# Event generators for the LHC: status and perspectives 

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LAL Orsay, 22 November 2016

## LHC Run I \& II, so far

Standard Model Production Cross Section Measurements


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ATLAS SUSY Searches* - 95\% CL Lower Limits
ATLAS Preliminary


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## but LHC is a discovery machine

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detection of small deviations from SM backgrounds




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important also in presence of new discovery


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- BSM hints might eventually be found in:

require accurate understanding of signals and backgrounds:
衡 "precision Physics"


## accurate measurement of Higgs couplings

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## precise predictions and MC: an example

## measuring the $H W W$ coupling


. higher-order corrections:

- relevant when they are large or if experimental precision is extremely high.
- relevant also to have reliable theoretical uncertainties.


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$\Rightarrow$ NLO + PS event generators include both effects and allow for flexible and fully differential simulations.

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[sherpa's artistic view]


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- collide non-elementary particles
- we detect $e, \mu, \gamma$, hadrons, "missing energy"
- we want to predict final state
- realistically
- precisely
- from first principles
$\Rightarrow$ full event simulation needed to:
- compare theory and data
- estimate how backgrounds affect signal region
- test/build analysis techniques
soner or later, at some point a MC is used...

[sherpa's artistic view]


## Event generators: what they are?

ideal world: high-energy collision and detection of elementary particles real world:

| hard scattering |
| :---: |
| $\Lambda_{\mathrm{QCD}} \ll \mu \approx Q$ |
| perturbation theory |
| parton shower |
| $\Lambda_{\mathrm{QCD}}<\mu<Q$ |

hierarchy of scales
resummation of large logarithms

```
hadronisation
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non-perturbative model,
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- in practice: momenta of all outgoing leptons and hadrons:

| IHEP | ID | IDPDG IST MO1 | MO2 DA1 | DA2 | $\mathrm{P}-\mathrm{X}$ | $\mathrm{P}-\mathrm{Y}$ | $\mathrm{P}-\mathrm{Z}$ | ENERGY |  |  |  |
| ---: | :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
|  |  |  |  |  |  |  |  |  |  |  |  |
| 31 | NU_E | 12 | 1 | 29 | 22 | 0 | 0 | 60.53 | $37.24-1185.0$ | 1187.1 |  |
| 32 | E+ | -11 | 1 | 30 | 22 | 0 | 0 | -22.80 | 2.59 | -232.4 | 233.6 |
| 148 | K+ | 321 | 1 | 109 | 9 | 0 | 0 | -1.66 | 1.26 | 1.3 | 2.5 |
| 151 | PIO | 111 | 1 | 111 | 9 | 0 | 0 | -0.01 | 0.05 | 11.4 | 11.4 |
| 152 | PI | 211 | 1 | 111 | 9 | 0 | 0 | -0.19 | -0.13 | 2.0 | 2.0 |
| 153 | PI- | -211 | 1 | 112 | 9 | 0 | 0 | 0.84 | -1.07 | 1626.0 | 1626.0 |
| 154 | K+ | 321 | 1 | 112 | 9 | 0 | 0 | 0.48 | -0.63 | 945.7 | 945.7 |
| 155 | PIO | 111 | 1 | 113 | 9 | 0 | 0 | -0.37 | -1.16 | 64.8 | 64.8 |
| 156 | PI- | -211 | 1 | 113 | 9 | 0 | 0 | -0.20 | -0.02 | 3.1 | 3.1 |
| 158 | PIO | 111 | 1 | 114 | 9 | 0 | 0 | -0.17 | -0.11 | 0.2 | 0.3 |
| 159 | PIO | 111 | 1 | 115 | 18 | 0 | 0 | 0.18 | -0.74 | -267.8 | 267.8 |
| 160 | PI- | -211 | 1 | 115 | 18 | 0 | 0 | -0.21 | -0.13 | -259.4 | 259.4 |
| 161 | N | 2112 | 1 | 116 | 23 | 0 | 0 | -8.45 | -27.55 | -394.6 | 395.7 |
| 162 | NBAR | -2112 | 1 | 116 | 23 | 0 | 0 | -2.49 | -11.05 | -154.0 | 154.4 |
| 163 | PIO | 111 | 1 | 117 | 23 | 0 | 0 | -0.45 | -2.04 | -26.6 | 26.6 |
| 164 | PIO | 111 | 1 | 117 | 23 | 0 | 0 | 0.00 | -3.70 | -56.0 | 56.1 |
| 167 | K+ | 321 | 1 | 119 | 23 | 0 | 0 | -0.40 | -0.19 | -8.1 | 8.1 |
| 186 | PBAR | -2212 | 1 | 130 | 9 | 0 | 0 | 0.10 | 0.17 | -0.3 | 1.0 |

1. quickly review how these tools work
2. discuss how their accuracy can be improved
3. show "NNLO matched to parton showers" results (NNLOPS)

parton showers and fixed order

## Parton showers I

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3. soft-collinear emissions are ennhanced:

$$
\frac{1}{\left(p_{1}+p_{2}\right)^{2}}=\frac{1}{2 E_{1} E_{2}(1-\cos \theta)}
$$

4. in soft-collinear limit, factorization properties of QCD amplitudes


$$
\begin{aligned}
\left|\mathcal{M}_{n+1}\right|^{2} d \Phi_{n+1} \rightarrow\left|\mathcal{M}_{n}\right|^{2} d \Phi_{n} & \frac{\alpha_{\mathrm{S}}}{2 \pi} \frac{d t}{t} P_{q, q g}(z) d z \frac{d \varphi}{2 \pi} \\
z=k^{0} /\left(k^{0}+l^{0}\right) & \text { quark energy fraction } \\
t=\left\{(k+l)^{2}, l_{T}^{2}, E^{2} \theta^{2}\right\} & \text { splitting hardness } \\
P_{q, q g}(z)=C_{\mathrm{F}} \frac{1+z^{2}}{1-z} & \text { AP splitting function }
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probabilistic interpretation! [notice: $\alpha_{S} L^{2}$ ]

## Parton showers II

5. dominant contributions for multiparticle production due to strongly ordered emissions

$$
t_{1}>t_{2}>t_{3} \ldots
$$

6. at any given order, we also have virtual corrections: include them with the same approximation


- LL virtual contributions: Sudakov form factor for each internal line:

$$
\Delta_{a}\left(t_{i}, t_{i+1}\right)=\exp \left[-\sum_{(b c)} \int_{t_{i+1}}^{t_{i}} \frac{d t^{\prime}}{t^{\prime}} \int \frac{\alpha_{s}\left(t^{\prime}\right)}{2 \pi} P_{a, b c}(z) d z\right]
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- $\Delta_{a}$ corresponds to the probability of having no resolved emission between $t_{i}$ and $t_{i+1}$ off a line of flavour $a$
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[very soft/collinear emissions are suppressed - all order effect!]


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[very soft/collinear emissions are suppressed - all order effect!]
- PS formulated probabilistically:
- shapes change, but overall normalization fixed: it stays LO (unitarity)
- they are only LO+LL accurate (whereas we want (N)NLO QCD corrections)


## Next-to-Leading Order

$\alpha_{\mathrm{S}} \sim 0.1 \Rightarrow$ to improve the accuracy, use exact perturbative expansion

$$
d \sigma=d \sigma_{\mathrm{LO}}+\left(\frac{\alpha_{\mathrm{S}}}{2 \pi}\right) d \sigma_{\mathrm{NLO}}+\left(\frac{\alpha_{\mathrm{S}}}{2 \pi}\right)^{2} d \sigma_{\mathrm{NNLO}}+\ldots
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$$
d \sigma=d \Phi_{n}\{\underbrace{B\left(\Phi_{n}\right)}_{\text {LO }}
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$\frac{\alpha_{s}}{2 \pi}[\underbrace{V\left(\Phi_{n}\right)+R\left(\Phi_{n+1}\right) d \Phi_{r}}_{\text {NLO }}]$

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Why NLO is important?

- first order where rates are reliable
- shapes are, in general, better described
- possible to attach sensible theoretical uncertainties [ done typically by changing ren. and fac. scales ]


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## When NNLO is needed?

- NLO corrections large
- very high-precision needed

$\Rightarrow$ Drell-Yan, Higgs, $t \bar{t}$ production


## NLO

$\checkmark$ precision
$\checkmark$ nowadays this is the standard
$X$ limited multiplicity
$X$ (fail when resummation needed)

## parton showers

$\checkmark$ realistic + flexible tools
$\checkmark$ widely used by experimental coll's
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$\checkmark$ many proposals, 2 well-established methods available to solve this problem:

## matching NLO and PS

- POWHEG (POsitive Weight Hardest Emission Generator)


## NLOPS: POWHEG I

$$
d \sigma_{\mathrm{LOPS}}=d \Phi_{n} \quad B\left(\Phi_{n}\right) \quad\left\{\Delta\left(t_{\max }, t_{0}\right)+\Delta\left(t_{\max }, t\right) \frac{\alpha_{s}}{2 \pi} \frac{1}{t} P(z) d \Phi_{r}\right\}
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[ $+p_{\mathrm{T}}$-vetoing subsequent emissions, to avoid double-counting]

- inclusive observables: @NLO
- first hard emission: full tree level ME

This is "NLOPS"

- (N)LL resummation of collinear/soft logs
- extra jets in the shower approximation

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## POWHEG BOX

[Alioli,Nason,Oleari,ER '10]

- large library of SM processes, (largely) automated
- used by LHC collaborations and other theorists [ together with similar tools as MG5_aMC@NLO, Herwig7 and Sherpa ]
- lot achieved, but important developments still happening . for instance full $W^{+} W^{-} b b @$ NLOPS available only since few months


## NLOPS: POWHEG II



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NLO + PS merging and NNLO + PS

## NLOPS merging \& BSM

- ME+PS merging is particularly important to model " $S+$ jets" processes, where:
. $S=$ hard system $=\{\ell, \nu, V, t\}$
. jets are from QCD emissions (as opposed to jets from SUSY cascades)
- it becomes crucial to model kinematics regions characterized by variable number of jets:
- cuts on $H_{T}=\ldots+\sum_{\text {all jets }}\left|\vec{p}_{T, j}\right|$ and/or tails of $p_{T}$ distributions



## NLOPS merging \& BSM

- ME+PS merging is particularly important to model " $S+$ jets" processes, where:
- it becomes crucial to model kinematics regions characterized by variable number of jets:
- rest of the talk: NLO+PS merging is at the core of all approaches aiming for NNLO+PS accuracy


## NNLO+PS: why and where?

NLO(+PS) not always enough: NNLO needed when

1. large NLO/LO "K-factor"
[as in Higgs Physics]
2. very high precision needed
[e.g. Drell-Yan, top pairs]

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Q: can we merge NNLO and PS?
[Anastasiou et al., '03]
낭ㅇ realistic event generation with state-of-the-art perturbative accuracy !
[ 4 important for precision studies for several processes

- method presented here: based on POWHEG+MinLO, used so far for
- Higgs production
- neutral \& charged Drell-Yan
- associated WH production
[Hamilton,Nason,ER,Zanderighi, 1309.0017]
[Karlberg,ER,Zanderighi, 1407.2940]
[Astill,Bizon,ER,Zanderighi, 1603.01620]


## towards NNLO+PS

- what do we need and what do we already have?

|  | $H$ (inclusive) | $\mathrm{H}+\mathrm{j}$ (inclusive) | $\mathrm{H}+2 \mathrm{j}$ (inclusive) |
| :---: | :---: | :---: | :---: |
| H @ NLOPS | NLO | LO | shower |
| HJ @ NLOPS | $/$ | NLO | LO |
| H @ NNLOPS | NNLO | NLO | LO |

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| H-HJ @ NLOPS | NLO | NLO | LO |
| $H$ @ NNLOPS | NNLO | NLO | LO |

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- many of the multijet NLO+PS merging approaches work by combining 2 (or more) NLO+PS generators, introducing a merging scale (except Geneva)*
- POWHEG + MiNLO [Multiscale Improved NLO].
[Hamilton et al. '12]
No need of merging scale: it extends the validity of a NLO+PS computation with jets in the final state to phase-space regions where jets become unresolved

[^0]Higgs at NNLO:

\# loops: $\begin{array}{lll}0 & 1 & 2\end{array}$

\# loops: 01

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Higgs at NNLO:

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- how: correct weights of different NLO terms with CKKW-inspired approach (without spoiling formal NLO accuracy)
- for each point sampled, build the "more-likely" shower history that would have produced that kinematics (can be done by clustering kinematics with $k_{T}$-algo, then, by undoing the clustering, build "skeleton")
- "correct" original NLO à la CKKW:
$\rightarrow \alpha_{\mathrm{S}}$ evaluated at nodal scales
$\rightarrow$ Sudakov FFs


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## 鹵 Sudakov FF included on $H+j$ Born kinematics

- MiNLO-improved HJ yields finite results also when 1 st jet is unresolved $\left(q_{T} \rightarrow 0\right)$
- $\bar{B}_{\text {MiNLO }}$ ideal to extend validity of HJ-POWHEG [called "HJ-MiNLo" hereafter]


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- HJ-MinLO describes inclusive observables at order $\alpha_{\mathrm{S}}$
- to reach genuine NLO when fully inclusive $\left(\mathrm{NLO}^{(0)}\right)$, "spurious" terms must be of relative order $\alpha_{\mathrm{S}}^{2}$, i.e.

$$
O_{\mathrm{HJ}-\mathrm{MiNLO}}=O_{\mathrm{H} @ \mathrm{NLO}}+\mathcal{O}\left(\alpha_{\mathrm{S}}^{2+2}\right) \quad \text { if } O \text { is inclusive }
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- "Original MinLO" contains ambiguous " $\mathcal{O}\left(\alpha_{\mathrm{S}}^{2+1.5}\right)$ " terms
- Possible to improve HJ-MiNLO such that inclusive NLO is recovered $\left(\mathrm{NLO}^{(0)}\right)$, without spoiling NLO accuracy of $H+j\left(\mathrm{NLO}^{(1)}\right)$.
- accurate control of subleading small- $p_{T}$ logarithms is needed (scaling in low- $p_{T}$ region is $\alpha_{\mathrm{S}} L^{2} \sim 1$, i.e. $L \sim 1 / \sqrt{\alpha_{\mathrm{S}}}$ !)

Effectively as if we merged $\mathrm{NLO}^{(0)}$ and $\mathrm{NLO}^{(1)}$ samples, without merging different samples (no merging scale used: there is just one sample).

## "Improved" MiNLO \& NLOPS merging: details

- Resummation formula can be written as

$$
\begin{gathered}
\frac{d \sigma}{d q_{T}^{2} d y}=\sigma_{0} \frac{d}{d q_{T}^{2}}\left\{\left[C_{g a} \otimes f_{a}\right]\left(x_{A}, q_{T}\right) \times\left[C_{g b} \otimes f_{b}\right]\left(x_{B}, q_{T}\right) \times \exp S\left(q_{T}, Q\right)\right\}+R_{f} \\
S\left(q_{T}, Q\right)=-2 \int_{q_{T}^{2}}^{Q^{2}} \frac{d q^{2}}{q^{2}} \frac{\alpha_{\mathrm{S}}\left(q^{2}\right)}{2 \pi}\left[A_{f} \log \frac{Q^{2}}{q^{2}}+B_{f}\right]
\end{gathered}
$$

- If $C_{i j}^{(1)}$ included and $R_{f}$ is $\mathrm{LO}^{(1)}$, then upon integration we get $\mathrm{NLO}^{(0)}$
- Minlo formula is not written as a total derivative: "expand" the above expression, then compare with MinLO :

$$
\sim \sigma_{0} \frac{1}{q_{T}^{2}}\left[\alpha_{\mathrm{S}}, \alpha_{\mathrm{S}}^{2}, \alpha_{\mathrm{S}}^{3}, \alpha_{\mathrm{S}}^{4}, \alpha_{\mathrm{S}} L, \alpha_{\mathrm{S}}^{2} L, \alpha_{\mathrm{S}}^{3} L, \alpha_{\mathrm{S}}^{4} L\right] \exp S\left(q_{T}, Q\right)+R_{f} \quad L=\log \left(Q^{2} / q_{T}^{2}\right)
$$

- highlighted terms are needed to reach $\mathrm{NLO}^{(0)}$ :

$$
\int^{Q^{2}} \frac{d q_{T}^{2}}{q_{T}^{2}} L^{m} \alpha_{\mathrm{S}}{ }^{n}\left(q_{T}\right) \exp S \sim\left(\alpha_{\mathrm{S}}\left(Q^{2}\right)\right)^{n-(m+1) / 2}
$$

(scaling in low $-p_{T}$ region is $\alpha_{S} L^{2} \sim 1$ !)

- if I don't include $B_{2}$ in MinLO $\Delta_{g}$, I miss a term $\left(1 / q_{T}^{2}\right) \boxed{\alpha_{\mathrm{S}}^{2}} B_{2} \exp S$
- upon integration, violate $\mathrm{NLO}^{(0)}$ by a term of relative $\mathcal{O}\left(\alpha_{\mathrm{S}}^{3 / 2}\right)$


## MiNLO merging: results



- "H+Pythia": standalone POWHEG $(g g \rightarrow H)+$ PYTHIA (PS level) [7pts band, $\mu=m_{H}$ ]
- "HJ+Pythia": HJ-MinLO* + PYTHIA (PS level) [7pts band, $\mu$ from MinLo]
- very good agreement (both value and band)

낭 Notice: band is $\sim 20-30 \%$

## Higgs at NNLO+PS: details

- HJ-MiNLO+POWHEG generator gives H-HJ @ NLOPS

|  | H (inclusive) | $\mathrm{H}+\mathrm{j}$ (inclusive) | $\mathrm{H}+2 \mathrm{j}$ (inclusive) |
| :---: | :---: | :---: | :---: |
| $\sqrt{\mathrm{H}-\mathrm{HJ} @ ~ N L O P S}$ | NLO | NLO | LO |
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- reweighting (differential on $\Phi_{B}$ ) of "MiNLO-generated" events:

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W\left(\Phi_{B}\right)=\frac{\left(\frac{d \sigma}{d \Phi_{B}}\right)_{\mathrm{NNLO}}}{\left(\frac{d \sigma}{d \Phi_{B}}\right)_{\mathrm{HJ}-\mathrm{MiNLO}^{*}}}
$$

- by construction NNLO accuracy on fully inclusive observables ( $\sigma_{\text {tot }}, y_{H} ; m_{\ell \ell}, \ldots$ ) [ $\sqrt{ }$ ]
- to reach NNLOPS accuracy, need to be sure that the reweighting doesn't spoil the NLO accuracy of HJ-MiNLO in 1-jet region


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- to reach NNLOPS accuracy, need to be sure that the reweighting doesn't spoil the NLO accuracy of HJ-MiNLO in 1-jet region
- notice: formally works because no spurious $\mathcal{O}\left(\alpha_{\mathrm{S}}^{2+1.5}\right)$ terms in H-HJ @ NLOPS


## Higgs at NNLO+PS: details II

- Variants for reweighting $\left(W\left(y_{H}\right), W\left(\Phi_{B}\right)\right)$ are also possible:

$$
\begin{gathered}
W\left(y, p_{T}\right)=h\left(p_{T}\right) \frac{\int d \sigma_{A}^{\mathrm{NNLO}} \delta(y-y(\mathbf{\Phi}))}{\int d \sigma_{A}^{\mathrm{MiNLO}} \delta(y-y(\boldsymbol{\Phi}))}+\left(1-h\left(p_{T}\right)\right) \\
d \sigma_{A}=d \sigma h\left(p_{T}\right), \quad d \sigma_{B}=d \sigma\left(1-h\left(p_{T}\right)\right), \quad h=\frac{\left(\beta m_{H}\right)^{2}}{\left(\beta m_{H}\right)^{2}+p_{T}^{2}}
\end{gathered}
$$

- freedom to distribute "NNLO/NLO K-factor" only over medium-small $p_{T}$ region
- $h\left(p_{T}\right)$ controls where the NNLO/NLO K-factor is distributed (in the high- $p_{T}$ region, there is no improvement in including it)
- $\beta$ cannot be too small, otherwise resummation spoiled: for Higgs, chosen $\beta=1 / 2$; for DY, $\beta=1$
- in practice, we used

$$
W\left(y, p_{T}\right)=h\left(p_{T}\right) \frac{\int d \sigma^{\operatorname{NNLO}} \delta(y-y(\boldsymbol{\Phi}))-\int d \sigma_{B}^{\mathrm{MiNLO}} \delta(y-y(\boldsymbol{\Phi}))}{\int d \sigma_{A}^{\mathrm{MiNLO}} \delta(y-y(\boldsymbol{\Phi}))}+\left(1-h\left(p_{T}\right)\right)
$$

- one gets exactly $(d \sigma / d y)_{\mathrm{NNLOPS}}=(d \sigma / d y)_{\mathrm{NNLO}}$ (no $\alpha_{\mathrm{S}}^{5}$ terms)
- chosen $h\left(p_{T}^{j_{1}}\right)$


## H@NNLOPS (fully incl.)

To reweight, use $y_{H}$

- NNLO with $\mu=m_{H} / 2$, HJ-MiNLO "core scale" $m_{H}$
[NNLO from HNNLO, Catani,Grazzini]
- $\left(7_{\mathrm{Mi}} \times 3_{\mathrm{NN}}\right)$ pts scale var. in NNLOPS, 7 pts in NNLO



Notice: band is $10 \%$ (at NLO would be $\sim 20-30 \%$ )
[Until and including $\mathcal{O}\left(\alpha_{\mathrm{S}}^{4}\right)$, PS effects don't affect $y_{H}$ (first 2 emissions controlled properly at $\mathcal{O}\left(\alpha_{\mathrm{S}}^{4}\right)$ by MiNLO+POWHEG)]

## W@NNLOPS, PS level

To reweight, use ( $y_{\ell \ell}, m_{\ell \ell}, \cos \theta_{\ell}$ )



- not the observables we are using to do the NNLO reweighting
- observe exactly what we expect:
$p_{T, \ell}$ has NNLO uncertainty if $p_{T}<M_{W} / 2$, NLO if $p_{T}>M_{W} / 2$
- smooth behaviour when close to Jacobian peak (also with small bins) (due to resummation of logs at small $p_{T, V}$ )
- just above peak, DYnNLO uses $\mu=M_{W}$, WJ-MinLO uses $\mu=p_{T, W}$
- here $0 \lesssim p_{T, W} \lesssim M_{W}$ (so resummation region does contribute)


## H@NNLOPS ( $p_{T}^{H}$ )




- HqT: NNLL+NNLO, $\mu_{R}=\mu_{F}=m_{H} / 2[7 \mathrm{pts}], \quad Q_{\mathrm{res}} \equiv m_{H} / 2$
[HqT, Bozzi et al.]
$\checkmark$ uncertainty bands of HqT contain nNLOPS at low-/moderate $p_{T}$
- very good agreement with HqT resummation at low $p_{T}$
["~ expected", since $Q_{\text {res }} \equiv m_{H} / 2$, and $\beta=1 / 2$ ]
- HqT tail harder than nnLops tail
- understood: $\mu_{\mathrm{HqT}}<" \mu_{\text {MiNLO }} "$


## H@NNLOPS ( $\left.p_{T}^{j_{1}}\right)$

(4838) Separation of $H \rightarrow W W$ from $t \bar{t}$ bkg: x-sec binned in $N_{\text {jet }}$

0 -jet bin $\Leftrightarrow$ jet-veto accurate predictions needed !


- JetVHeto: NNLL resum, $\mu_{R}=\mu_{F}=m_{H} / 2$ [7pts], $\quad Q_{\text {res }} \equiv m_{H} / 2$, (a)-scheme only
- nice agreement, differences never more than 5-6 \%


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[JetVHeto, Banfi et al.]
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## WH@NNLOPS

To reweight, use ( $y_{\mathrm{HW}}, \Delta y_{\mathrm{HW}}, p_{t, \mathrm{H}}$ ) + Collins-Soper angles

$$
\begin{aligned}
\frac{d \sigma}{d \Phi_{B}} & =\frac{d \sigma}{d y_{\mathrm{HW}} d \Delta y_{\mathrm{HW}} d p_{t, \mathrm{H}} d \cos \theta^{*} d \phi^{*}} \\
& =\frac{3}{16 \pi}\left(\frac{d \sigma}{d \Phi_{\mathrm{HW}^{*}}}\left(1+\cos ^{2} \theta^{*}\right)+\sum_{i=0}^{7} A_{i}\left(\Phi_{\mathrm{HW}^{*}}\right) f_{i}\left(\theta^{*}, \phi^{*}\right)\right)
\end{aligned}
$$




- left plot: angular dependence in slice of $y_{\mathrm{HW}}$
- right plot: hardest-jet spectrum


## conclusions

- Monte Carlo tools play a major role for LHC searches
- especially if no "smoking gun" new-Physics around the corner, precision will be the key to maximise impact of LHC results
- huge amount of improvements over the last few years
- NLO+PS tools are now well established and very mature
- by now they are basically automated also for BSM processes
- major developments in last 3-4 years: NLOPS multijet merging
- it might play a very important role in absence of smoking-gun BSM signal
- NNLO+PS is doable, at least for color-singlet production.


## Outlook

## What next?

- "proof of principle" results for NLOPS merging for higher multiplicity, using MiNLO

H+jj @ NLO, H+j @ NLO and H @ NNLO

[Frederix,Hamilton '15]


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Thank you for your attention!


[^0]:    *[Hoeche,Krauss, et al.,1207.5030] [Frederix,Frixione,1209.6215] [Lonnblad,Prestel,1211.7278]
    [Platzer,1211.5467] [Alioli,Bauer, et al.,1211.7049] ...

