

# Theory improvements for Run 2 and beyond

Massimiliano Grazzini  
University of Zurich

Higgs Hunting 2017  
Paris, July 26 2017

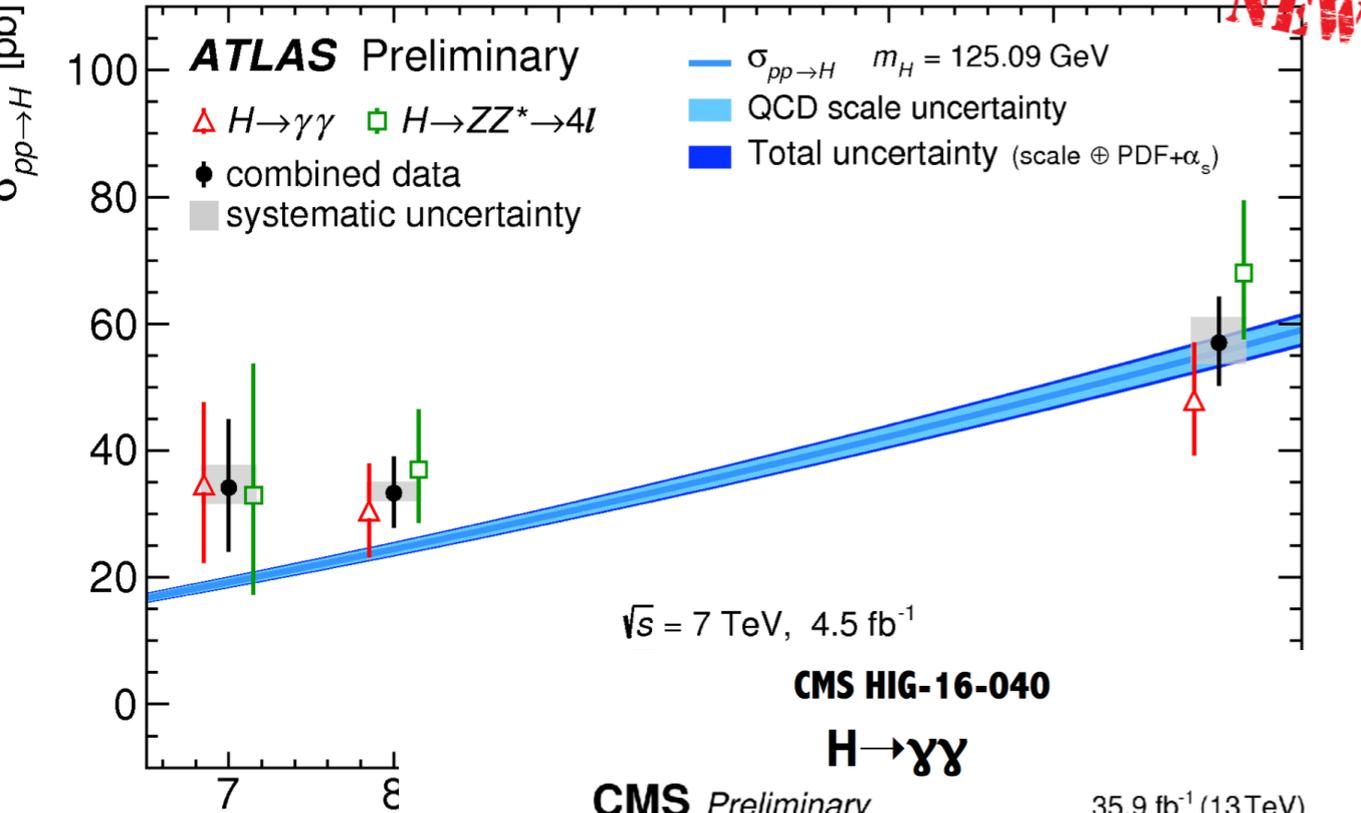


Universität  
Zürich<sup>UZH</sup>

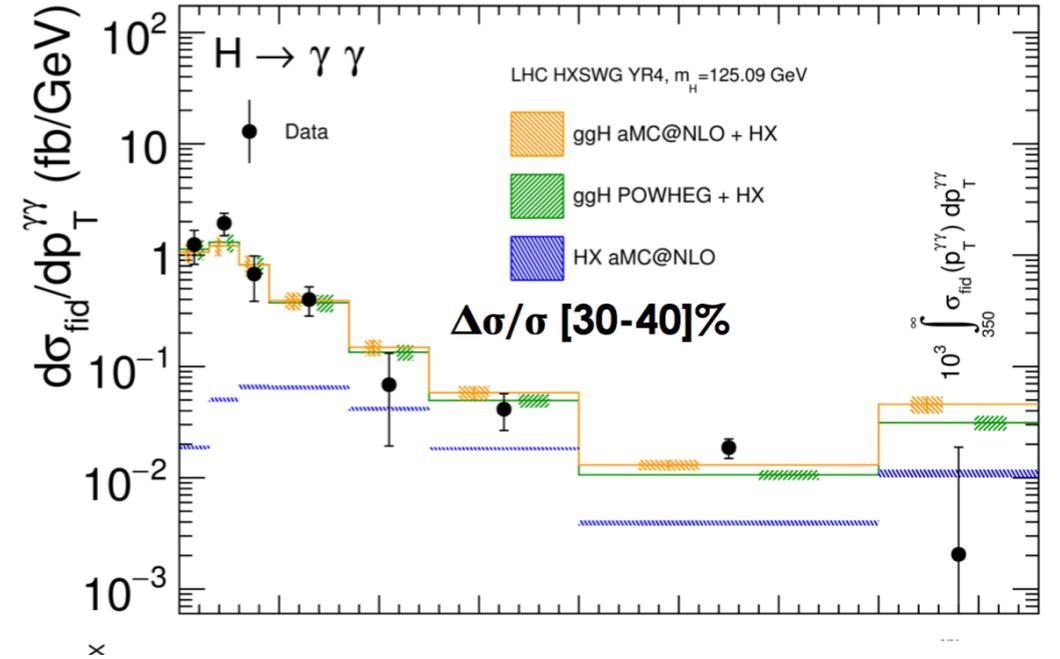


# The latest results

ATLAS-CONF-2017-047



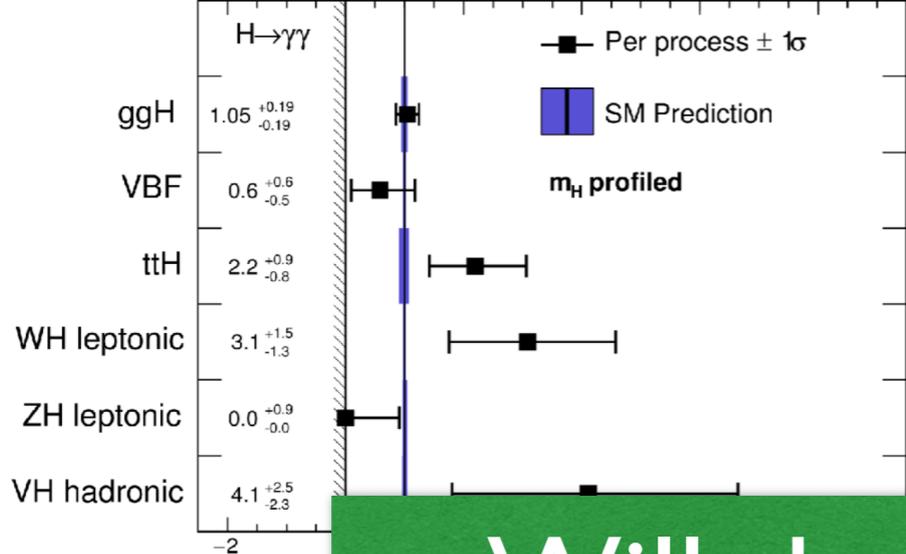
CMS Preliminary 35.9 fb $^{-1}$  (13TeV)



CMS HIG-16-040

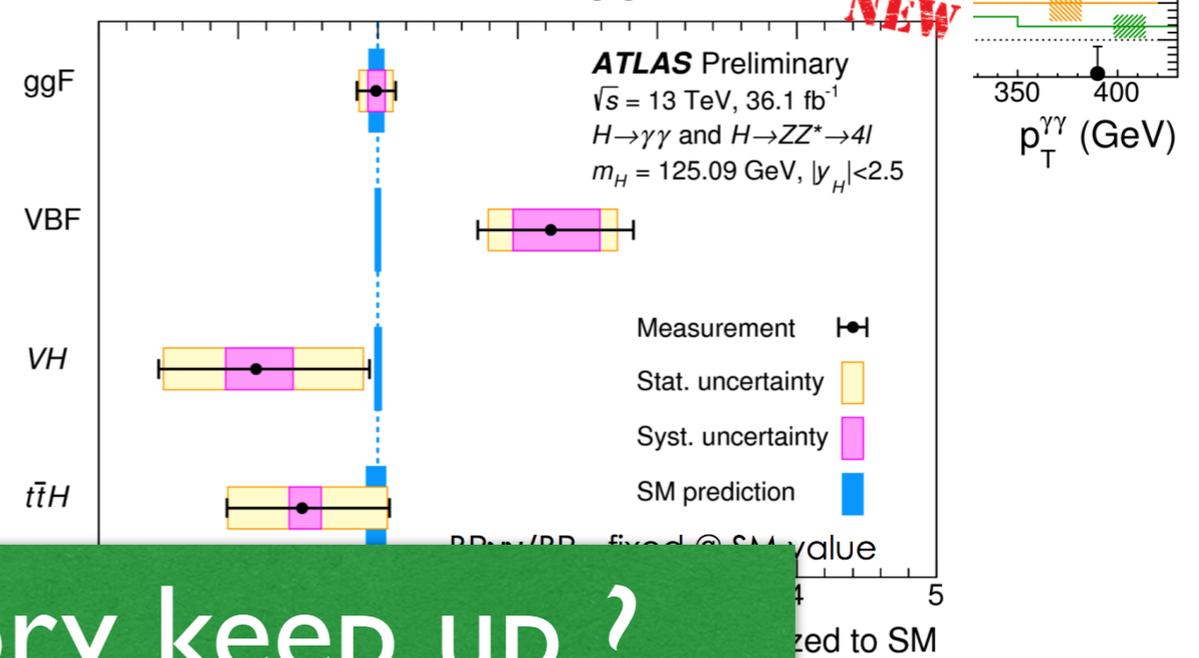
$H \rightarrow \gamma\gamma$

CMS Preliminary 35.9 fb $^{-1}$  (13TeV)



ATLAS-CONF-2017-047

$H \rightarrow 4l + H \rightarrow \gamma\gamma$



Will theory keep up ?

# Outline

- gluon fusion
  - Inclusive cross section
  - H+jet(s) and jet-vetoed cross section
  - Transverse-momentum spectrum

- VH, VBF, ttH

- Higgs decays

- Backgrounds

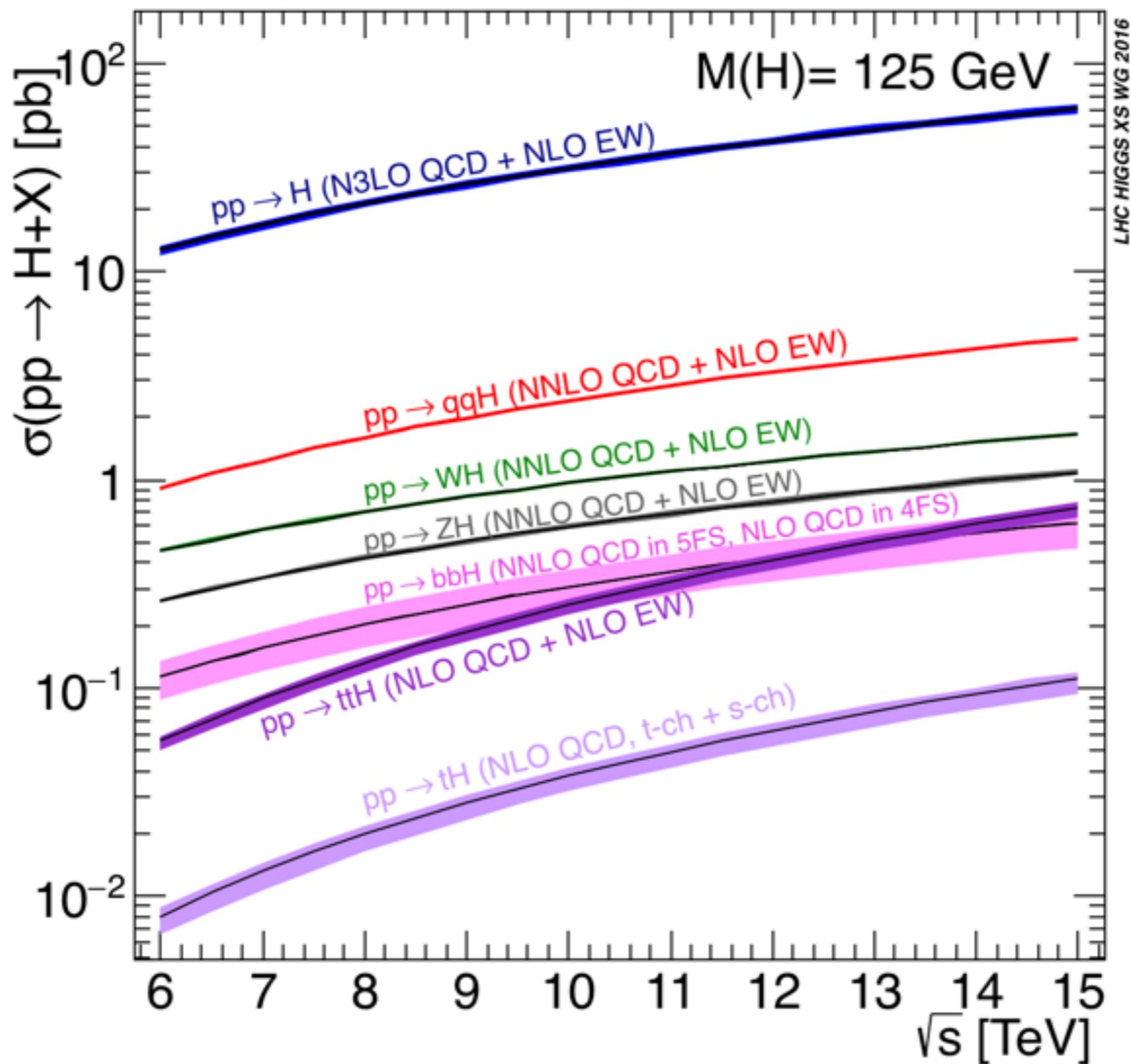
- Summary

MC tools → talk by Hamilton

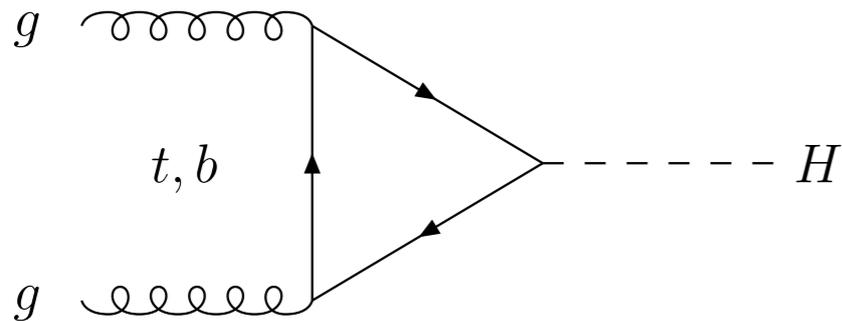
Off-shell → talk by Kauer

HH → talk by Low

# Production channels



# $gg \rightarrow H$



The Higgs coupling is proportional to the quark mass

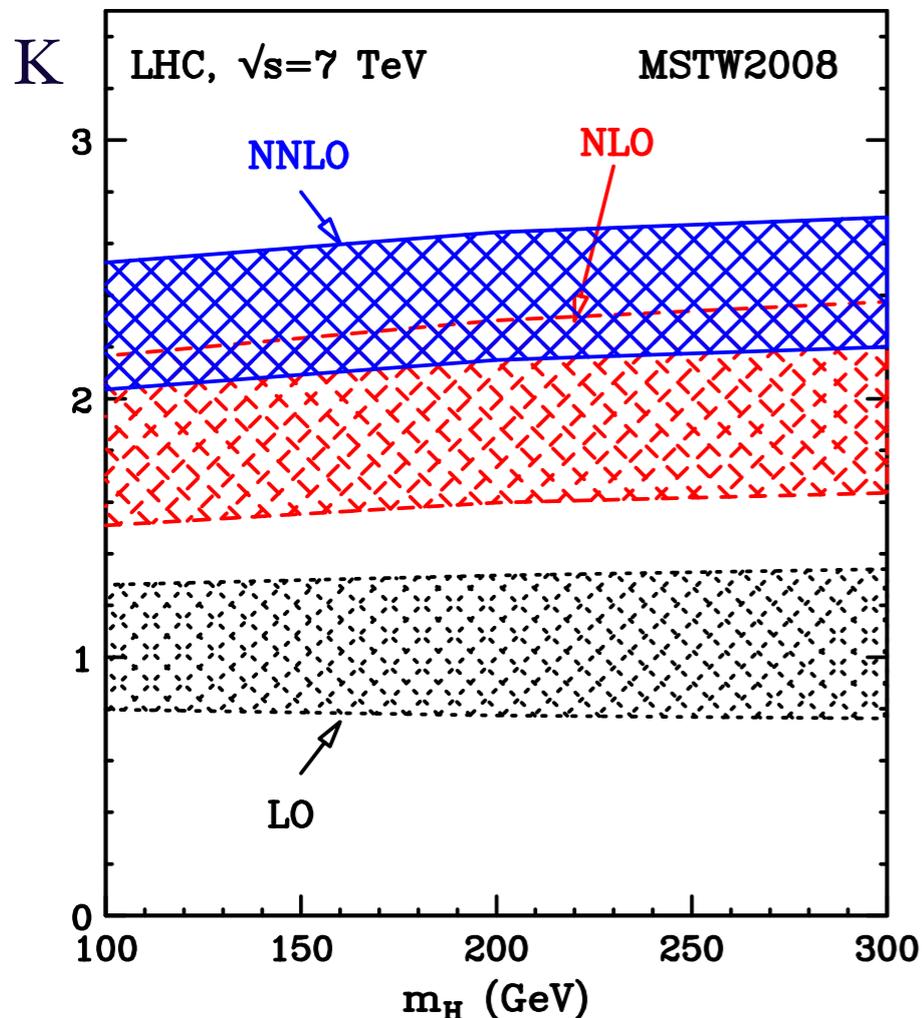


top-loop dominates

$O(\alpha_s^2)$  process already at Born level

QCD corrections to the total rate computed 25 years ago and found to be large  $\rightarrow$   $O(100\%)$  effect!

A. Djouadi, D. Graudenz, M. Spira, P. Zerwas (1991)



Next-to-next-to leading order (**NNLO**) corrections computed in the large- $m_{\text{top}}$  limit (+25% at the LHC, +30% at the Tevatron)

R. Harlander, W.B. Kilgore (2001)

C. Anastasiou, K. Melnikov (2002)

V. Ravindran, J. Smith, W.L. Van Neerven (2003)

Soft-gluon effects included

S. Catani, D de Florian, P. Nason, MG (2003)

scale uncertainty computed with

$m_H/2 < \mu_F, \mu_R < 2 m_H$  and  $1/2 < \mu_F/\mu_R < 2$

# $gg \rightarrow H$

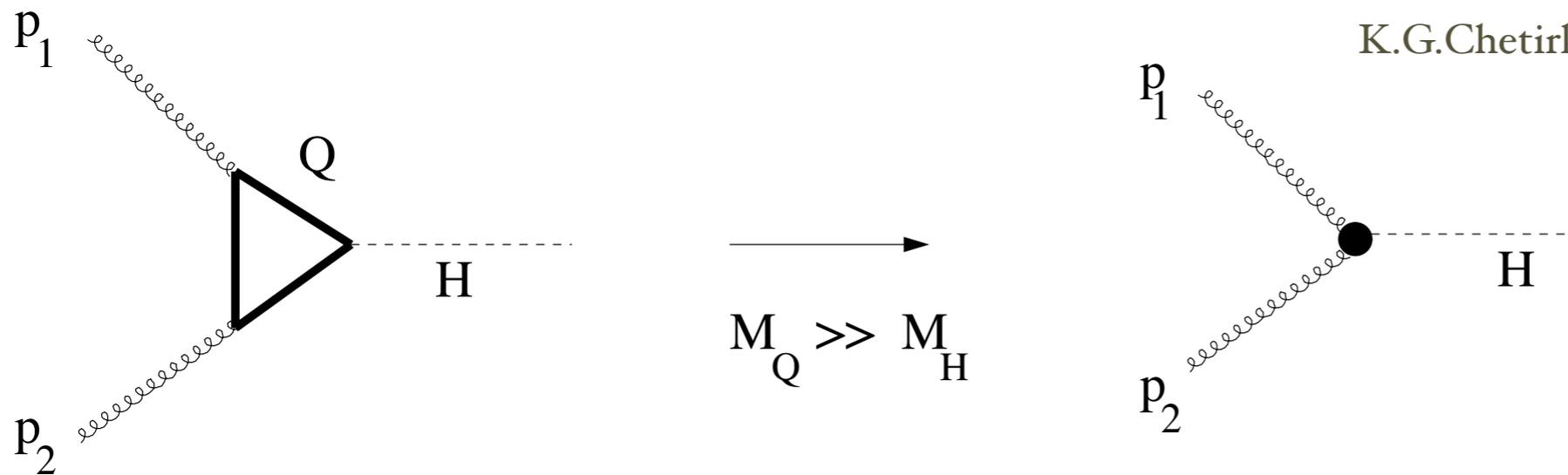
For a light Higgs it is possible to use an effective lagrangian approach obtained when  $m_{\text{top}} \rightarrow \infty$

J.Ellis, M.K.Gaillard, D.V.Nanopoulos (1976)  
M.Voloshin, V.Zakharov, M.Shifman (1979)

$$\mathcal{L}_{eff} = -\frac{1}{4} \left[ 1 - \frac{\alpha_S}{3\pi} \frac{H}{v} (1 + \Delta) \right] \text{Tr} G_{\mu\nu} G^{\mu\nu}$$

Known to  $\mathcal{O}(\alpha_S^3)$

K.G.Chetirkin, M.Steinhauser, B.A.Kniehl (1997)



**Effective vertex:  
one loop less !**

The subleading terms in large- $m_{\text{top}}$  limit at NNLO have been evaluated

S.Marzani et al. (2008)  
R.Harlander et al. (2009,2010)  
M.Steinhauser et al. (2009)

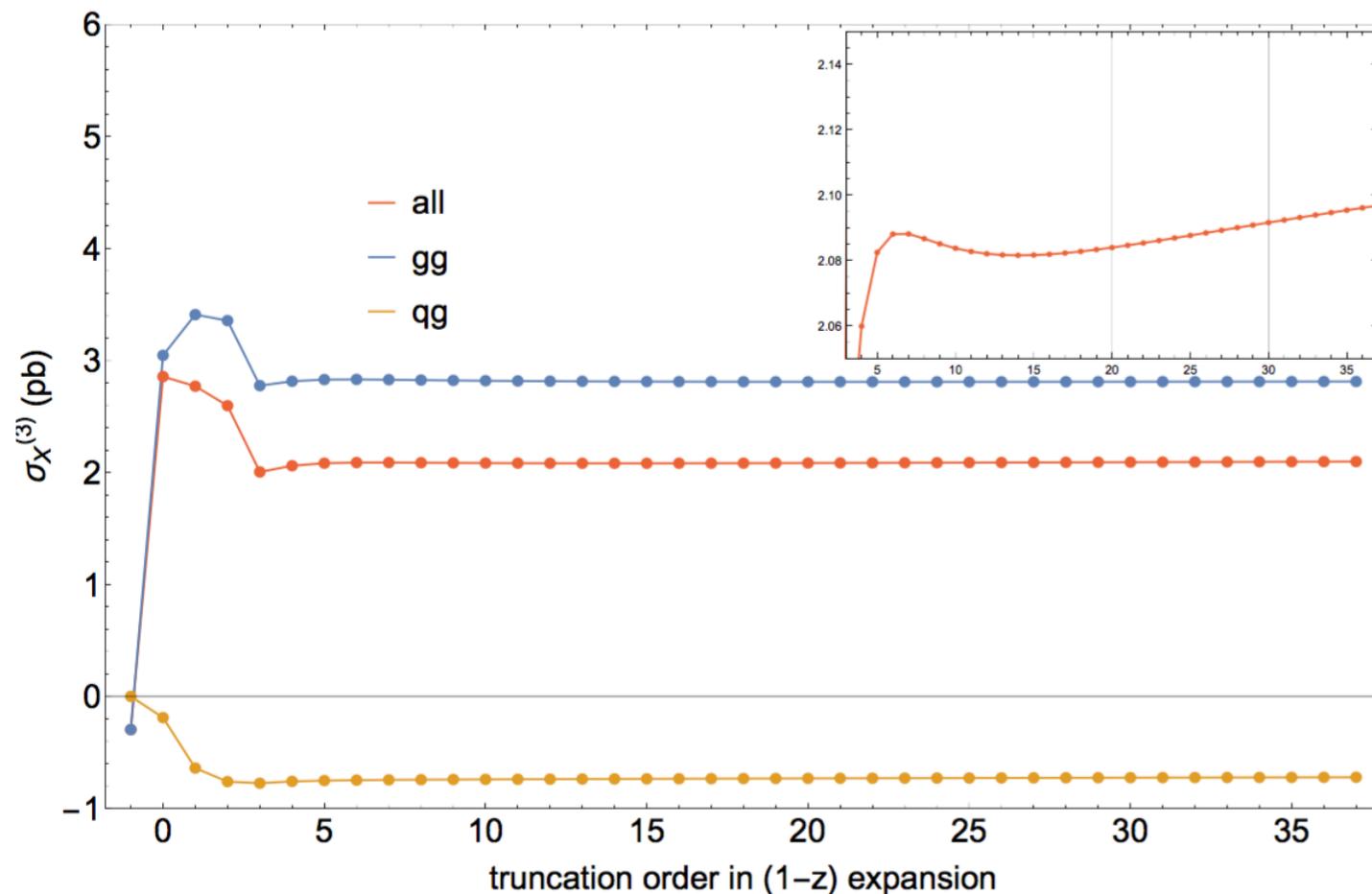
**→ The approximation works to better than 0.5 % for  $m_H < 300 \text{ GeV}$**

# gg→H at N<sup>3</sup>LO

C.Anastasiou, C.Duhr, F.Dulat, F.Herzog, B.Mistlberger (2015)

Really impressive achievement:

- first complete calculation at N<sup>3</sup>LO in hadronic collisions !
- O(10<sup>5</sup>) diagrams; O(10<sup>3</sup>) master integrals



Obtained through a series expansion around the soft limit (37 terms !)

$$1 - z = 1 - m_H^2 / \hat{s}$$

“distance” from partonic threshold

Important reduction of perturbative uncertainties

Impact of N<sup>3</sup>LL resummation on top of N<sup>3</sup>LO very small

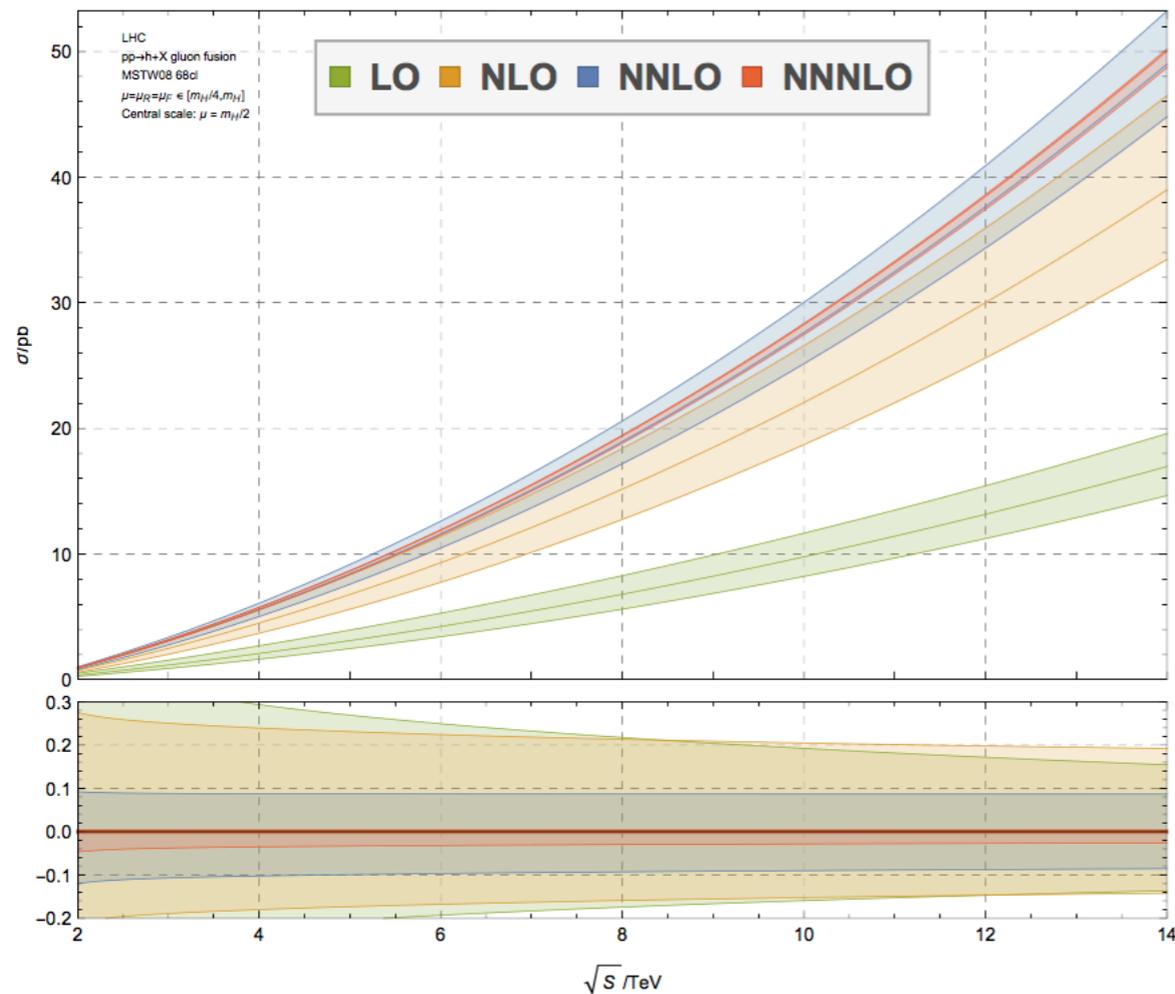
M.Bonvini et al. (2016)  
(see also M.Spira,  
T.Schmidt (2015))

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C.Anastasiou, C.Duhr, F.Dulat, E.Furlan, T.Gehrmann, F.Herzog,  
A.Lazopoulos, B.Mistlberger (2016)

N<sub>3</sub>LO calculation accompanied by a thorough study of the remaining theoretical uncertainties

$\delta(\text{scale})$	$\delta(\text{trunc})$	$\delta(\text{PDF-TH})$	$\delta(\text{EW})$	$\delta(t, b, c)$	$\delta(1/m_t)$
+0.10 pb -1.15 pb	$\pm 0.18$ pb	$\pm 0.56$ pb	$\pm 0.49$ pb	$\pm 0.40$ pb	$\pm 0.49$ pb
+0.21% -2.37%	$\pm 0.37\%$	$\pm 1.16\%$	$\pm 1\%$	$\pm 0.83\%$	$\pm 1\%$

missing  
higher-orders

uncertainty  
from the soft  
expansion

missing  
N<sub>3</sub>LO PDFs

missing  
mixed  
QCD-EW  
corrections

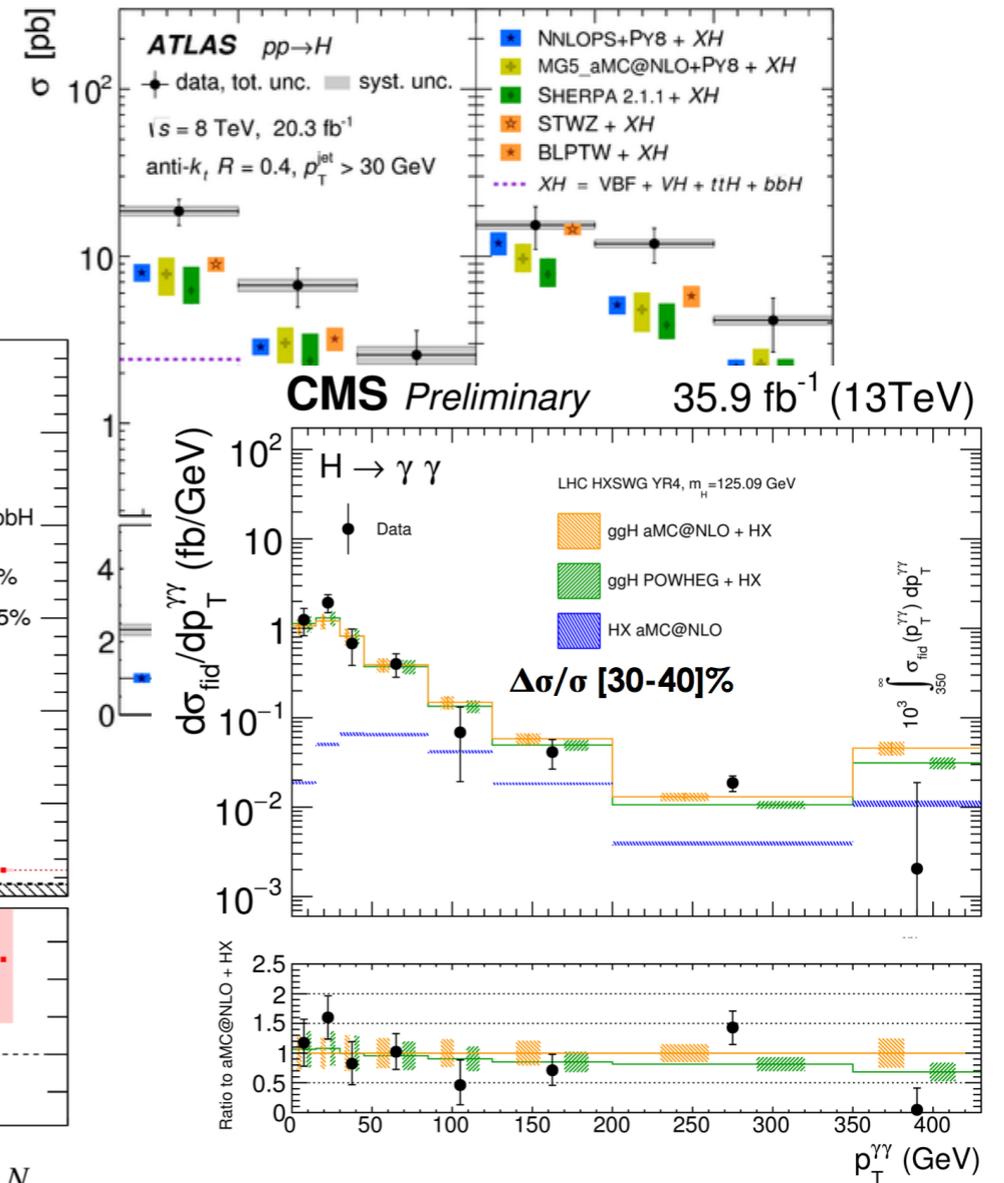
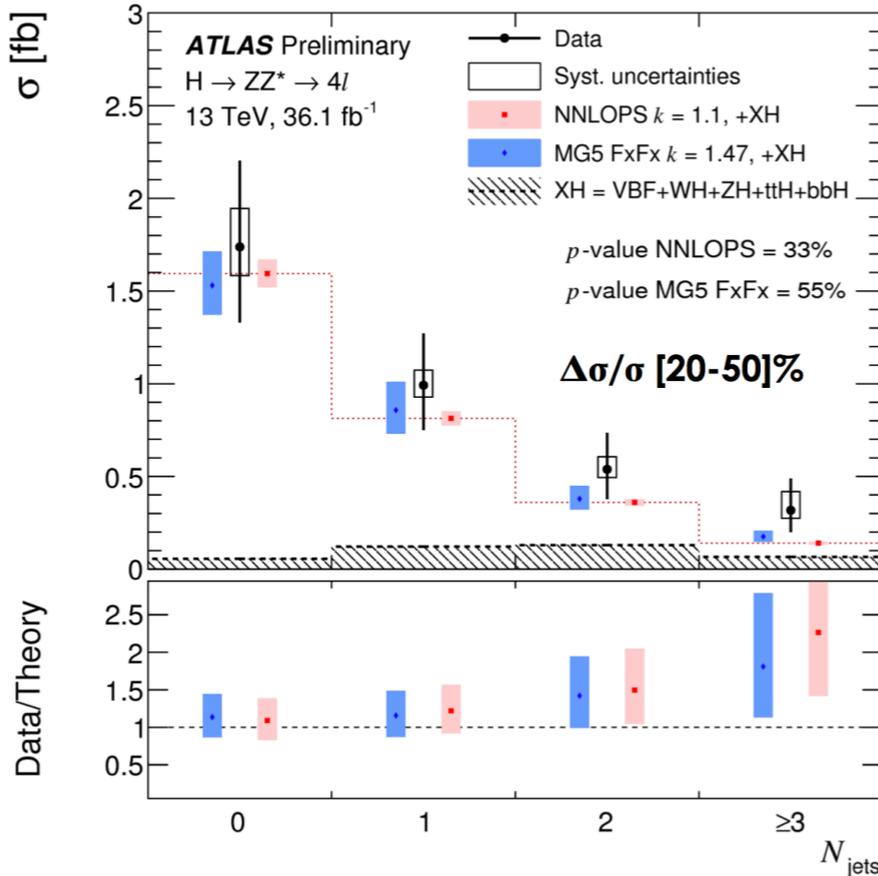
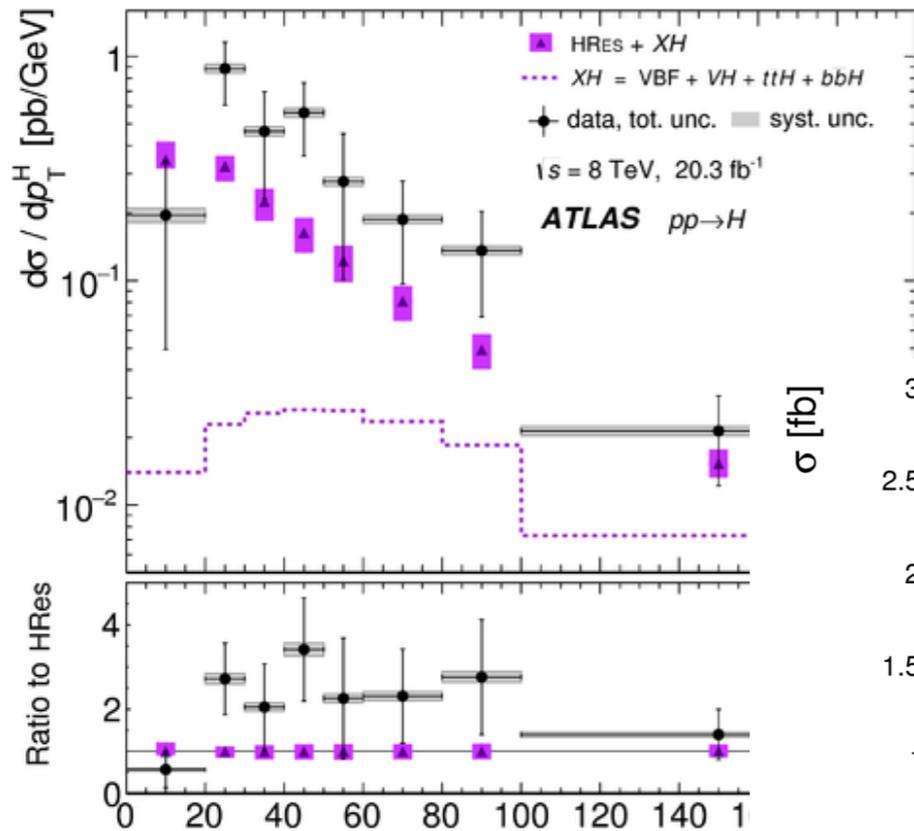
uncertainty  
from heavy-  
quark mass  
dependence

uncertainty  
in the  $1/m_t$   
included  
corrections

$$\sigma = 48.58 \text{ pb} \begin{matrix} +2.22 \text{ pb} (+4.56\%) \\ -3.27 \text{ pb} (-6.72\%) \end{matrix} (\text{theory}) \pm 1.56 \text{ pb} (3.20\%) (\text{PDF} + \alpha_s)$$

New HXSWG recommendation

# Differential distributions



Will current theoretical accuracy be enough? TH improvements in ggF may come from:

- going beyond the large- $m_{\text{top}}$  limit
- compute further terms in the perturbative expansion

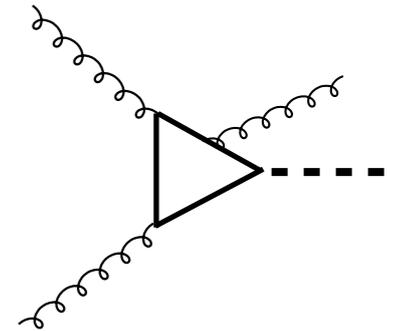
# H+jet(s)

When the Higgs recoils against one parton the LO is of relative order  $\alpha_s$

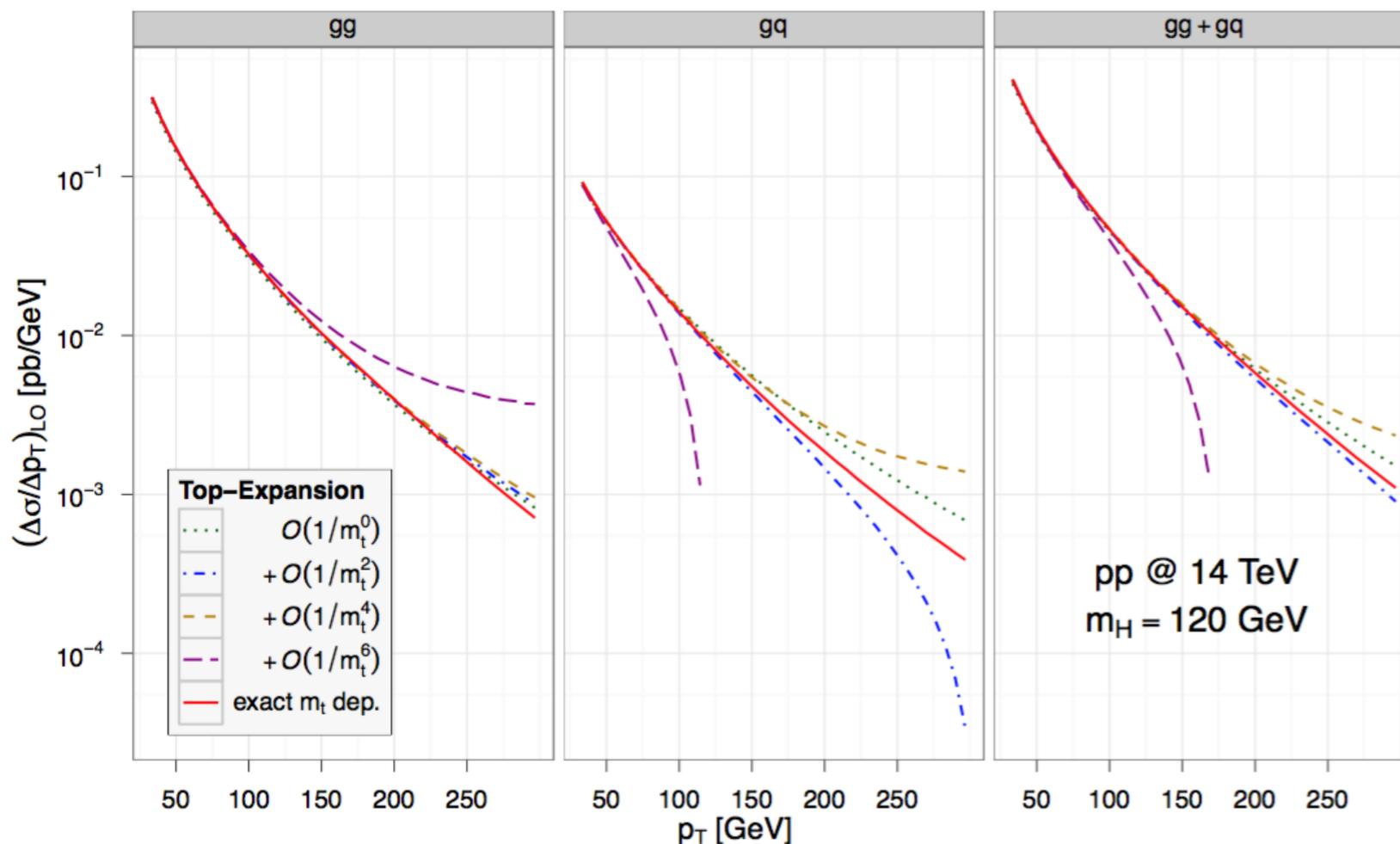
Exact result including mass dependence known for many years

Large- $m_t$  expansion does not work so well as in the inclusive case

Bound to fail at high  $p_T$  (recoiling radiation resolves the heavy-quark loop)



R.K.Ellis et al (1988);  
U. Baur and E.W.N.Glover (1990)



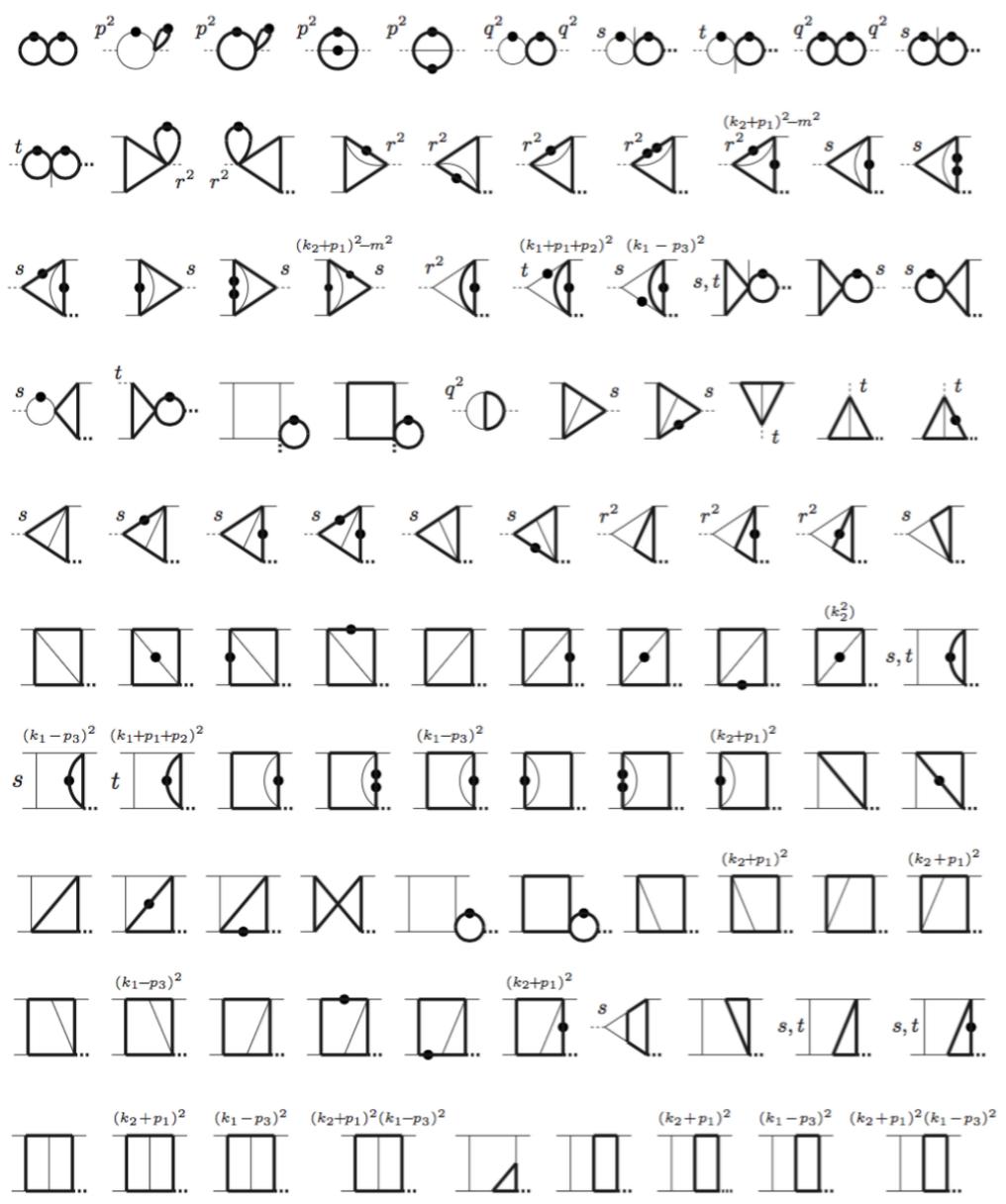
NLO corrections are known only in the large- $m_{\text{top}}$  approximation (part of inclusive NNLO cross section)

D. de Florian, Z.Kunszt, MG (1999)  
V.Ravindran, J.Smith, V.Van Neerven (2002)  
C.Glosser, C.Schmidt (2002)

# Beyond the large- $m_{\text{top}}$ limit

$$d\sigma = \underbrace{d\sigma_{tt}}_{\text{circled}} + d\sigma_{tb} + d\sigma_{bb}$$

Exact calculation requires 2-loop amplitudes with different mass scales: this is at the forefront of current technologies !



Two-loop planar master integrals recently computed in terms of elliptic functions: this is an important first step

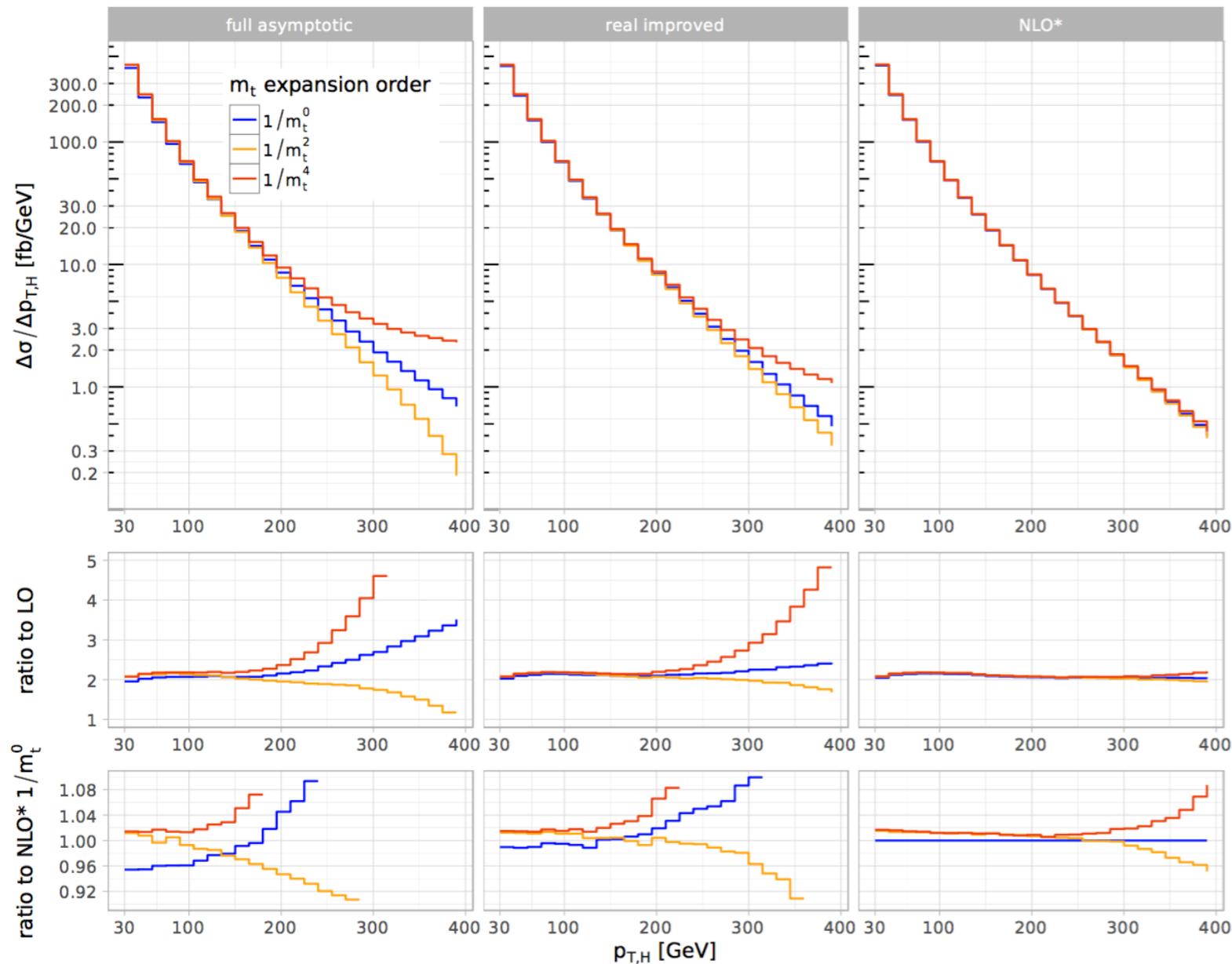
R. Bonciani et al. (2016)

Exciting but...not even enough to get the leading color contribution !

# H+jet(s)

In the meanwhile: make the best use of what is available

T. Neumann, C. Williams (2016)



Compute the NLO corrections by using exact amplitudes when possible (plus expansion in  $1/m_{\text{top}}$ ) for the finite part of the missing two loop amplitude

It pushes the reliability of the large- $m_{\text{top}}$  approximation a bit further!

But at high- $p_T$  the exact result is really needed!

# Beyond the large- $m_{\text{top}}$ limit

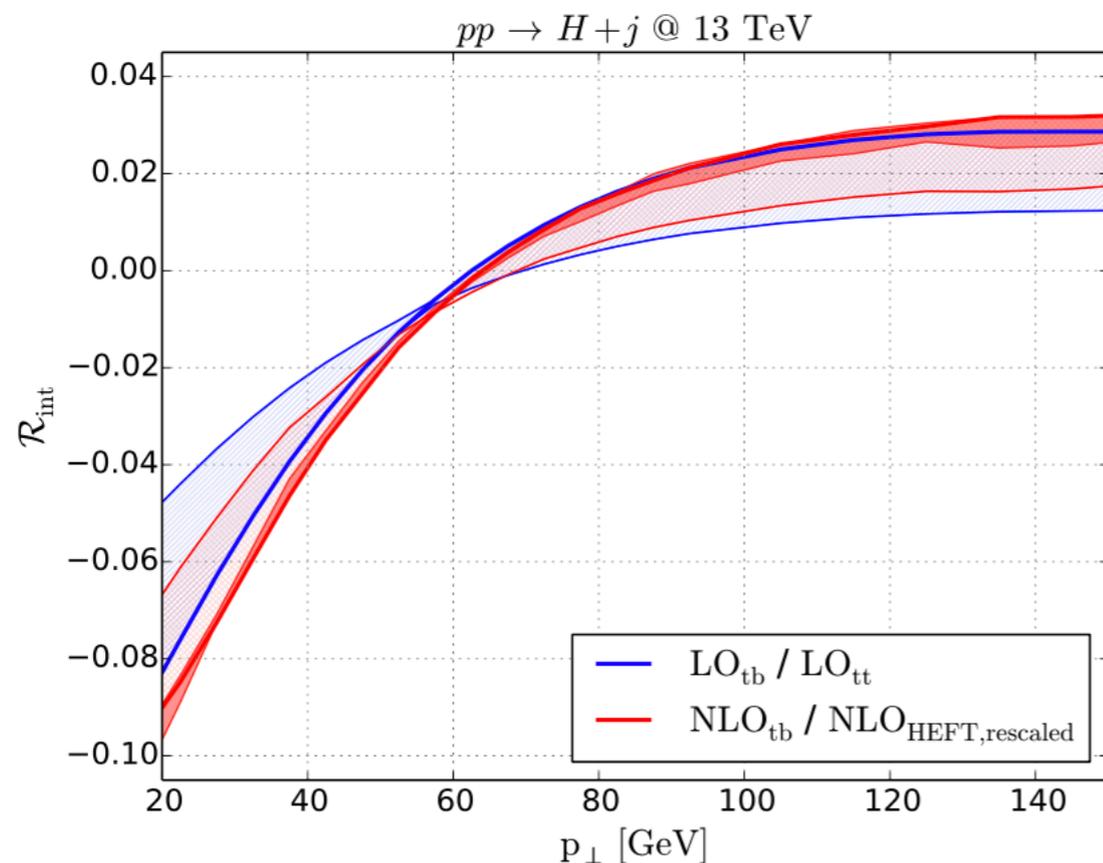
$$d\sigma = d\sigma_{tt} + d\sigma_{tb} + d\sigma_{bb}$$

J.Lindert, K.Melnikov,  
L.Tancredi, C.Weaver (2017)

In the meanwhile: NLO corrections to top-bottom interference completed

Virtual: bottom contribution in the small  $m_b$  limit  $\times$  HEFT contribution for  $m_{\text{top}}$

Real: massive one-loop amplitudes with Openloops



Similar method used in analytic computation of top-bottom interference at NLO

R.Mueller, G.Ozturk (2016)

NLO corrections to the interference are sizeable and similar to those for the top contribution in the HEFT

Strong dependence on the scheme

# H+jet(s) at NNLO

X. Chen, T. Gehrmann, N. Glover, M. Jaquier (2014,2016)

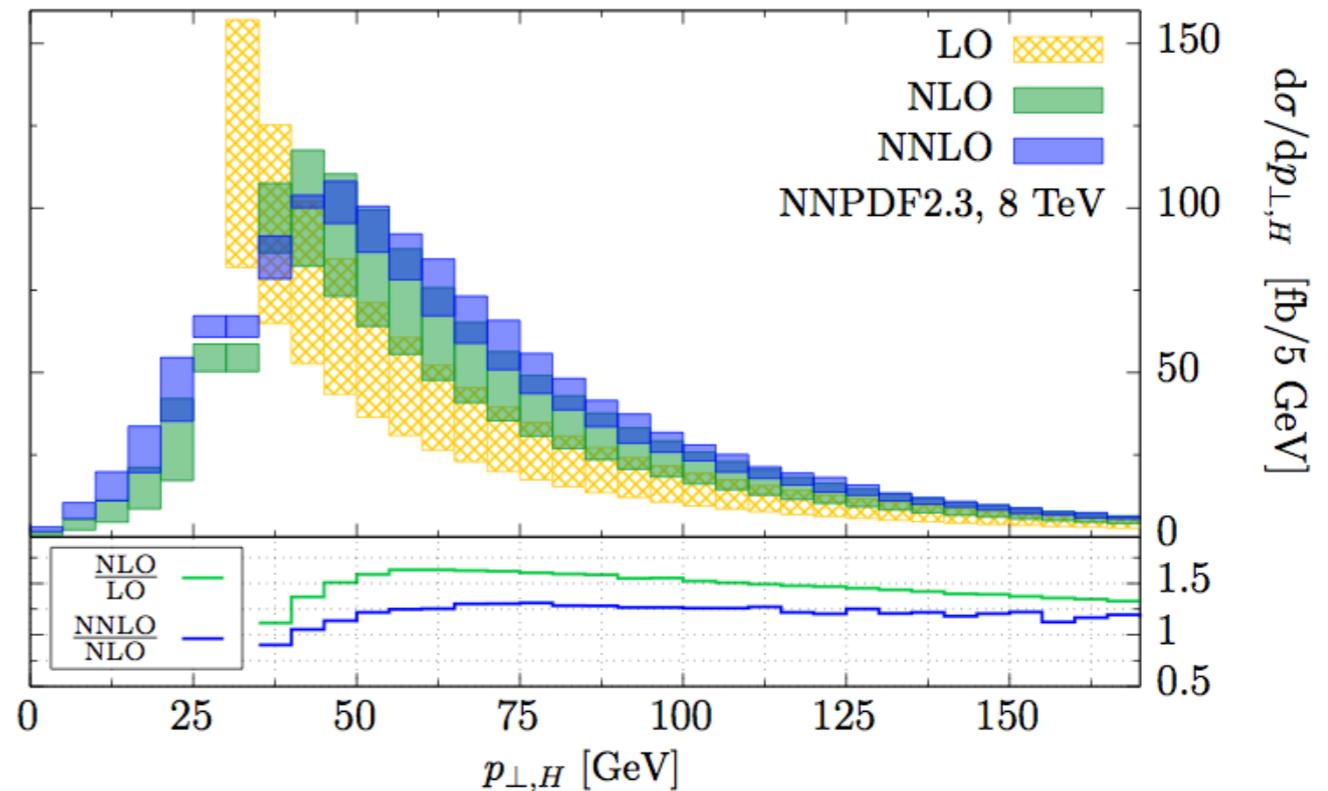
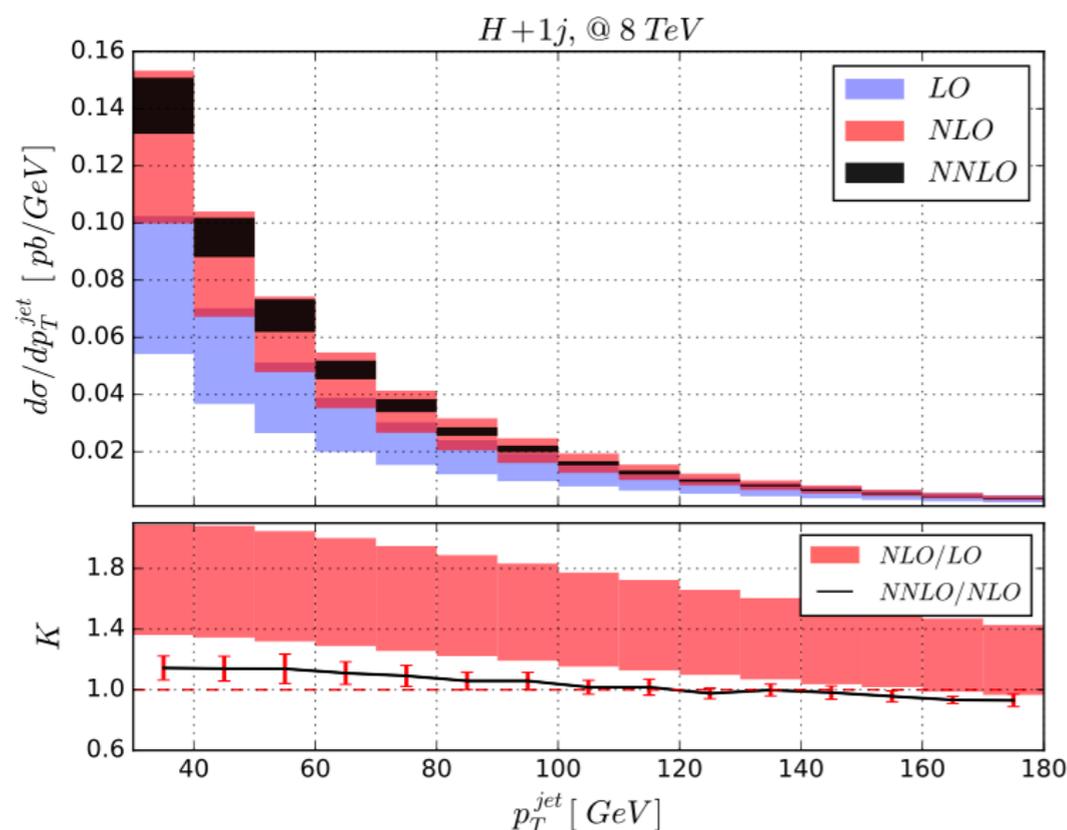
R.Boughezal, F.Caola, K.Melnikov, F.Petriello, M.Schulze (2015)

R.Boughezal, C.Focke, W.Giele, X.Liu, F.Petriello (2015)

Go one order higher: Fully differential NNLO computation in the HEFT

Calculation carried out with three independent methods (N-jettiness, antenna subtraction, sector improved residue subtraction)

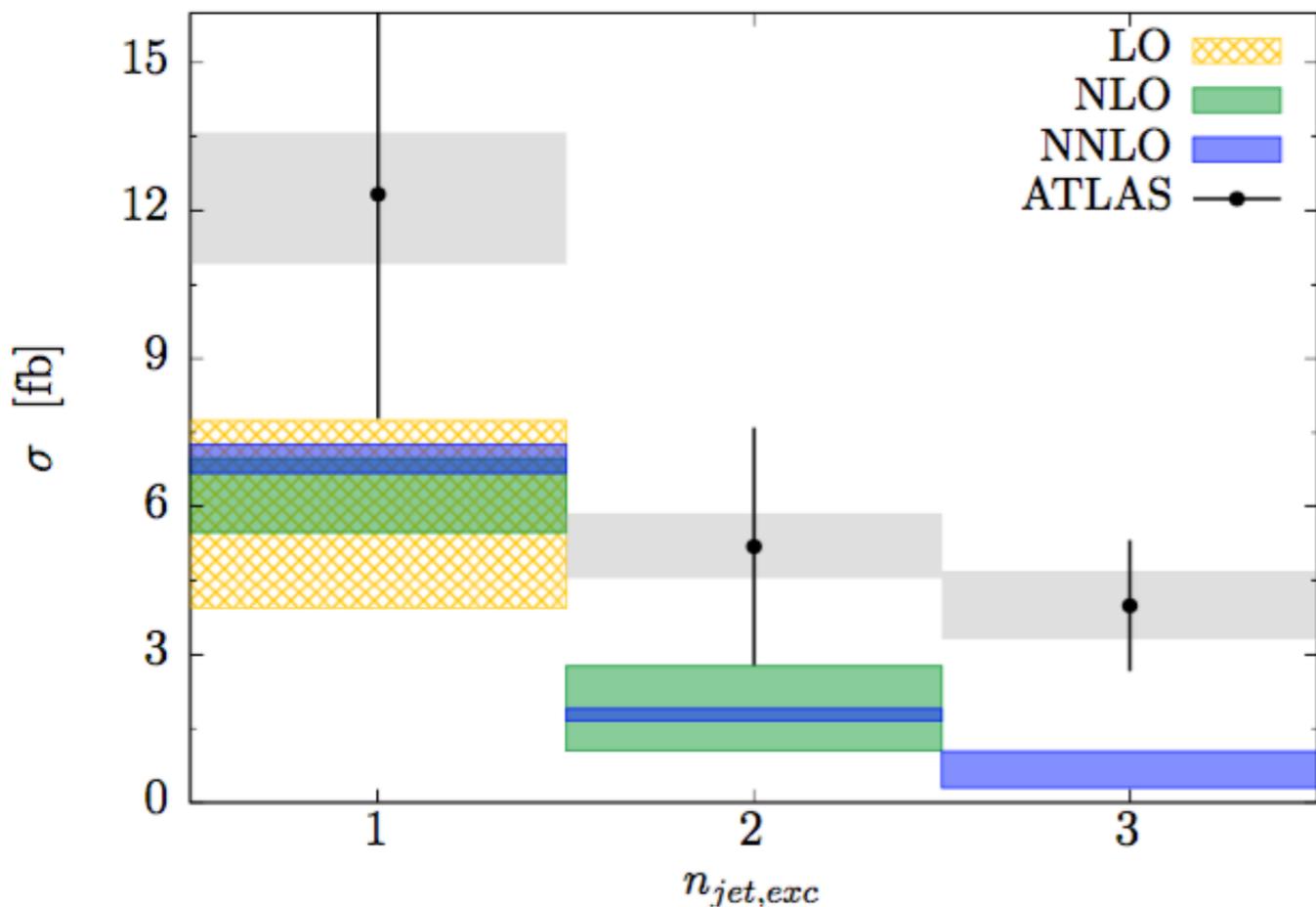
Important to validate NNLO results for such a complex final state



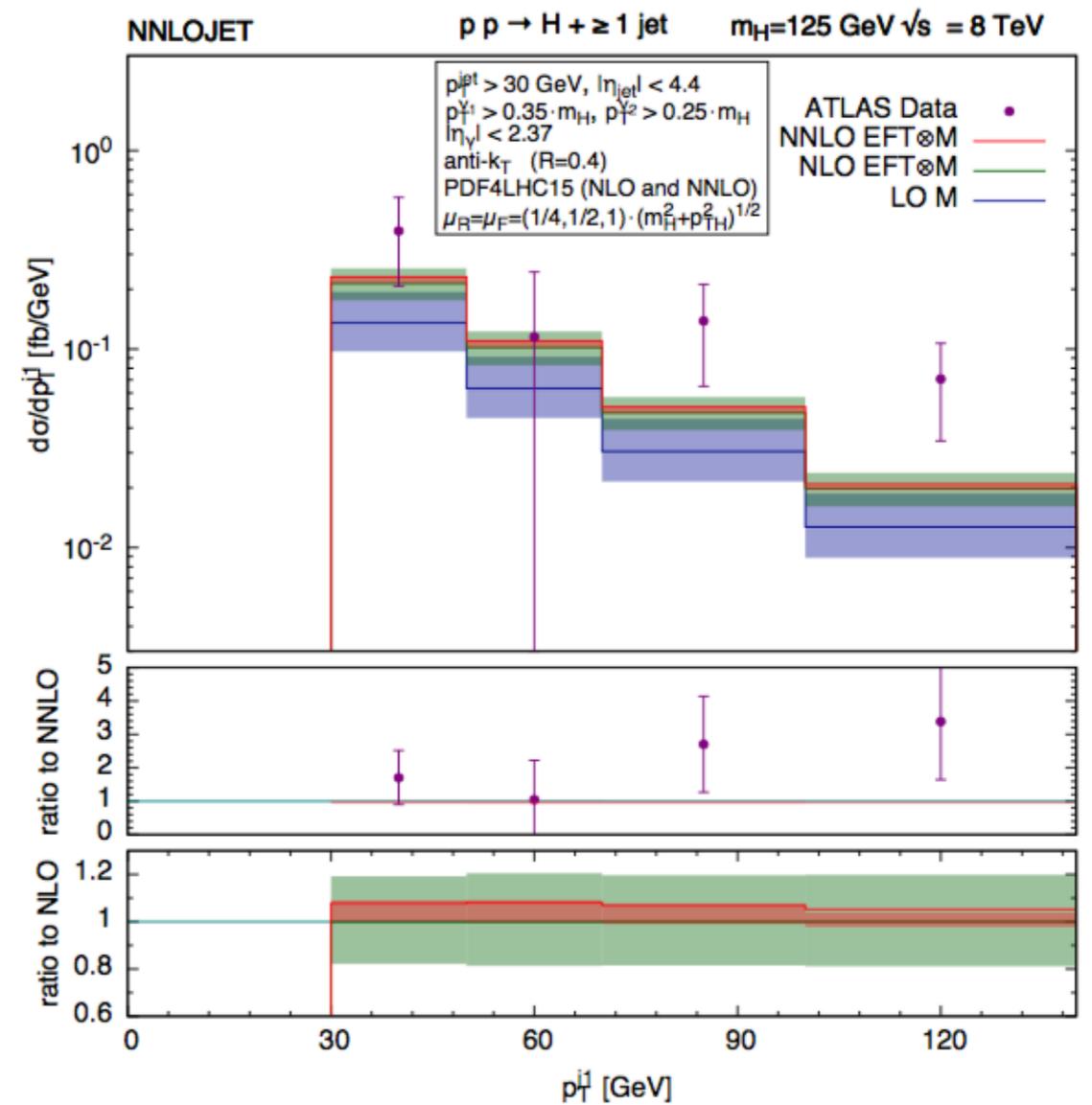
Same order in  $\alpha_S$  as N<sub>3</sub>LO for the inclusive cross section

# H+jet(s) at NNLO

Being fully differential the computation permits a direct comparison with data



F.Caola, K.Melnikov, M.Schulze (2015)



X. Chen, T. Gehrmann, N. Glover, M. Jaquier (2016)

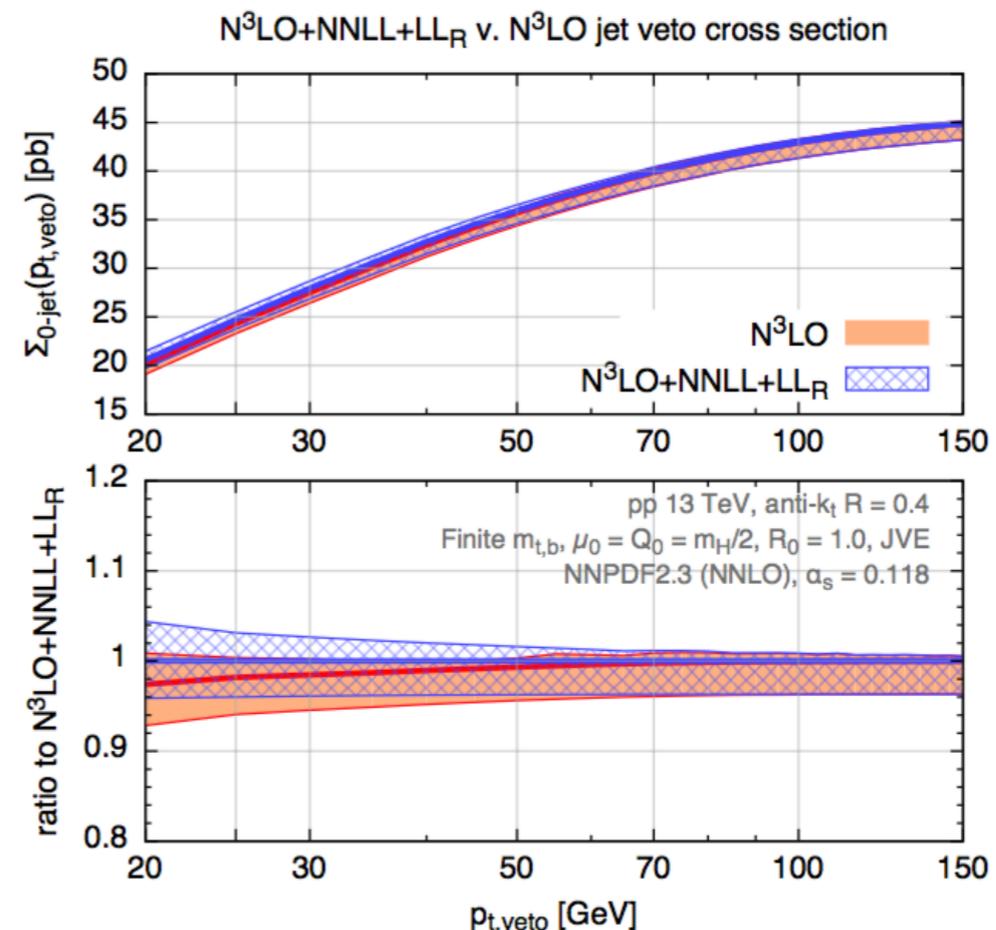
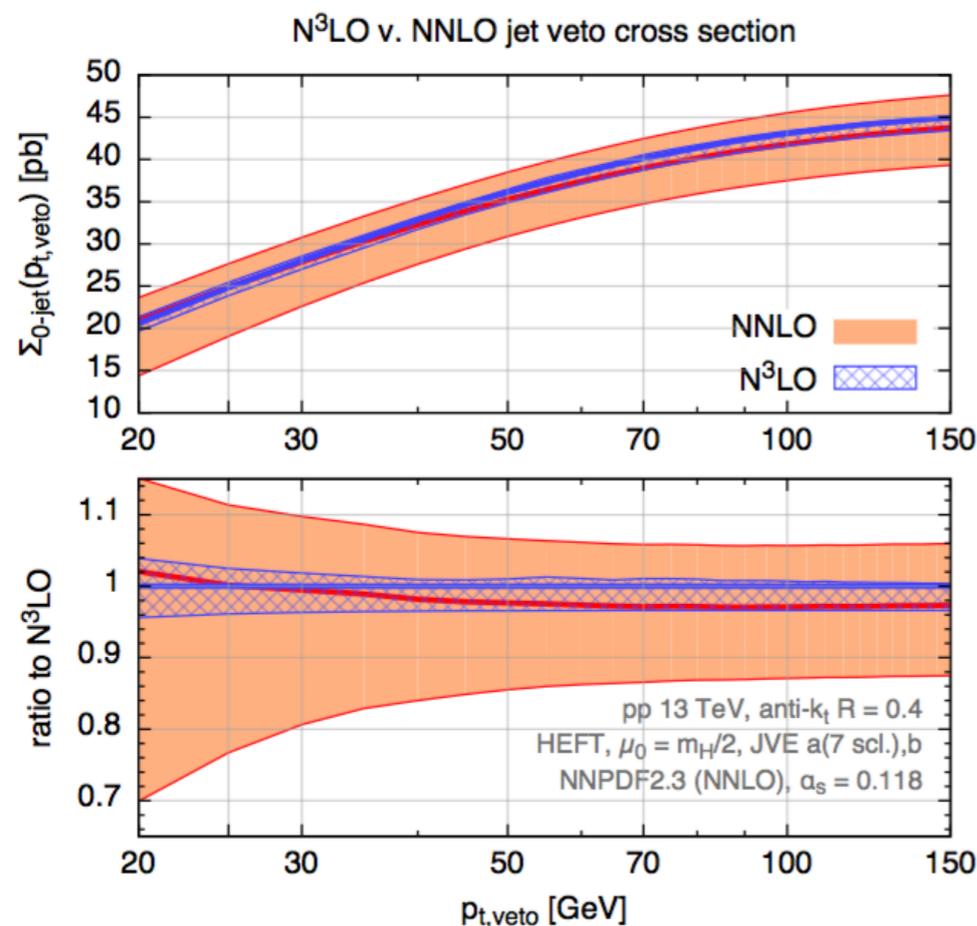
# Jet-veto

A. Banfi, F. Caola, F.A. Dreyer, P.F. Monni,  
G.P. Salam, G. Zanderighi, F. Dulat (2016)

The cross section in the 0-jet bin can be obtained from the inclusive cross section by subtracting the H+jet(s) cross section at the same order in  $\alpha_s$

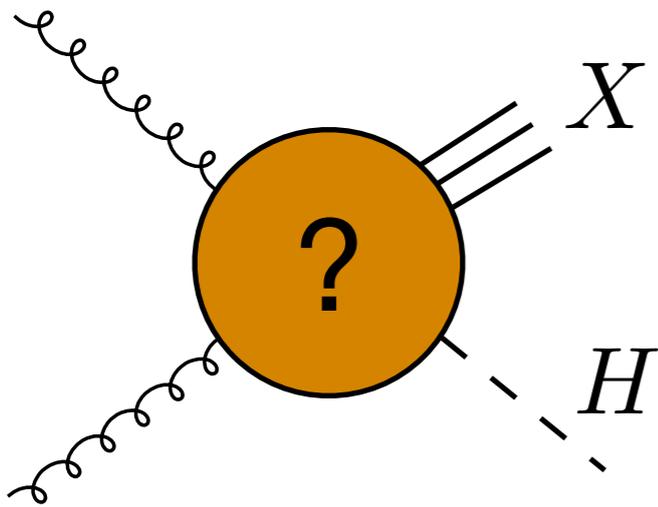
➔ It is now possible to obtain the 0-jet cross section at N<sup>3</sup>LO

Combine with the jet-veto resummation at NNLL and LL resummation for the jet radius dependence



No breakdown of fixed-order calculation for  $p_T = 30$  GeV

# Transverse-momentum spectrum



When we are inclusive over the radiation recoiling against the Higgs boson we measure the  $p_T$  spectrum

Higgs production at high- $p_T$  can be useful to test new physics scenarios

**For example:** current constraints on the charm Yukawa  $y_c$  are rather weak but if  $y_c$  is very different from its SM value  $\rightarrow$  effect on Higgs  $p_T$  distribution

Rapidity distribution mainly driven by PDFs

see e.g. F.Bishara,  
U.Haisch,P.Monni, E.Re (2016)

$\rightarrow$  Effect of QCD radiation mainly encoded in the  $p_T$  spectrum

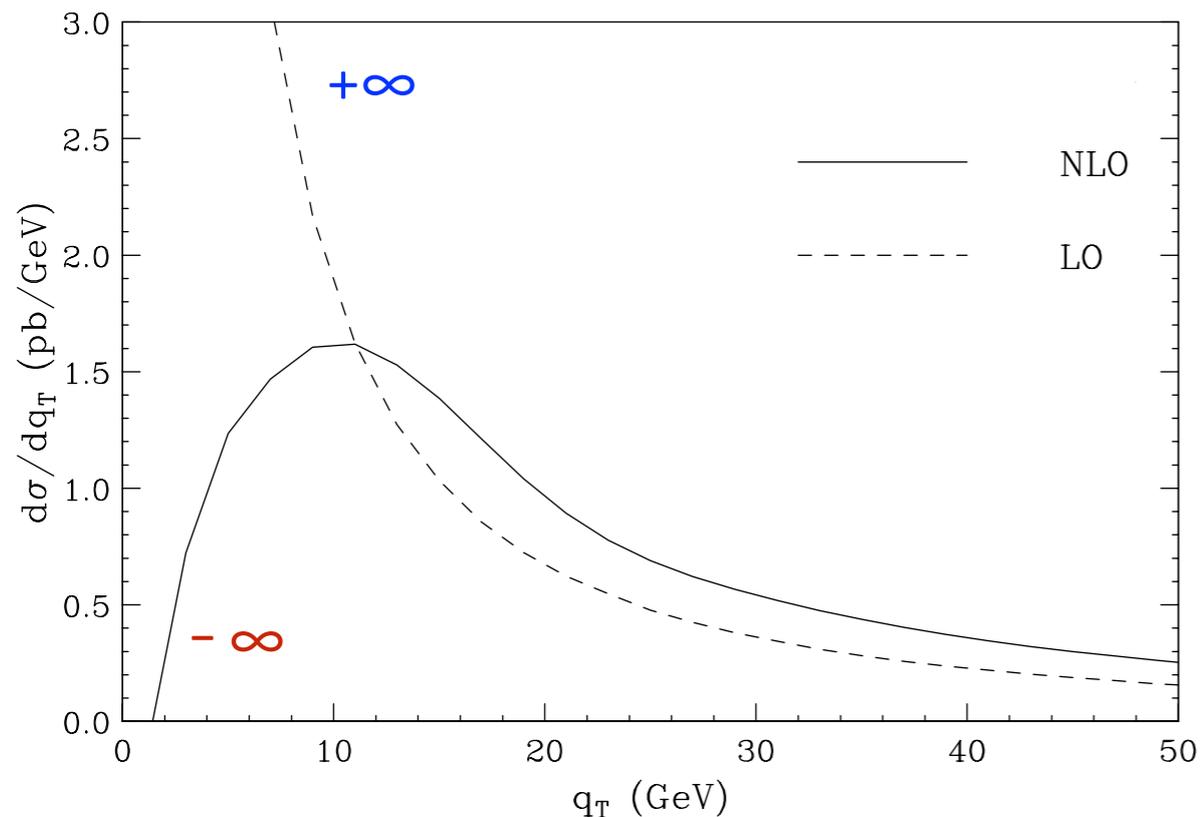
When considering the transverse momentum spectrum it is important to distinguish two regions of transverse momenta

The region  $p_T \sim m_H$  can be described by fixed order H+jet(s) calculations

# Transverse-momentum spectrum

In the region  $p_T \ll m_H$  large logarithmic corrections of the form  $\alpha_S^n \ln^m m_H^2/p_T^2$  appear that originate from soft and collinear emission

→ the perturbative expansion becomes not reliable



$$\text{LO: } \frac{d\sigma}{dp_T} \rightarrow +\infty \quad \text{as } p_T \rightarrow 0$$

$$\text{NLO: } \frac{d\sigma}{dp_T} \rightarrow -\infty \quad \text{as } p_T \rightarrow 0$$

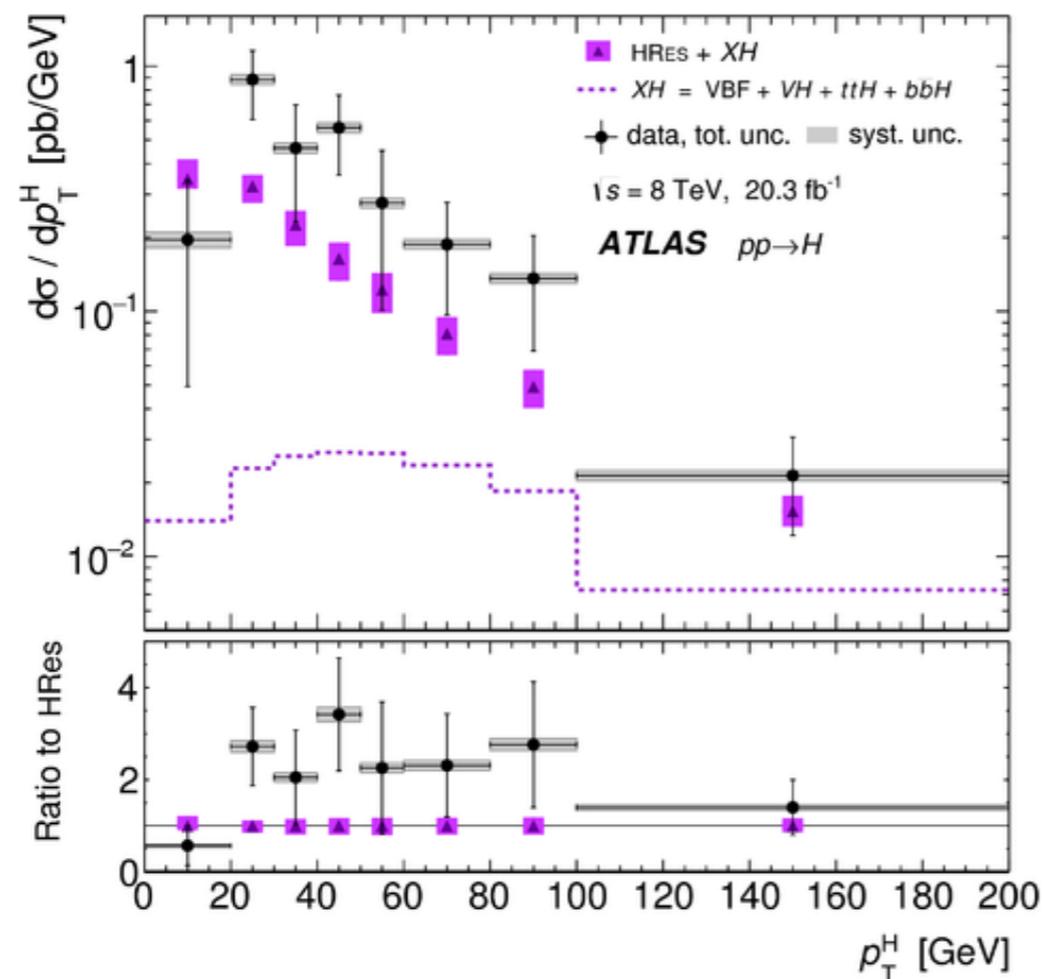
Resummation needed  
(effectively performed by  
standard MC generators)

NNLL+NNLO results including mass effects available in  
**HRes**: includes Higgs decays

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# Beyond current accuracy

- Combine threshold at fixed  $p_T$  and  $p_T$  resummation at small  $p_T$  such that the integral of the resummed spectrum coincides with the threshold resummed inclusive cross section at NNLL+NNLO
- Extend logarithmic accuracy of the resummed computation

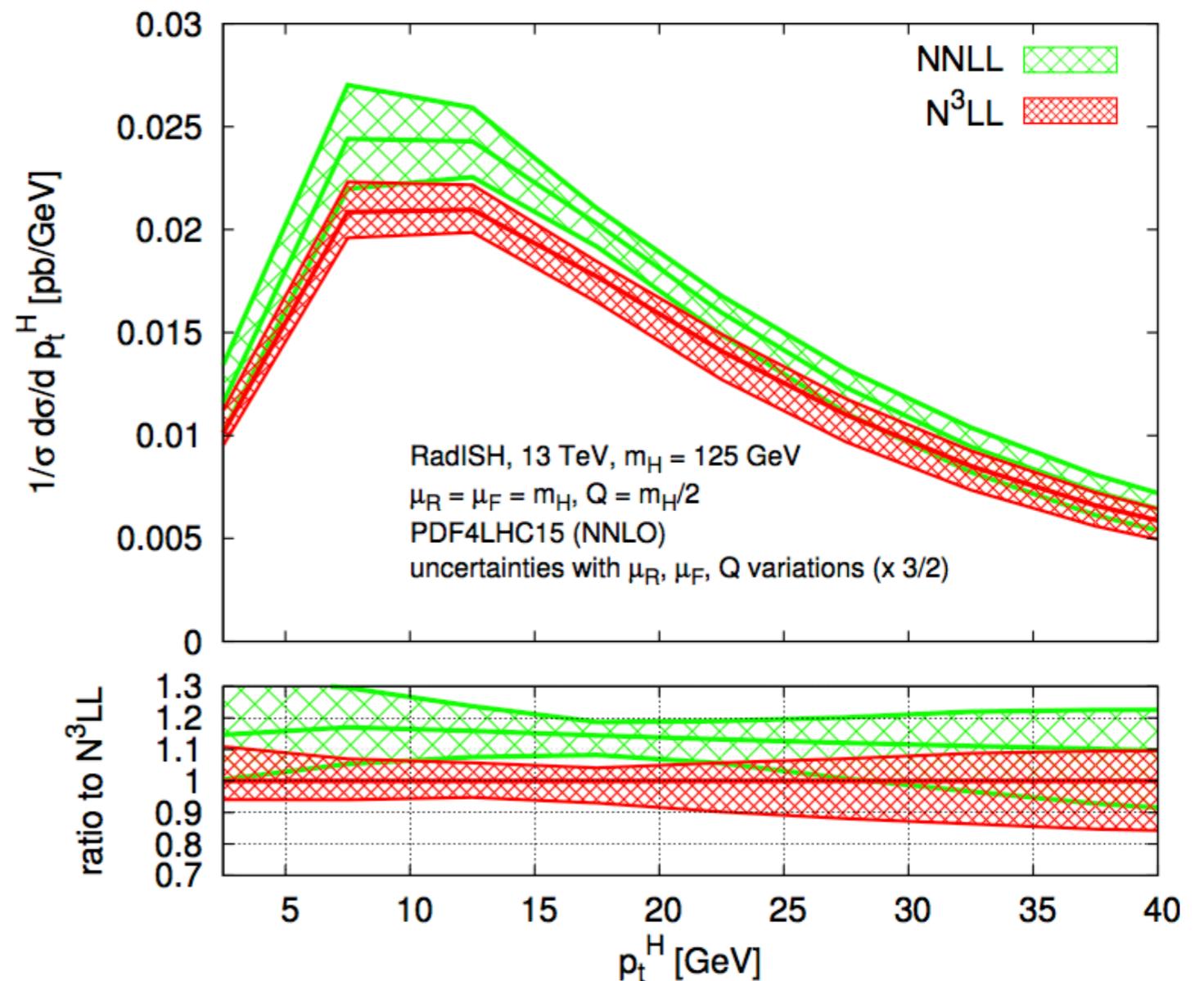
S.Forte, C.Muselli,  
G.Ridolfi (2017)

The required resummation coefficient has been recently computed

Y. Li and H. X. Zhu (2016)  
A.Vladimirov (2016)

Calculation done by using a new formulation directly in  $q_T$  space

P.Monni et al. (2017)



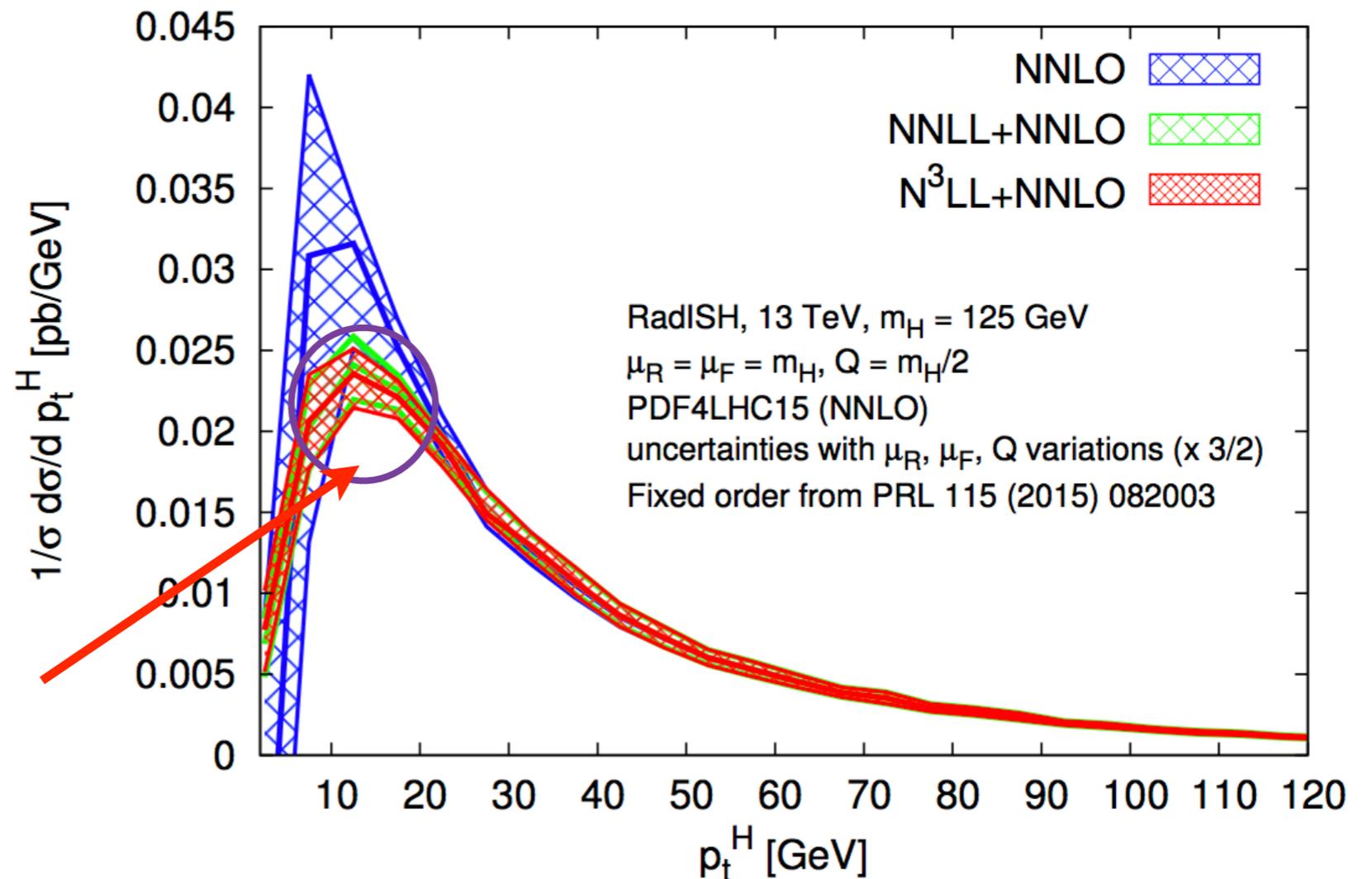
# Beyond current accuracy

The H+jet calculation at NNLO can be used to improve the matching

First resummed predictions at (almost)  $N^3LL+N^3LO$

P.Monni et al. (2017)

Matching accuracy currently limited by numerical instabilities of fixed order calculations



# BSM effects on Higgs pT

A. Ilnicka, M. Spira, M. Wiesemann, MG (2016)

Small deviations from the SM predictions could be due to new-physics effects



Parametrize them with an EFT approach

$$\mathcal{L} = \mathcal{L}_{SM} + \sum_i \frac{c_i}{\Lambda^2} \mathcal{O}_i$$

$$\mathcal{O}_1 = |H|^2 G_{\mu\nu}^a G^{a,\mu\nu}$$



$$\frac{\alpha_S}{\pi v} c_g h G_{\mu\nu}^a G^{a,\mu\nu}$$

$$\mathcal{O}_2 = |H|^2 \bar{Q}_L H^c u_R + h.c.$$



$$\frac{m_t}{v} c_t h \bar{t} t$$

$$\mathcal{O}_3 = |H|^2 \bar{Q}_L H d_R + h.c.$$



$$\frac{m_b}{v} c_b h \bar{b} b$$

$$\mathcal{O}_4 = \bar{Q}_L H \sigma^{\mu\nu} T^a u_R G_{\mu\nu}^a + h.c.$$



$$c_{tg} \frac{g_S m_t}{2v^3} (v + h) G_{\mu\nu}^a (\bar{t}_L \sigma^{\mu\nu} T^a t_R + h.c.)$$

NLL+NLO computation which consistently includes the effect of  $\mathcal{O}_1$ ,  $\mathcal{O}_2$  and  $\mathcal{O}_3$  operators

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$$\frac{m_t}{v} c_t h \bar{t} t$$

$$\mathcal{O}_3 = |H|^2 \bar{Q}_L H d_R + h.c.$$



$$\frac{m_b}{v} c_b h \bar{b} b$$

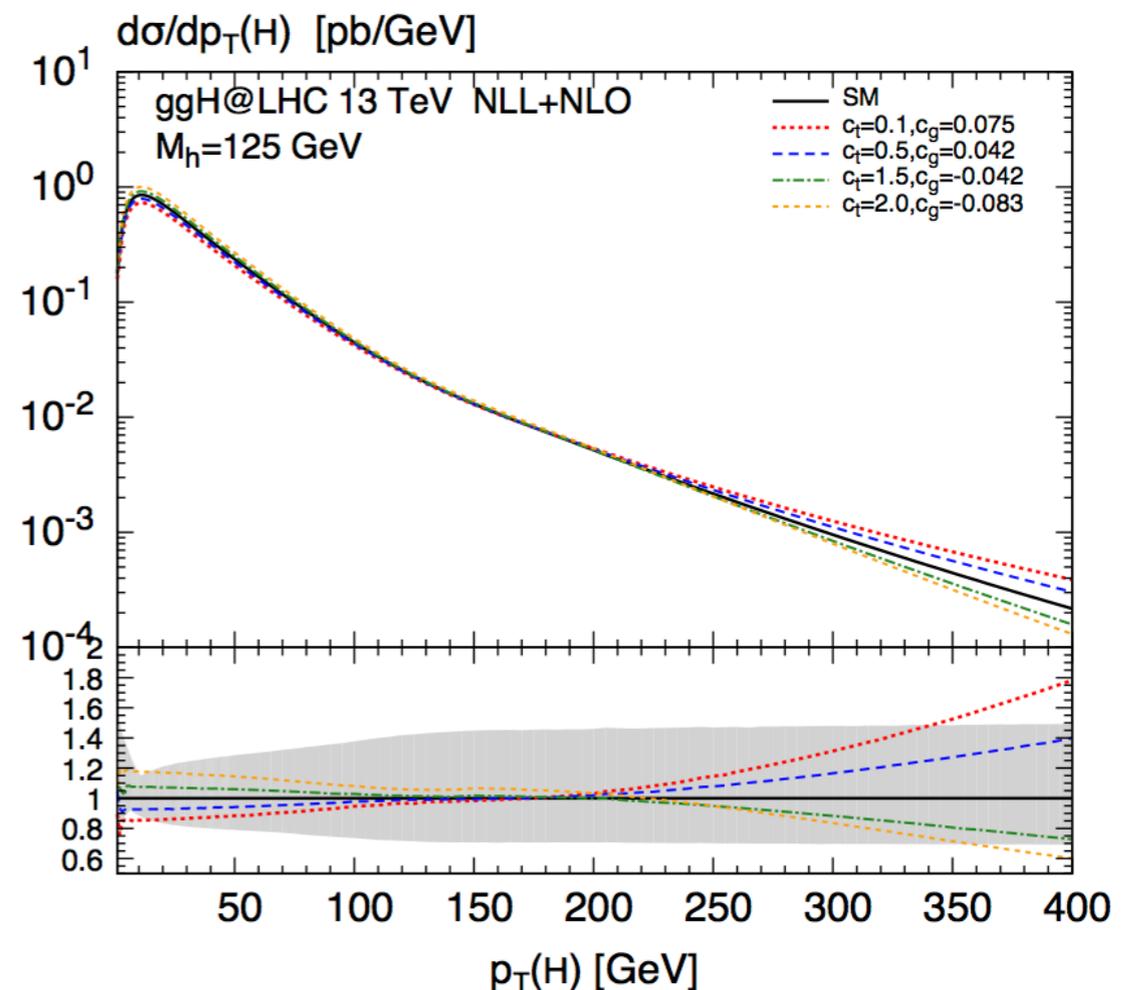
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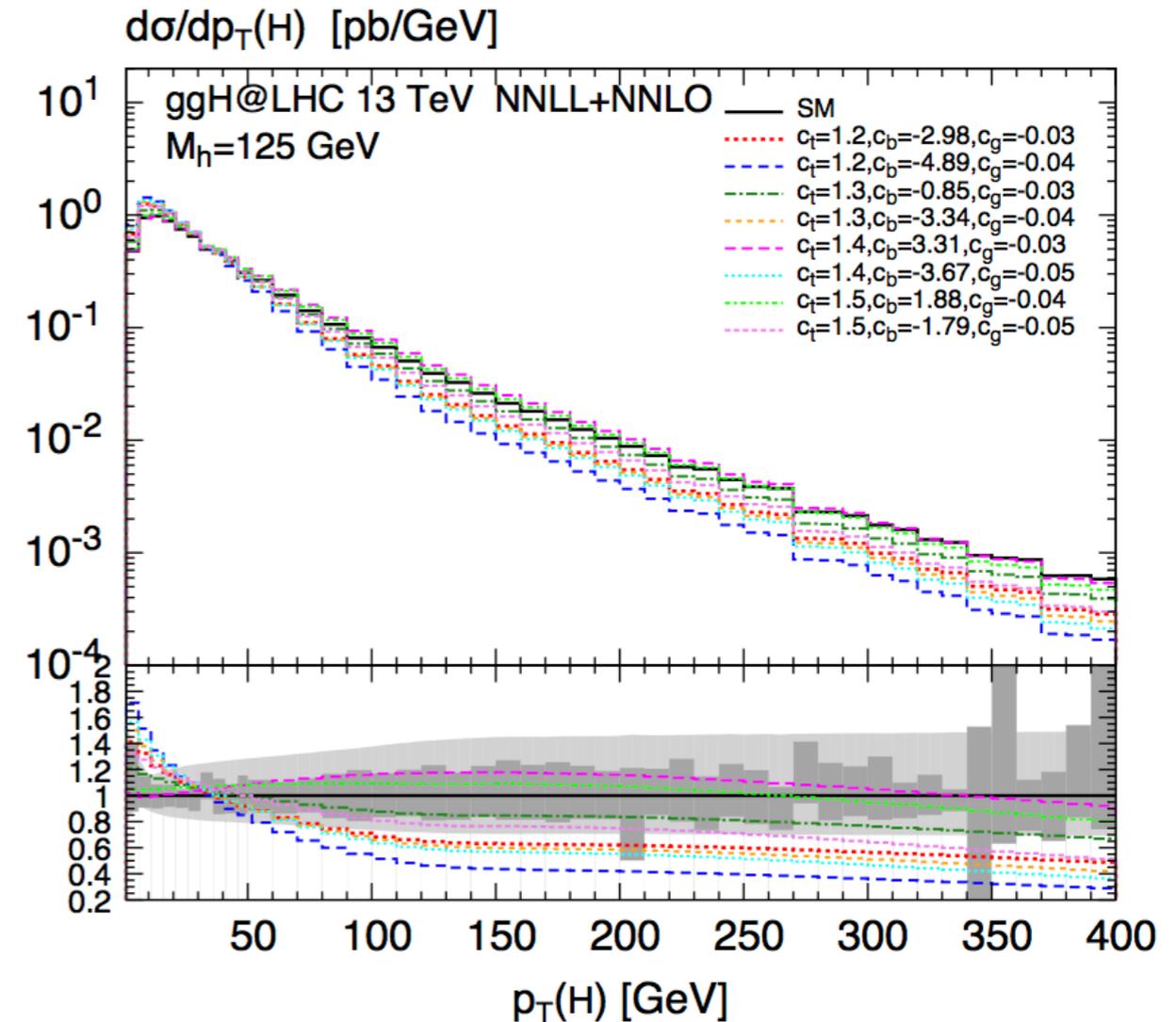
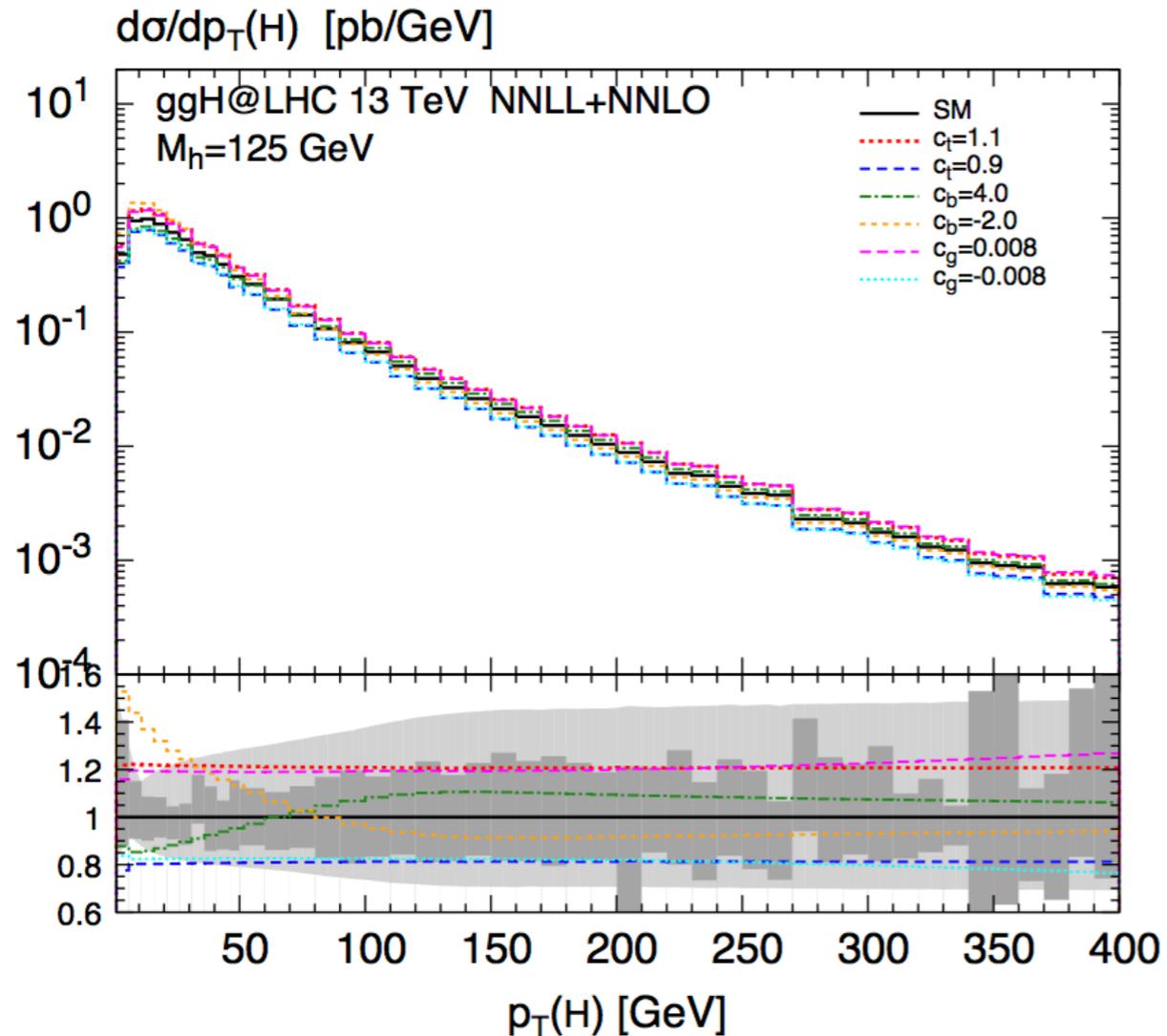
NLL+NLO computation which consistently includes the effect of  $\mathcal{O}_1$ ,  $\mathcal{O}_2$  and  $\mathcal{O}_3$  operators

the simultaneous effect of two or more operators can significantly distort the spectrum, still keeping the total rate consistent with the SM prediction



# BSM effects on Higgs $p_T$

A. Ilnicka, M. Spira, M. Wiesemann, MG (2016)

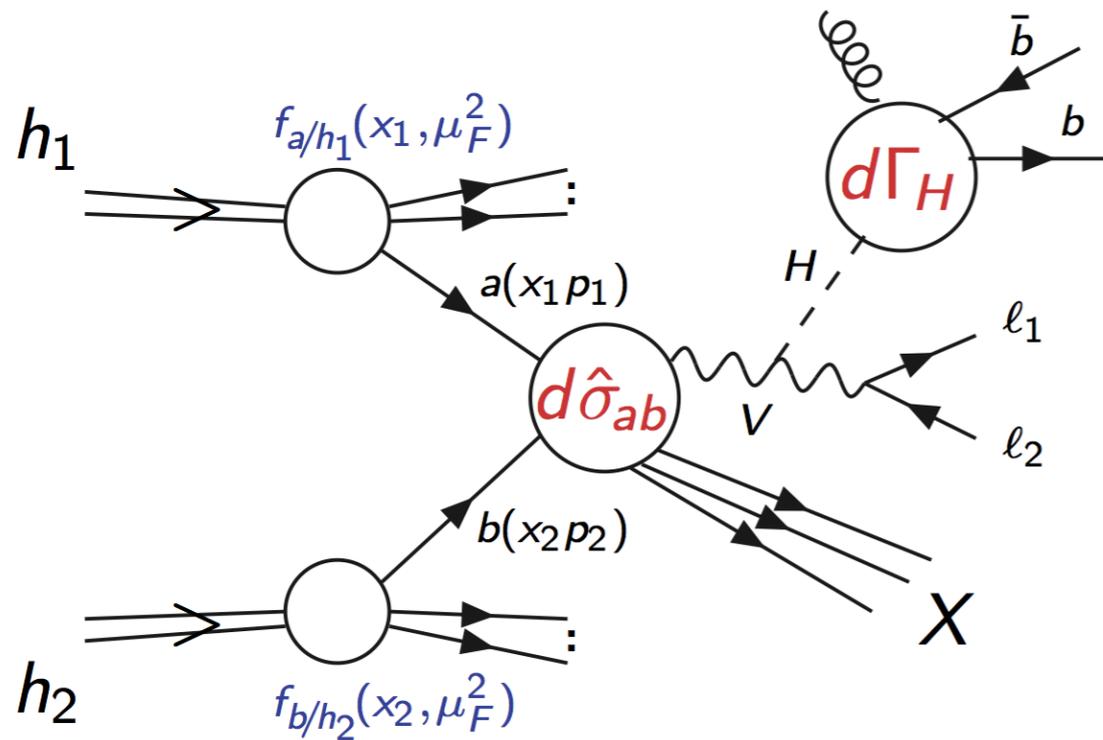


Relative BSM effects computed in this way can be used to rescale benchmark NNLL+NNLO effects

Similar results (including chromomagnetic operator) in the MG5\_aMC framework

➔ talk by Deutschmann

# VH



Total cross section well under control  
(NNLO effects roughly the same as for  
Drell-Yan)

W. Van Neerven et al. (1991)  
O. Brein, R. Harlander, A. Djouadi (2000)

Top mediated contributions (1-3%)

O. Brein, R. Harlander, M. Wiesemann, T. Zirke (2012)

$gg \rightarrow ZH$  loop induced (~ 5%)

B. Kniehl (1990)

NLO QCD+EW corrections available in HAWK

A. Denner, S. Dittmaier, S. Kallweit, A. Muck (2012)

Fully differential NNLO corrections available in the program VHNNLO, also  
including  $H \rightarrow bb$  decay at NLO

G. Ferrera, F. Tramontano, MG (2011, 2014)

Differential NNLO  $H \rightarrow bb$  decay rate also available

C. Anastasiou et al. (2012)  
Z. Trocsanyi et al (2014)

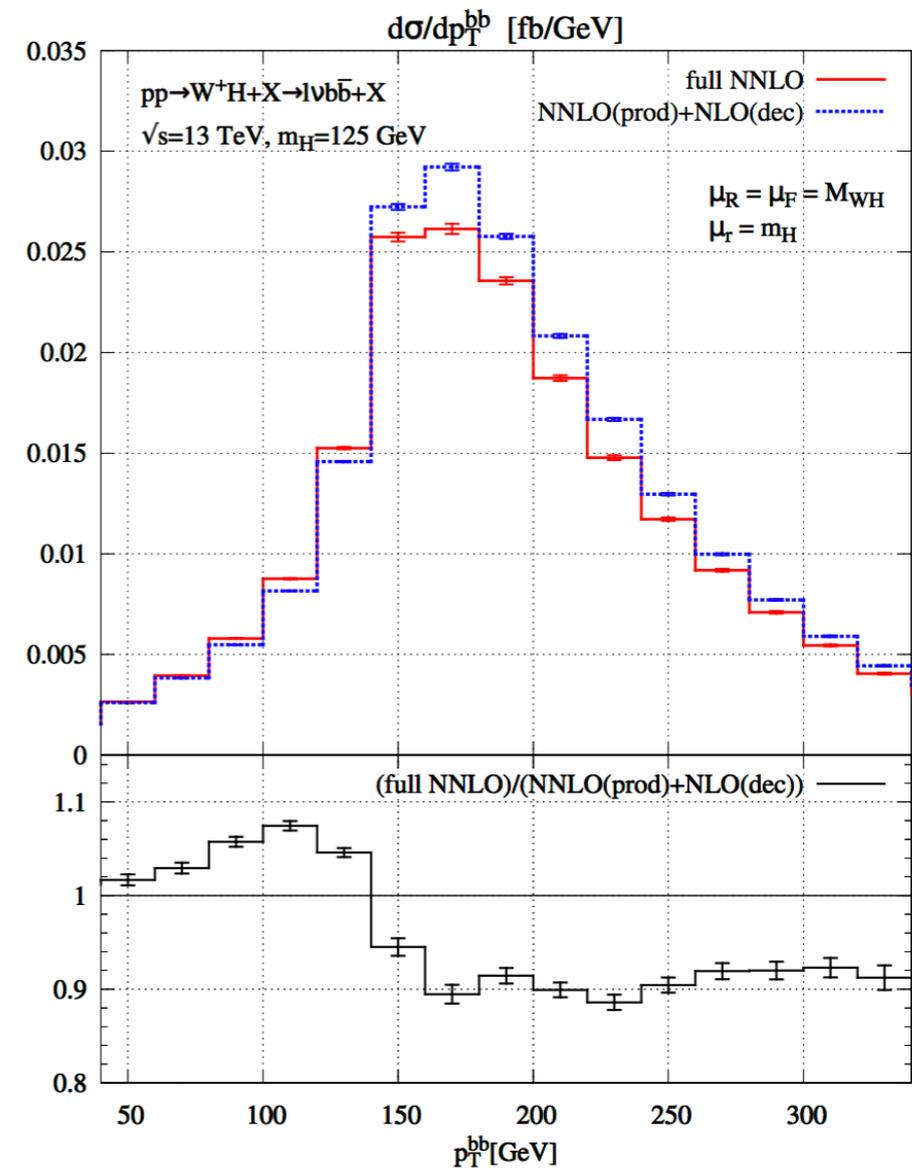
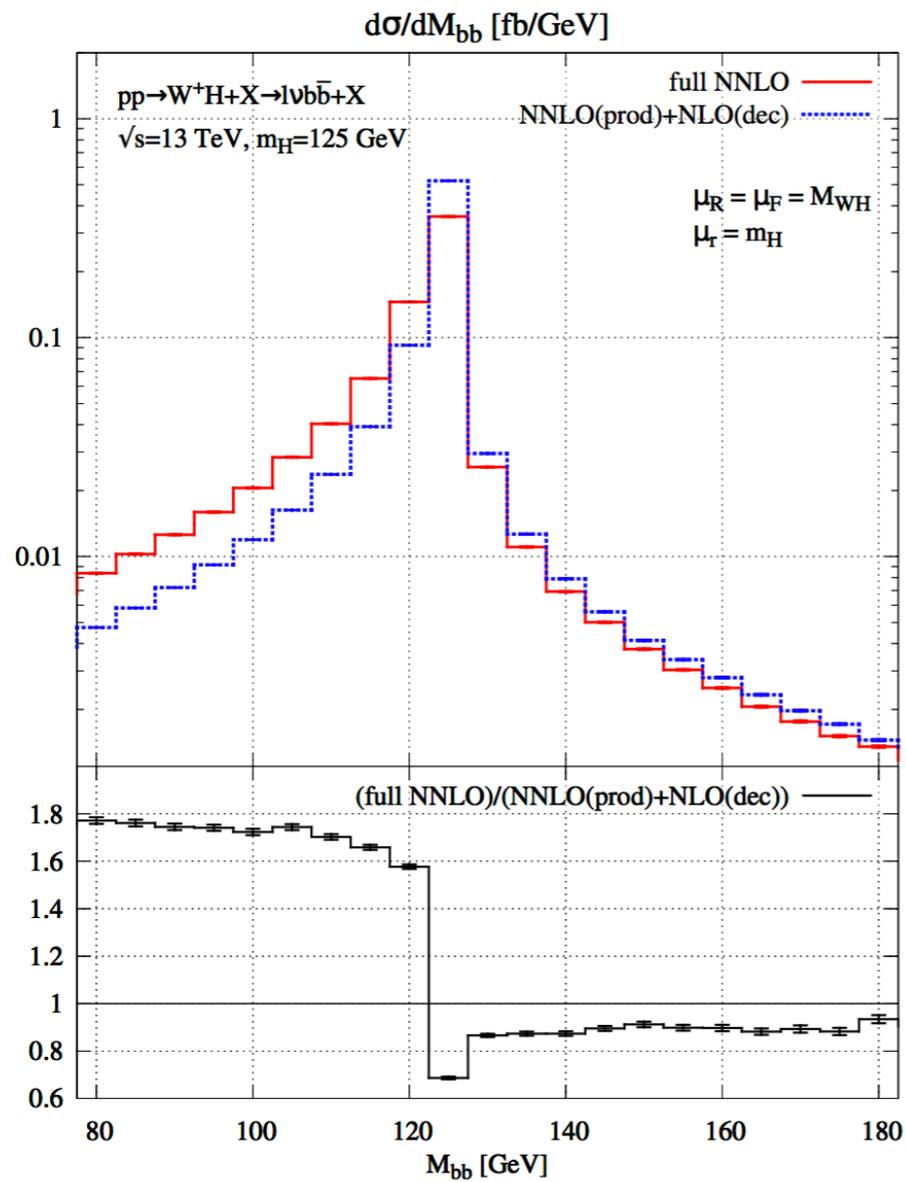
NNLO corrections for production + NLO decay now also in MCFM

R. Boughezal et al (2016)

# VH

G.Ferrera, G.Somogyi, F.Tramontano (2017)

Full NNLO QCD calculation (production and decay) recently completed: combines  $q_T$  subtraction for production and colourful subtraction for decay



Relatively large effects (-6%) from newly computed effects

# VH

## The ZH bottleneck

The loop induced gg contribution, which first appears at NNLO, is strongly enhanced at high  $p_T$

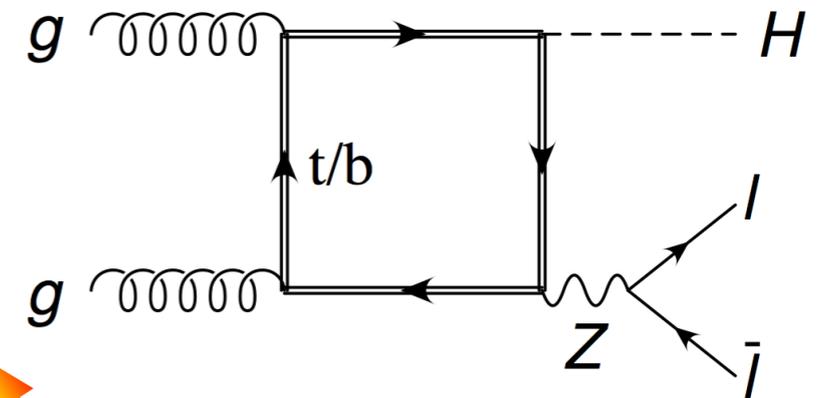
$\sigma$ (fb)	NLO	NNLO (DY-like)	NNLO
LHC8	$0.2820^{+2\%}_{-2\%}$	$0.2574^{+3\%}_{-4\%}$	$0.3112^{+3\%}_{-2\%}$
LHC14	$0.2130^{+10\%}_{-12\%}$	$0.1770^{+7\%}_{-6\%}$	$0.2496^{+5\%}_{-2\%}$

$$p_T^Z > 160 \text{ GeV}$$

$$\Delta\phi_{Z,b\bar{b}} > 3$$

+21%

+41%



Impact of  $gg \rightarrow ZH$

G.Ferrera, F.Tramontano, MG (2014)

➔ Increasingly important in the boosted region

NLO corrections known only in large  $m_t$  limit (~100%)

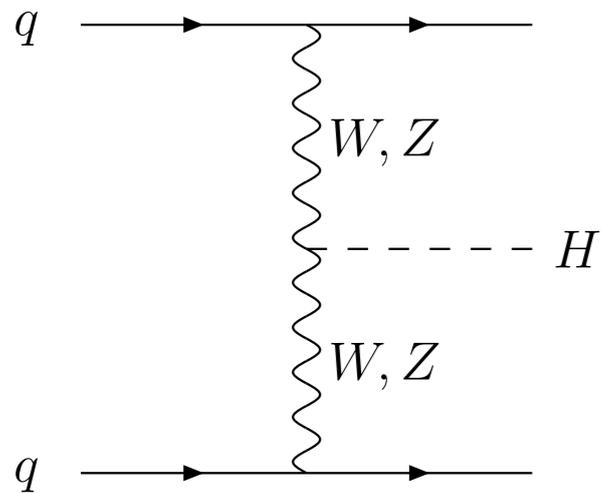
L.Altenkamp et al. (2012)

Use numerical techniques as in NLO calculation for HH?

S.Borowka et al (2016)

The presence of one additional scale ( $Q \sim m_Z$ ) makes reduction to master integrals much more involved

# VBF



Second important production channel: distinctive signature with little jet activity in the central rapidity region

QCD corrections at NLO of  $O(10\%)$

T. Han, S. Willenbrock (1991)

T. Figy, C. Oleari, D. Zeppenfeld (2003)

J. Campbell, K. Ellis (2003)

NLO QCD and EW interactions implemented in HAWK  
and VBFNLO: they tend to compensate each other

M.Ciccolini, A.Denner, S.Dittmaier (2007)

## Other radiative contributions:

Interference with gluon fusion

Andersen, Binoth, Heinrich, Smillie (2007)

Andersen, Smillie (2008)

Bredenstein, Hagiwara, Jäger (2008)

Other refinements include some NNLO contributions like gluon-induced diagrams (well below 1%)

R.Harlander, J.Vollinga, M.Weber (2008)

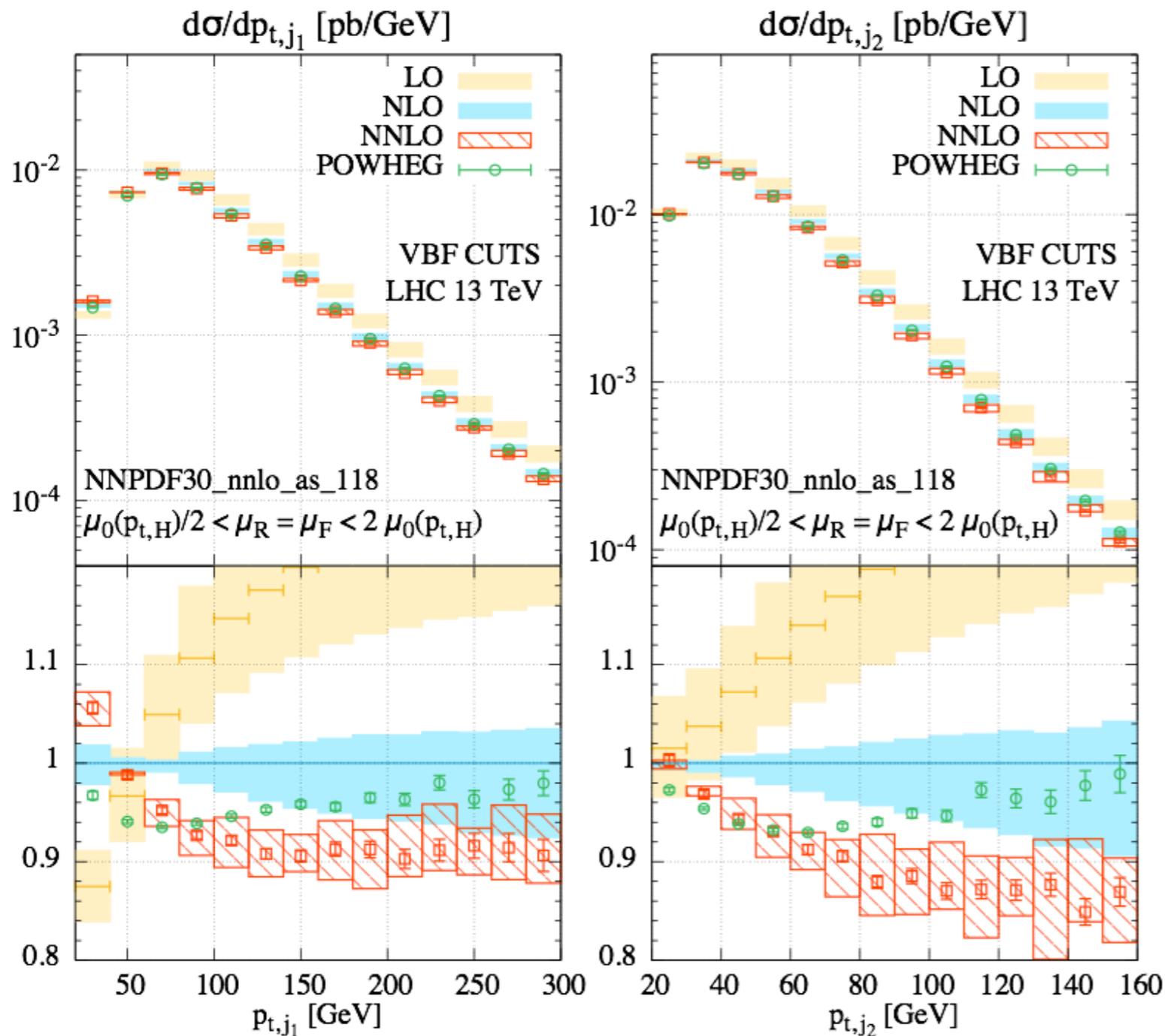
and the more relevant DIS like NNLO contributions computed within the structure function approach (1% effect)

P.Bolzoni, F.Maltoni, S.Moch, M.Zaro (2010)

Hjj in NLO+PS implemented in POWHEG and aMC@NLO

# VBF

Theoretical control appears to be at the level of accuracy to which the process itself can be defined but....



Fully exclusive NNLO computation recently completed shows that NNLO corrections make  $p_T$  spectra softer

➔ larger impact when VBF cuts are applied

	$\sigma^{(\text{no cuts})}$ [pb]	$\sigma^{(\text{VBF cuts})}$ [pb]
LO	$4.032^{+0.057}_{-0.069}$	$0.957^{+0.066}_{-0.059}$
NLO	$3.929^{+0.024}_{-0.023}$	$0.876^{+0.008}_{-0.018}$
NNLO	$3.888^{+0.016}_{-0.012}$	$0.826^{+0.013}_{-0.014}$

-1%

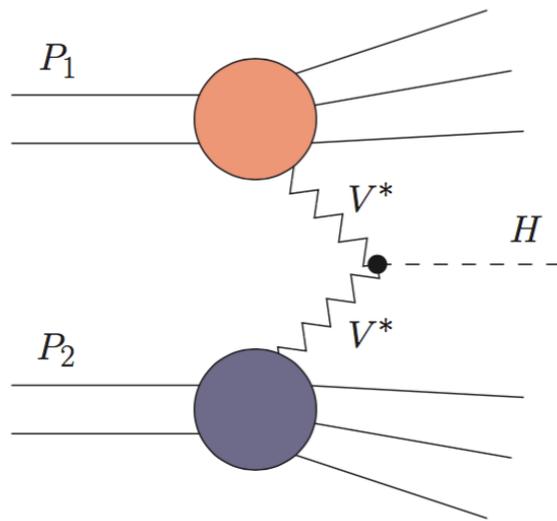
-6%

M.Cacciari, F.Dreyer, A.Karlberg, G.Salam, G.Zanderighi (2015)

# VBF

Inclusive N<sub>3</sub>LO calculation recently completed (structure function approach: neglecting color connections between the upper and lower part of the diagrams)

F.Dreyer, A.Karlberg (2016)



Residual scale uncertainty at the per mille level

Could potentially lead to a differential N<sub>3</sub>LO calculation with the same method adopted at NNLO

→ talk by A.Karlberg

## Remaining issues:

- ggF contamination: in run 2 will use NNLOPS → Large uncertainties
- central jet veto: when matching to PS different showers give significantly different results

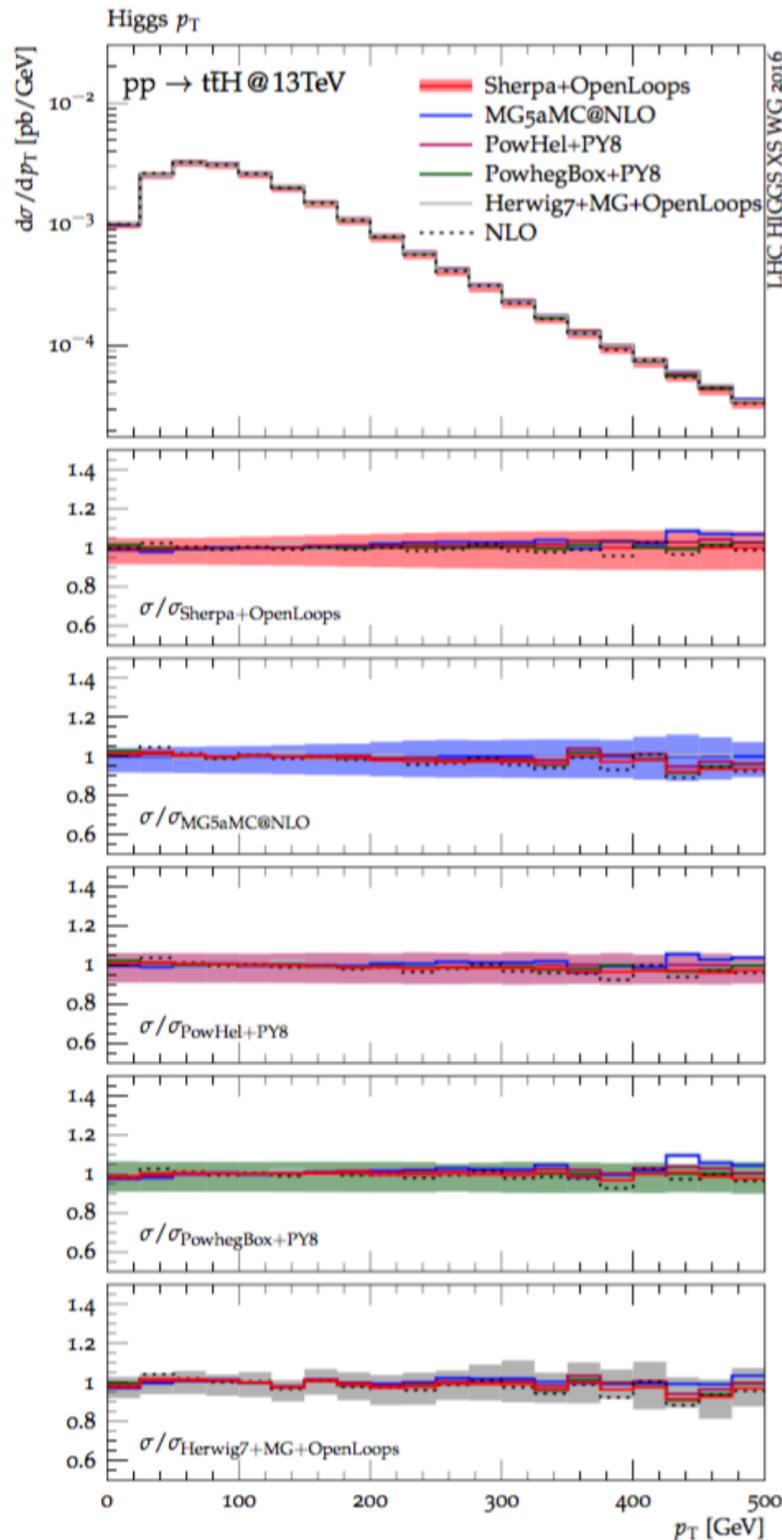
When it comes to realistic studies more work is needed !

# ttH

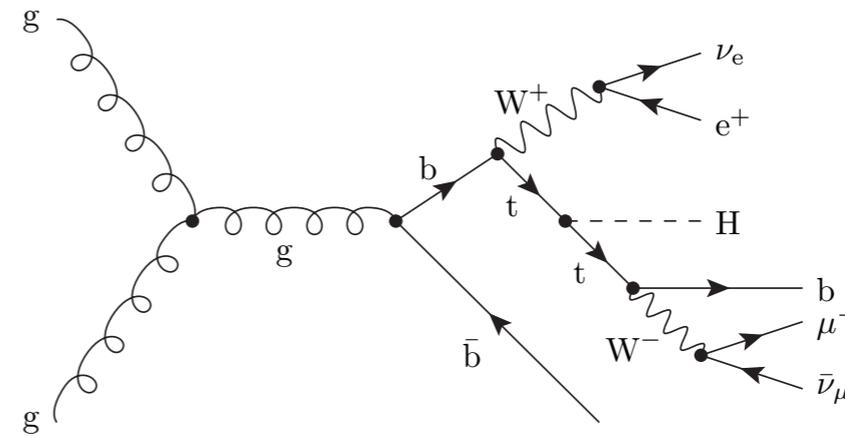
Total cross section known at NLO: uncertainties at the level of 9% (scale) and 8% (PDF+ $\alpha_s$ )

W.Beenhakker et al. (2001)

S.Dawson, L.Reina (2002)



Realistic parton level simulations including top decays and all non-resonant contributions, off-shell effects and interferences



A.Denner, R.Feger (2015)

For both signal and backgrounds it is crucial to account for spin correlations

R.Frederix et al (2014)

Various NLO+PS implementations:

Validation for HXSWG YR<sub>4</sub>



Good compatibility

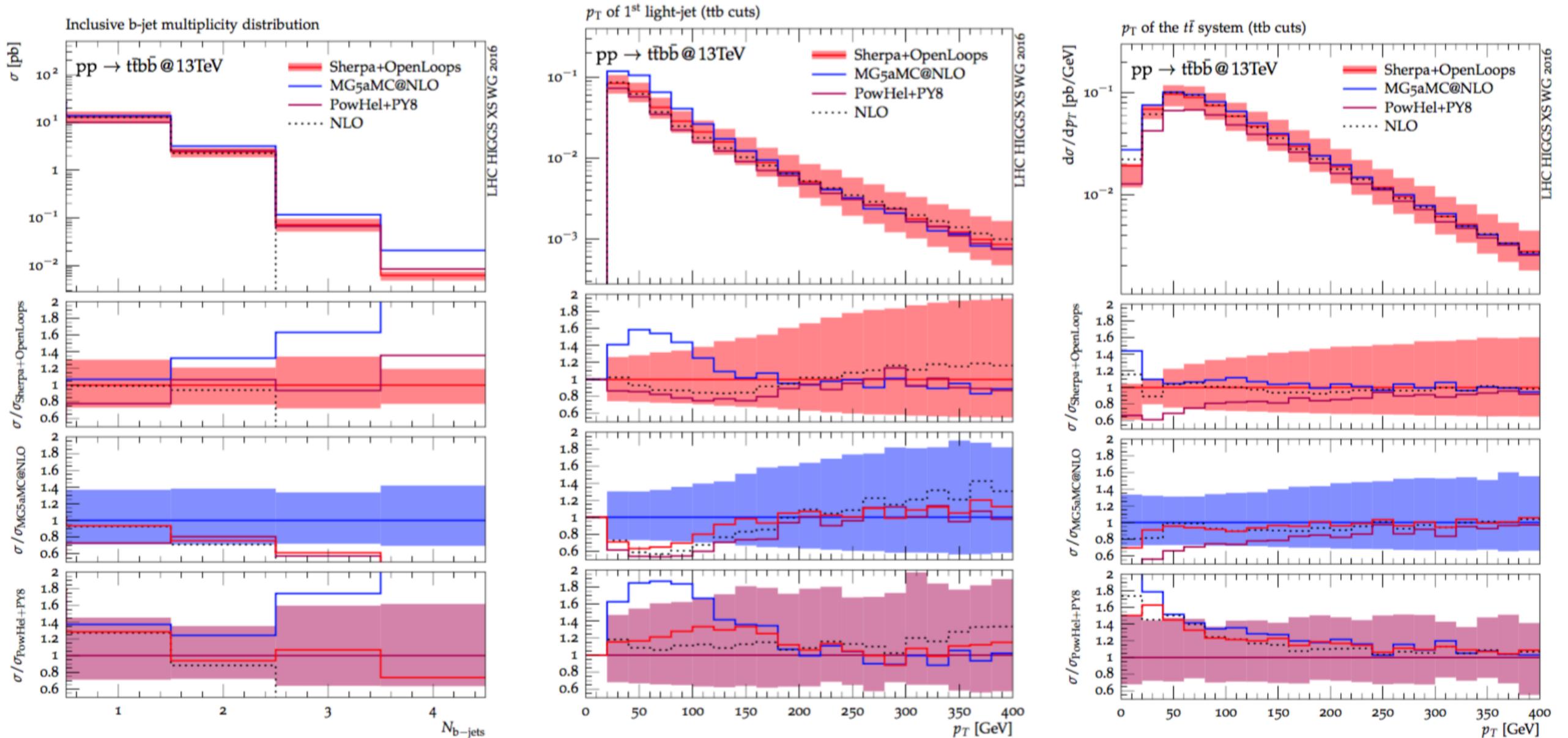
QCD+EW corrections

S.Frixione et al (2014, 2015)

see also Z.Yu et al (2014)

# ttH

Main problem is to reach a good understanding of backgrounds

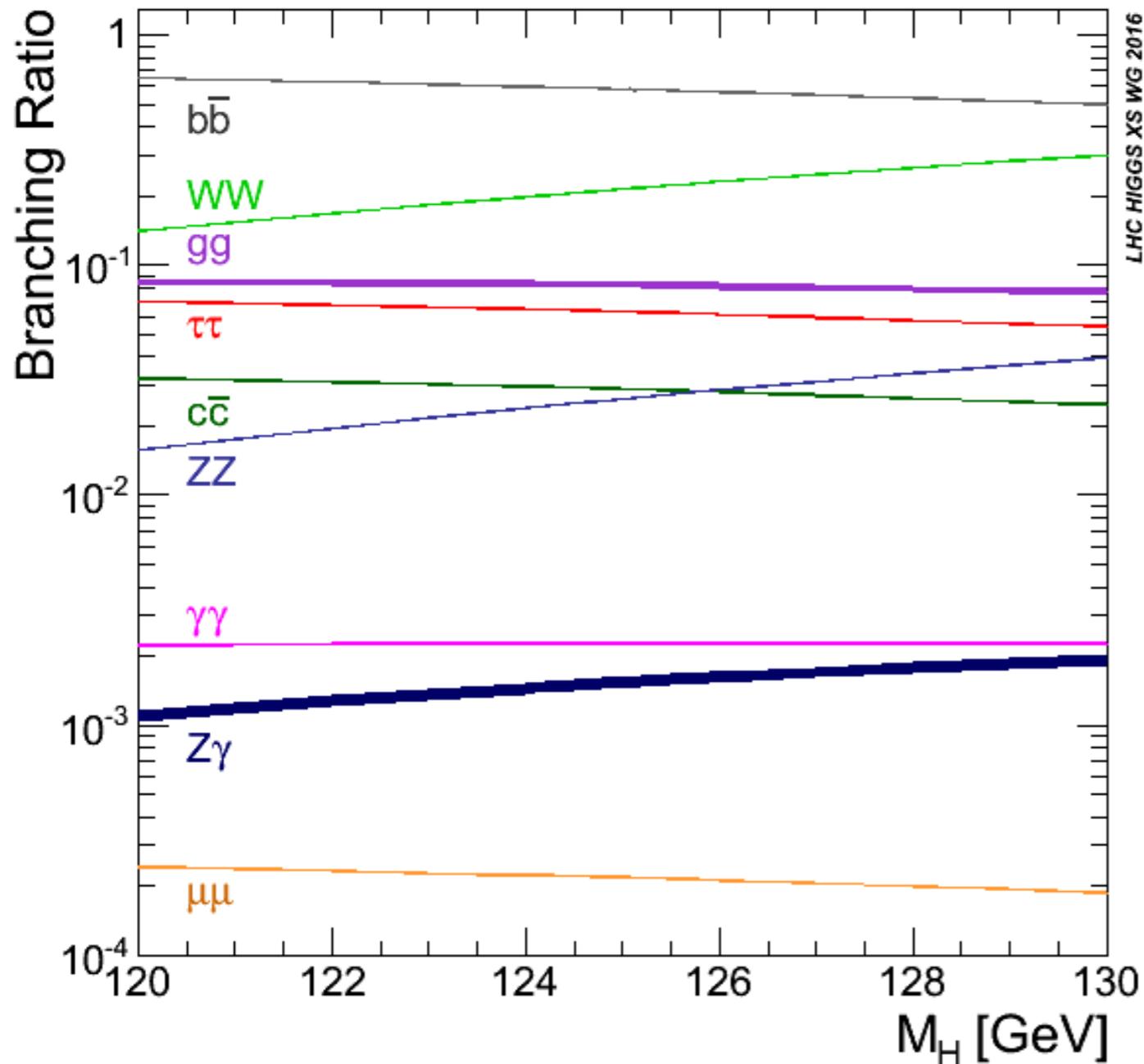


S.Guidon,C.Neu , S.Pozzorini, L.Reina, YR4 HXSWG (2016)

NLO+PS simulations show some discrepancies: to be understood

# Higgs decays

A.Denner, S.Heinemeyer, A. Mück,  
I.Puljak, D.Rebuzzi (HXS WG YR4, 2016)



Results based on HDECAY and Prophecy4f which include all relevant QCD and EW corrections

$$\Gamma_H = \Gamma^{\text{HD}} - \Gamma_{ZZ}^{\text{HD}} - \Gamma_{WW}^{\text{HD}} + \Gamma_{4f}^{\text{Proph.}}$$

New version of HDECAY includes EW corrections in fermionic decays and MSbar input masses

# Higgs decays

For  $M_H = 125 \text{ GeV}$

YR3 → YR4

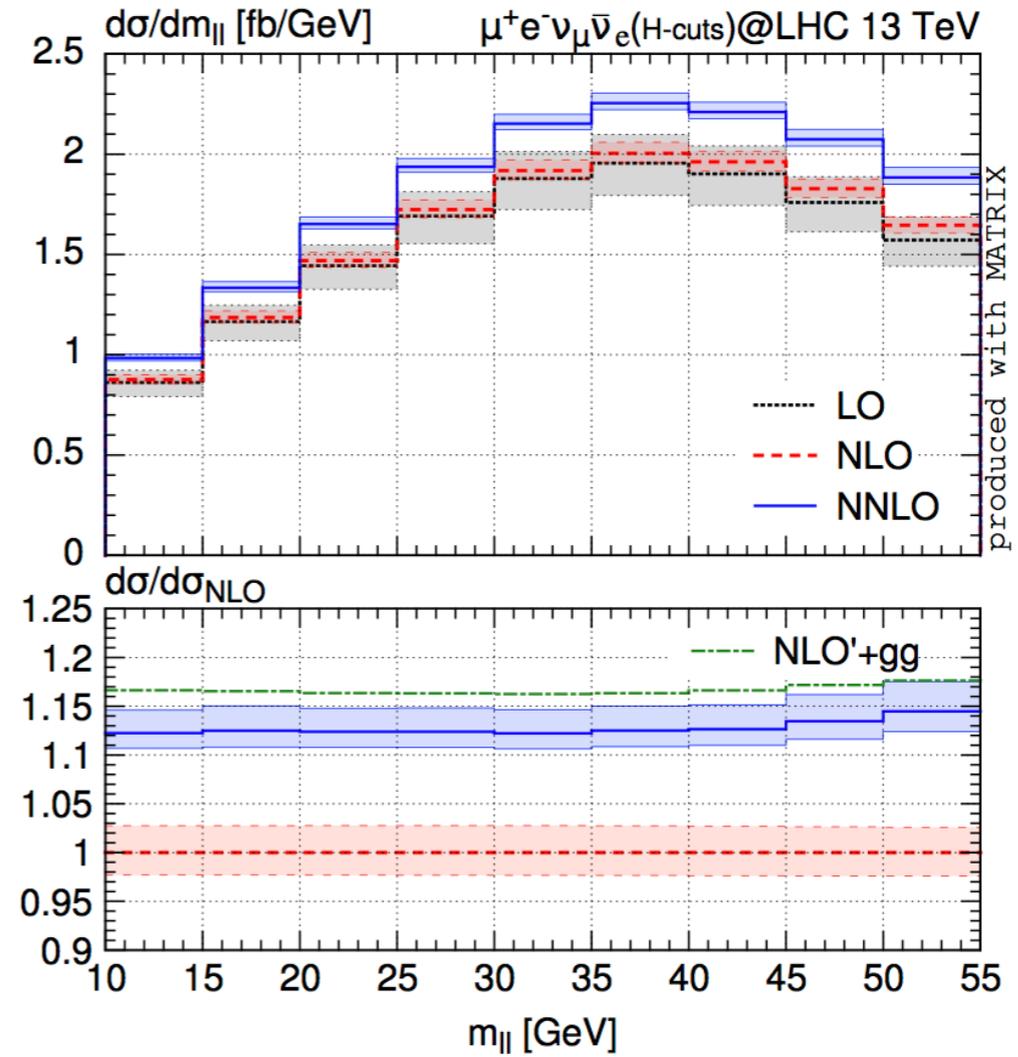
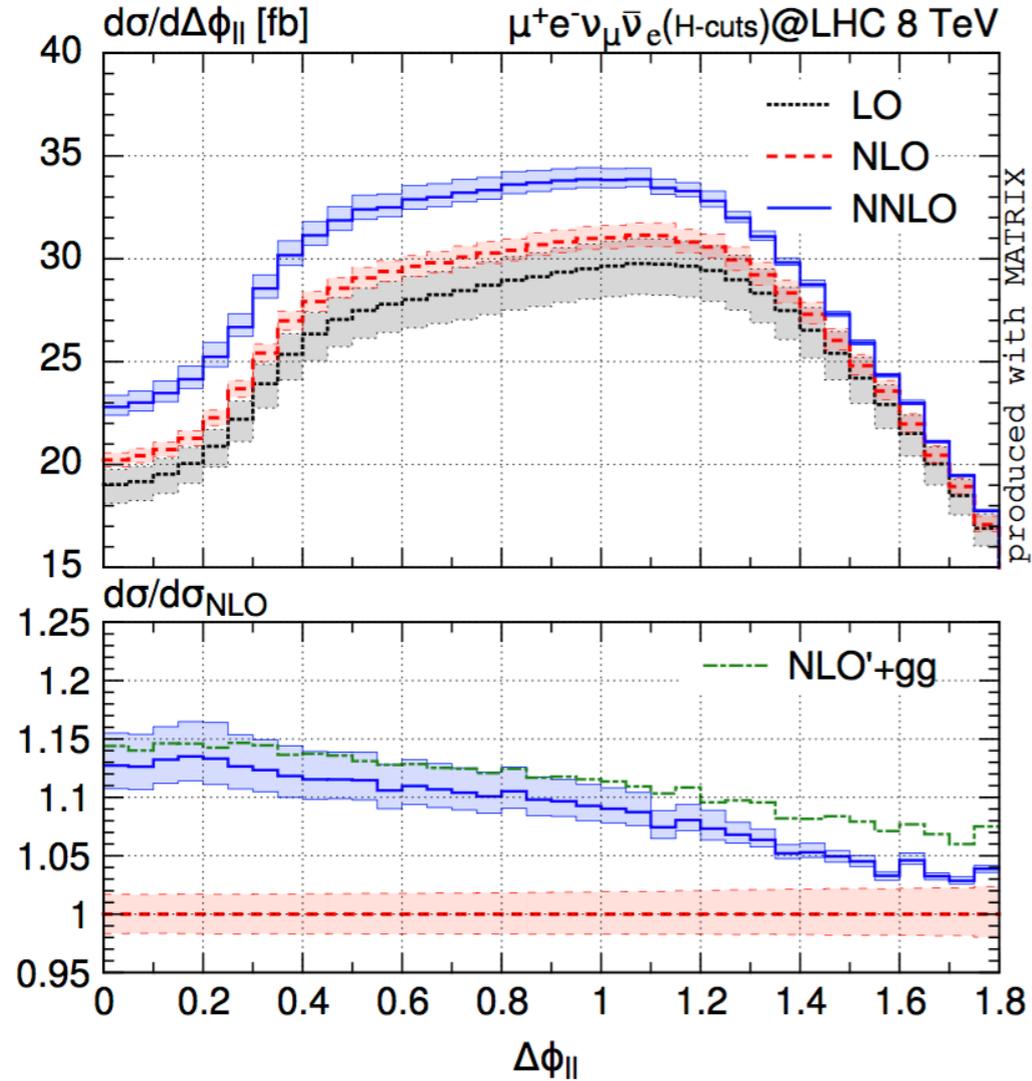
Channel	$\Delta\alpha_s$	$\Delta m_b$	$\Delta m_c$	THU
$b\bar{b}$	-2.3% → -1.4% +2.3% → +1.4%	+3.3% → +1.7% -3.2% → -1.7%	+0.0% -0.0%	+2.0% → +0.5% -2.0% → -0.5%
$\tau\tau$	+0.0% -0.0%	+0.0% -0.0%	+0.0% -0.0%	+2.0% → +0.5% -2.0% → -0.5%
$\mu\mu$	+0.0% -0.0%	+0.0% -0.0%	+0.0% -0.0%	+2.0% → +0.5% -2.0% → -0.5%
$c\bar{c}$	-7.1% → -1.9% +7.0% → +1.9%	+0.0% -0.0%	+6.2% → +5.3% -6.1% → -5.2%	+2.0% → +0.5% -2.0% → -0.5%
$gg$	+4.2% → +3.0% -4.1% → -3.0%	+0.1% -0.1%	+0.0% -0.0%	+3.0% -3.0%
$\gamma\gamma$	+0.0% -0.0%	+0.0% -0.0%	+0.0% -0.0%	+1.0% -1.0%
$Z\gamma$	+0.0% -0.0%	+0.0% -0.0%	+0.0% -0.0%	+5.0% -5.0%
$WW$	+0.0% -0.0%	+0.0% -0.0%	+0.0% -0.0%	+0.5% -0.5%
$ZZ$	+0.0% -0.0%	+0.0% -0.0%	+0.0% -0.0%	+0.5% -0.5%

D.Rebuzzi, HXSWG meeting, july 2016

Significant reduction of PU and TH uncertainties on the partial widths

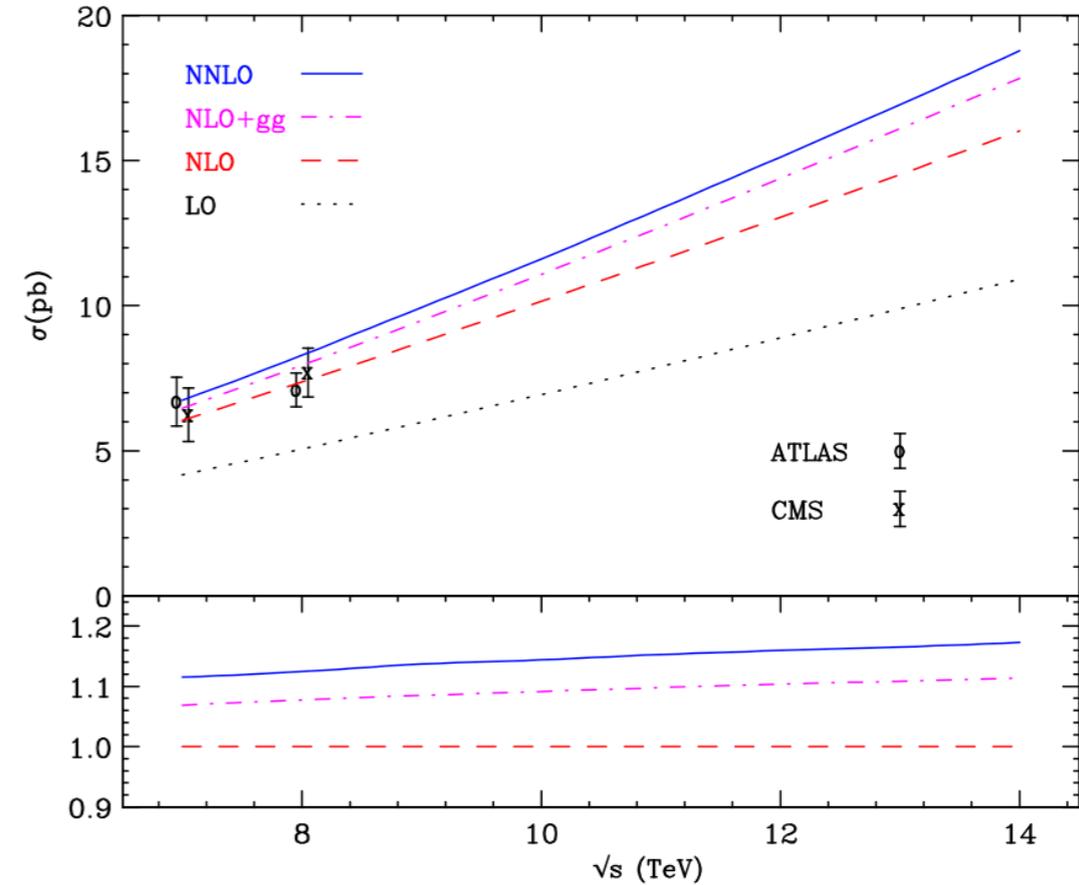
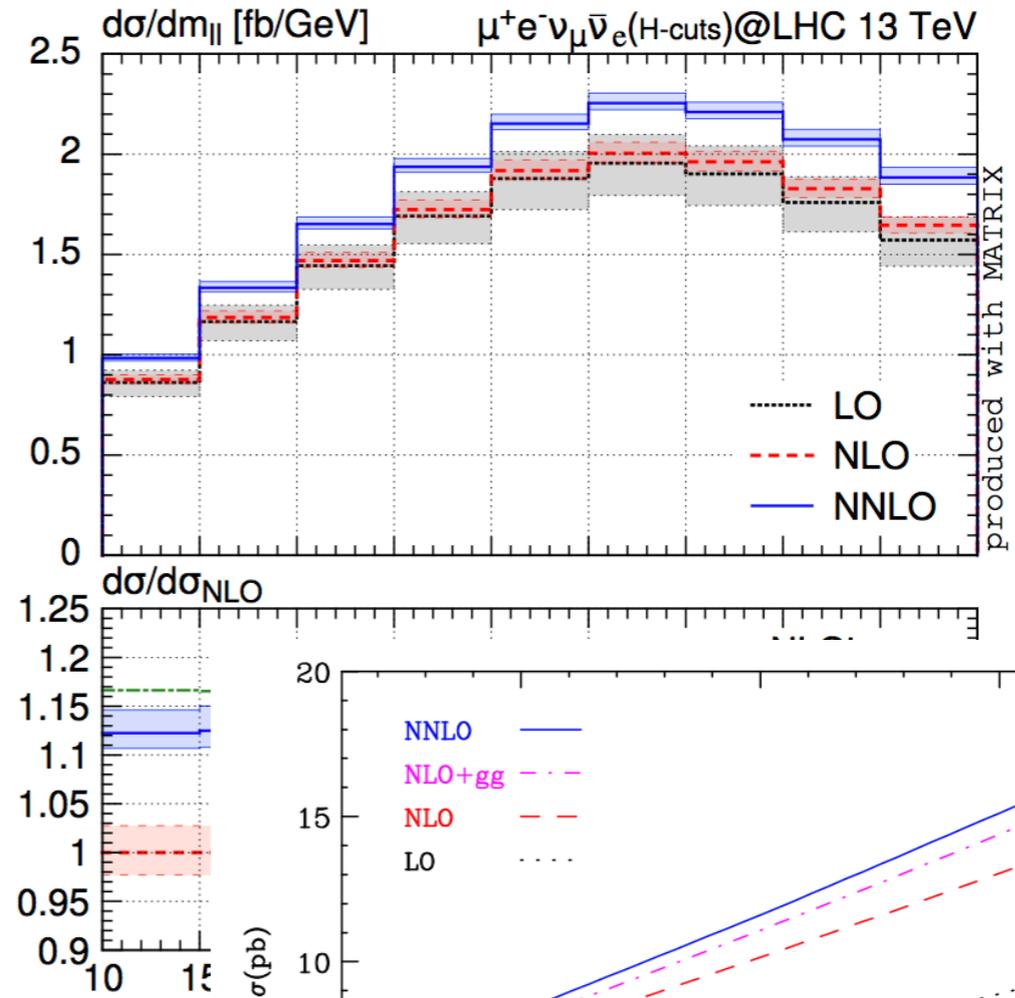
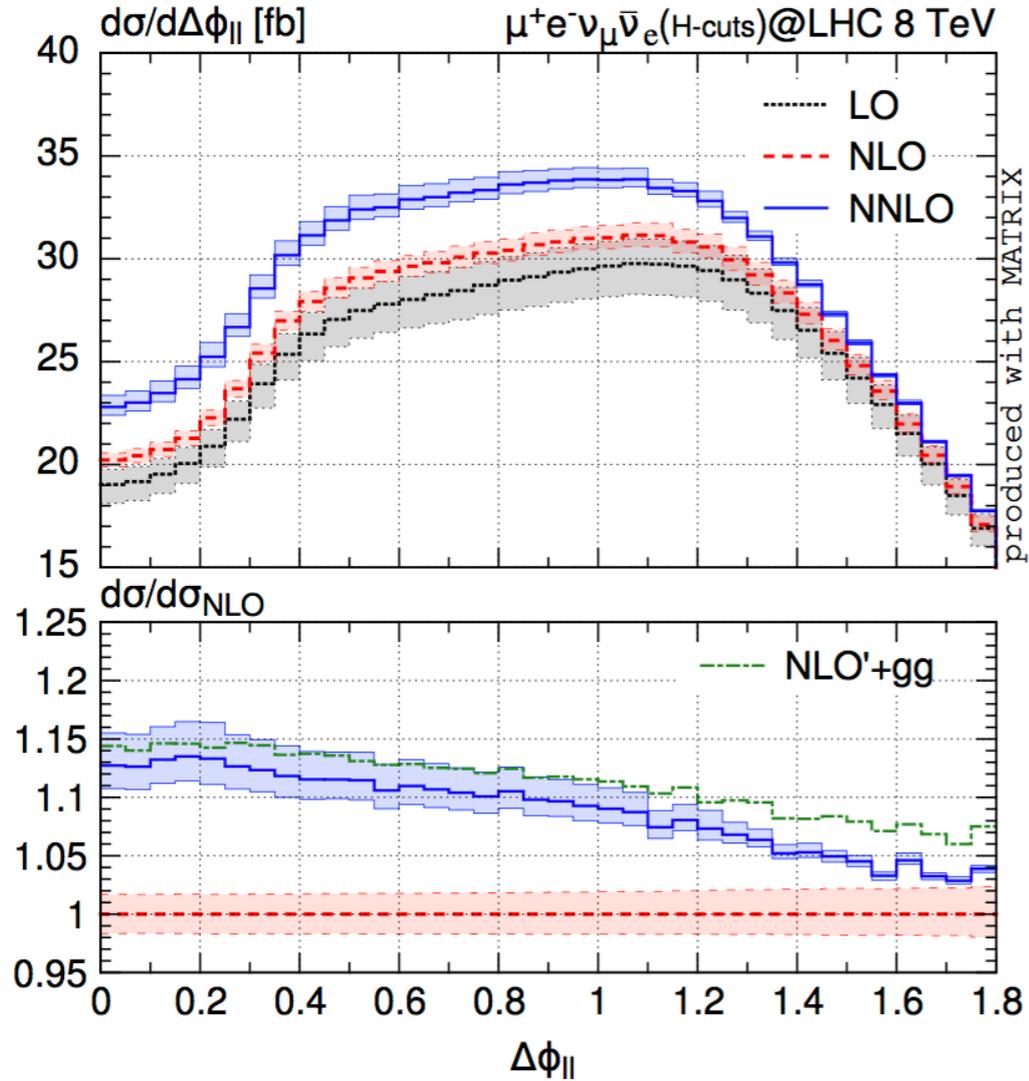
# Diboson backgrounds

All diboson backgrounds computed to NNLO QCD



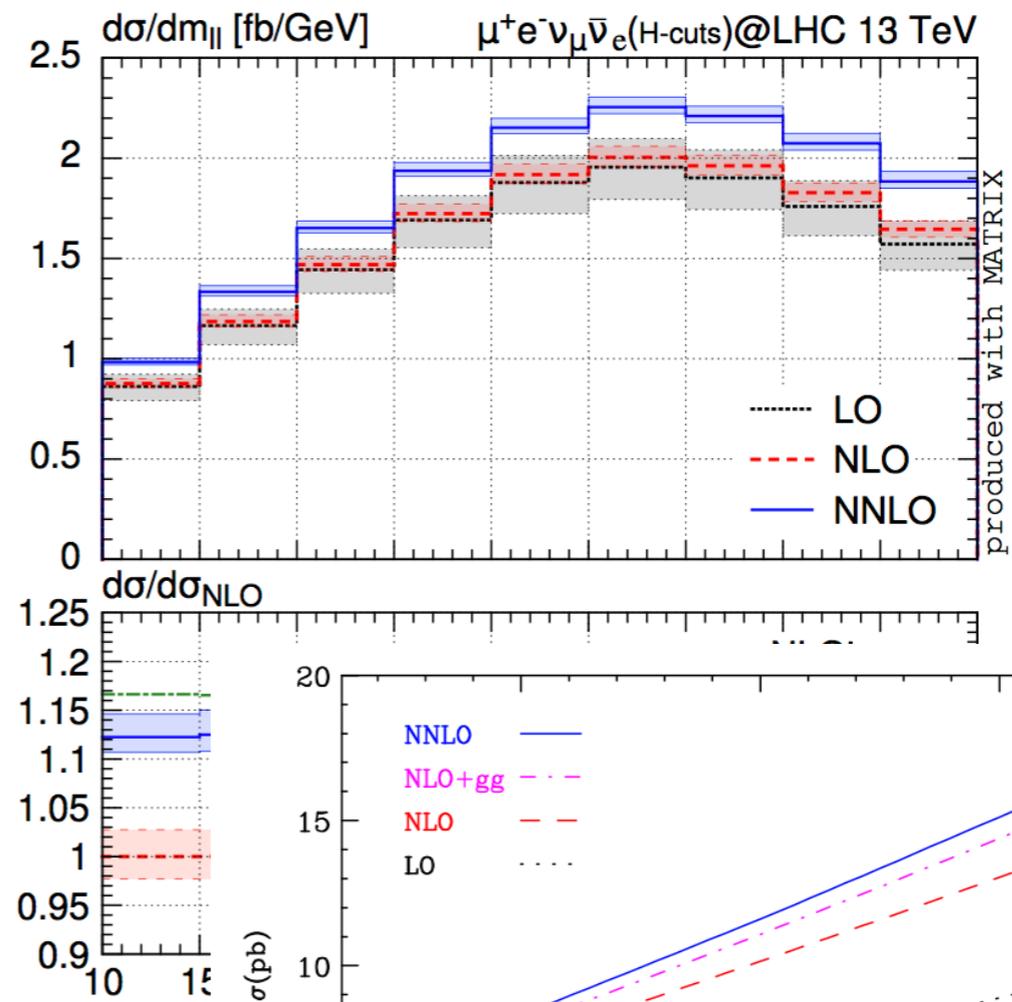
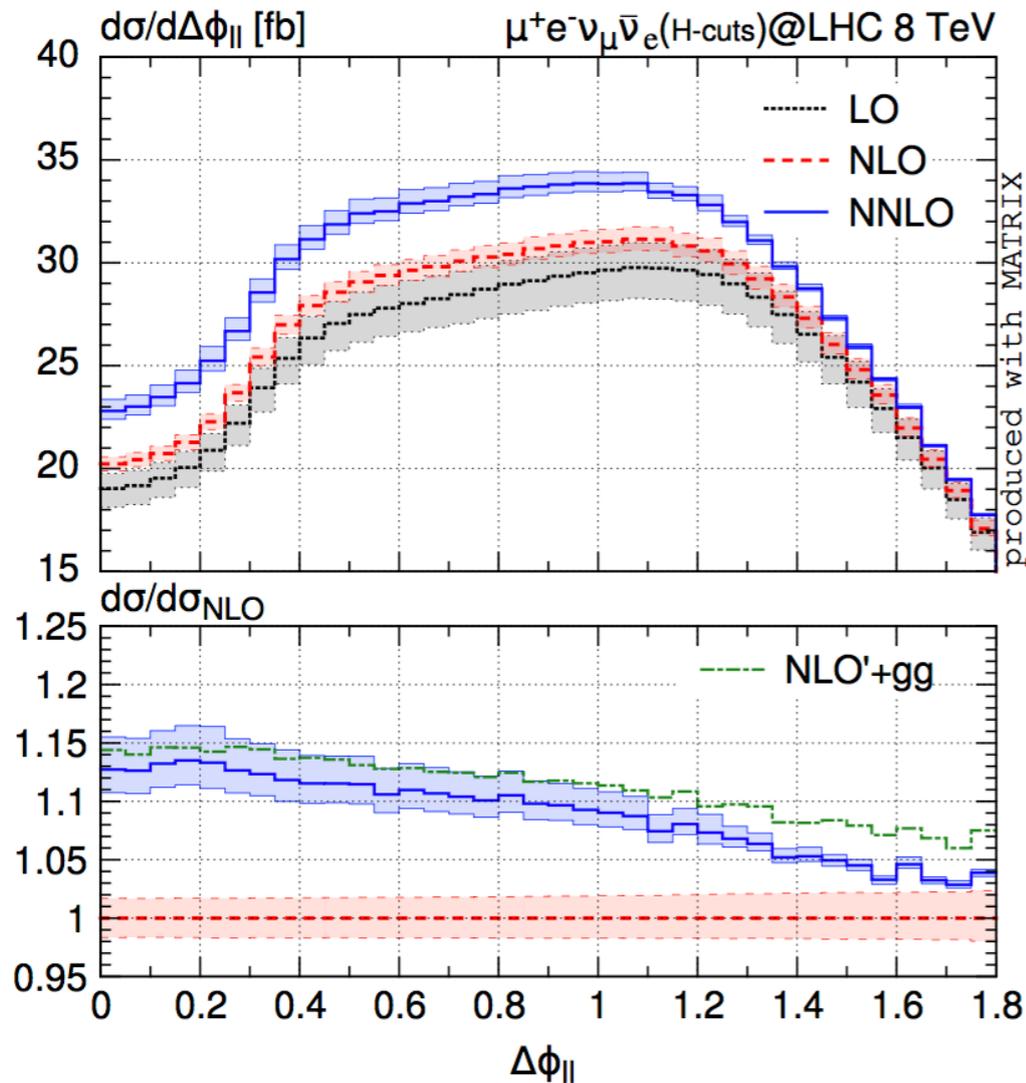
# Diboson backgrounds

All diboson backgrounds computed to NNLO QCD



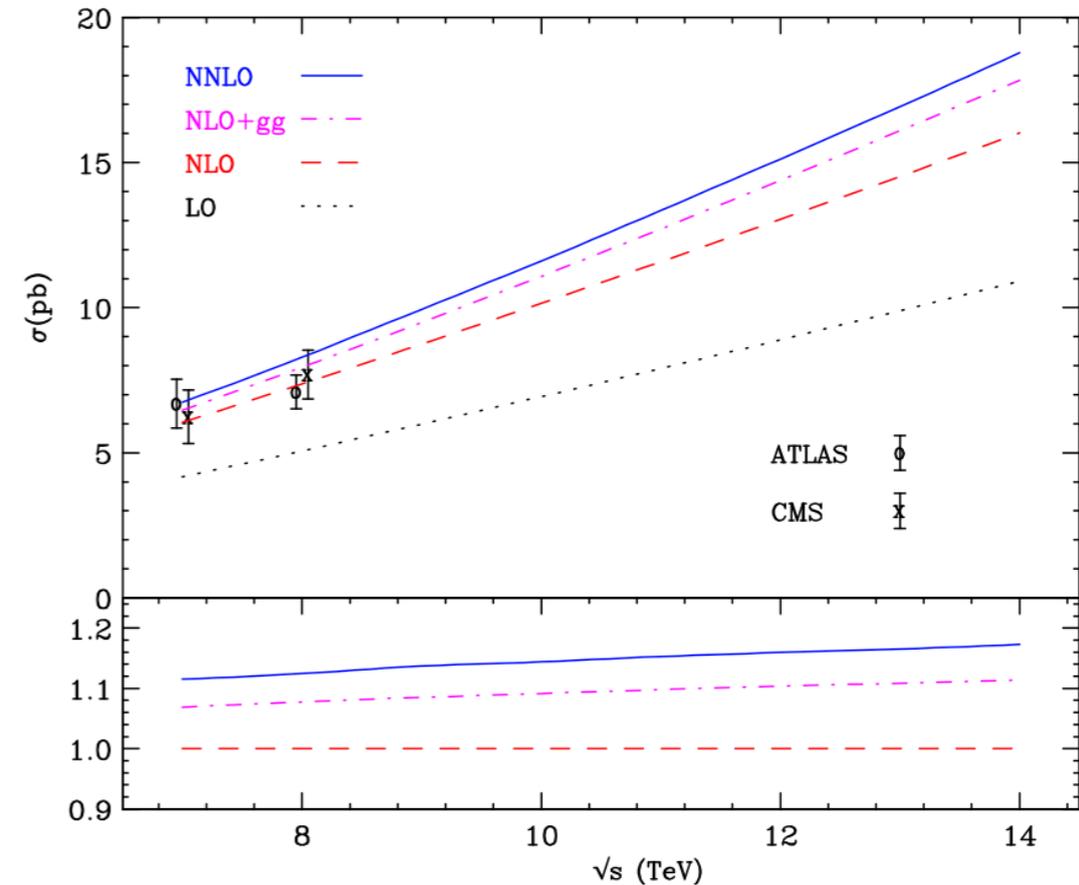
# Diboson backgrounds

All diboson backgrounds computed to NNLO QCD



Now available in a general purpose parton level  
Montecarlo program: **MATRIX**

S.Kallweit, D.Rathlev, M.Wiesemann, MG (to appear)





# $pp \rightarrow ZZ+X$ at NNLO: the Higgs background region

S. Kallweit, D. Rathlev, MG (2016)

YR4 ZZ cuts:

- $p_{T1} > 20 \text{ GeV}$      $p_{T2} > 10 \text{ GeV}$   
 $p_{Te} > 7 \text{ GeV}$      $|\eta_e| < 2.5$      $p_{T\mu} > 5 \text{ GeV}$      $|\eta_\mu| < 2.5$      $\Delta R(1,1) > 0.1$
- lepton isolation:  $\Sigma (p_{Ti} \text{ of all particles } i \text{ with } \Delta R(1,i) < 0.4) < 0.4 p_{T1}$     Jets: anti-kt with  $R=0.4$
- Leading pair: same flavour pair with smallest  $|m-m_Z| \rightarrow m_1$   
 Subleading pair: remaining same flavour pair with smallest  $|m-m_Z| \rightarrow m_2$   
 $40 \text{ GeV} < m_1 < 120 \text{ GeV}$      $12 \text{ GeV} < m_2 < 120 \text{ GeV}$
- $120 \text{ GeV} < m_{4l} < 130 \text{ GeV}$
- Use PDF4LHC15 at NLO and NNLO with  $\mu_F = \mu_R = m_{4l}$  as central scale

# $pp \rightarrow ZZ+X$ at NNLO: the Higgs background region

S. Kallweit, D. Rathlev, MG (2016)

Since the cuts are not very aggressive we would expect the impact of radiative corrections not to change

Channel	$\sigma_{LO}$ (fb)	$\sigma_{NLO}$ (fb)	$\sigma_{NLO+gg}$ (fb)	$\sigma_{NNLO}$ (fb)
$e^+e^-e^+e^-$	0.1347(1) <sup>+10%</sup> <sub>-11%</sub>	0.1485(2) <sup>+2.4%</sup> <sub>-3.6%</sub>	0.1584(2) <sup>+2.4%</sup> <sub>-3.6%</sub>	0.159(1) <sup>+0.7%</sup> <sub>-0.9%</sub>
$\mu^+\mu^-\mu^+\mu^-$	0.1946(2) <sup>+10%</sup> <sub>-11%</sub>	0.2150(2) <sup>+2.4%</sup> <sub>-3.6%</sub>	0.2291(2) <sup>+2.4%</sup> <sub>-3.6%</sub>	0.230(1) <sup>+0.9%</sup> <sub>-0.8%</sub>
$e^+e^-\mu^+\mu^-$	0.3165(3) <sup>+10%</sup> <sub>-11%</sub>	0.3457(3) <sup>+2.4%</sup> <sub>-3.6%</sub>	0.3677(2) <sup>+2.3%</sup> <sub>-3.5%</sub>	0.3690(6) <sup>+0.5%</sup> <sub>-0.8%</sub>

With this choice of parameters NLO corrections for on shell inclusive  $ZZ$  production amount to **+23%**

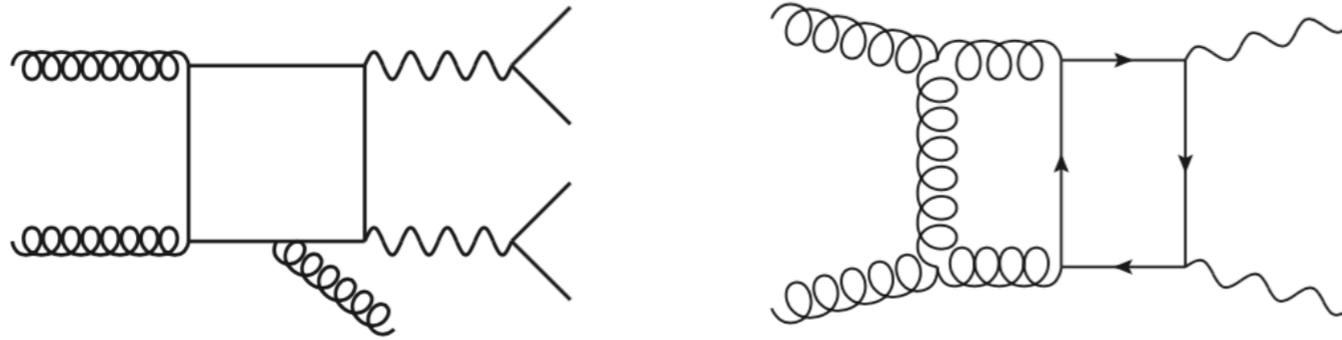

  
**+9-10%**      **+6-7%**      **0-1%**

The combination of the cuts acts to reduce the impact of radiative corrections !

gg contribution provides almost the entire NNLO corrections

# $gg \rightarrow ZZ + X$ at NLO

F.Caola, K.Melnikov, R.Röntsch, L.Tancredi (2015)



NLO corrections to the gluon channel are known to be large

NLO corrections to  $gg \rightarrow ZZ$  recently completed (no fermionic channels) and found to be large, as happens for Higgs production

By using our NNLO setup they get an additional **+6%** shift of the  $ZZ$  cross section at 8 TeV (**+7%** at 13 TeV) which exceeds the  $O(3\%)$  scale uncertainty at NNLO

QCD corrections to qqbar and gg channels should be treated in the same consistent framework

# Summary

- The current LHC data indicate that the Higgs boson is perfectly consistent with what predicted by the SM
- This conclusion is based on a good control on SM predictions to which the data are compared, including radiative corrections
- I have reviewed the current status of theoretical predictions for Higgs boson production and decay, focusing on the most recent developments
- The general picture is that SM predictions are in good shape
  - For the dominant  $gg \rightarrow H$  channel QCD predictions are essentially pushed to the next order  reduction of perturbative uncertainties
  - Still important limitations come from the use of HEFT
- All diboson backgrounds now available at NNLO
  - To be done: combination with NLO  $gg$  and NLO EW