Event generators for the LHC: status and perspectives

Emanuele Re

CERN & LAPTh Annecy





LAPTA

LAL Orsay, 22 November 2016

LHC Run I & II, so far



LHC Run I & II, so far

	Model	e, μ, τ, γ Jets $E_{\tau}^{\text{mins}} \int \mathcal{L} dt (tb^{-1})$			∫£ dr[fb	·')	Mass limit	$\sqrt{s} = 7,3$	B TeV VE = 13 TeV	Reference
Diduave Searches	SLIGRACMSSM 1. 47-45 ² 1. 47-45 ² 2. 47-45 ² 2. 47-45 ² 2. 47-45 ² 2. 47-45 ² 2. 47-45 ² 3. 47	$\begin{array}{c} 0 = 0 & (\mu + 1 + 2 \pi) \\ 0 & mono jet \\ 0 & 0 \\ 0 & 0 & (SS) \\ 1 = 2 \pi + 0 + 1 \\ 2 \pi + \mu & (SS) \\ 1 = 2 \pi + 0 + 1 \\ 2 \pi + \mu & (SS) \\ 7 & 7 \\ 7 \\ 2 \pi + \mu & (Z) \\ 0 \end{array}$	2-10 jets/3 / 2-6 jets 1-3 jets 2-6 jets 2-6 jets 2-6 jets 0-3 jets 0-2 jets - 1.k 2 jets 2 jets mono-jet	******	20.3 13.3 13.3 13.3 13.2 13.2 13.2 13.2 3.2 3.2 20.3 13.3 20.3 20.3	9 9 9 9 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8	sec GeV	1.05 TeV 1.05 TeV 1.05 TeV 1.05 TeV 1.07 TeV 1.07 TeV 1.05 TeV 1.07 TeV 1.07 TeV	- κήμαξ) - κήμαξι 2020 κ. (1) ² μα. (2) μα. (2) - μηταξή 2020 κ. (1) ² μα. (2) - μηταξή 2020 κ. (4) ² μα. (2) μα. (2) - μηταξή 2020 κ. (4) ² μα. (2) μα. (2) - μηταξή 2020 κ. (4) ² μα. (2) μα. (2) - μα. (2) μα. (2) μα. (2) μα. (2) μα. (2) - μα. (2) μα. (2) μα. (2) μα. (2) μα. (2) - μα. (2) μα. (2) μα. (2) μα. (2) μα. (2) μα. (2) - μα. (2) μα.	1507 0522 15 073 AT LAE 00% 071 15 AT LAE 00% 071 16 AT LAE 00% 071
R IN IN	2. 2→448° 2. 2→48° 2. 2→48°	0 0-1 e.p 0-1 e.p	3 k 3 k 3 k	Ver Ver Ver	14.8 14.8 20.1	R R R		1.89 TeV 1.89 TeV 1.37 TeV	m(r ² ₁)=1 GeV m(r ² ₁)=1 GeV m(r ² ₁)=310 GeV	ATLAS-CONF-2016-852 ATLAS-CONF-2016-852 1437.0800
drect production	$i +_1 \cdot i_2 \rightarrow i_2 \hat{k}_1^0$ $i +_1 \cdot \hat{k}_2 \rightarrow i_1 \hat{k}_1^0$ $i_1 \cdot \hat{k}_1 \rightarrow i_2 \hat{k}_1^0$ $i_1 \cdot \hat{k}_1 \rightarrow i_2 \hat{k}_1^0$ or $i_1 \hat{k}_1^0$ $i_1 \cdot \hat{k}_1 \rightarrow i_1 \hat{k}_2^0$ $i_1 \cdot \hat{k}_1 \rightarrow i_1 \hat{k}_2^0$ $i_1 \cdot \hat{k}_1 \rightarrow i_1 + 2 \hat{k}_2^0$ $i_2 \cdot \hat{k}_1 \rightarrow \hat{k}_1 + 2 \hat{k}_2^0$	0 $2 \epsilon, \mu$ (SS) $0 \cdot 2 \epsilon, \mu$ $0 \cdot 2 \epsilon, \mu$ 0 $2 \epsilon, \mu(Z)$ $3 \epsilon, \mu(Z)$ $1 \epsilon, \mu$	2.5 1.5 1-2.5 2-2 jets/1-2.5 mono-jet 1.5 1.5 6 jets + 2.5	<i><i><i><i>uuuuuuuuuuuu</i></i></i></i>	3.2 13.2 1.7/13.3 1.7/13.3 3.2 20.3 13.3 20.3	δ₁ δ₁ ῆ17-170 GeV ἔ ἔ 90-198 GeV ἔ₁ ἔ ἔ₁ ἔ ἔ₁ ἔ ἔ₂ ἔ₂	840 GeV 303-035 GeV 2007-235 GeV 95-323 GeV 150 600 GeV 250 750 GeV 220 750 GeV		$\begin{split} & m(\tilde{r}_{1}^{2}) < 110 GeV \\ & m(\tilde{r}_{1}^{2}) < 150 GeV \\ & m(\tilde{r}_{1}^{2}) < m(\tilde{r}_{1}^{2}) < m(\tilde{r}_{1}^{2}) + 100 GeV \\ & m(\tilde{r}_{1}^{2}) < 160 V \\ & m(\tilde{r}_{1}^{2}) < 160 V \\ & m(\tilde{r}_{1}^{2}) < 150 GeV \\ & m(\tilde{r}_{1}^{2}) < 100 GeV \end{split}$	1508.08772 ATLAS CORF 2016-057 1302-1272, ATLAS CORF 2016-077 1508.08018, ATLAS CORF-2016-077 1504.07775 1604.07775 1403.5222 ATLAS CORF 2016-038 1504.00756
dred Decession	$\begin{array}{l} \chi \hat{h}_{1,R}, \tilde{t} \rightarrow \ell \hat{t}_{1}^{R} \\ \tilde{x}_{1}^{L}, \tilde{x}_{1}^{L} \rightarrow \tilde{t}_{1}(\ell) \\ \tilde{x}_{2}^{L}, \tilde{x}_{1}^{L} \rightarrow \tilde{t}_{1}(\ell) \\ \tilde{x}_{2}^{L}, \tilde{x}_{1}^{L} \rightarrow \ell (\ell) \\ \tilde{x}_{2}^{L} \rightarrow \tilde{x}_{1}^{L}, \tilde{x}_{2}^{L}, \tilde{x}_{2}^{L}, \tilde{x}_{1}^{L}, \tilde{x}_{2}^{L}, \tilde{x}_{1}^{L}, \tilde{x}_{2}^{L}, \tilde$	2 κ.μ 2 κ.μ 2 τ 3 κ.μ 2 3 κ.μ 2 3 κ.μ 4 κ.μ 1 κ.μ + γ 2 γ	0 0 0-2 jets 0-2 i 0 -	<i><i><i><i>u</i>uuuuuuuuuuu</i></i></i>	20.3 13.3 14.5 13.3 20.3 20.3 20.3 20.3 20.3 20.3	\vec{x}_{1} \vec{x}_{1} \vec{x}_{1} \vec{x}_{1} , \vec{x}_{2} \vec{x}_{1} , \vec{x}_{2} \vec{x}_{1} , \vec{x}_{2} \vec{x}_{1} , \vec{x}_{2} \vec{x}_{1} , \vec{x}_{2} \vec{x}_{3} , \vec{x}_{2} \vec{x}_{3} , \vec{x}_{2} \vec{x}_{3} , \vec{x}_{3} \vec{x}_{4} , \vec{x}_{3}	50-335 GeV 500 GeV 1.0 Te 425 GeV 270 GeV 119-370 GeV 590 GeV	$m(t_1^0)$ $m(t_1^0)$ $m(t_2^0)$	$\begin{split} m(\tilde{C}_{12}^{-1}) GeV \\ & OdeV_{11}(\tilde{C}_{12}^{-1}) GeV_{11}(\tilde{C}_{12}^{-1}) m(\tilde{C}_{12}^{-1}) \\ & OdeV_{11}(\tilde{C}_{12}^{-1}) GeV_{11}(\tilde{C}_{12}^{-1}) m(\tilde{C}_{12}^{-1}) \\ & m(\tilde{C}_{12}^{-1}) m(\tilde{C}_{12}^{-1}) m(\tilde{C}_{12}^{-1}) m(\tilde{C}_{12}^{-1}) m(\tilde{C}_{12}^{-1}) \\ & m(\tilde{C}_{12}^{-1}) m(\tilde{C}_{12}^{-1}) m(\tilde{C}_{12}^{-1}) m(\tilde{C}_{12}^{-1}) m(\tilde{C}_{12}^{-1}) \\ & m(\tilde{C}_{12}^{-1}) m(\tilde{C}_{$	443 2594 ATLAS COMP 2916-505 ATLAS COMP 2916-505 ATLAS COMP 2916-505 1600,2094, 1602,7059 1500,0110 1400,0110 1507,06405 1507,06405
particles Div D D Z & W D D	inst ξ_1^*, ξ_1^* prod., kong-lived ξ_1^* inst ξ_1^*, ξ_1^* prod., kong-lived ξ_1^* inst ξ_1^*, ξ_1^* prod., kong-lived ξ_1^* instatile ξ_1^* R-badron bisSt, statist ξ_1^* R-badron bisSt, statist ξ_1^* R-badron bisSt, statist ξ_1^* R-badron bisSt, $\xi_1^*, \xi_1^* \rightarrow \xi_1^*$ kong-lived ξ_1^* $\xi_1^*, \xi_1^* \rightarrow \xi_2^*$ (bisSt, $\xi_1^*, \xi_2^* \rightarrow \xi_2^*$)	Disapp. trk dEide trk o trk dEide trk (r. µ) 1-2 µ 2 y displ. rc/spi(p displ. vtc + jet	1 jet 1-5 jets	900 900	20.3 18.4 27.9 3.2 3.2 19.1 20.3 20.3 20.3		270 GeV 695 GeV 507 GeV 449 GeV 1.0 Te 1.7 Te	1.58 TeV 1.57 TeV W	$\begin{split} & \eta(\tilde{t}_1) + \eta(\tilde{t}_2) + 500 \ MeV_1 + 0(\tilde{t}_1) + 52 \ mm \\ & \eta(\tilde{t}_1) + \eta(\tilde{t}_2) + 500 \ MeV_1 + 0(\tilde{t}_1) + 15 \ mm \\ & \eta(\tilde{t}_1) + 100 \ MeV_1 + 0 \ mm \\ & \eta(\tilde{t}_1) + 100 \ MeV_1 + 0 \ mm \\ & 10 \ mmV_1 + 50 \ mm \\ & 10 \ mmV_1 + 50 \ mm \\ & 7 \ mmV_1 + 7 \ mmV_1 + 15 \ mmV_1 + 15 \ mmV_1 \\ & 7 \ mmV_1 + 7 \ mmV_1 + 15 \ mmV_1 + 15 \ mmV_1 \\ & 7 \ mmV_1 + 15 \ mmV_1 +$	118 1 80% 1500 00520 1318 8664 1600 0159 1600 04500 1411 8706 1431 5642 1500 05162 1500 05162
UB # # # # # # # # # # #	$\begin{split} & \nabla p_1 & \rightarrow 0, \ 1, \ 0, \ 0, \ 0, \ 0, \ 0, \ 0, \$	$e\mu,e\tau,\mu\tau$ $2e,\mu$ (SS) $grr = 4e,\mu$ $3e,\mu+\tau$ 0=4 $1e,\mu=8$ $1e,\mu=8$ $0=2e,\mu$	- 0-3 6 - 5 large- <i>R</i> je 5 large- <i>R</i> je 10 jets/0-4 2 jets + 2 6 - 2 6		3.2 20.3 13.3 20.3 14.8 14.8 14.8 14.8 15.4 20.3	5. 4.2 2 2 2 2 2 2 2 2 2 2 2 3 1 1	480 GeV 1.3 1.01 416 GeV 400-510 GeV 416 GeV 400-510 GeV	1.9 TeV 1.45 TeV 4 TeV 1.55 TeV 1.55 TeV 1.75 TeV 1.4 TeV	$\begin{split} & \lambda_{ab} \approx 0.11, \lambda_{BC}(m_{cons}=0.07) \\ & m_{B}^{2}(m_{c}(0), \sigma_{ab}, c) = 0.00 \\ & m_{B}^{2}(1) = 400(26, \lambda_{ab}, c) = 0.12) \\ & m_{B}^{2}(1) = 22, m_{B}^{2}(1), \lambda_{ab} = 0 \\ & m_{B}^{2}(1) = 22, m_{B}^{2}(1), \lambda_{ab} = 0 \\ & m_{B}^{2}(1) \approx 0.00 \\ & m_{B}^{2}(1) \approx $	1607 08176 944 5510 871-84 000 4916-175 9415 9166 871-84 000 4916-165 871-84 000 4916-165 871-84 000 4916-165 871-84 000 4916-165 871-84 000 4916-165

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LHC Run I & II, so far

	Model	e, μ, τ, γ	Jets	Enne	∫£ dr{fb	1 Mass limit	$\sqrt{x} = 7, 8$	TeV √s = 13 TeV	Reference
Induate Searches	$\label{eq:states} \begin{array}{c} & \text{WEUGRACUSSM} \\ \begin{array}{c} i, j \rightarrow \phi_1^{(2)} \\ i \neq \phi_2^{(2)} \\ j \neq \phi_3^{(2)} \\ j \neq \phi_3^{($	0-3 κ,μ ¹¹⁻² τ 0 0 0 3 κ,μ 2 κ,μ ⁽³⁸⁾ 1-2 τ + 0 ⁻¹ 2 γ 7 2 κ,μ ⁽²⁾ 0	2-10 jets 2-6 jets 1-3 jets 2-6 jets 2-6 jets 2-6 jets 0-3 jets 0-2 jets 1-4 jets 0-2 jets 1-4 jets 2-6 jets 0-2 jets 1-3 jets 2-6 jets 0-2 jets	22222 · 22222	20.3 13.3 13.3 13.2 13.2 13.2 13.2 13.2 3.2 3.2 3.2 3.2 3.2 3.2 3.2 3.2 3.2	2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2	1.05 TeV 1.05 TeV 1.05 TeV 1.07 TeV 1.7 TeV 1.05 TeV 1.05 TeV 1.07 TeV 1.27 TeV 1.8 TeV	N(()(n)()) N(()()()()()()()()()()()()()()()()()()(11.07.0655 #11.46.0042.3916.879 11.66.0042.3916.879 #1.66.0042.3916.879 #1.66.0042.3916.879 #1.66.0045.3916.877 11.66.0915.0 11.07.0640 #1.1.66.0915.0 #1.06.0915.1 11.07.0640 #1.1.66.0915.1
R med.	22. 2-44K ⁰ 22. 2-44K ⁰ 22. 2-44K ⁰	0 0-1 ε.μ 0-1 ε.μ	3 k 3 k 3 k	Yes Yes Yes	14.8 14.8 20.1	2 2 2	1.69 TeV 1.69 TeV 1.37 TeV	$m(\tilde{r}_{1}^{0}) = 0 \text{ GeV}$ $m(\tilde{r}_{1}^{0}) = 0 \text{ GeV}$ $m(\tilde{r}_{1}^{0}) = 0 \text{ GeV}$	ATLAS-CONF-2016-852 ATLAS-CONF-2016-852 1407.0800
direct production	$\begin{array}{l} \delta_{1} \delta_{1} + \delta_{2} \rightarrow i \delta_{1}^{Q} \\ \delta_{1} \delta_{1} + \delta_{2} \rightarrow i \delta_{1}^{Q} \\ \delta_{1} \delta_{1} + \delta_{2} \rightarrow i \delta_{1}^{Q} \\ \delta_{1} \delta_{1} + -i \delta_{2} \delta_{1}^{Q} \\ \delta_{1} \delta_{1} + i \delta_{2} \delta_{1}^{Q} \\ \delta_{1} \delta_{1} + i \delta_{2} \delta_{2}^{Q} \\ \delta_{1} \delta_{1} + i \delta_{2} \delta_{2} \\ \delta_{2} \delta_{1} - \delta_{1} - \delta_{2} \\ \delta_{2} \delta_{2} \delta_{1} - \delta_{1} + \delta_{2} \\ \delta_{2} \delta_{1} \delta_{2} - \delta_{2} \\ \delta_{2} \delta_{1} \delta_{2} - \delta_{1} + \delta_{2} \\ \delta_{2} \delta_{1} \delta_{2} - \delta_{1} \\ \delta_{2} \delta_{1} \delta_{2} - \delta_{1} + \delta_{2} \\ \delta_{2} \delta_{1} \delta_{2} - \delta_{1} + \delta_{2} \\ \delta_{2} \delta_{1} \delta_{2} - \delta_{1} \\ \delta_{2} \delta_{1} \delta_{2} - \delta_{1} \\ \delta_{2} \delta_{1} \delta_{2} \\ \delta_{1} \delta_{1} \delta_{2} \\ \delta_{2} \delta_{1} \delta_{1} \\ \delta_{2} \delta_{2} \\ \delta_{1} \delta_{1} \\ \delta_{1} \delta_{2} \\ \delta_{2} \delta_{1} \\ \delta_{1} \delta_{2} \\ \delta_{1} \delta_{2} \\ \delta_{2} \delta_{1} \\ \delta_{1} \delta_{2} \\ \delta_{2} \\ \delta_{2} \delta_{1} \\ \delta_{1} \delta_{2} \\ \delta_{2} \\ \delta_{2} \\ \delta_{1} \delta_{1} \\ \delta_{1} \delta_{2} \\ \delta_{2} \\ \delta_{1} \\ \delta_{1} \delta_{1} \\ \delta_{2} \\ \delta_{2} \\ \delta_{1} \\ \delta_{1} \\ \delta_{2} \\ \delta_{2} \\ \delta_{2} \\ \delta_{1} \\ \delta_{2} \\ \delta_{2} \\ \delta_{2} \\ \delta_{1} \\ \delta_{2} \\ \delta_{2} \\ \delta_{2} \\ \delta_{2} \\ \delta_{1} \\ \delta_{2} \\ \delta_$	0 $2 e, \mu$ (SS) $0 \cdot 2 e, \mu$ $0 \cdot 2 e, \mu$ 0 $2 e, \mu$ (Z) $3 e, \mu$ (Z) $1 e, \mu$	2.6 1.6 1-2.6 0-2.jets/1-2 mono-jet 1.6 1.6 6.jets + 2.6	<i><i><i><i>uuuuuuuuuuuu</i></i></i></i>	3.2 13.2 4.7/13.3 4.7/13.3 3.2 20.3 13.3 20.3	Image: Strate Server Alto GeV Strate Server Strate Server Image: Strate Server Strate Server Image: Server Strate Server		ကႏိုင္ငံ(1006eV ကႏိုင္ငံ(1506eV, ကႏိုင္ငံ(), ကႏိုင္ငံ(), 100 GeV ကႏိုင္ငံ(), 2 = Pro(), ကႏိုင္ငံ(), 150 GeV ကႏိုင္ငံ(), 150 GeV ကႏိုင္ငံ(), 150 GeV ကႏိုင္ငံ(), 150 GeV ကႏိုင္ငံ(), 200 GeV	1606.08772 ATLAS-COM-2016-1057 1209.2112, ATLAS-COM-2016-077 1506.08161, ATLAS-COM-2016-077 1604.07775 5433.5222 ATLAS-COM-2016-108 1506.0816.0
drect	$\begin{array}{l} \dot{\ell}_{1,k}\dot{\ell}_{1,k},\dot{\ell}_{2,k}\dot{\ell}_{2,k}\theta_{1}^{2}, \dot{\ell}_{1}\theta_{1}^{2$	2 κ.μ 2 κ.μ 2 τ 3 κ.μ 2 3 κ.μ /γγ 4 κ.μ 1 κ.μ + γ 2 γ	0 0 0-2 jets 0-2 is 0 - -	<i>EEEEEEEE</i>	20.3 13.3 14.5 20.3 20.3 20.3 20.3 20.3 20.3	2 80-335 GeV 31 80 GeV 32 300 GeV 32 300 GeV 32 30 GeV 42 66V 42 66V 40	$m(t_1^0)=0$ $m(t_1^0)m$ $m(t_2^0)m$	$\begin{split} m_{1,1}^{(2)} &= 0.04Y\\ GaV, m_{1,1}^{(2)} &= 0.04Y, m_{1,1}^{(2)} &= m_{1,1}^{(2)} \\ GaV, m_{1,1}^{(2)} &= 0.04Y, m_{1,1}^{(2)} &= 0.04Y, m_{1,1}^{(2)} \\ m_{1,1}^{(2)} &= 0.04Y, m_{1,1}^{(2)} &= 0.04Y, m_{1,1}^{(2)} \\ m_{1,1}^{(2)} &= m_{1,1}^{(2)} &= 0.04Y, m_{1,1}^{(2)} \\ m_{1,1}^{(2)} &= m_{1,1}^{(2)} &= 0.04Y, m_{1,1}^{(2)} \\ m_{1,1}^{(2)} &= m_{1,1}^{(2)} \\ m_{1,1}^{(2)} &= m_{1,1}^{(2)} \\ m_{1,1}^{(2)} &= 0.04Y, m_{1,1}^{(2)} \\ m_{$	9430 5294 ATLAG COMP. 2316-500 ATLAG COMP. 2316-500 H 60.0 2016, 1400 7009 1 600.0 7010 5435 5588 1 607 06400 1 607 06400
particles	Direct $\beta_1^* \beta_1^*$ prod., long-lived β_2^* Direct $\beta_1^* \beta_1^*$ prod., long-lived β_2^* Statis, exposed β_1^* R-hadron Statis β_2^* R-hadron Metastable β_1^* R-hadron GMSN, utilities $1, \beta_1^* \rightarrow 165, \beta_2^*$ erg GMSN, $1, \gamma_1^* \rightarrow 16, \text{long-lived} \beta_1^*$ $2\beta_1^* \beta_1^* \rightarrow 2\gamma_1^*$ (long-lived β_1^* $2\beta_1^* \beta_1^* \rightarrow 2\gamma_2^*$)	Disapp. trk dEidetrk o trk dEidetrk e.,ii) 1-2 ji 2 y displ. ex/opt/y displ. vtc + je	1 jet 1-5 jets 	Yes Yes Yes Yes Yes Yes Yes	20.3 18.4 27.9 3.2 3.2 19.1 20.3 20.3 20.3 20.3	1 270 GeV 2 480 GeV 2 600 GeV 2 600 GeV 2 600 GeV 2 600 GeV 2 10 0 Fe 1 0 Te 1 0 Te 1 0 Te	1.58 TeV 1.57 TeV	$\begin{split} m_{1}^{(2)}(m_{1}^{(2)}) &= 0.05 Ma(X,\pi(X_{1}^{(2)}) + 0.2\pi n, \\ m_{1}^{(2)}(m_{1}^{(2)}(X_{1}^{(2)}) + 0.0 Ma(X,\pi(X_{1}^{(2)})) + 0.5\pi n, \\ m_{1}^{(2)}(X_{1}^{(2)}) &= 0.0X_{1}^{(2)}(X_{1}^{(2)}) + 0.0X_{1}$	911 13/75 1506 05802 121 8.664 1606 05120 1606 05120 1606 04820 541 8.795 543 5542 1504 05162
MHV	$\begin{array}{l} U \!$	^{κμ,ετ} μ ^{ετ} 2 κ,μ (SS) με 4 κ,μ 3 κ,μ + τ 0 4 1 κ,μ 1 κ,μ 0 2 κ,μ	- 0-3 5 - - 5 large <i>R</i> je - 5 large <i>R</i> je - 10 jets/0-4 - 10 jets/0-4 2 jets + 2 5 - 25		3.2 20.3 13.3 20.3 14.8 14.8 14.8 14.8 14.8 15.4 20.3	2 2 2 3 3 2 3 3 3 3 4 10 GeV 40 Sto GeV 4 5 4 4 10 Sto GeV 4 5 4 5 4 6 4 10 Sto GeV 4 5 5 4 5 4 10 Sto GeV 4 10 Sto 4 10 Sto 10 Sto	1.9 TeV 1.45 TeV TeV 1.50 TeV 1.70 TeV 1.70 TeV 1.4 TeV	$\begin{split} & \mathcal{A}_{ab} = 0.11, \mathcal{A}_{abs} \cos 20.07 \\ & \min \{0, m_{ab}, \mathcal{A}_{abs}, \mathcal{A}_{abs}, \mathcal{A}_{abs}, m_{abs} \in \{0, 1, 2, 3, m_{abs}, $	1607.08179 1484.2500 ATLAS JONF 2918-875 1495.566 ATLAS JONF 2918-857 ATLAS JONF 2918-857 ATLAS JONF 2918-594 ATLAS JONF 2918-594 ATLAS JONF 2918-594 ATLAS JONF 2918-5915
ther	Scalar charm, 2-xc82	0	2 c	Yes	20.3	2 510 GeV		m(²⁷)<280 GeV	1501.01325

but LHC is a discovery machine

- ► so far no sign of new Physics at the TeV scale from direct searches
- ▶ Higgs couplings have started to be measured: SM-like values, within 20-30 %
- BSM hints might eventually be found in:

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measuring the HWW coupling



. higher-order corrections:

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 - widely separated scales: large logs arise, resummation often needed.

⇒ NLO+PS event generators include both effects and allow for flexible and fully differential simulations.

ideal world: high-energy collision and detection of elementary particles



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- collide non-elementary particles
- we detect e, μ, γ,hadrons, "missing energy"
- we want to predict final state
 - realistically
 - precisely
 - from first principles



[sherpa's artistic view]

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- we want to predict final state
 - realistically
 - precisely
 - from first principles
- \Rightarrow full event simulation needed to:
 - compare theory and data
 - estimate how backgrounds affect signal region
 - test/build analysis techniques

soner or later, at some point a MC is used...



[sherpa's artistic view]

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Event generators: what's the output?

▶ in practice: momenta of all outgoing leptons and hadrons:

IHEP	ID	IDPDG	IST	MO1	MO 2	DA1	DA2	р-х	P-Y	$\mathbf{P} - \mathbf{Z}$	ENERGY
31	NU_E	12	1	29	22	0	0	60.53	37.24-	-1185.0	1187.1
32	E+	-11	1	30	22	0	0	-22.80	2.59	-232.4	233.6
148	K+	321	1	109	9	0	0	-1.66	1.26	1.3	2.5
151	PIO	111	1	111	9	0	0	-0.01	0.05	11.4	11.4
152	PI+	211	1	111	9	0	0	-0.19	-0.13	2.0	2.0
153	PI-	-211	1	112	9	0	0	0.84	-1.07	1626.0	1626.0
154	K+	321	1	112	9	0	0	0.48	-0.63	945.7	945.7
155	PIO	111	1	113	9	0	0	-0.37	-1.16	64.8	64.8
156	PI-	-211	1	113	9	0	0	-0.20	-0.02	3.1	3.1
158	PIO	111	1	114	9	0	0	-0.17	-0.11	0.2	0.3
159	PIO	111	1	115	18	0	0	0.18	-0.74	-267.8	267.8
160	PI-	-211	1	115	18	0	0	-0.21	-0.13	-259.4	259.4
161	N	2112	1	116	23	0	0	-8.45	-27.55	-394.6	395.7
162	NBAR	-2112	1	116	23	0	0	-2.49	-11.05	-154.0	154.4
163	PIO	111	1	117	23	0	0	-0.45	-2.04	-26.6	26.6
164	PIO	111	1	117	23	0	0	0.00	-3.70	-56.0	56.1
167	K+	321	1	119	23	0	0	-0.40	-0.19	-8.1	8.1
186	PBAR	-2212	1	130	9	0	0	0.10	0.17	-0.3	1.0

- 1. quickly review how these tools work
- 2. discuss how their accuracy can be improved
- 3. show "NNLO matched to parton showers" results (NNLOPS)



parton showers and fixed order

- connect the hard scattering ($\mu \approx Q$) with the final state hadrons ($\mu \approx \Lambda_{QCD}$)
- need to simulate production of many quarks and gluons

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 - 3. soft-collinear emissions are ennhanced:

$$\frac{1}{(p_1 + p_2)^2} = \frac{1}{2E_1E_2(1 - \cos\theta)}$$

4. in soft-collinear limit, factorization properties of QCD amplitudes

$$|\mathcal{M}_{n+1}|^2 d\Phi_{n+1} \to |\mathcal{M}_n|^2 d\Phi_n \quad \frac{\alpha_{\rm S}}{2\pi} \frac{dt}{t} P_{q,qg}(z) dz \frac{d\varphi}{2\pi}$$

$$z = k^0 / (k^0 + l^0) \qquad \text{quark energy fraction}$$

$$t = \left\{ (k+l)^2, l_T^2, E^2 \theta^2 \right\} \qquad \text{splitting hardness}$$

 $P_{q,qg}(z) = C_{\rm F} \frac{1+z^2}{z}$





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in soft-collinear limit factorization properties of OCD 4

$$\begin{split} \| \mathbf{X}_{\text{solution}}^{\text{insolution}} \| \mathbf{X}_$$

5. dominant contributions for multiparticle production due to strongly ordered emissions

 $t_1 > t_2 > t_3 \dots$

6. at any given order, we also have virtual corrections: include them with the same approximation



LL virtual contributions: <u>Sudakov form factor</u> for each internal line:

$$\Delta_a(t_i, t_{i+1}) = \exp\left[-\sum_{(bc)} \int_{t_{i+1}}^{t_i} \frac{dt'}{t'} \int \frac{\alpha_s(t')}{2\pi} P_{a, bc}(z) \, dz\right]$$

- $\blacktriangleright \ \Delta_a$ corresponds to the probability of having no resolved emission between t_i and t_{i+1} off a line of flavour a
 - resummation of collinear logarithms

[very soft/collinear emissions are suppressed - all order effect!]

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 - resummation of collinear logarithms

[very soft/collinear emissions are suppressed - all order effect!]

- PS formulated probabilistically:
 - shapes change, but overall normalization fixed: it stays LO (unitarity)
 - they are only LO+LL accurate (whereas we want (N)NLO QCD corrections)

Next-to-Leading Order

 $\alpha_{\rm S} \sim 0.1 \Rightarrow$ to improve the accuracy, use exact perturbative expansion

$$d\sigma = d\sigma_{\rm LO} + \left(\frac{\alpha_{\rm S}}{2\pi}\right) d\sigma_{\rm NLO} + \left(\frac{\alpha_{\rm S}}{2\pi}\right)^2 d\sigma_{\rm NNLO} + \dots$$

LO: Leading Order NLO: Next-to-Leading Order

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$$\text{LO: Leading Order NLO: Next-to-Leading Order ...}$$

$$d\sigma = d\Phi_n \left\{ \underbrace{B(\Phi_n)}_{\text{LO}} + \frac{\alpha_s}{2\pi} \left[\underbrace{V(\Phi_n) + \mathbf{R}(\Phi_{n+1}) \, d\Phi_r}_{\text{NLO}} \right] \right\}$$
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- first order where rates are reliable
- shapes are, in general, better described
- possible to attach sensible theoretical uncertainties [done typically by changing ren. and fac. scales]



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[dd]

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LO: Leading Order NLO: Next-to-Leading Order

Why NLO is important?

- first order where rates are reliable
- shapes are, in general, better described
- possible to attach sensible theoretical uncertainties [done typically by changing ren. and fac. scales]
- When NNLO is needed?
- NLO corrections large
- very high-precision needed
 - \Rightarrow Drell-Yan, Higgs, $t\bar{t}$ production



plot from [Anastasiou et al., '03]

NLO

precision

- \checkmark nowadays this is the standard
- × limited multiplicity
- X (fail when resummation needed)

parton showers

- ✓ realistic + flexible tools
- ✓ widely used by experimental coll's
- X limited precision (LO)
- X (fail when multiple hard jets)

¹³⁷ can we merge them and build an NLOPS generator? <u>Problem:</u>

PS vs. NLO

NLO

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 many proposals, 2 well-established methods available to solve this problem: MC@NLO and POWHEG
 [Frixione-Webber '03, Nason '04]

matching NLO and PS

POWHEG (POsitive Weight Hardest Emission Generator)

$$d\sigma_{\rm LOPS} = d\Phi_n \quad B(\Phi_n) \quad \left\{ \Delta(t_{\rm max}, t_0) + \Delta(t_{\rm max}, t) \frac{\alpha_s}{2\pi} \ \frac{1}{t} P(z) \ d\Phi_r \right\}$$

$$d\sigma_{\rm POW} = d\Phi_n \quad \bar{B}(\Phi_n) \quad \left\{ \Delta(\Phi_n; k_{\rm T}^{\rm min}) + \Delta(\Phi_n; k_{\rm T}) \frac{\alpha_s}{2\pi} \frac{R(\Phi_n, \Phi_r)}{B(\Phi_n)} \ d\Phi_r \right\}$$

NLOPS: POWHEG I

$$B(\Phi_n) \Rightarrow \bar{B}(\Phi_n) = B(\Phi_n) + \frac{\alpha_s}{2\pi} \left[V(\Phi_n) + \int R(\Phi_{n+1}) \, d\Phi_r \right]$$

+
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$$\int \Phi(t_{\text{m}}, t) \Rightarrow \Delta(\Phi_{n}; k_{\text{T}}) = \exp \left\{ -\frac{\alpha_{s}}{2\pi} \int \frac{R(\Phi_{n}, \Phi_{r}')}{B(\Phi_{n})} \theta(k_{\text{T}}' - k_{\text{T}}) d\Phi_{r}' \right\}$$

NLOPS: POWHEG II

$$d\sigma_{\rm POW} = d\Phi_n \; \bar{\boldsymbol{B}}(\Phi_n) \left\{ \Delta(\Phi_n; k_{\rm T}^{\rm min}) + \Delta(\Phi_n; k_{\rm T}) \frac{\alpha_s}{2\pi} \frac{R(\Phi_n, \Phi_r)}{B(\Phi_n)} \; d\Phi_r \right\}$$

[+ pT-vetoing subsequent emissions, to avoid double-counting]

- inclusive observables: @NLO
- first hard emission: full tree level ME
- (N)LL resummation of collinear/soft logs
- extra jets in the shower approximation

This is "NLOPS"

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This is "NLOPS"

[Alioli,Nason,Oleari,ER '10]

large library of SM processes, (largely) automated

POWHEG BOX

- used by LHC collaborations and other theorists
 [together with similar tools as MG5_aMC@NLO, Herwig7 and Sherpa]
- ► lot achieved, but important developments still happening . for instance full $W^+W^-b\bar{b}$ @ NLOPS available only since few months

[Jezo et al '16]

NLOPS: POWHEG II



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NLO+PS merging and NNLO+PS

NLOPS merging & BSM

- ME+PS merging is particularly important to model "S+jets" processes, where: ►
 - . $S = \text{hard system} = \{\ell, \nu, V, t\}$
 - . jets are from QCD emissions (as opposed to jets from SUSY cascades)
- it becomes crucial to model kinematics regions characterized by variable number of jets:
 - cuts on $H_T = ... + \sum_{j \in T, j} |\vec{p}_{T, j}|$ and/or tails of p_T distributions all jets



LO+PS

NLO+PS merging

tt+jets:Sherpa+OpenLoops [Hoeche,Krauss et al. 1402.6293]16/32

NLOPS merging & BSM

- ► ME+PS merging is particularly important to model "*S*+jets" processes, where:
- ▶ it becomes crucial to model kinematics regions characterized by variable number of jets:

rest of the talk: NLO+PS merging is at the core of all approaches aiming for NNLO+PS accuracy

NLO(+PS) not always enough: NNLO needed when

- 1. large NLO/LO "K-factor" [as in Higgs Physics]
- 2. very high precision needed [e.g. Drell-Yan, top pairs]
- last couple of years: huge progress in NNLO

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Q: can we merge NNLO and PS?

[Anastasiou et al., '03]

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Q: can we merge NNLO and PS?

[Anastasiou et al., '03]

realistic event generation with state-of-the-art perturbative accuracy !
 important for precision studies for several processes

σ [pb]

- method presented here: based on POWHEG+MinLO, used so far for
 - Higgs production
 - neutral & charged Drell-Yan
 - associated WH production

[Hamilton,Nason,ER,Zanderighi, 1309.0017]

[Karlberg, ER, Zanderighi, 1407.2940]

[Astill,Bizon,ER,Zanderighi, 1603.01620]

what do we need and what do we already have?

	H (inclusive)	H+j (inclusive)	H+2j (inclusive)
H @ NLOPS	NLO	LO	shower
HJ @ NLOPS	/	NLO	LO
H @ NNLOPS	NNLO	NLO	LO

towards NNLO+PS

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H-HJ @ NLOPS	NLO	NLO	LO
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a merged H-HJ@NLOPS generator is "almost" OK

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- ☞ a merged H-HJ@NLOPS generator is "almost" OK
 - many of the multijet NLO+PS merging approaches work by combining 2 (or more) NLO+PS generators, introducing a merging scale (except Geneva)*
- POWHEG + MiNLO [Multiscale Improved NLO].

[Hamilton et al. '12]

No need of merging scale: it extends the validity of a NLO+PS computation with jets in the final state to phase-space regions where jets become unresolved

^{*[}Hoeche,Krauss, et al.,1207.5030] [Frederix,Frixione,1209.6215] [Lonnblad,Prestel,1211.7278] [Platzer,1211.5467] [Alioli,Bauer, et al.,1211.7049] ...

Higgs at NNLO:



loops: 0 1 2



loops: 0 1



loops: 0

Higgs at NNLO:



(a) 1 and 2 jets: POWHEG H+1j

Higgs at NNLO:



- (b) integrate down to $q_T = 0$ with MiNLO
 - "Improved MiNLO" allows to build a H-HJ @ NLOPS generator
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[Hamilton,Nason,Zanderighi, 1206.3572]

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- how: correct weights of different NLO terms with CKKW-inspired approach (without spoiling formal NLO accuracy)

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- how: correct weights of different NLO terms with CKKW-inspired approach (without spoiling formal NLO accuracy)
 - for each point sampled, build the "more-likely" shower history that would have produced that kinematics (can be done by clustering kinematics with k_T -algo, then, by undoing the clustering, build "skeleton")
 - "correct" original NLO à la CKKW:
 - $\rightarrow \alpha_{\rm S}$ evaluated at nodal scales
 - \rightarrow Sudakov FFs

[Hamilton, Nason, Zanderighi, 1206.3572]

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$$ar{B}_{
m NLO} = lpha_{
m S}^3(\mu_R) \Big[B + lpha_{
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İ

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$$\bar{B}_{\rm NLO} = \alpha_{\rm S}^3(\mu_R) \Big[B + \alpha_{\rm S} V(\mu_R) + \alpha_{\rm S} \int d\Phi_{\rm r} R \Big]$$
$$\bar{\beta}_{\rm MiNLO} = \alpha_{\rm S}^2(\boldsymbol{m}_h) \alpha_{\rm S}(\boldsymbol{q}_T) \Delta_g^2(\boldsymbol{q}_T, \boldsymbol{m}_h) \Big[B \left(1 - 2\Delta_g^{(1)}(\boldsymbol{q}_T, \boldsymbol{m}_h) \right) + \alpha_{\rm S} V(\bar{\mu}_R) + \alpha_{\rm S} \int d\Phi_{\rm r} R \Big]$$

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Sudakov FF included on *H*+*j* Born kinematics

- Minlo-improved HJ yields finite results also when 1st jet is unresolved $(q_T \rightarrow 0)$
- ▶ \bar{B}_{MiNLO} ideal to extend validity of HJ-POWHEG [called "HJ-MiNLO" hereafter]

"Improved" MiNLO & NLOPS merging

untill this point: no claim about accuracy!

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- ► formal accuracy of HJ-MiNLO for inclusive observables carefully investigated

[Hamilton et al., 1212.4504]

- HJ-MiNLO describes inclusive observables at order $\alpha_{\rm S}$
- to reach genuine NLO when fully inclusive (NLO⁽⁰⁾), "spurious" terms must be of <u>relative</u> order \alpha_S^2, i.e.

 $O_{\rm HJ-MiNLO} = O_{\rm H@NLO} + O(\alpha_{\rm S}^{2+2})$ if O is inclusive

• "Original MiNLO" contains ambiguous " $\mathcal{O}(\alpha_{\rm S}^{2+1.5})$ " terms

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- "Original MiNLO" contains ambiguous " $\mathcal{O}(\alpha_{\rm S}^{2+1.5})$ " terms
- ▶ Possible to improve HJ-MiNLO such that inclusive NLO is recovered (NLO⁽⁰⁾), without spoiling NLO accuracy of *H*+*j* (NLO⁽¹⁾).
- accurate control of subleading small-p_T logarithms is needed (scaling in low-p_T region is α_SL² ~ 1, *i.e.* L ~ 1/√α_S !)

Effectively as if we merged NLO⁽⁰⁾ and NLO⁽¹⁾ samples, without merging different samples (no merging scale used: there is just one sample).
"Improved" MiNLO & NLOPS merging: details

Resummation formula can be written as

$$\frac{d\sigma}{dq_T^2 dy} = \sigma_0 \frac{d}{dq_T^2} \left\{ [C_{ga} \otimes f_a](x_A, q_T) \times [C_{gb} \otimes f_b](x_B, q_T) \times \exp S(q_T, Q) \right\} + R_f$$
$$S(q_T, Q) = -2 \int_{q_T^2}^{Q^2} \frac{dq^2}{q^2} \frac{\alpha_{\rm S}(q^2)}{2\pi} \left[A_f \log \frac{Q^2}{q^2} + B_f \right]$$

- ▶ If $C_{ij}^{(1)}$ included and R_f is LO⁽¹⁾, then upon integration we get NLO⁽⁰⁾
- MiNLO formula is not written as a total derivative: "expand" the above expression, then compare with MiNLO:

$$\sim \sigma_0 \frac{1}{q_T^2} [\alpha_{\rm S}, \alpha_{\rm S}^2, \alpha_{\rm S}^3, \alpha_{\rm S}^4, \alpha_{\rm S} L, \alpha_{\rm S}^2 L, \alpha_{\rm S}^3 L, \alpha_{\rm S}^4 L] \exp S(q_T, Q) + R_f \qquad L = \log(Q^2/q_T^2)$$

highlighted terms are needed to reach NLO⁽⁰⁾:

$$\int^{Q^2} \frac{dq_T^2}{q_T^2} L^m \alpha_{\mathrm{S}}{}^n(q_T) \exp S \sim \left(\alpha_{\mathrm{S}}(Q^2)\right)^{n-(m+1)/2}$$

(scaling in low- p_T region is $\alpha_{\rm S}L^2\sim$ 1!)

- Find the include B_2 in MiNLO Δ_g , I miss a term $(1/q_T^2)$ $\alpha_{\rm S}^2$ $B_2 \exp S$
- ▶ upon integration, violate NLO⁽⁰⁾ by a term of <u>relative</u> O(a_S^{3/2})

MiNLO merging: results

[Hamilton et al., 1212.4504]



- "H+Pythia": standalone POWHEG ($gg \rightarrow H$) + PYTHIA (PS level) [7pts band, $\mu = m_H$]
- ▶ "HJ+Pythia": HJ-MINLO* + PYTHIA (PS level) [7pts band, µ from MINLO]
- very good agreement (both value and band)

[1]

 $^{\mbox{\tiny IMP}}$ Notice: band is $\sim 20-30\%$

Higgs at NNLO+PS: details

► HJ-MiNLO+POWHEG generator gives H-HJ @ NLOPS

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▶ reweighting (differential on Φ_B) of "MiNLO-generated" events:

$$W(\Phi_B) = \frac{\left(\frac{d\sigma}{d\Phi_B}\right)_{\text{NNLO}}}{\left(\frac{d\sigma}{d\Phi_B}\right)_{\text{HJ-MiNLO}^*}}$$

- ▶ by construction NNLO accuracy on fully inclusive observables ($\sigma_{tot}, y_H; m_{\ell\ell}, ...$) [√]
- to reach NNLOPS accuracy, need to be sure that the reweighting doesn't spoil the NLO accuracy of HJ-MiNLO in 1-jet region

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🗸 H-HJ @ NLOPS	NLO	NLO	LO
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 [√]
- notice: formally works because no spurious $\mathcal{O}(\alpha_s^{2+1.5})$ terms in H-HJ @ NLOPS

Higgs at NNLO+PS: details II

• Variants for reweighting $(W(y_H), W(\Phi_B))$ are also possible:

$$\begin{split} W(y,p_T) &= h(p_T) \frac{\int d\sigma_A^{\rm NINLO} \delta(y - y(\mathbf{\Phi}))}{\int d\sigma_A^{\rm MINLO} \delta(y - y(\mathbf{\Phi}))} + (1 - h(p_T)) \\ A &= d\sigma \ h(p_T), \qquad d\sigma_B = d\sigma \ (1 - h(p_T)), \qquad h = \frac{(\beta m_H)^2}{(\beta m_H)^2 + p_T^2} \end{split}$$

- freedom to distribute "NNLO/NLO K-factor" only over medium-small p_T region
- $h(p_T)$ controls where the NNLO/NLO K-factor is distributed (in the high- p_T region, there is no improvement in including it)
- β cannot be too small, otherwise resummation spoiled: for Higgs, chosen $\beta = 1/2$; for DY, $\beta = 1$
- in practice, we used

 $d\sigma$

$$W(y, p_T) = h(p_T) \frac{\int d\sigma^{\text{NNLO}} \delta(y - y(\mathbf{\Phi})) - \int d\sigma_B^{\text{MiNLO}} \delta(y - y(\mathbf{\Phi}))}{\int d\sigma_A^{\text{MiNLO}} \delta(y - y(\mathbf{\Phi}))} + (1 - h(p_T))$$

- one gets exactly $(d\sigma/dy)_{
 m NNLOPS} = (d\sigma/dy)_{
 m NNLO}$ (no $lpha_{
 m S}^5$ terms)
- chosen $h(p_T^{j_1})$

H@NNLOPS (fully incl.)

To reweight, use y_H

▶ NNLO with $\mu = m_H/2$, HJ-MiNLO "core scale" m_H

[NNLO from HNNLO, Catani, Grazzini]

 $\blacktriangleright~(7_{Mi}\times 3_{NN})$ pts scale var. in <code>NNLOPS</code>, 7pts in NNLO



 $^{
m I\!S}$ Notice: band is 10% (at NLO would be \sim 20-30%)

[Until and including $\mathcal{O}(\alpha_S^4)$, PS effects don't affect y_H (first 2 emissions controlled properly at $\mathcal{O}(\alpha_S^4)$ by MiNLO+POWHEG)]

[1]

W@NNLOPS, PS level

To reweight, use $(y_{\ell\ell}, m_{\ell\ell}, \cos \theta_\ell)$



- not the observables we are using to do the NNLO reweighting
 - observe exactly what we expect:

 $p_{T,\ell}$ has NNLO uncertainty if $p_T < M_W/2$, NLO if $p_T > M_W/2$

- smooth behaviour when close to Jacobian peak (also with small bins) (due to resummation of logs at small $p_{T,V}$)

▶ just above peak, DYNNLO uses $\mu = M_W$, WJ-MiNLO uses $\mu = p_{T,W}$

- here $0 \lesssim p_{T,W} \lesssim M_W$ (so resummation region does contribute)

H@NNLOPS (p_T^H)



▶ HqT: NNLL+NNLO, $\mu_R = \mu_F = m_H/2$ [7pts], $Q_{\rm res} \equiv m_H/2$ [HqT, Bozzi et al.]

 \checkmark uncertainty bands of HqT contain NNLOPS at low-/moderate p_T

- ▶ very good agreement with HqT resummation at low p_T ["~ expected", since $Q_{\rm res} \equiv m_H/2$, and $\beta = 1/2$]
- HqT tail harder than NNLOPS tail
 - understood: $\mu_{\rm HqT} < "\mu_{\rm MiNLO}"$

H@NNLOPS $(p_T^{j_1})$

Separation of $H \to WW$ from $t\bar{t}$ bkg: x-sec binned in $N_{\rm jet}$

0-jet bin \Leftrightarrow jet-veto accurate predictions needed !



▶ JetVHeto: NNLL resum, $\mu_R = \mu_F = m_H/2$ [7pts], $Q_{\text{res}} \equiv m_H/2$, (a)-scheme only [JetVHeto, Banfi et al.]

nice agreement, differences never more than 5-6 %

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WH@NNLOPS

To reweight, use $(y_{HW}, \Delta y_{HW}, p_{t,H})$ + Collins-Soper angles



- left plot: angular dependence in slice of y_{HW}
- right plot: hardest-jet spectrum

- Monte Carlo tools play a major role for LHC searches
- especially if no "smoking gun" new-Physics around the corner, precision will be the key to maximise impact of LHC results
- huge amount of improvements over the last few years
- NLO+PS tools are now well established and very mature
 - by now they are basically automated also for BSM processes
- major developments in last 3-4 years: NLOPS multijet merging
 - it might play a very important role in absence of smoking-gun BSM signal
- NNLO+PS is doable, at least for color-singlet production.

What next?

"proof of principle" results for NLOPS merging for higher multiplicity, using MiNLO . H+jj @ NLO, H+j @ NLO and H @ NNLO [Frederix,Hamilton 15]



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Thank you for your attention!