to **spin-1 gauge bosons**:

$$A(H \rightarrow ZZ) = v^{-1} \left(\underbrace{a_1 m_Z^2 \epsilon_1^* \epsilon_2^*}_{\text{SM tree process}} + \underbrace{a_2 f_{\mu\nu}^{*(1)} f^{*(2),\mu\nu}}_{\text{Loop CP-even terms}} + \underbrace{a_3 f_{\mu\nu}^{*(1)} \tilde{f}^{*(2),\mu\nu}}_{\text{CP odd terms (BSM)}} \right)$$

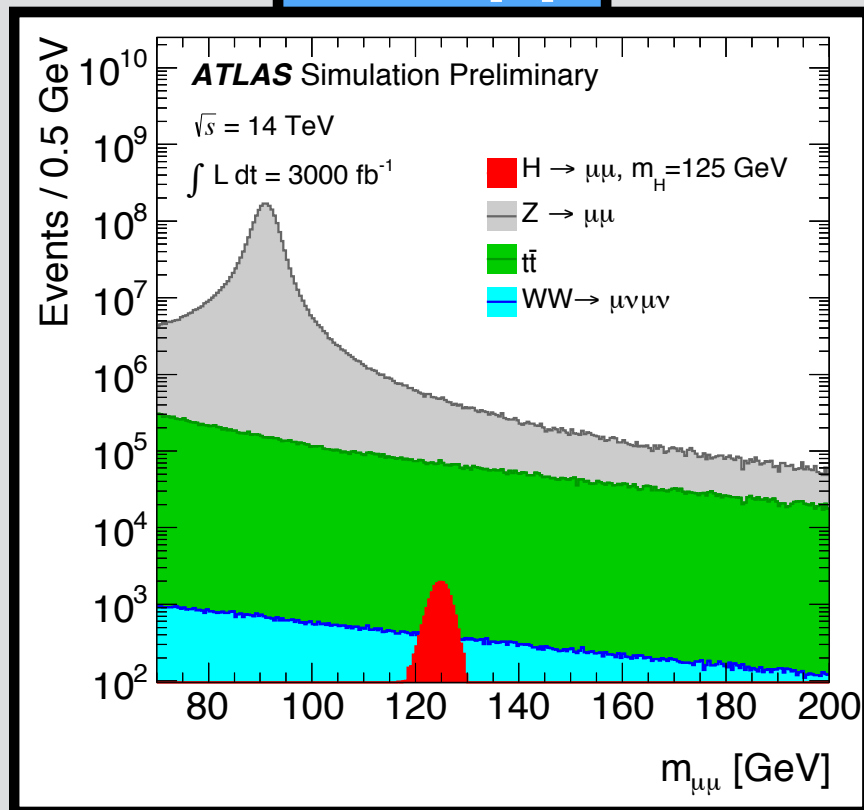
SM tree process Loop CP-even terms **CP odd terms (BSM)**



Note: $f_{a3} \equiv f(g_4) = \frac{|g_4|^2 \sigma_4}{|g_1|^2 \sigma_1 + |g_2|^2 \sigma_2 + |g_4|^2 \sigma_4}$
 (CMS neglects small $|g_2|$ term)

Rare, interesting Higgs processes at 3000 fb⁻¹

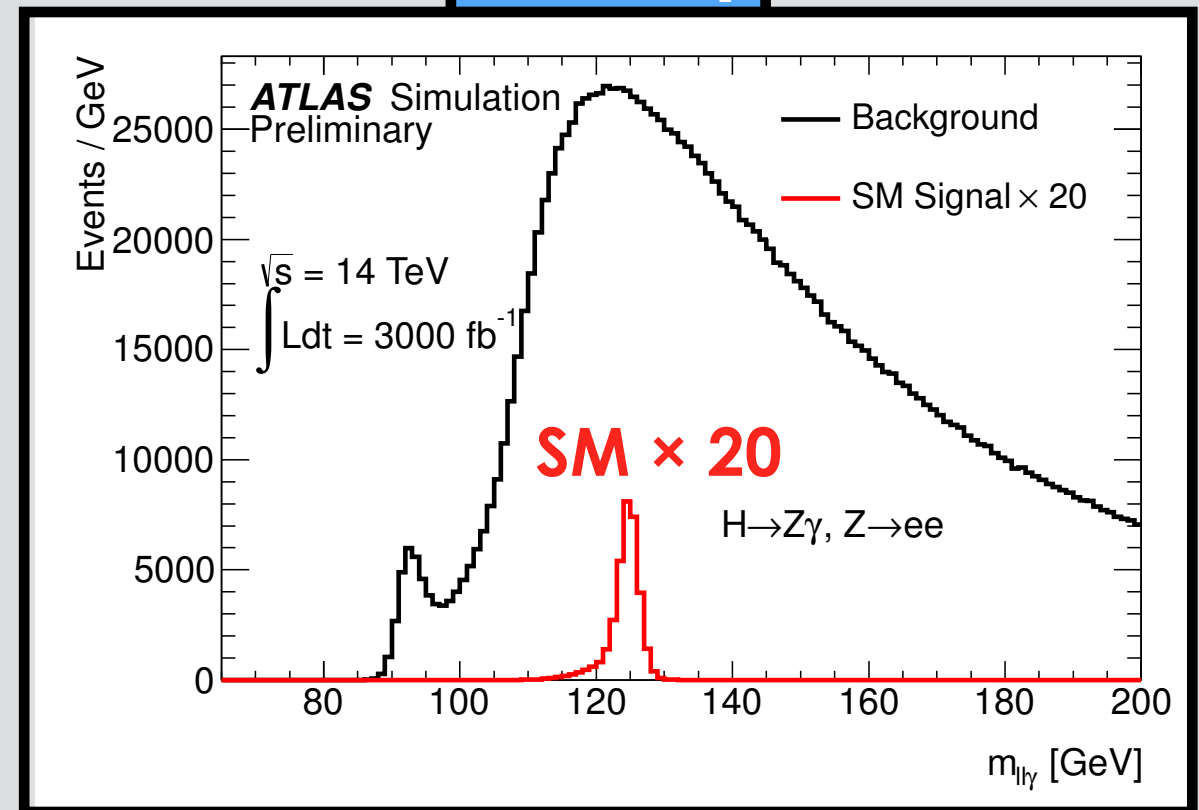
H → μμ



- Direct probe of H coupling to 2nd generation fermions
- CMS quotes **5%** precision on μ coupling for fully upgraded detector

Quantity	ATLAS	CMS
Z_0	7.0σ	$\geq 5\sigma$
$\Delta\mu/\mu$	0.21	0.20 – 0.24

H → Zγ

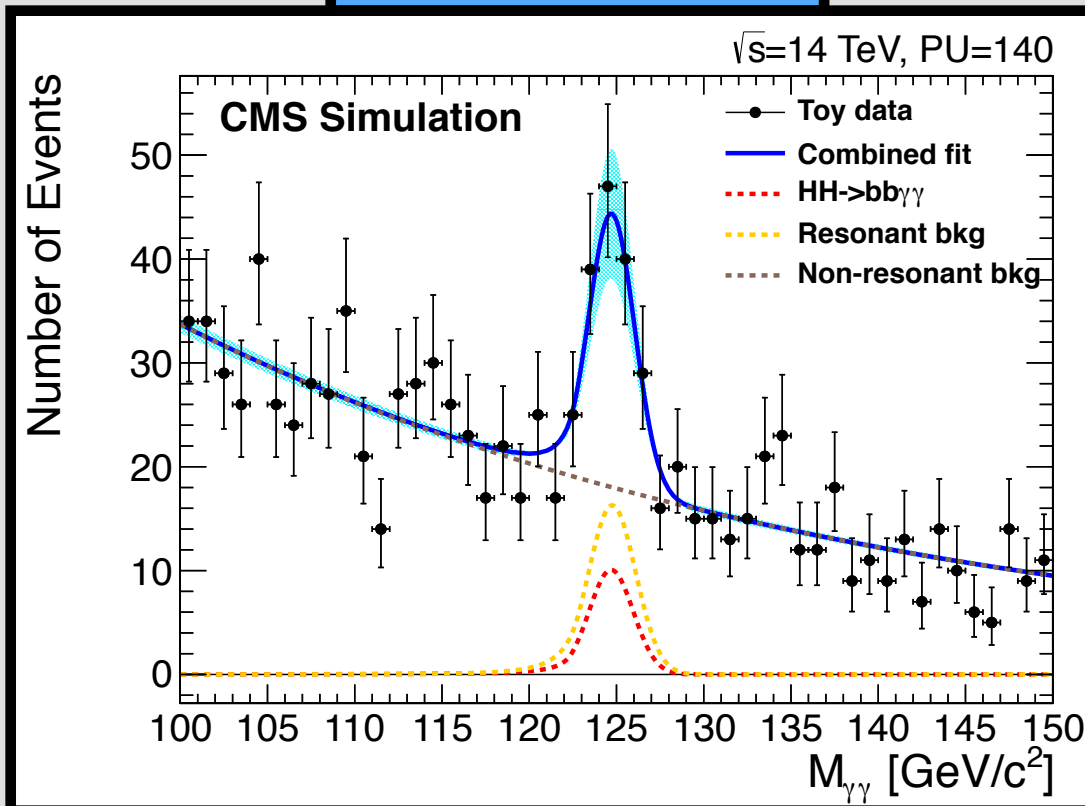


- Proceeds entirely through loops of heavy charged particles
 - Sensitive to new heavy states

Quantity	ATLAS	CMS
Z_0	3.9σ	–
$\Delta\mu/\mu$	$^{+0.25}_{-0.26}$ (stat) $^{+0.17}_{-0.15}$ (syst)	0.20 – 0.24

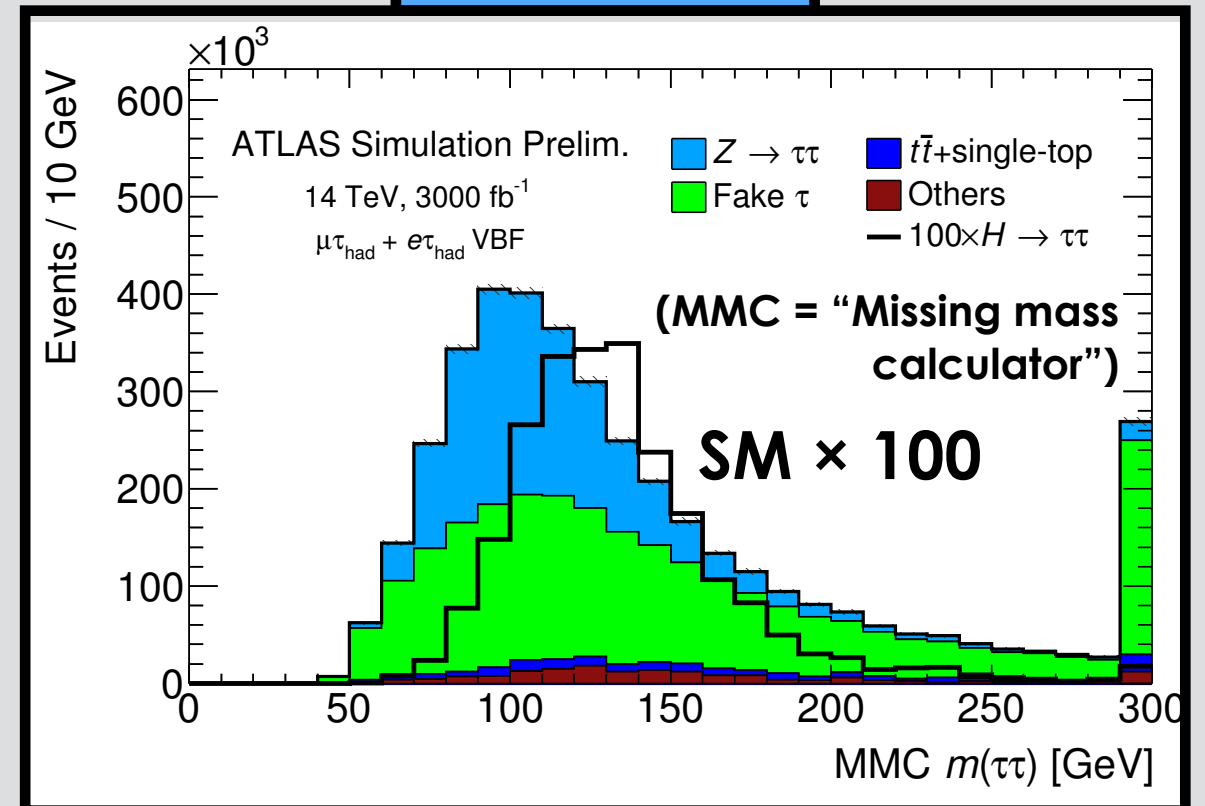
Rare, interesting Higgs processes at 3000 fb⁻¹

HH → bbγγ



- Allows measurement of Higgs self-coupling λ_{HHH}
- **CMS Z₀ (3000 fb⁻¹): 1.9σ** for **bbγγ + bbττ**
 - **54%** exp. uncertainty in signal yield
- **ATLAS Z₀ ($\lambda_{HHH} / \lambda_{SM} = 1$): 1.3σ**

H → TlT_{had}

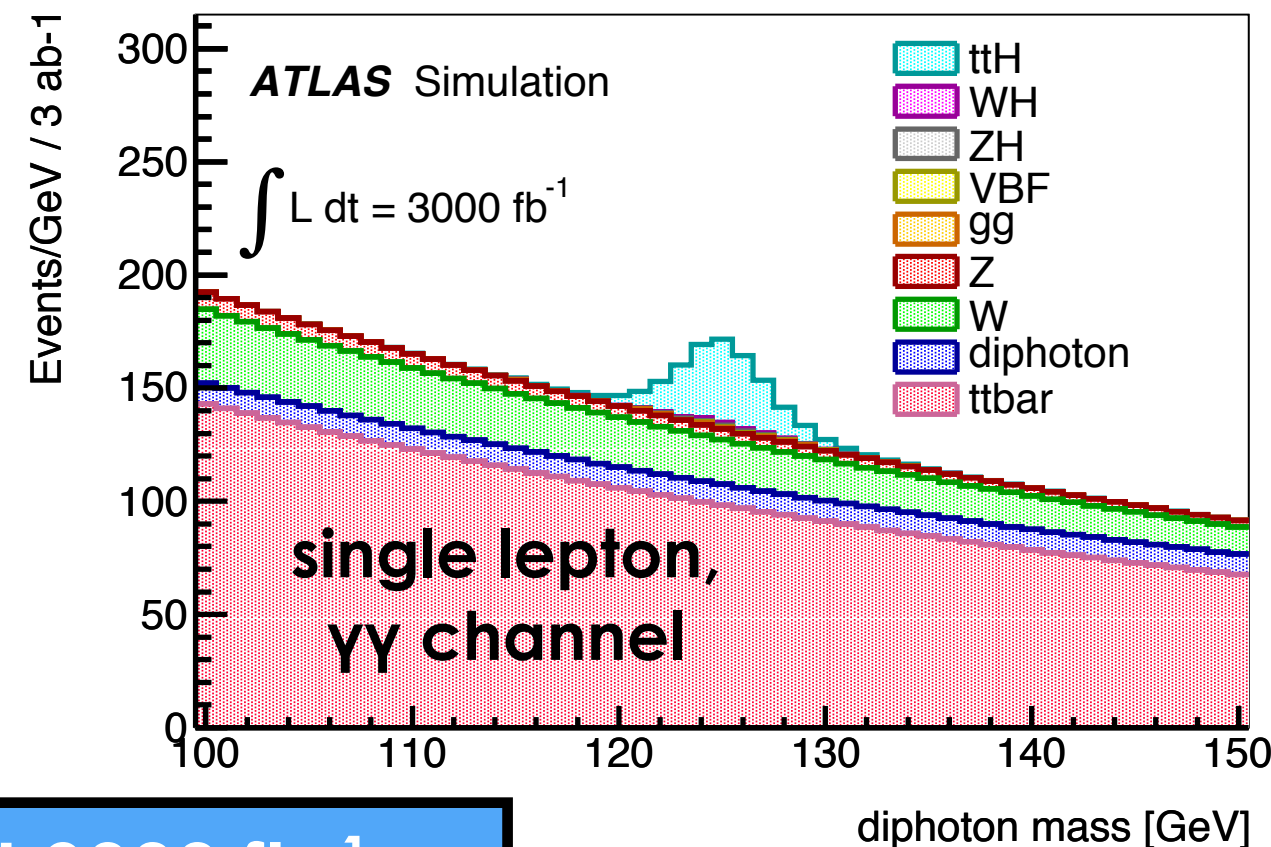


- Tests ratio of third-to-second generation lepton couplings
- **Exp. $\Delta\mu/\mu$ (3000 fb⁻¹): 24%**
 - Ignores theory uncertainties
 - Assumes **5-10%** experimental uncertainties

$t\bar{t}H$, WH/ZH production

$(H \rightarrow \gamma\gamma, H \rightarrow \mu\mu \text{ channels})$

- Measurement of the t - H Yukawa coupling crucial for understanding EWSB
- $t\bar{t}H$ production rare, but **> 100 signal events** expected at 3000 fb^{-1}
 - 1, 2 lepton selections, dilepton mass, jet requirements separate WH/ZH , $t\bar{t}H$
 - Events categorized according to **# of final state jets**



Expectations at 3000 fb^{-1} :

- S/B for $t\bar{t}H$ channels in $H \rightarrow \gamma\gamma$: **0.54 (1L)**, **0.39 (2L)**
 - Also have S/B for **WH (0.23)** and **ZH (1.15)**
- Signal significances with 3000 fb^{-1} , $\mu = 140$:
 - $t\bar{t}H$: **8.2σ** , WH : **4.2σ** , ZH : **3.7σ**
- At 3000 fb^{-1} , expect **signal strength uncertainty** on $t\bar{t}H$ production of **$\Delta\mu / \mu \sim 23\%$** for $H \rightarrow \mu\mu$, **$\sim 17\%$** for $H \rightarrow \gamma\gamma$

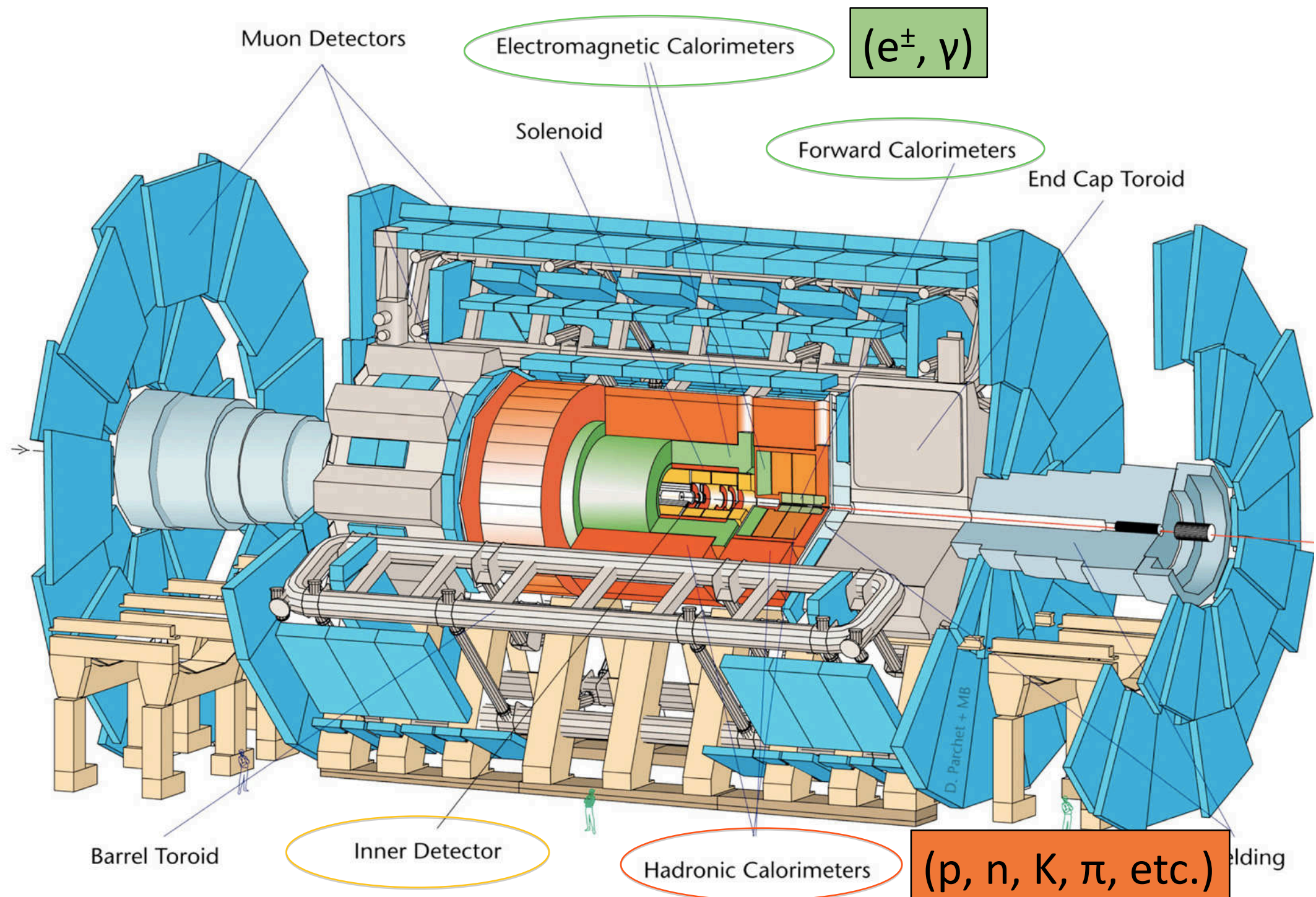
Category	# γ	# Jets	# ℓ	$ m_{\ell^+\ell^-} - m_Z $
WH	2	< 2	1	-
ZH		-	2	< 15 GeV
$t\bar{t}H$ -2 ℓ		≥ 2	2	> 15 GeV
$t\bar{t}H$ -1 ℓ			1	-

Conclusions

- ATLAS, CMS expect to measure Higgs boson signal strengths, couplings to $\Delta\mu / \mu, \Delta\lambda / \lambda \leq 10\%$ after 3000 fb^{-1} of 14 TeV data
- **Discovery ($> 5\sigma$) of rare $H \rightarrow \mu\mu$ decay, $t\bar{t}H$, $H \rightarrow \gamma\gamma$ process**, observation of $Z\gamma$ final state ($\sim 4\sigma$) expected
- **2σ significance** expected for HH-related final states (**$b\bar{b}\gamma\gamma$, $b\bar{b}\tau\tau$**)
- 95% CL on CP-odd mixing fraction in $H \rightarrow 4l$ decay expected to be **$\text{CL}(95\%) = 0.04 - 0.06$**

Extra slides

The ATLAS detector



The CMS detector

CMS DETECTOR

Total weight : 14,000 tonnes
Overall diameter : 15.0 m
Overall length : 28.7 m
Magnetic field : 3.8 T

STEEL RETURN YOKE
12,500 tonnes

SILICON TRACKERS
Pixel ($100 \times 150 \mu\text{m}$) $\sim 16\text{m}^2 \sim 66\text{M}$ channels
Microstrips ($80 \times 180 \mu\text{m}$) $\sim 200\text{m}^2 \sim 9.6\text{M}$ channels

SUPERCONDUCTING SOLENOID
Niobium titanium coil carrying $\sim 18,000\text{A}$

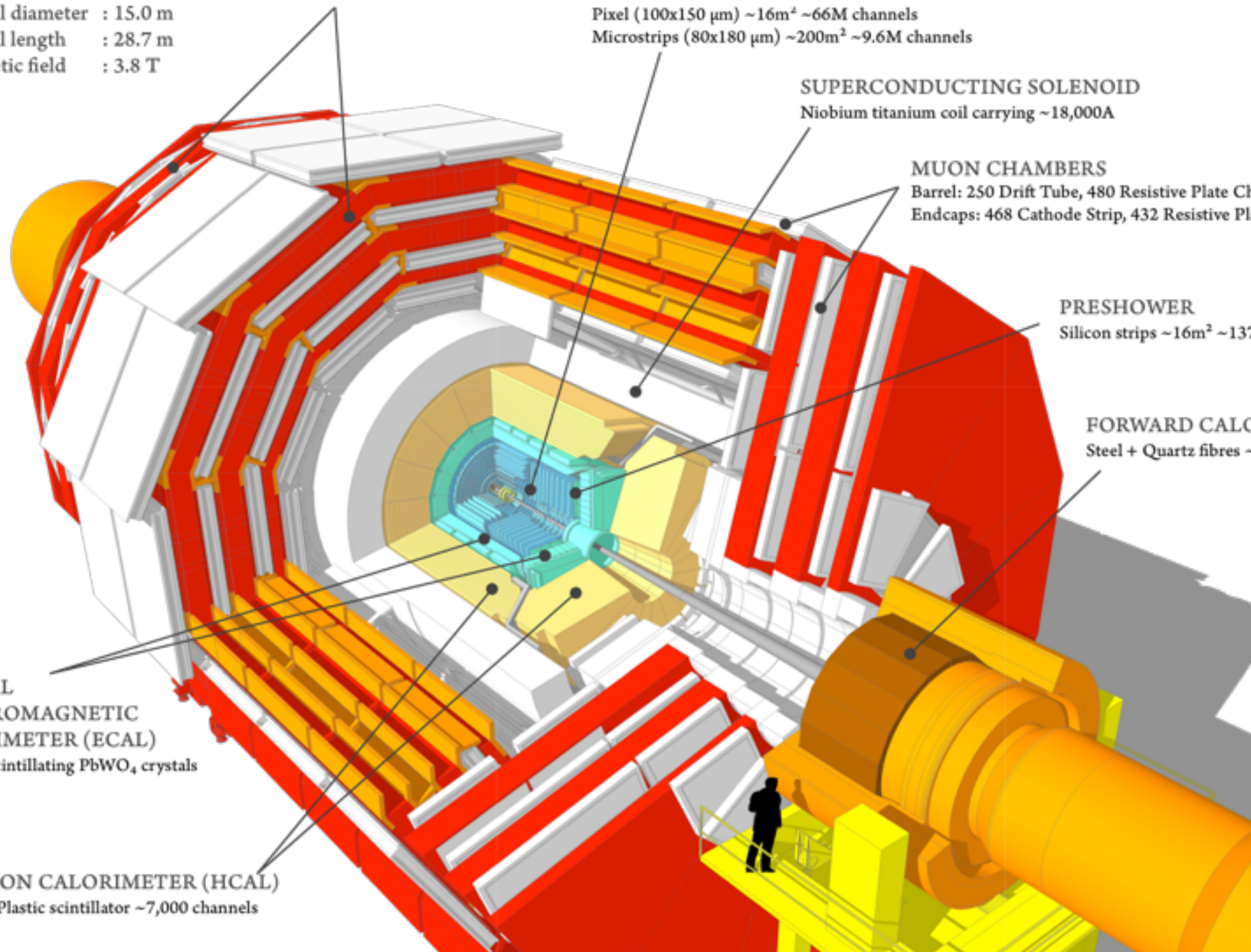
MUON CHAMBERS
Barrel: 250 Drift Tube, 480 Resistive Plate Chambers
Endcaps: 468 Cathode Strip, 432 Resistive Plate Chambers

PRESHOWER
Silicon strips $\sim 16\text{m}^2 \sim 137,000$ channels

FORWARD CALORIMETER
Steel + Quartz fibres $\sim 2,000$ Channels

CRYSTAL
ELECTROMAGNETIC
CALORIMETER (ECAL)
 $\sim 76,000$ scintillating PbWO_4 crystals

HADRON CALORIMETER (HCAL)
Brass + Plastic scintillator $\sim 7,000$ channels



CMS, ATLAS detector upgrades

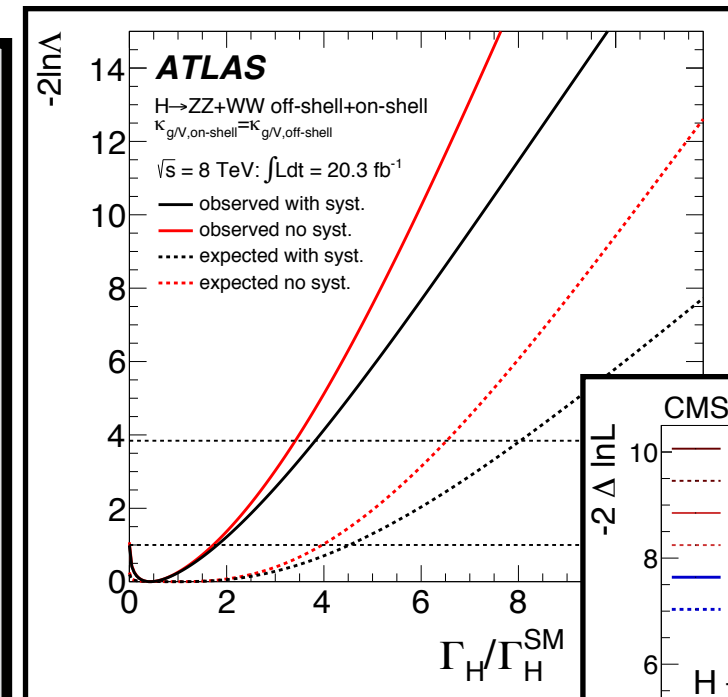
Upgrade phase	Years	ATLAS upgrades	CMS upgrades
Phase 0	2013-2014	<ul style="list-style-type: none"> (✓) Insertable b-layer (IBL) (✓) Level-1 topological trigger (✓) Complete muon coverage (✓) Additional repairs (TRT, LAr, tile) 	<ul style="list-style-type: none"> (✓) 4th muon endcap station (✓) Complete muon endcap coverage (✓) New detector consolidation (✓) Colder tracker
Phase 1	2018-2019	<ul style="list-style-type: none"> • Fast Track Trigger (FTK) • High granularity Level-1 calorimeter trigger • New muon small wheel (MSW) for Level-1 trigger 	<ul style="list-style-type: none"> • New Level-1 trigger system • New Si pixel detector • New photo-detector • New electronics for HCAL
Phase 2	2023-2025	<ul style="list-style-type: none"> • New silicon tracker • New forward calorimeter & electronic • Improved Level-1 track trigger 	<ul style="list-style-type: none"> • New tracker with Level-1 capability • DAQ/HLT upgrade • Replace end-cap & forward calo • EM pre-shower system

(R. Konoplich, Blois 2014, 21/05/14)

Higgs boson width measurements

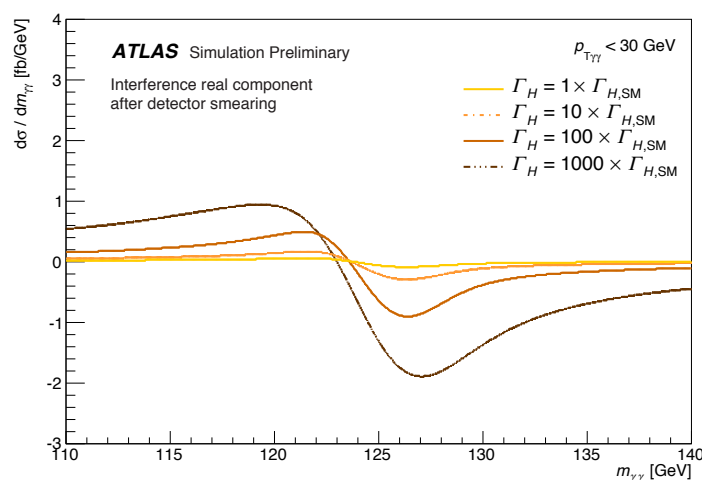
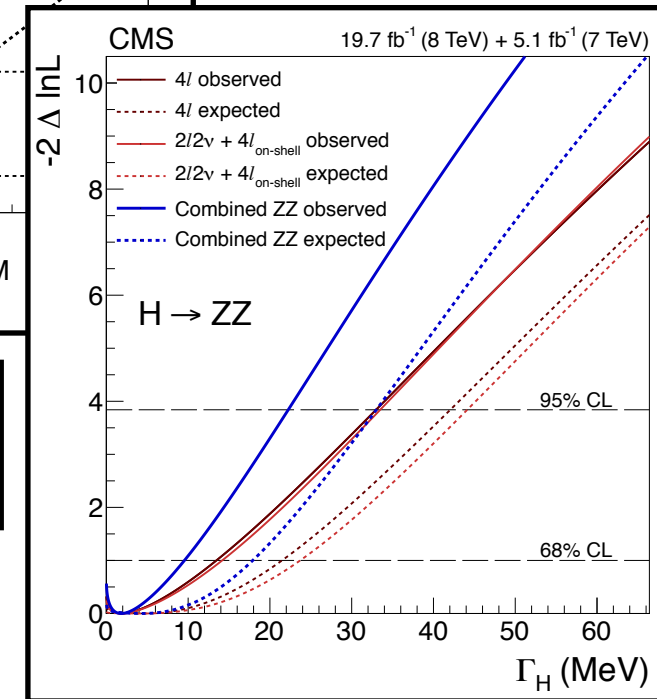
- ATLAS, CMS studied off-shell production of Higgs boson in $H \rightarrow 4l$ channel for 8 TeV data (CMS 7+8 TeV)
 - Indirect** Γ_H limit from σ_{ggF} when $m_{ZZ} > 2m_Z$,

$$\sigma_{gg \rightarrow H \rightarrow ZZ^*}^{\text{on-shell}} \sim \frac{g_{ggH}^2 g_{HZZ}^2}{m_H \Gamma_H} \quad \text{and} \quad \sigma_{gg \rightarrow H^* \rightarrow ZZ}^{\text{off-shell}} \sim \frac{g_{ggH}^2 g_{HZZ}^2}{(2m_Z)^2}$$
 - Uses **2l2v final state** to enhance statistics, increase Γ_H sensitivity (8 TeV only)
- Can **directly** estimate Γ_H from **interference** of $H \rightarrow \gamma\gamma$ signal with **continuum** $gg \rightarrow \gamma\gamma$ background (box diagrams) at 3000 fb⁻¹
 - Real component is **odd around Higgs mass**, induces **negative shift** in m_H
 - Expected **95% CL** at 300 (3000) fb⁻¹: **880 (160) MeV**

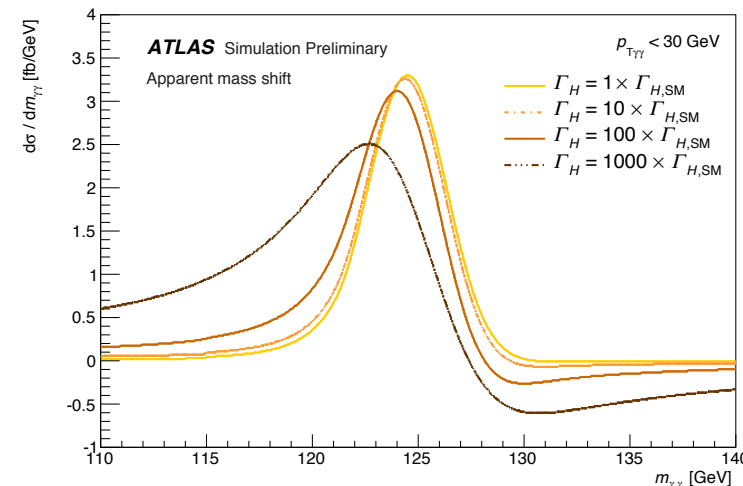


ATLAS 95% CL:
 $\Gamma_H < 22.7 \text{ MeV}$

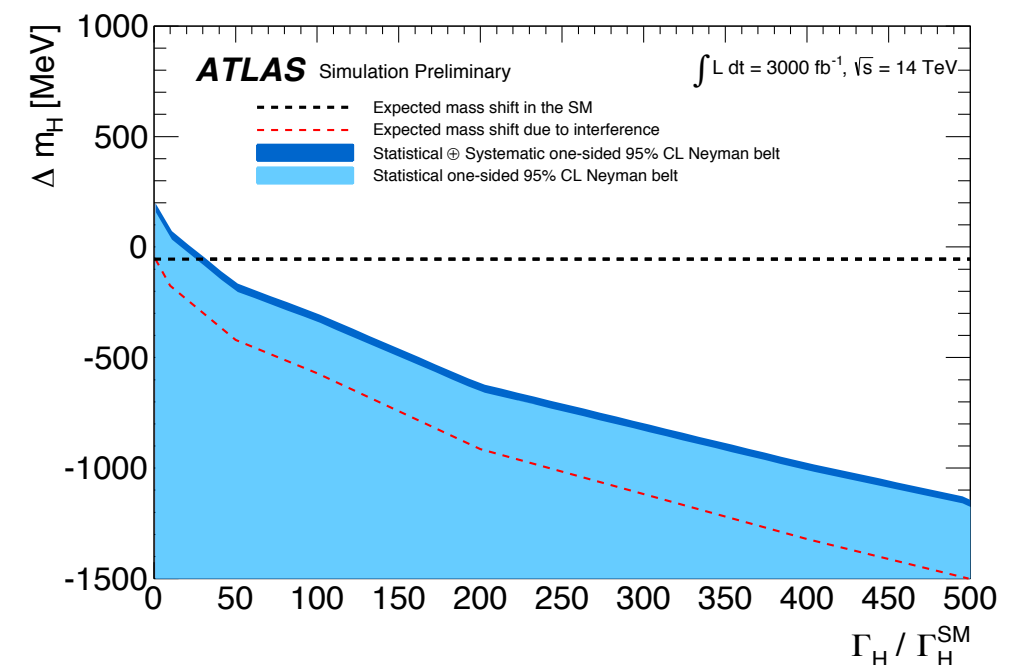
CMS 95% CL:
 $\Gamma_H < 22 \text{ MeV}$



Real interference term



Apparent mass shift

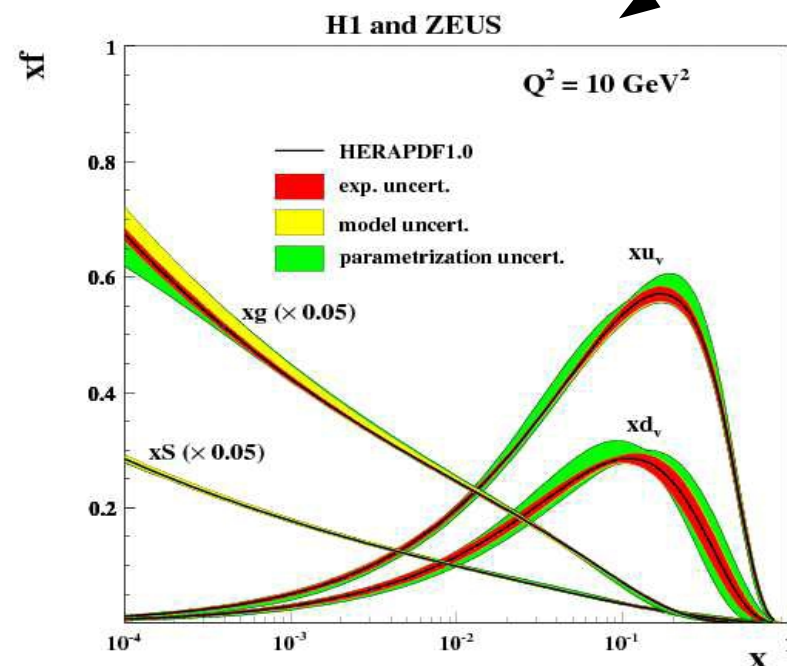


The Matrix Element Likelihood Analysis (MELA) method

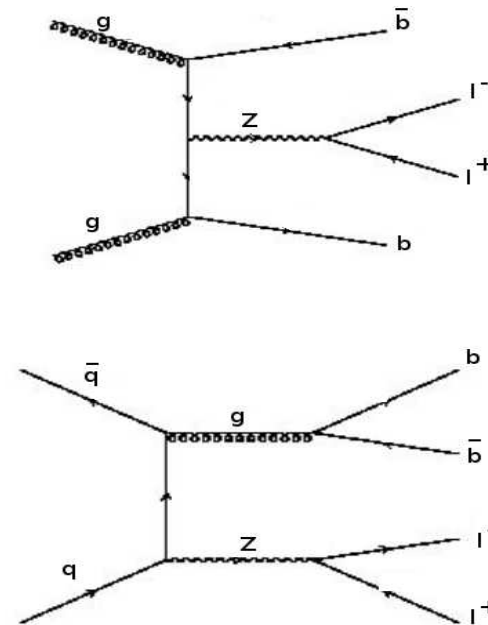
- Event-by-event discriminator built upon matrix elements
- Contains the maximal amount of theoretical information available for the hard process
- Combined with reconstruction level information

Probability that the event with reconstructed kinematics x matches the hypothesis α :

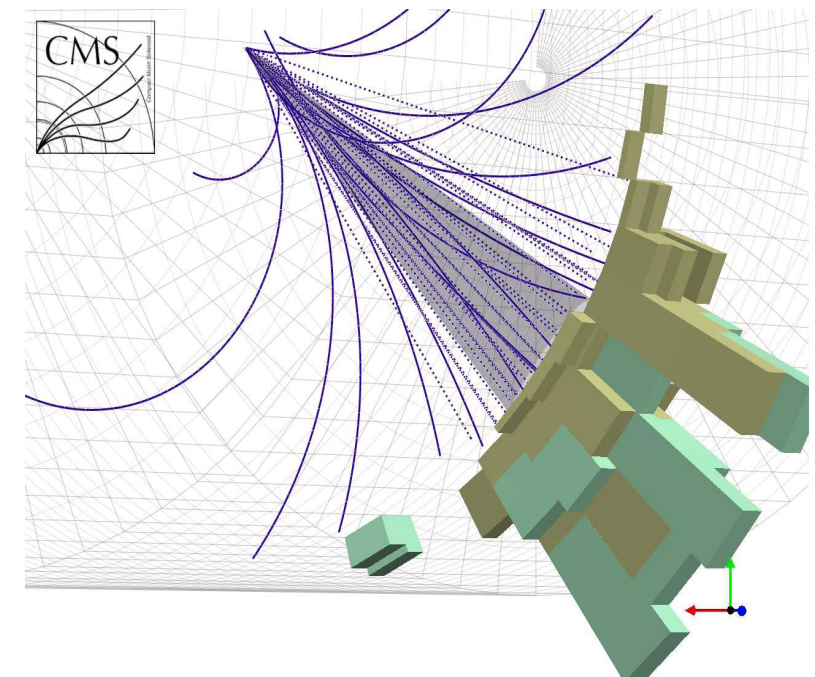
$$P(x^{vis}|\alpha) = \frac{1}{\sigma_\alpha} \int dx_1 dx_2 f(x_1) f(x_2) \int d\phi |M(p)_\alpha|^2 W(p^{vis}, p)$$



Proton density functions



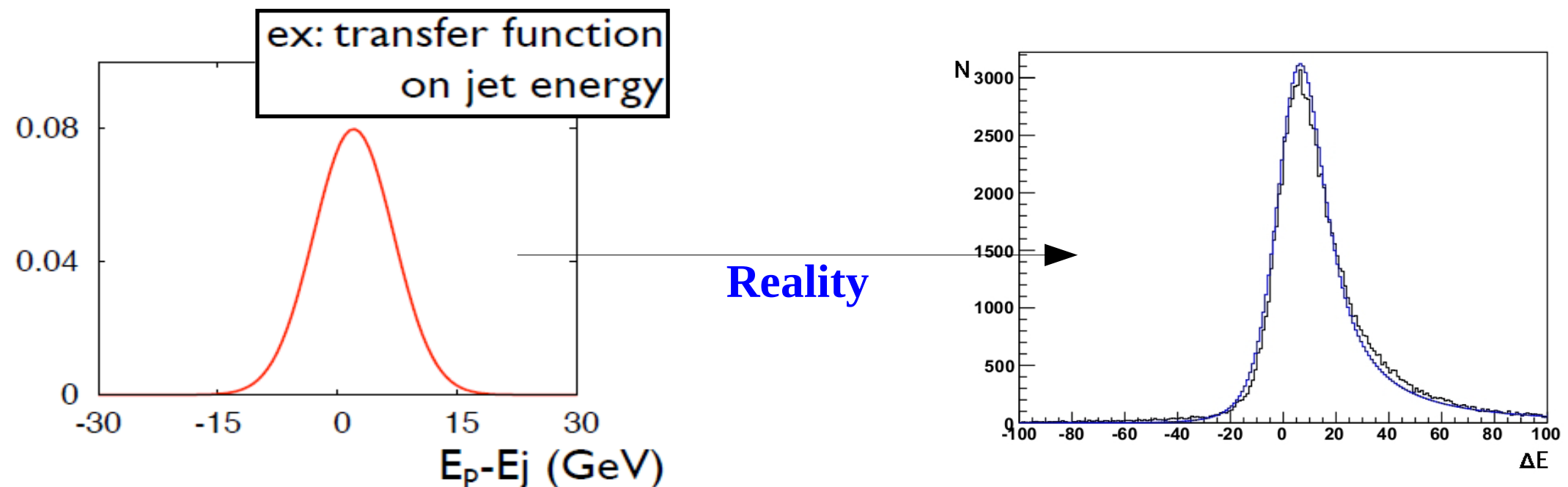
Matrix Element at LO
of the hypothesis



Transfer functions
extracted from simulation

MELA: Transfer functions + discriminant

- **Transfer functions** take into account showering/hadronization effects + experimental resolution/reconstruction $\rightarrow P(x, a)$ convoluted with transfer function, $W(p^{\text{Vis}}, p)$
 - i.e. It is a likelihood fit on $\Delta(E_{\text{Parton}} - E_{\text{Jet}})$
- Assumes particles are not correlated, usable for other variables (e.g. muons with $1/p_T$ dependence)



- In $H \rightarrow ZZ \rightarrow 4l$ analysis, build kinematic discriminant D_{bkg} to separate signal, background using angular vector $\Omega = \{\theta^*, \phi_1, \theta_1, \theta_2, \phi\}$ as,

$$D_{\text{bkg}} = \left[1 + \frac{\mathcal{P}_{\text{bkg}}(m_{4l}; m_1, m_2, \Omega)}{\mathcal{P}_{\text{sig}}(m_{4l}; m_1, m_2, \Omega)} \right]^{-1}$$

- Can also use similar approach to discriminate spin hypotheses
 - i.e. Build **likelihood** $L = -2 \ln (L_{0-} / L_{0+})$ with signal rate as free parameter

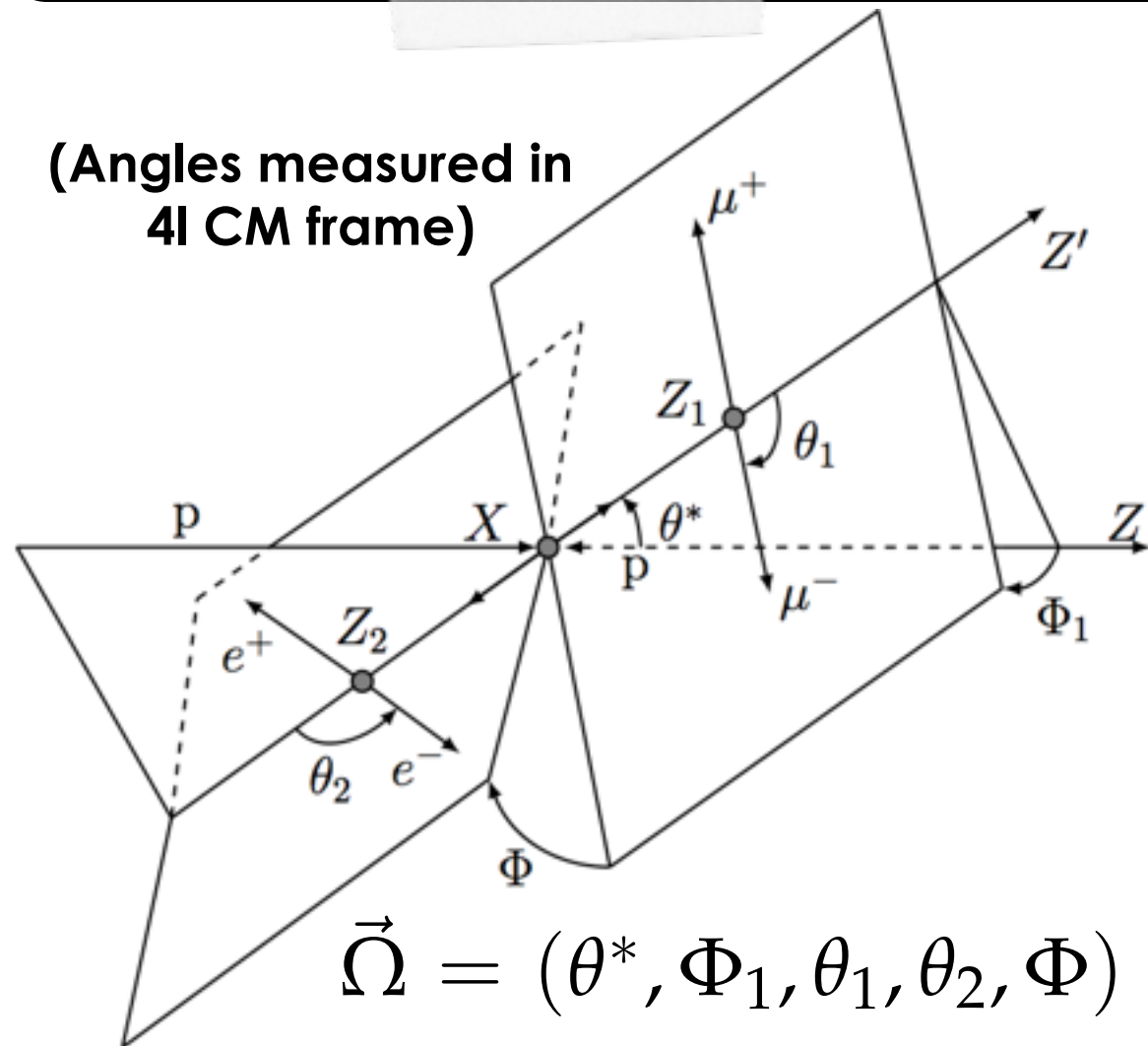
Spin-parity measurement details

Decay amplitude for **spin-0 boson** decaying to **spin-1 gauge bosons**:

$$A(H \rightarrow ZZ) = v^{-1} \left(\underbrace{a_1 m_Z^2 \epsilon_1^* \epsilon_2^*}_{\text{SM tree process}} + \underbrace{a_2 f_{\mu\nu}^{*(1)} f^{*(2),\mu\nu}}_{\text{Loop CP-even terms}} + \underbrace{a_3 f_{\mu\nu}^{*(1)} \tilde{f}^{*(2),\mu\nu}}_{\text{CP odd terms (BSM)}} \right)$$

SM tree process Loop CP-even terms CP odd terms (BSM)

(Angles measured in
4l CM frame)



$$\vec{\Omega} = (\theta^*, \Phi_1, \theta_1, \theta_2, \Phi)$$

$$K_D = \frac{\mathcal{P}_{\text{Sig}}}{\mathcal{P}_{\text{Sig}} + \mathcal{P}_{\text{Bkg}}}$$

Presence of multiple Higgs bosons / CP violation in 4l final state could lead to 125 GeV Higgs boson as **admixture** of **CP-scalar and pseudo scalar** states.

- CMS uses **MELA discriminant K_D** based on Ω , m_{Z1} , m_{Z2} , minimize test statistic $q = -2 \ln (\mathcal{L}_{\text{JP}} / \mathcal{L}_{\text{SM}})$
 - Based on **ratio of ME probabilities** for different J^P scenarios
 - Likelihood scanned w.r.t. CP-odd fraction of decay rate, f_{a3}
- ATLAS uses **8D likelihood fit to Ω , m_{Z1} , m_{Z2}** to determine $\Re(g_i) / g_j$
 - Convert back to f_{gi} using numerical formulae

8D likelihood fit

- The likelihood is constructed by using the **full analytical expression of the ME** of the $H \rightarrow ZZ \rightarrow 4\ell$ process **at LO**
 - Depends on coupling constants & angular observables Ω
- Detector acceptance, resolution effects are described by **parameterizations** based on simulated events
- 8D likelihood function defined as,

$$L(\mu, N_{\text{sig}_i}, N_{ZZ_i}, N_{\text{Red}_i}, \text{syst}) \propto \sum_i \prod_{\text{events}} \left[\mu N_{\text{sig}_i} \text{pdf}_{\text{sig}_i} \left(\vec{x}, \frac{g_2}{g_1}, \frac{g_4}{g_1} \right) + N_{ZZ_i} \text{pdf}_{ZZ_i}(\vec{x}) + N_{\text{Red}_i} \text{pdf}_{\text{Red}_i}(\vec{x}) \right]$$

- Sum runs over $4\mu / 2e2\mu / 2\mu2e / 4e$ final states
 - Here, we have $\vec{x} = (m_{4\ell}, m_1, m_2, \cos \theta^*, \phi_1 \cos \theta_1, \cos \theta_2, \phi)$
- For **each point in $\Re(\mathbf{g}_i) / \mathbf{g}_1, \Im(\mathbf{g}_i) / \mathbf{g}_1$ plane**, a **simultaneous fit** is done to all four decay channels
 - NLL values are plotted in a 2D histogram \rightarrow **global minimum found**
- To convert back to $(f_{g2}, f_{g4}, \phi_{g2}, \phi_{g4})$ parameterization, use the following,

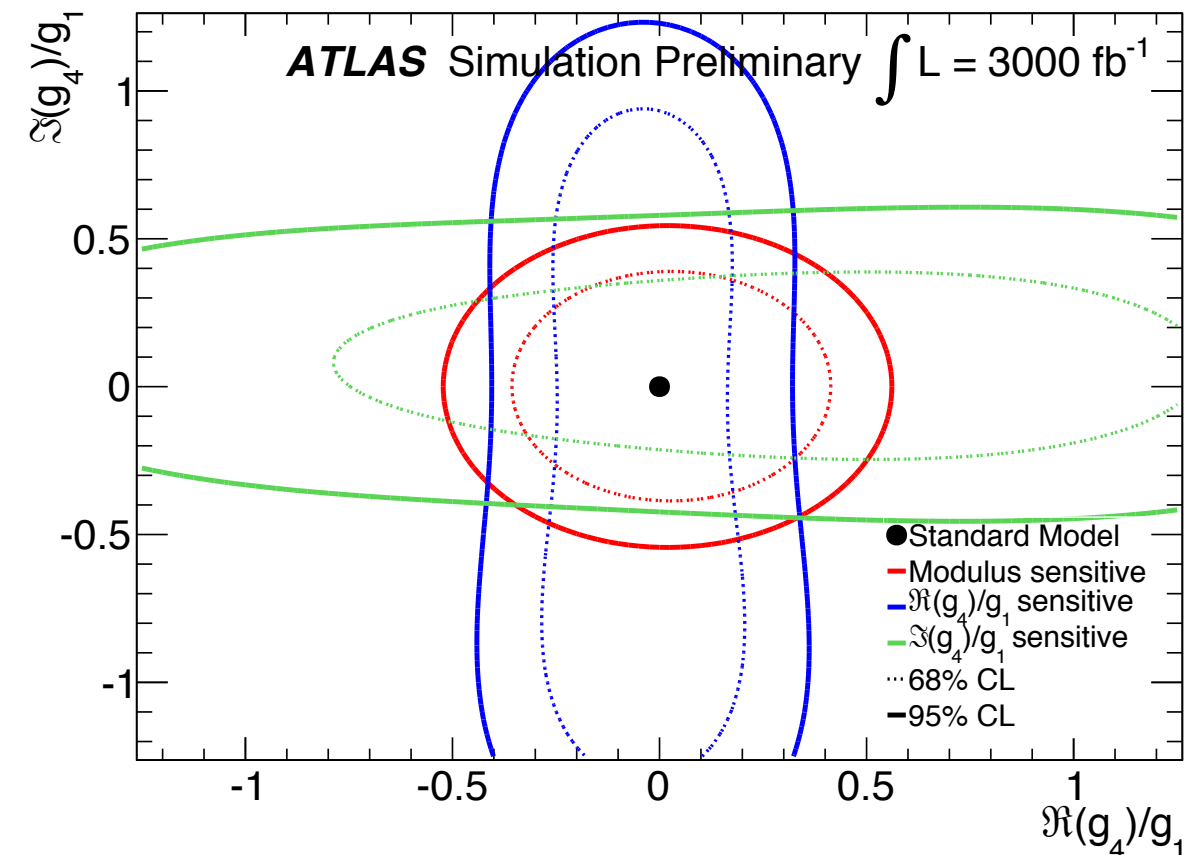
$$f_{g_i} = \frac{r_{i1}^2}{1 + r_{i1}^2}, \quad \phi_{g_i} = \arg \left(\frac{g_i}{g_1} \right), \quad \text{where } r_{31}^2 \approx 0.16 \frac{|g_4|^2}{|g_1|^2} \quad \text{and} \quad r_{21}^2 \approx 0.382 \frac{|g_2|^2}{|g_1|^2}.$$

ATLAS ME likelihood fit

- Based on MC modelling of expected signal in **bins of $\Re(g_i) / g_1, \Im(g_i) / g_1$**
 - Dedicated MC sample created for each bin, $g_i = g_2$ or g_4
 - Done by **re-weighting samples** using analytical calculation of **corresponding ME** at LO
- Expected values of **P-sensitive observables** calculated for signal, background in each bin (see right)
 - Combined with information from **BDT which separates ZZ signal from background**
- Comparison of test data to alternative MC distributions in each bin done by **likelihood fit** using,

$$L(\mu, N_{\text{sig}}, N_{\text{bckg}}, \text{syst}) = \sum_{\text{FS}} \prod_{\text{Bins}} (\mu N_{\text{sig}} \text{pdf}_{\text{sig}} + N_{\text{bckg}} \text{pdf}_{\text{bckg}}),$$
- Product runs over all final states, bins
 - Fitted value taken as **centre of lowest bin**

Observable	Sensitivity
$\ln \frac{ \text{ME}(g_1=1, g_2=0, g_4=0) ^2}{ \text{ME}(g_1=0, g_2=0, g_4=1) ^2}$	$ g_4 /g_1$
$\ln \frac{ \text{ME}(g_1=1, g_2=0, g_4=-2+2i) ^2}{ \text{ME}(g_1=1, g_2=0, g_4=2+2i) ^2}$	$\Re(g_4)/g_1$
$\ln \frac{ \text{ME}(g_1=1, g_2=0, g_4=2-2i) ^2}{ \text{ME}(g_1=1, g_2=0, g_4=2+2i) ^2}$	$\Im(g_4)/g_1$
$\ln \frac{ \text{ME}(g_1=1, g_2=0, g_4=0) ^2}{ \text{ME}(g_1=1, g_2=1, g_4=0) ^2}$	$ g_2 /g_1$
$\ln \frac{ \text{ME}(g_1=1, g_2=-1+i, g_4=0) ^2}{ \text{ME}(g_1=1, g_2=1+i, g_4=0) ^2}$	$\Re(g_2)/g_1$
$\ln \frac{ \text{ME}(g_1=1, g_2=1-i, g_4=0) ^2}{ \text{ME}(g_1=1, g_2=1+i, g_4=0) ^2}$	$\Im(g_2)/g_1$

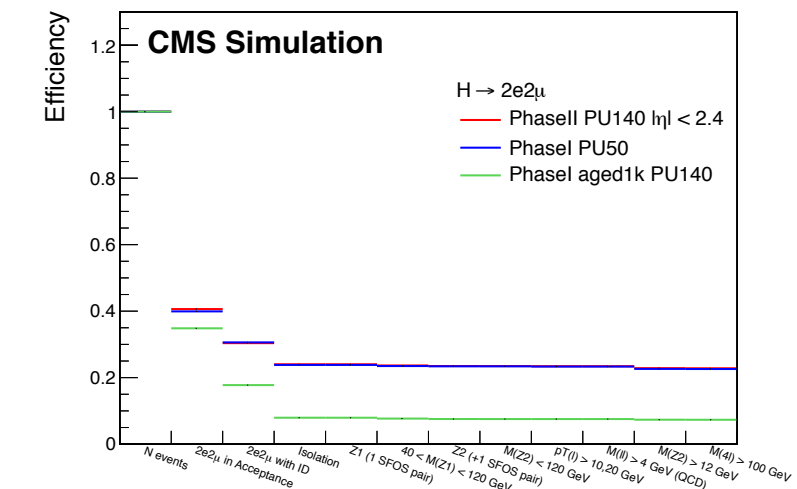
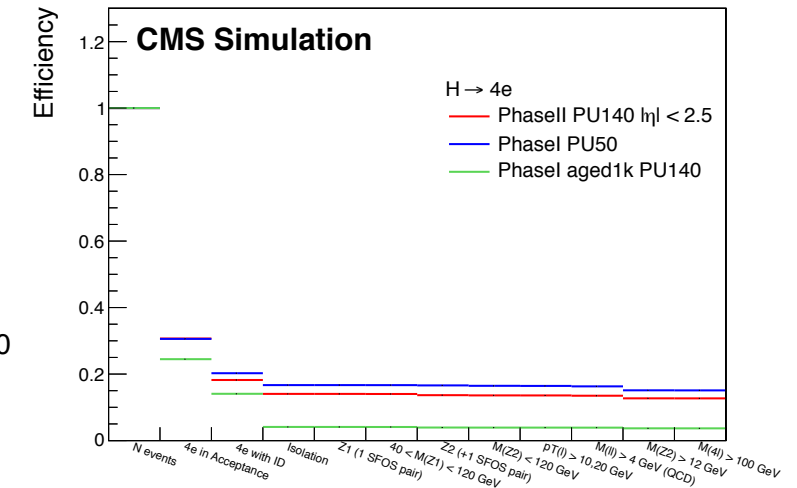
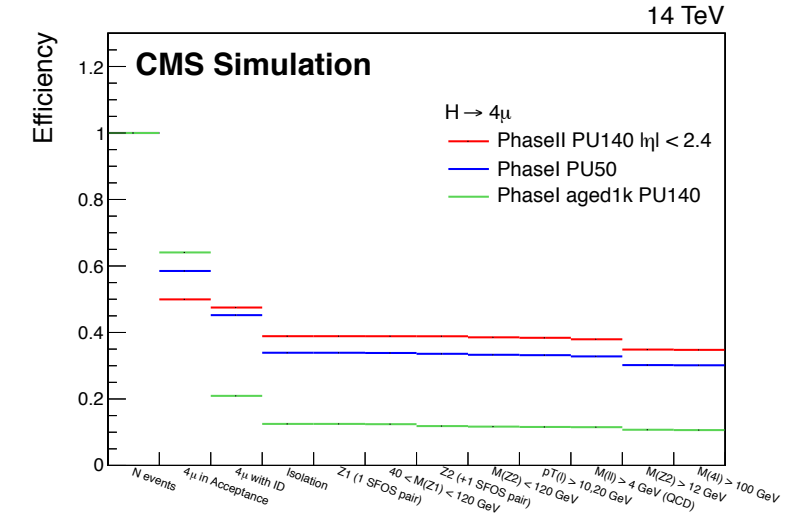
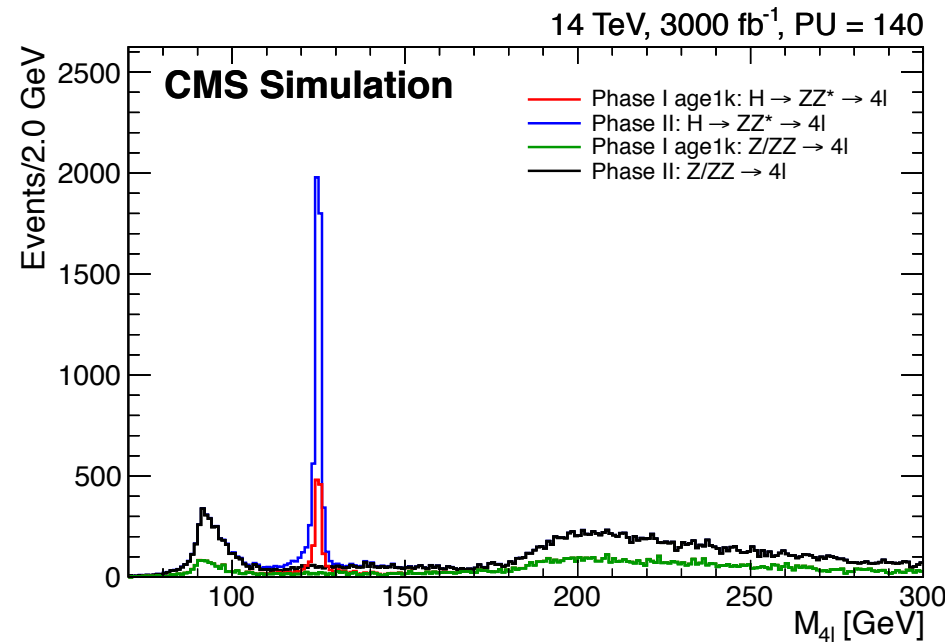
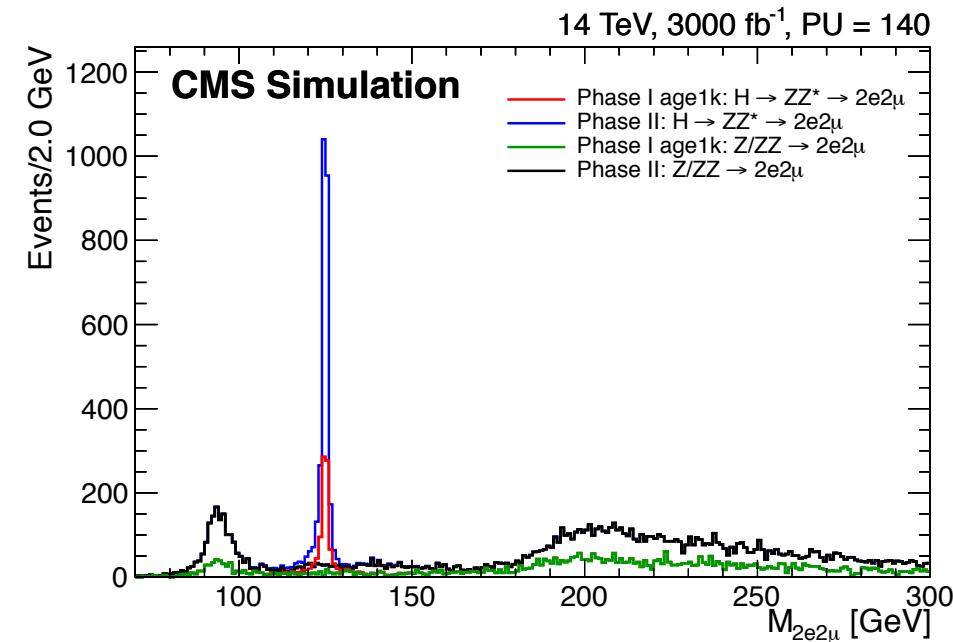
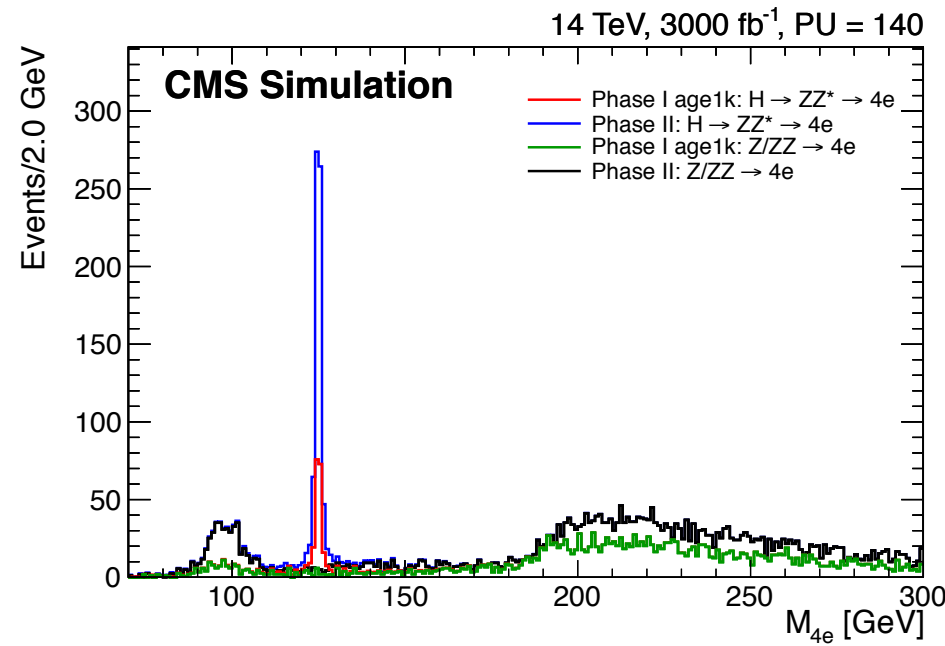
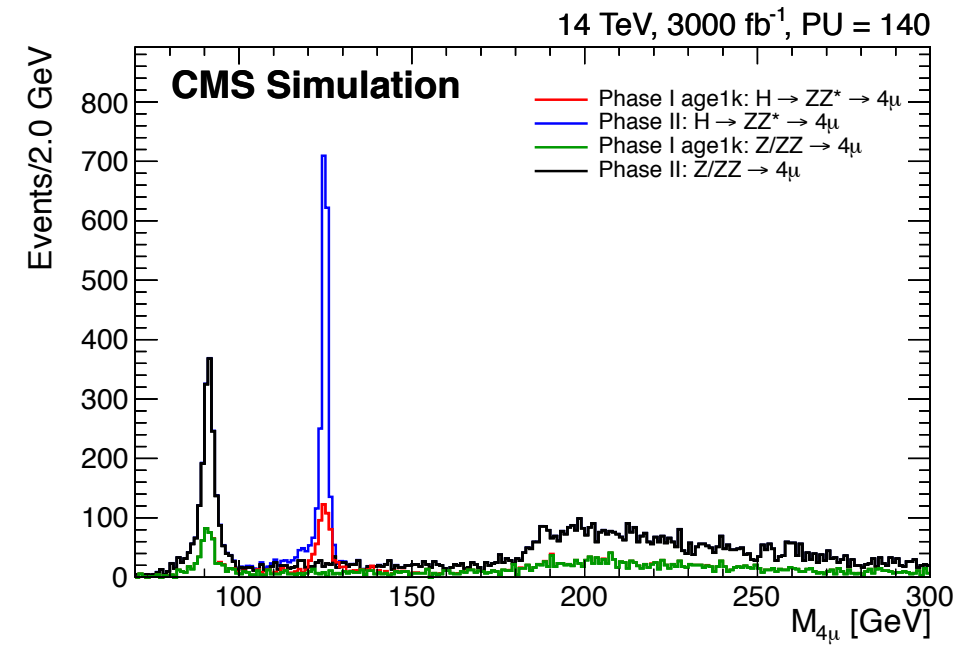


95% CLs:

Luminosity	f_{g_4}	f_{g_2}
300 fb^{-1}	0.15	0.43
3000 fb^{-1}	0.037	0.20

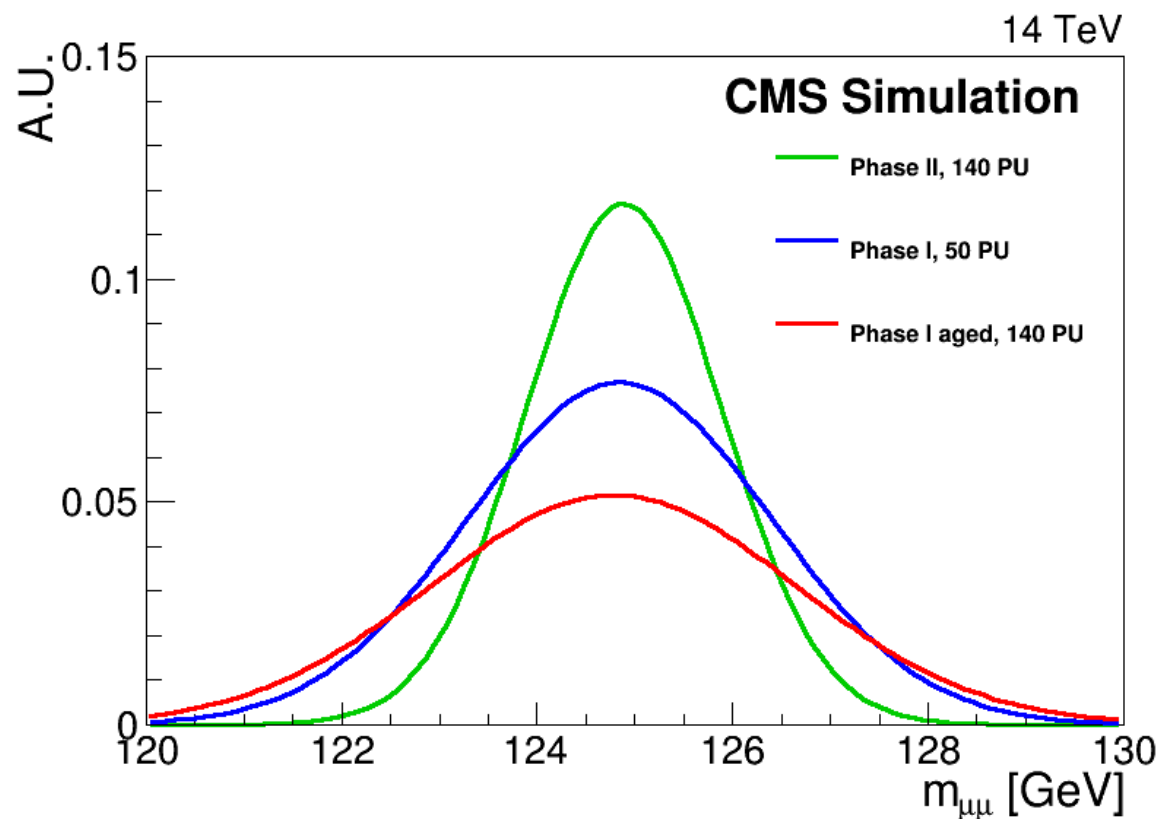
Potential CMS Phase II detector resolution

4l mass distributions, cut flows at 3000 fb⁻¹ for the signal samples and irreducible ZZ → 4l background for Phase I (aged), Phase II detector setups:

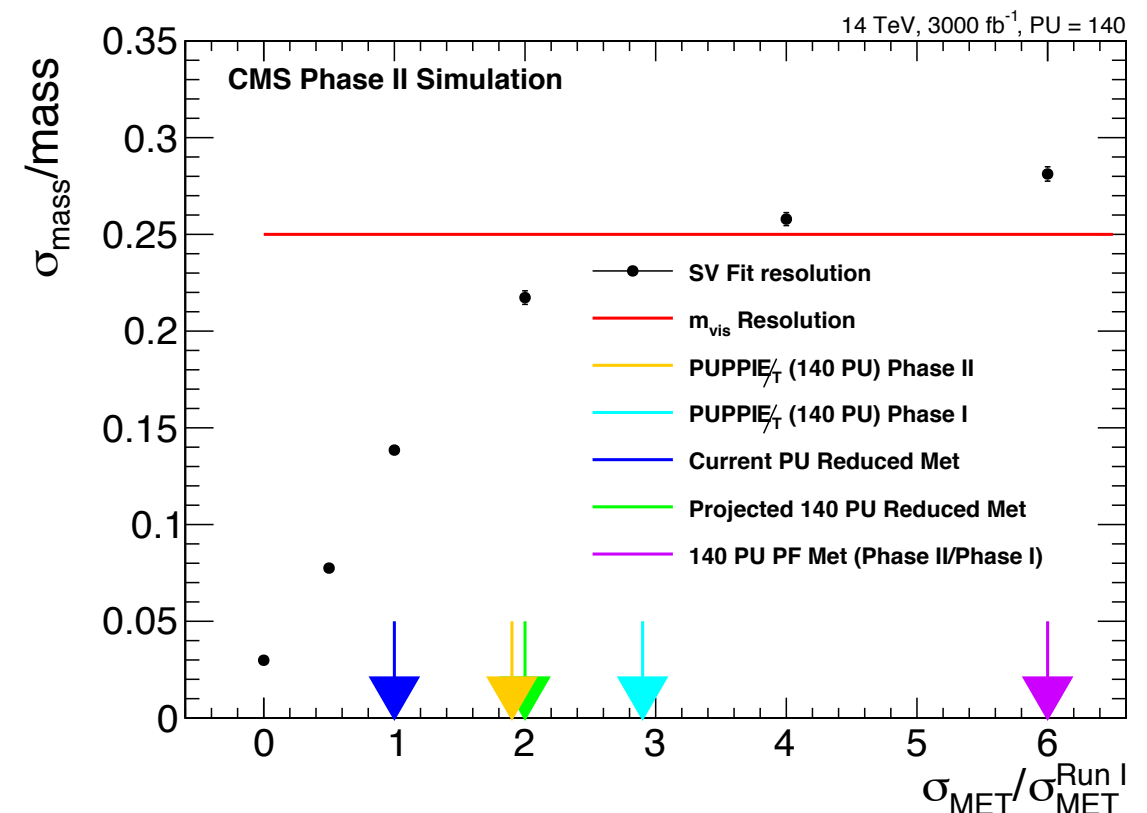


Potential CMS Phase II detector resolution

Di-muon mass spectrum for Phase I, Phase II detector setups:

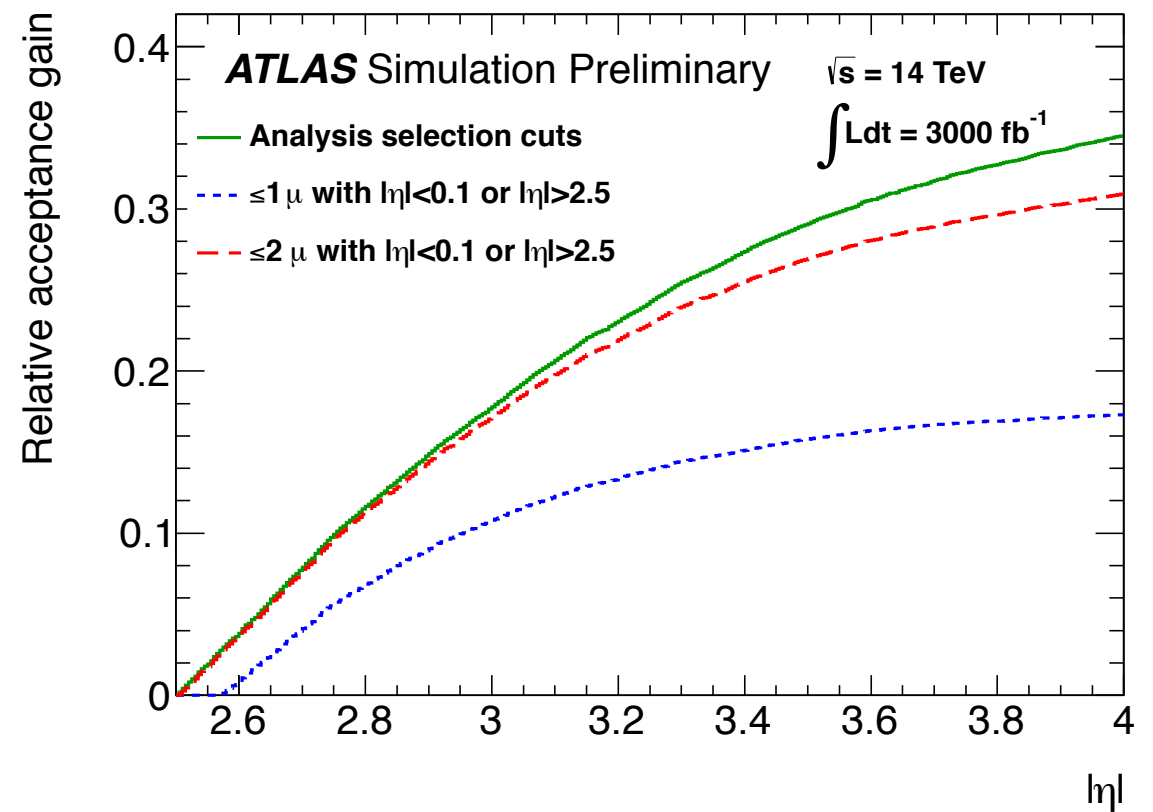
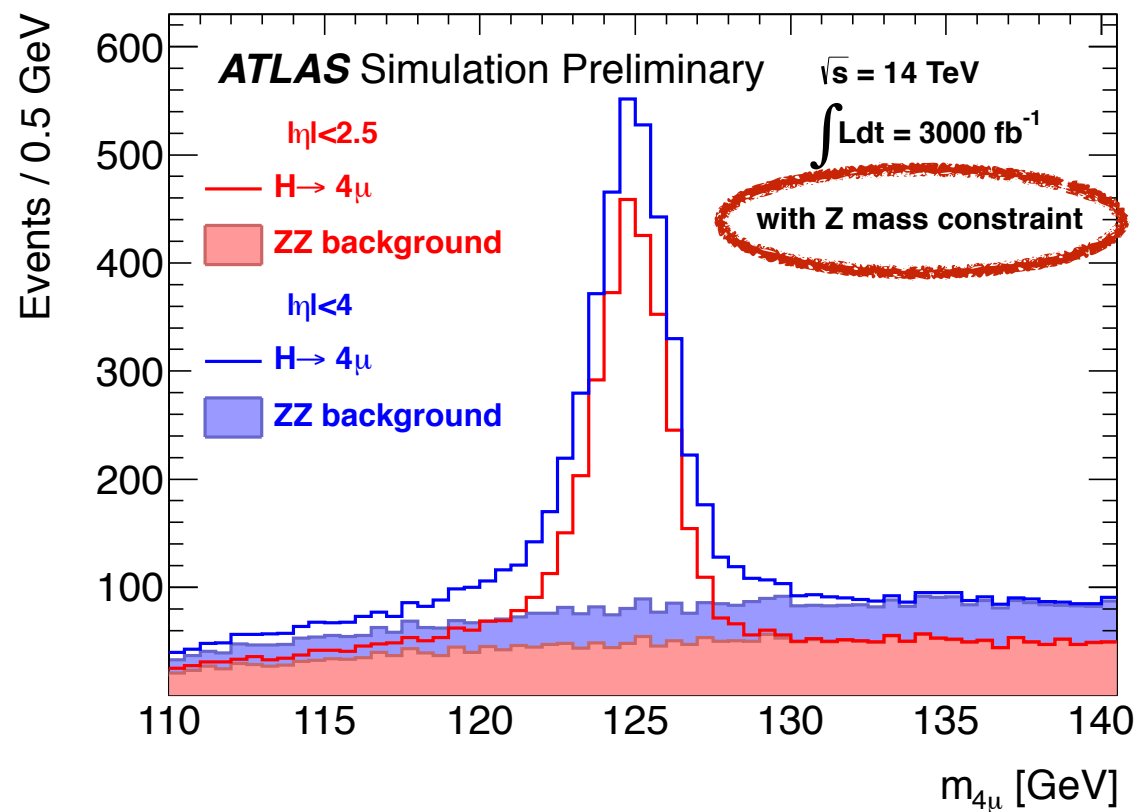
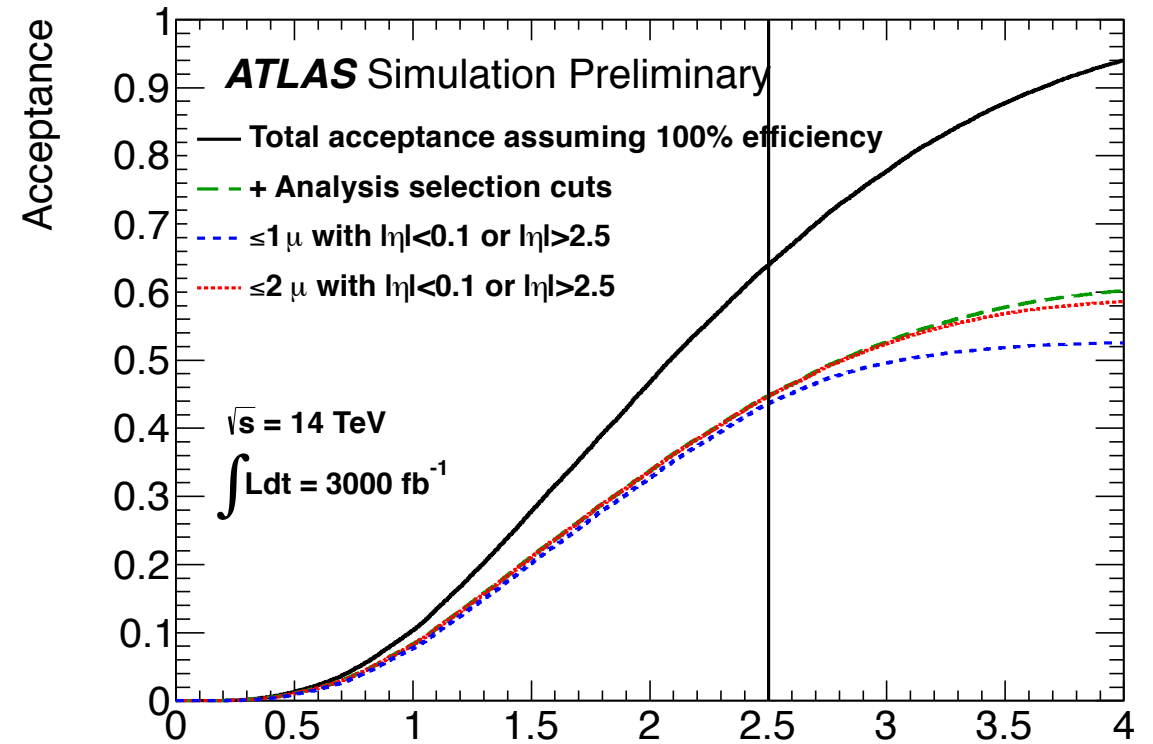
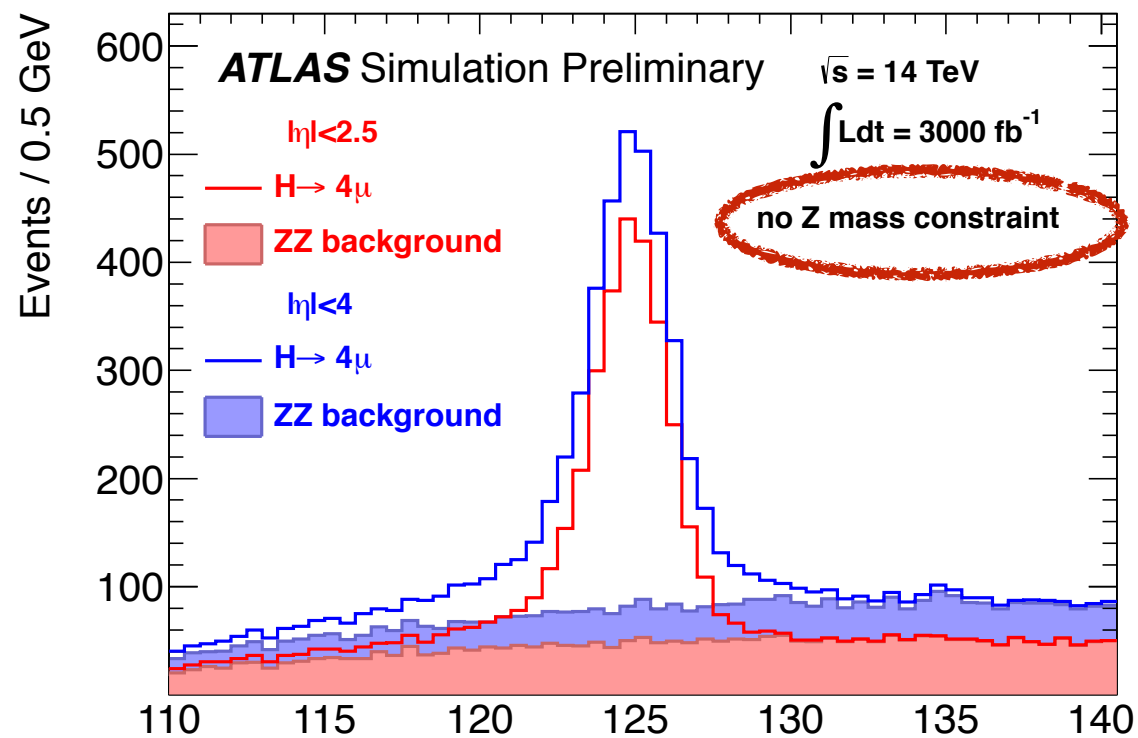


Di-tau mass resolution vs. MET resolution, normalized to Run I performance:



- Due to material reduction and better spatial measurements in Phase-II tracking detector, mass resolution is 40% better
 - Efficiency to reconstruct the muon pair is 20 % larger
- Combination of single, double tau track triggering increases the absolute trigger acceptance by 1.7×
 - Compared to applying Run-I analysis p_T threshold on same $|\eta|$ region

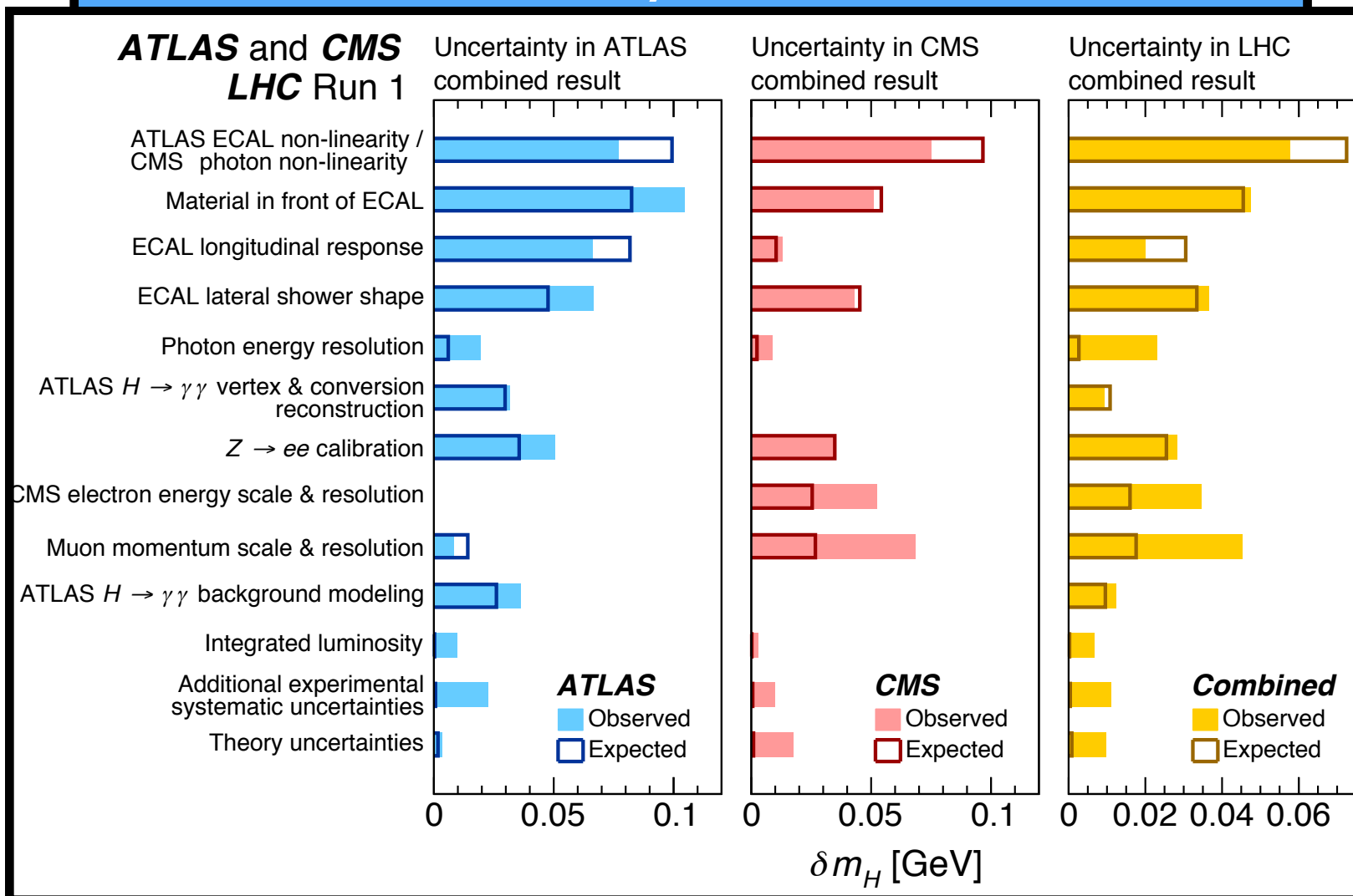
ATLAS m_H resolution with extended tracking



Predicted $H \rightarrow 4\mu$ acceptance, mass distributions at $\mathcal{L} = 3000 \text{ fb}^{-1}$ for **nominal** ($|\eta| < 2.5$) and **extended** ($|\eta| < 4$) tracking.

Mass combination systematics

Current combined systematic uncertainties:



- Dominant contributions to total mass uncertainty **ECAL**-related
 - **i.e.** Non-linearity, shower shape, material before ECAL
- Also have non-trivial contribution from **$Z \rightarrow ee$ calibration**
- Theory contributions (PDF, QCD, etc.) yield ~small contribution to inclusive mass uncertainty (δm_H)

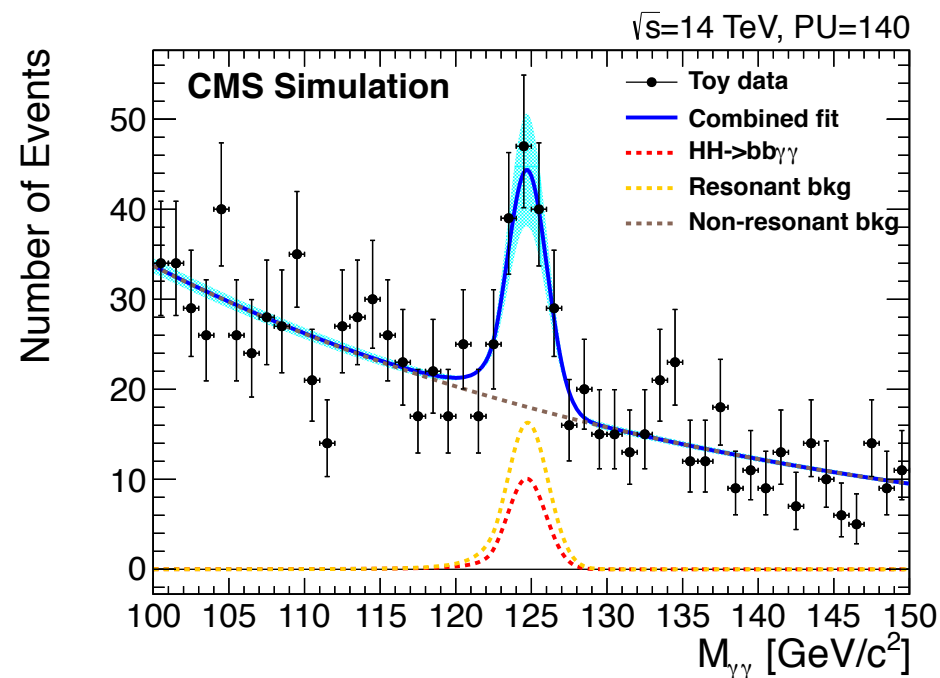
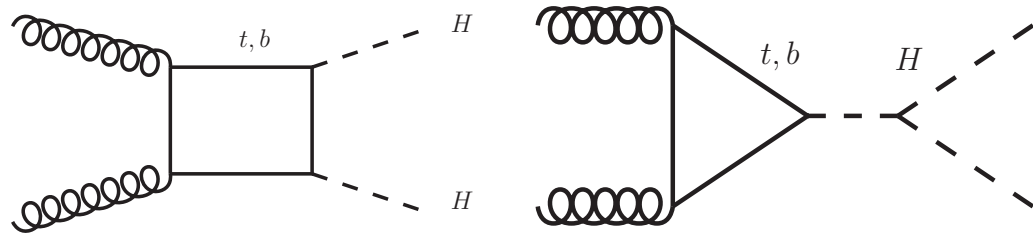
“Back of the envelope” calculation:

Significance of Higgs boson resonance scales approximately as s/\sqrt{b}

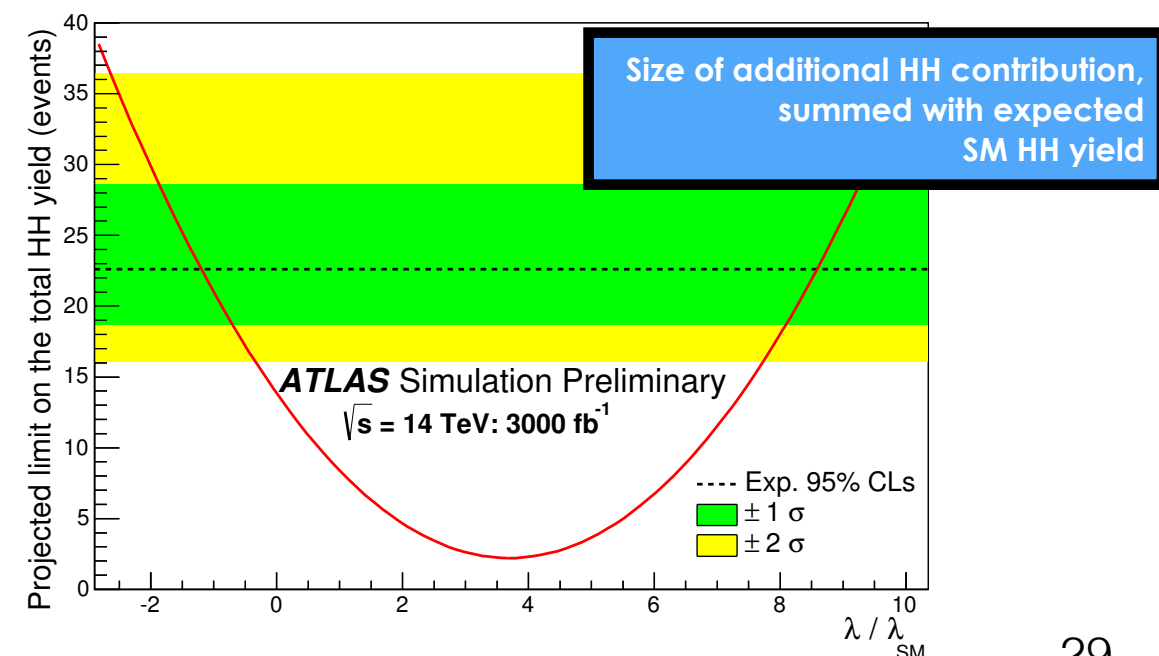
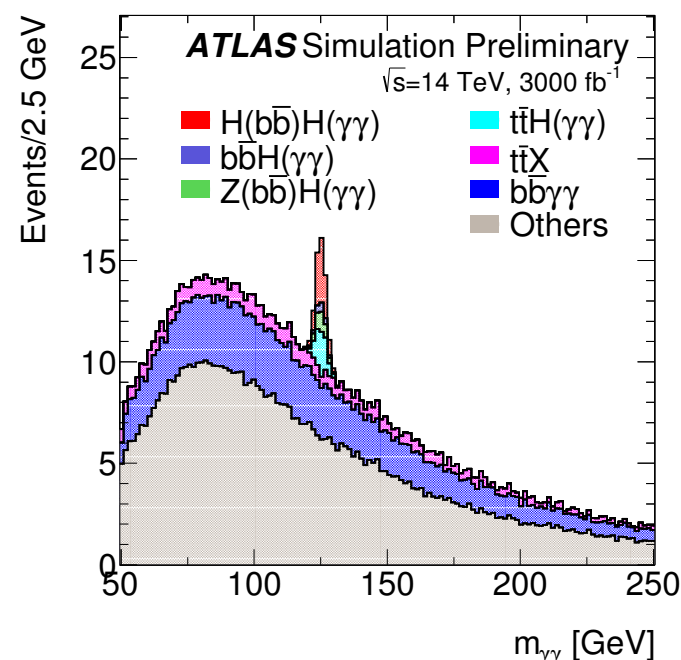
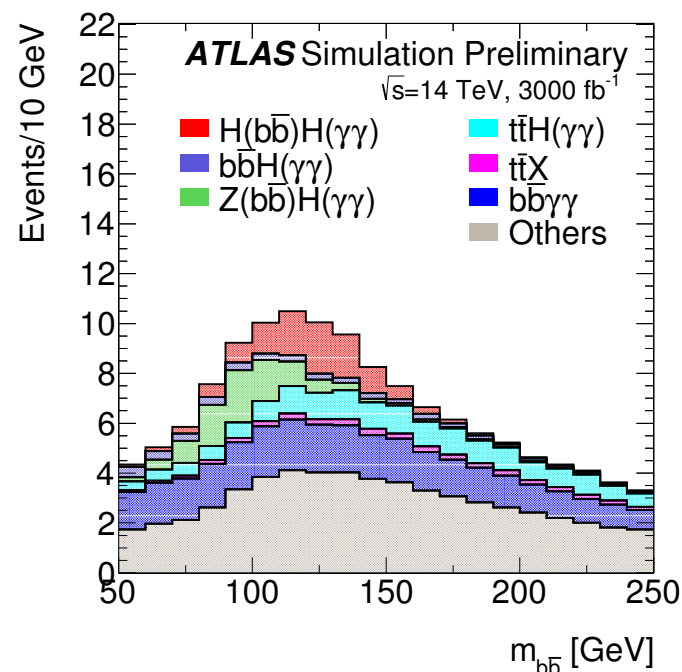
→ Sensitivity scales with $\sqrt{(\text{int. luminosity})}$ — expect $\sim \sqrt{(3000 \text{ fb}^{-1} / 25 \text{ fb}^{-1})} \approx 11\times$ improvement in sensitivity, e.g. $\delta m_H = 0.24 \text{ GeV} \rightarrow 0.022 \text{ GeV}$

→ Assumes stat. uncertainty dominates, acceptance stays ~the same

Higgs boson self-coupling measurements

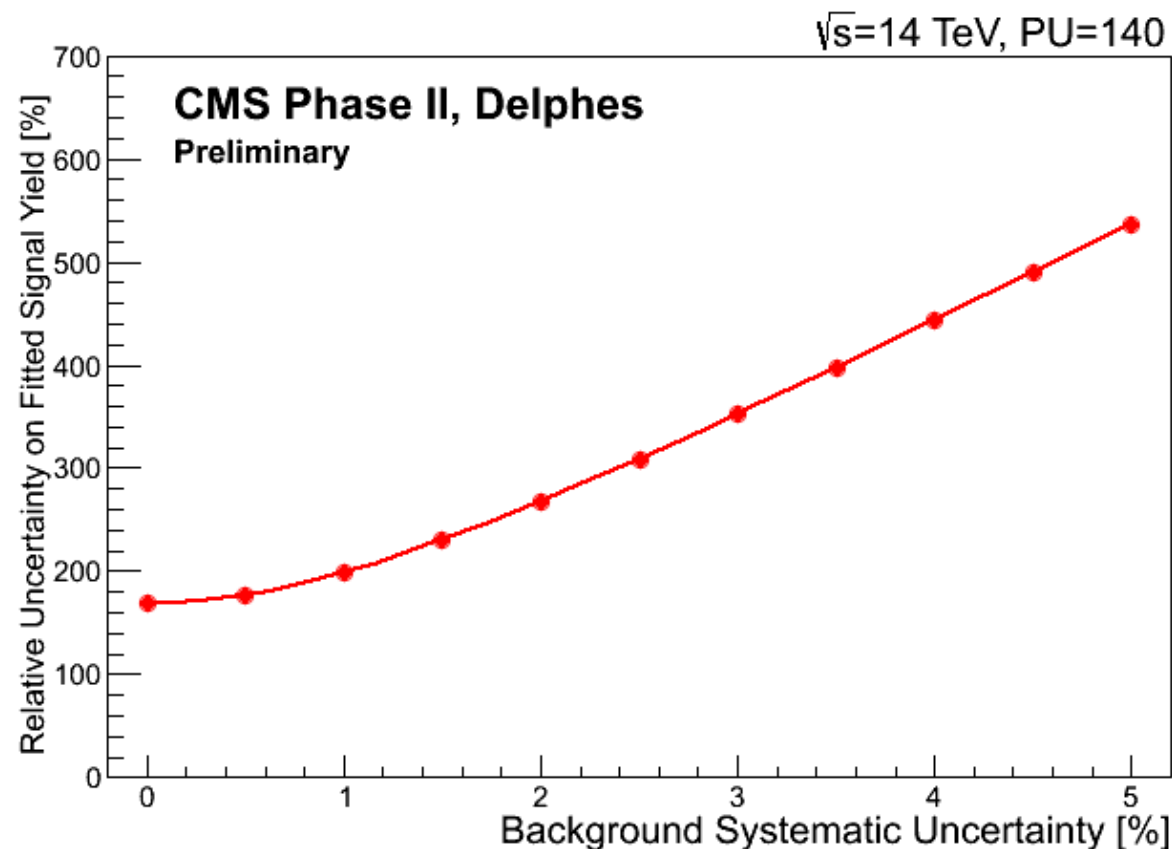


- **Main motivation:** Higgs self-coupling λ_{HHH} determines shape of Higgs potential
 - Also sensitive to BSM effects \rightarrow modifies HH production rate
- Important decay modes are **bb $\gamma\gamma$** and **bb $\tau\tau$**
 - **Destructive interference** of box, loop diagrams; σ minimized for $\lambda_{HHH} / \lambda_{SM} = 1$
- Only **~320 bb $\gamma\gamma$ events** will be generated in 3000 fb $^{-1}$
 - ATLAS, CMS expect signal yield of **~9 bb $\gamma\gamma$ events**
- CMS predicts **$Z_0 \sim 0.9\sigma$, $\Delta\mu/\mu \sim 105\%$** from measuring $T_\mu T_h$ and $T_h T_h$ final states
 - Final significance will be **1.3-1.9 σ** , based on final states measured (bb $\gamma\gamma$ and/or bb $\tau\tau$)



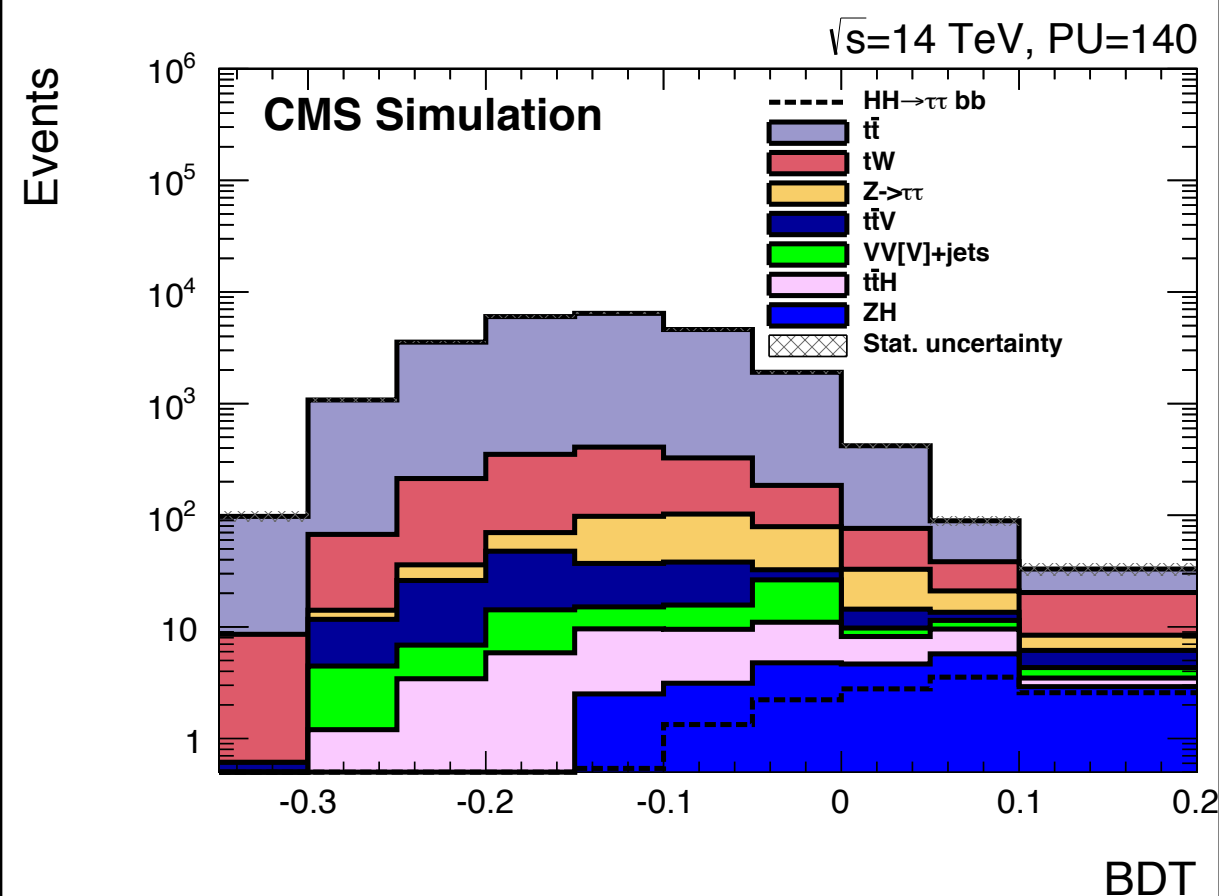
HH \rightarrow bbWW, bb $\tau\tau$ final states

H \rightarrow bbWW:



- ~1500 fully leptonic signal events expected in 3000 fb⁻¹, where the leptons are either muons or electrons
 - Dominant background process is the $t\bar{t}$ production, fully leptonic decay
- Events require required two b-tagged jets with $p_T > 30$ GeV, two opposite-sign leptons with muon $p_T > 20$ GeV, electron $p_T > 25$ GeV
 - Neural network also trained to separate signal, background

H \rightarrow bb $\tau\tau$:



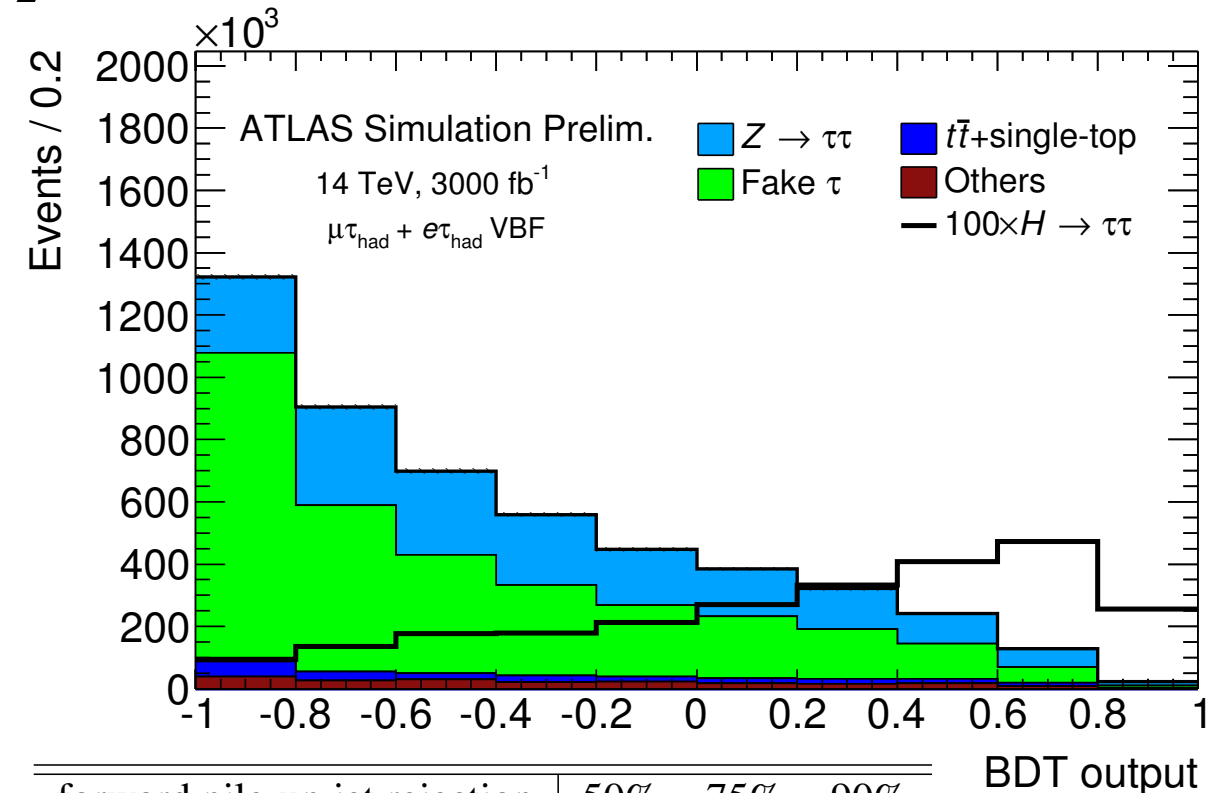
- ~9000 bb $\tau\tau$ di-Higgs events expected in 3000 fb⁻¹
 - $T_{\mu Th}$, T_{hTh} final states studied by CMS
- Likelihood-based mass reconstruction technique (SVFIT) is used to reconstruct $m_{\tau\tau}$
- BDT discriminant trained to exploit boosted kinematics of HH
- $Z_0 = 0.5\sigma$ for μh , 0.7σ for hh , 0.9σ for combination, overall $\Delta\mu / \mu \sim 105\%$

$H \rightarrow \tau\tau_{\text{had}}$ analysis details

- BDT trained to separate $H \rightarrow \tau\tau_{\text{had}}$ **signal** from backgrounds (see variables below)
 - Only **VBF production** targeted
- Lepton, τ reconstruction, identification efficiencies assumed **equivalent to 2012** data
- Require isolated leptons with $p_T > 26$ GeV, τ candidate $p_T > 20$ GeV, jet $p_T > 30$ GeV
 - Require $m_T(l, E_T^{\text{Miss}}) < 100$ GeV due to degradation of E_T^{Miss} at high $\langle\mu\rangle$
- “**Missing mass calculator**” used to estimate $m_{\tau\tau}$

Impact of forward tracking:

- Tested effects of pileup rejection (50%, 75%, 90% efficiency) for three tracking scenarios: $|\eta| < [3, 3.5, 4]$
 - Simulated pile-up jet multiplicity at $\mu = 140$, jet $p_T \geq 30$ GeV — rate is ~ 2.4 extra jets/event
 - Analysis is re-run with **forward pile-up jet** insertion, rejection imposed by hand
- Observe **$\sim 43\%$ decrease** in expected $\Delta\mu/\mu$ by extending tracking volume (hence PU rejection)



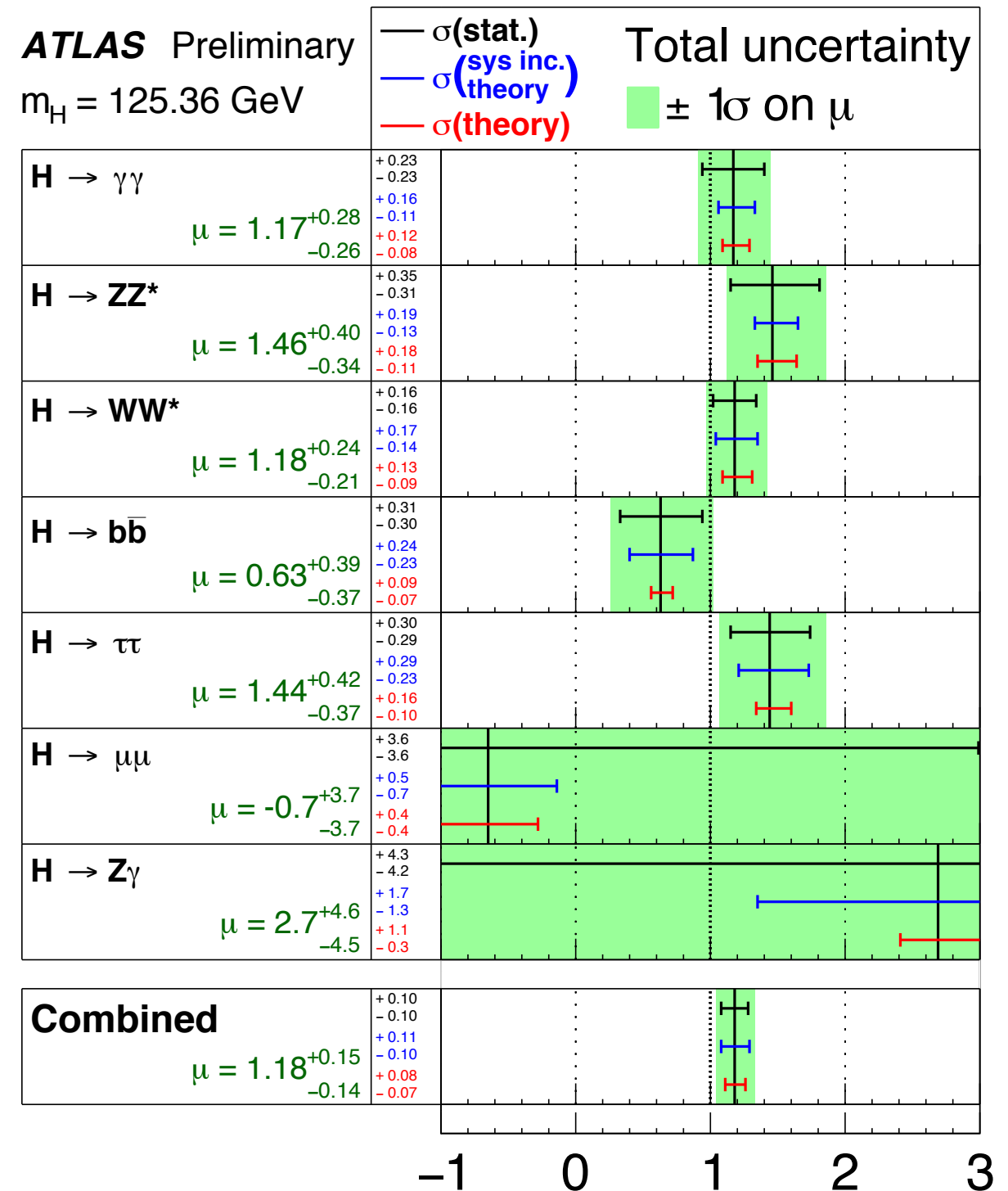
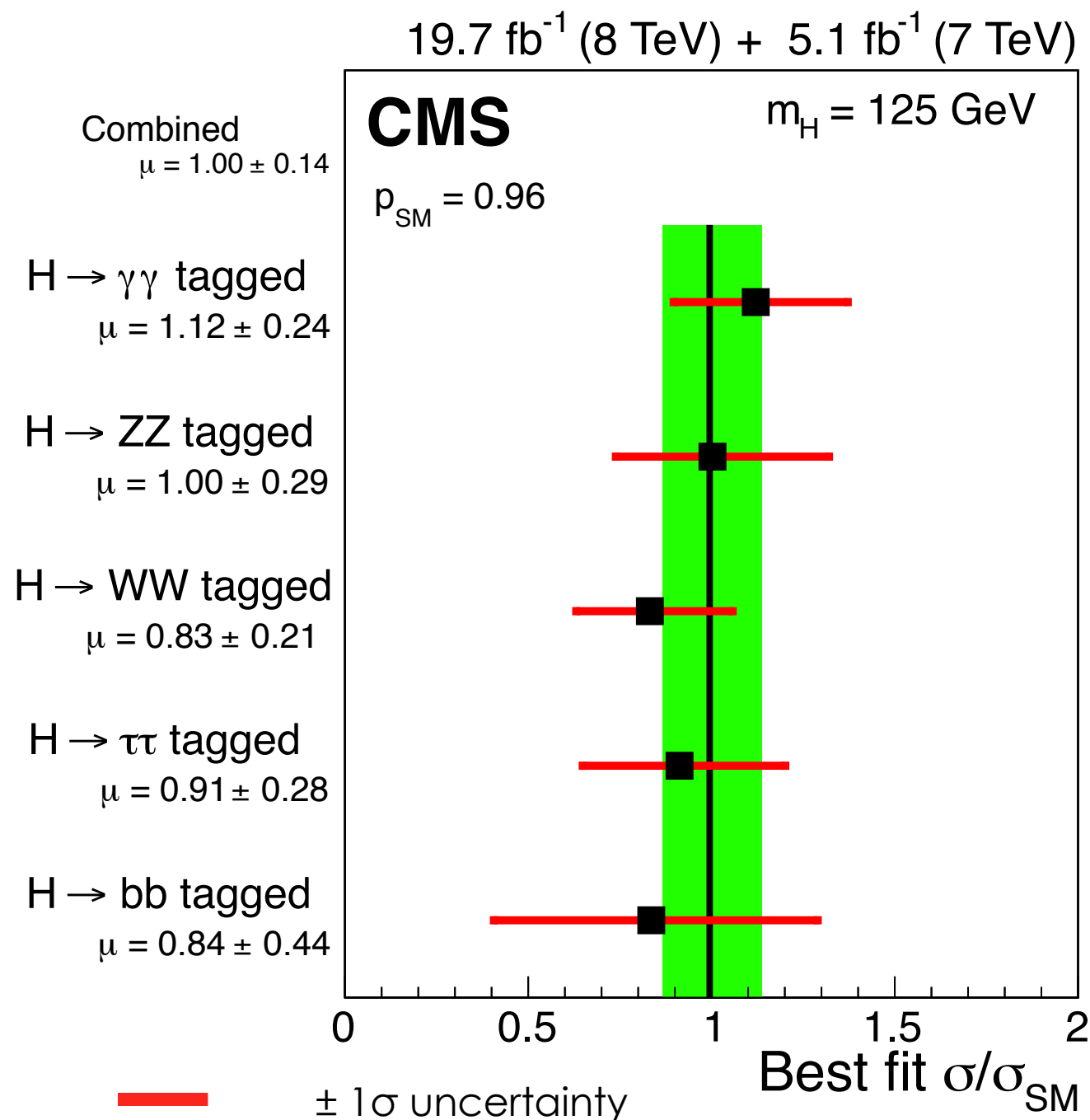
forward pile-up jet rejection	50%	75%	90%
forward tracker coverage	$\Delta\mu$		
Run-I tracking volume	0.24		
$ \eta < 3.0$	0.18	0.15	0.14
$ \eta < 3.5$	0.18	0.13	0.11
$ \eta < 4.0$	0.16	0.12	0.08

43% smaller

BDT training variables:

Variable	Definition
$\Delta R(\tau, \ell)$	Separation of the lepton and τ_{had}
m_T	Transverse mass of the lepton and E_T^{miss}
$E_T^{\text{miss}} \phi$ -centrality	Centrality of the E_T^{miss} between the lepton and τ_{had}
MMC mass	$\tau\tau$ mass estimator
$m_{j1,j2}$	Invariant mass of the 2 leading jets
$\eta_{j1} \times \eta_{j2}$	Product of the η s of the two leading jets
$ \eta_{j1} - \eta_{j2} $	Absolute difference η s of the two leading jets
ℓ η -centrality	Centrality of the lepton between the two leading jets
p_T^{Total}	$ \vec{p}_T^\ell + \vec{p}_T^{\tau_{\text{had}}} + \vec{p}_T^{j1} + \vec{p}_T^{j2} + \vec{E}_T^{\text{miss}} $

Most recent signal strength measurements



ATLAS couplings for narrow-width approximation

ATLAS couplings:

Coupling	$\Delta\kappa/\kappa$ (%)	
	300 fb ⁻¹	3000 fb ⁻¹
κ_Z	8.1	4.4
κ_W	9.0	5.1
κ_t	22	11
κ_b	23	12
κ_τ	14	9.7
κ_μ	21	7.5
κ_g	14	9.1
κ_γ	9.3	4.9

(includes full theory uncertainties)