

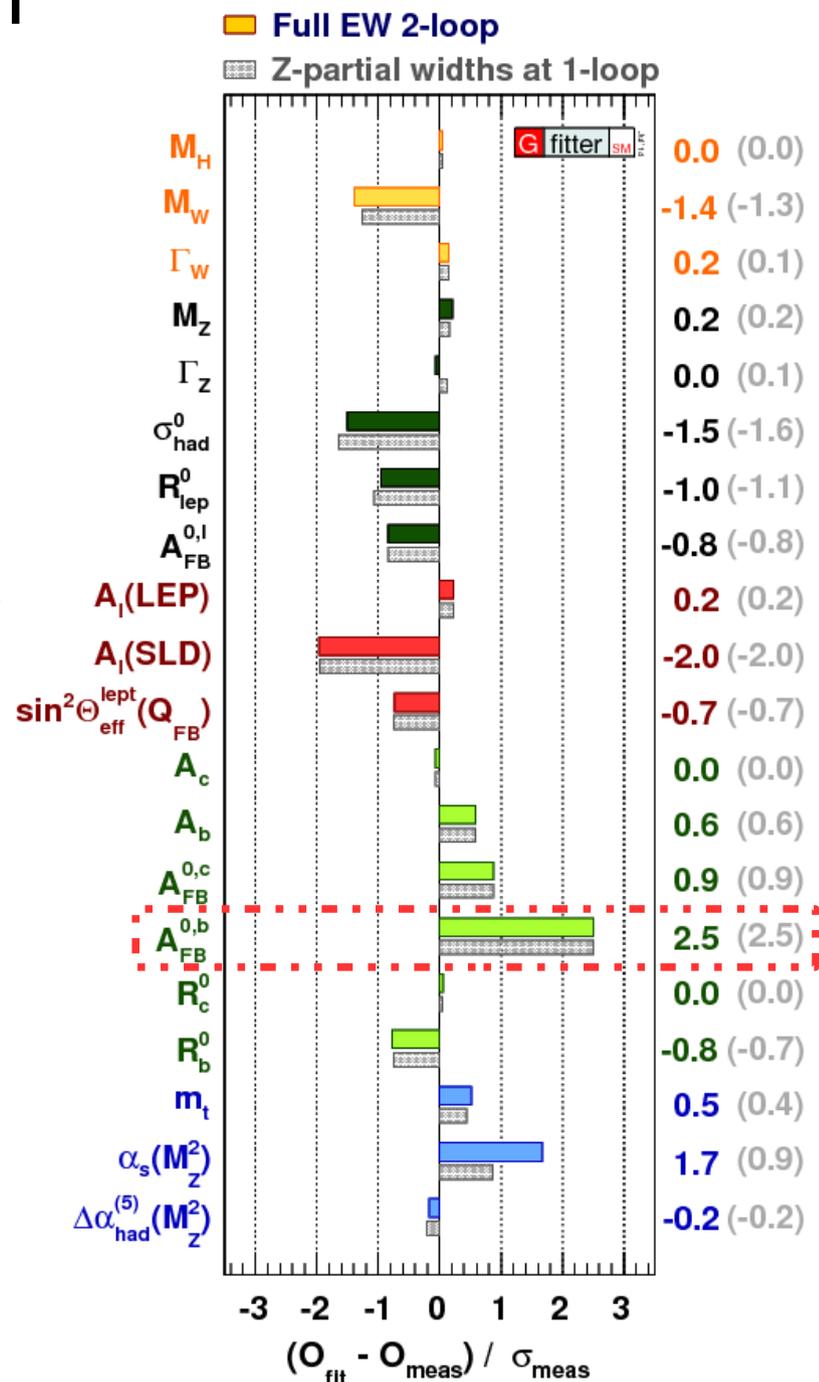
# Heavy flavor physics at ILC

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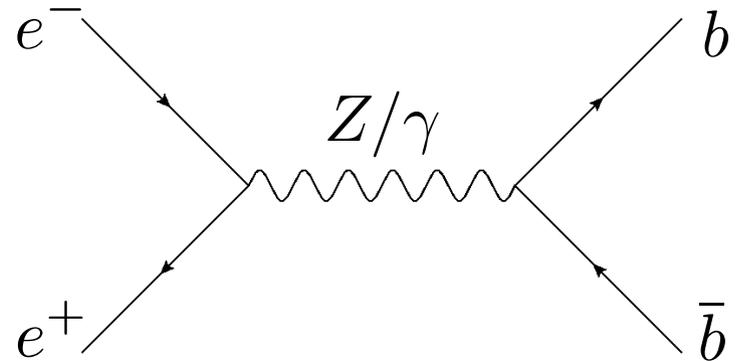
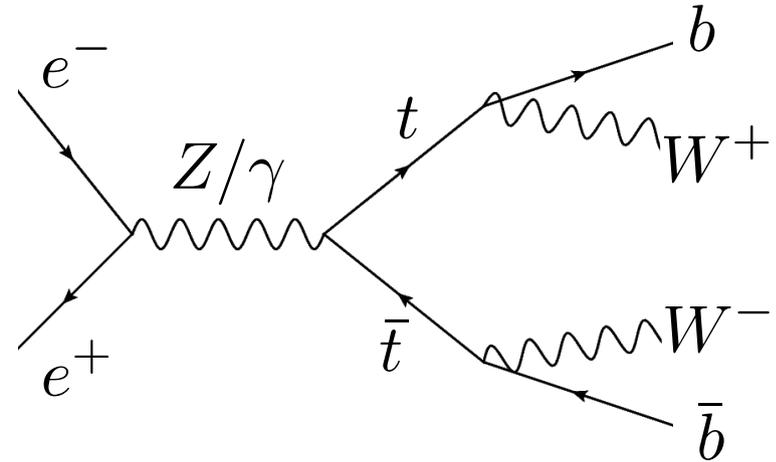
# Motivation

- Top quark is the heaviest elementary particle in the SM
- Top quark is subject of many BSM theories,
  - i.e. composite top or Randall-Sundrum models predict deviations for the EW couplings of the top quark
- The top and bottom quarks belong to one doublet
- Forward-backward asymmetry measurement at LEP has  $2.5\sigma$  tension with the SM prediction
- We need to measure the heavy quark EW couplings
- We need to compute the theoretical predictions for the top quark production



# Heavy flavour at ILC

- Measurement of the heavy flavour quarks at the electron-positron machines:
  - Direct EW production
  - No competing QCD production
- Advantages of the ILC:
  - Operating at  $\sqrt{s} = 500$  GeV increases the sensitivity to top axial form factors, minimizes the QCD uncertainties
  - Polarized beams allow independent determination of the b-quark form factors
  - Highly granular  $4\pi$  detectors allow for precise final state reconstruction using PFA

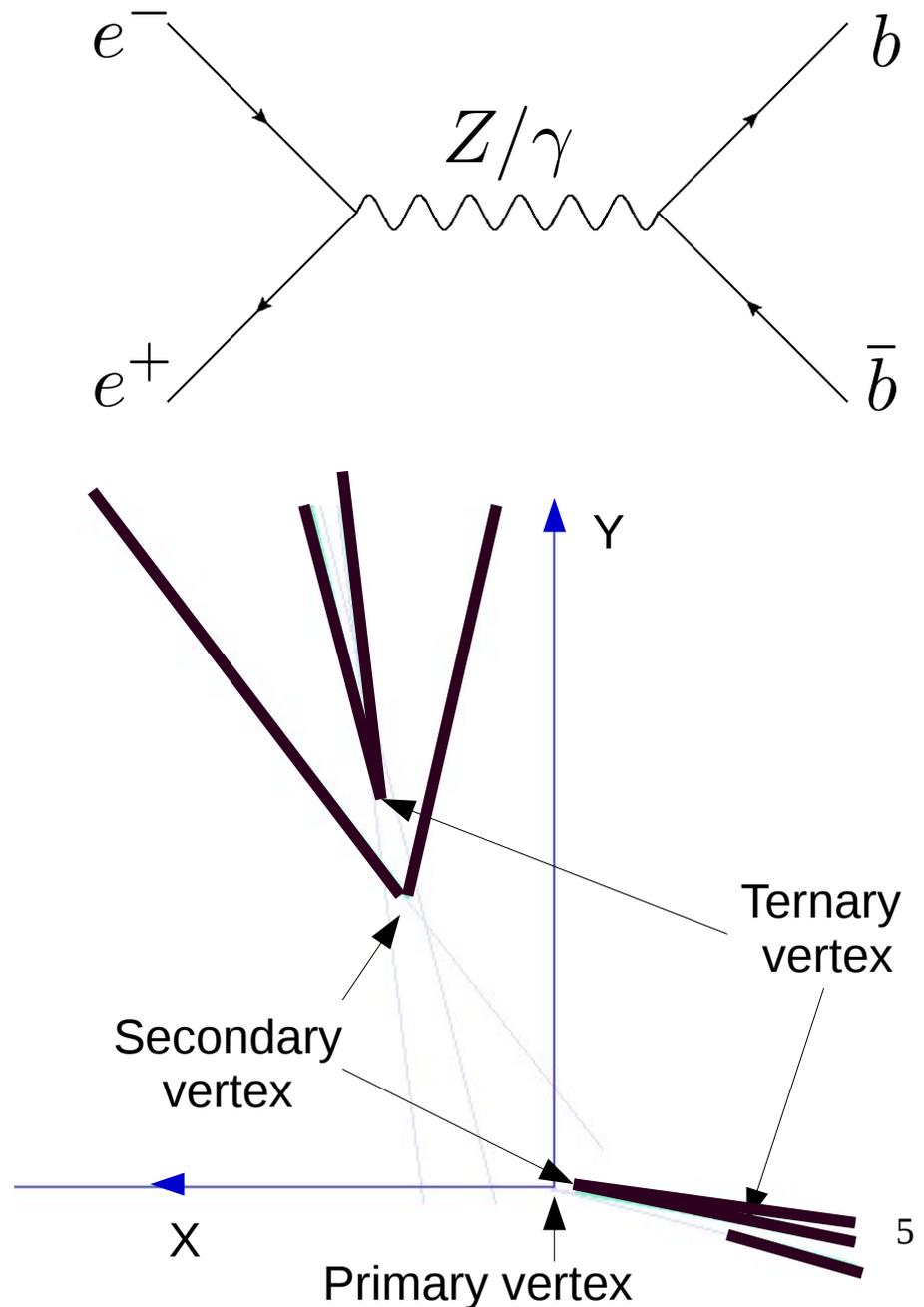


# Content

- $e^+e^- \rightarrow b\bar{b}$  process
- Matrix element method for  $e^+e^- \rightarrow t\bar{t}$
- NLO computation for  $e^+e^- \rightarrow t\bar{t}$

$$e^+ e^- \rightarrow b \bar{b}$$

- Main purpose of this work is to define the electroweak couplings of the bottom quark using the b-quark polar angle measurement of the  $e^+ e^- \rightarrow b \bar{b}$  process
- Properties of decay products from the b-hadrons are used to determine the charge of initial b-quark
- Charge of the b-quark is calculated as a sum of the charges of secondary and ternary vertex particles
- The charge of K-mesons from reconstructed vertices is directly connected to the initial quark charge

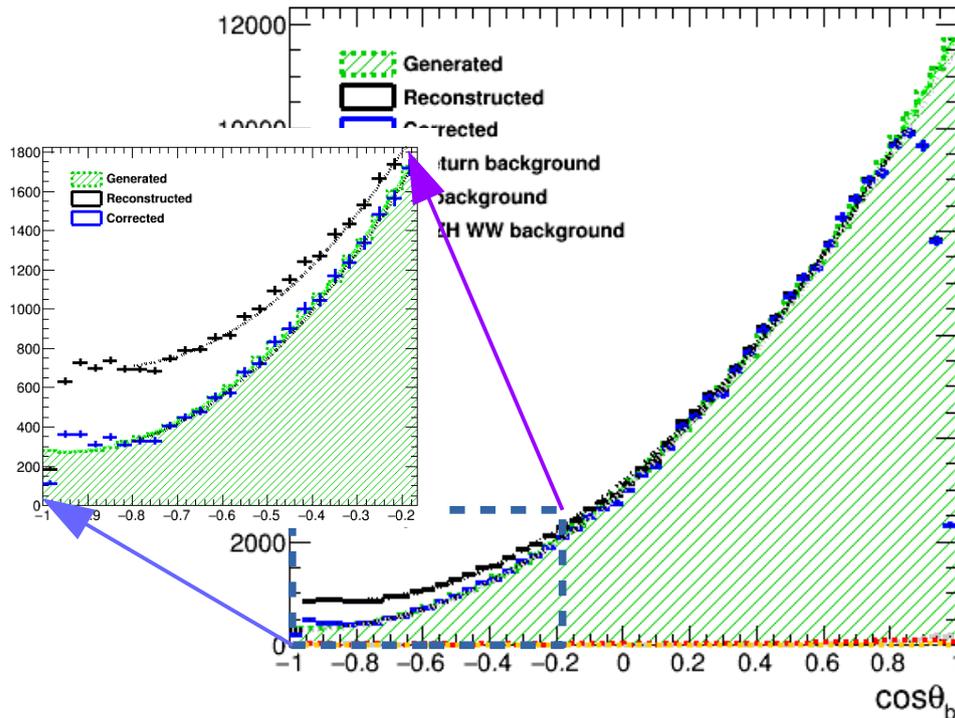


# Bottom quark polar angle reconstruction

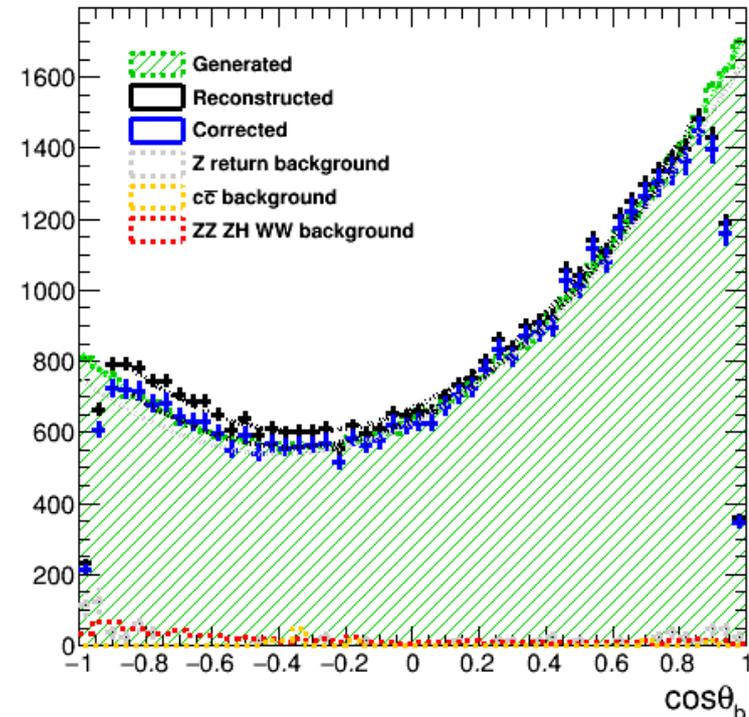
$$\sqrt{s} = 250 \text{ GeV} \quad L = 250 \text{ fb}^{-1}$$

$$e_L^- e_R^+ \rightarrow b\bar{b}$$

$$e_R^- e_L^+ \rightarrow b\bar{b}$$



$$A_{fb}^{rec} / A_{fb}^{gen} = 100.7\% \pm 0.62\%$$



$$A_{fb}^{rec} / A_{fb}^{gen} = 104.9\% \pm 2.25\%$$

- The residual charge impurity cause a migration effect, which leads to discrepancy between the reconstructed and generated curves
- The developed correction procedure allows to measure the charge purity and correct for migrations using reconstructed events only

# Determination of the Form Factors

- We are measuring the differential cross section

$$\frac{d\sigma^I}{d\cos\theta} = A^I(1 + \cos^2\theta) + B^I\cos\theta + C^I\sin^2\theta \quad I = L, R$$

where the  $A B C$  are

$A^I$  cross section magnitude  $\propto \mathcal{F}_{1V}^I, \mathcal{F}_{2V}^I, \mathcal{F}_{1A}^I$

$B^I$  asymmetry magnitude  $\propto \mathcal{F}_{1A}^I, \mathcal{F}_{1V}^I, \mathcal{F}_{2V}^I$

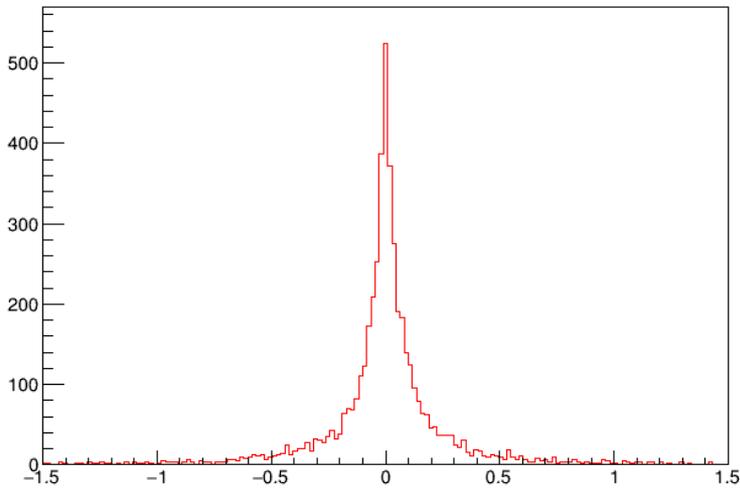
$C^I$  spin flip  $\propto \gamma^{-1}\mathcal{F}_{1V}^I, \gamma\mathcal{F}_{2V}^I$

- One has 6 observables and 6 form factors to estimate
- Therefore, we can independently extract the form factors directly from the polar angle histograms
- PRELIMINARY:** The expected precision on the form factors is  $\sim 0.5\%$  for the left-handed polarization and  $\sim 1-2\%$  for the right-handed polarization using two parameter fit

# Matrix Element Method

**MEM with di-leptonic state** :  $e^- e^+ \rightarrow t\bar{t} \rightarrow b\bar{b}l^- l^+ \nu\bar{\nu}$

Full exploitation of all available information from decay products of top-pair



$\phi_{l^+,rec.} - \phi_{l^+,truth}$

\*  $\phi_{l^+}$  is one of angles associated with  $t\bar{t}Z/\gamma$  vertex

## Study based of the ILD full simulation

- $b, \bar{b}, l^-, l^+$  can be measured by the detectors

- Kinematical constraints (= 8):

$$(\sqrt{s}, \vec{P}_{init.}) = (500, \vec{0}), m_t, m_{\bar{t}}, m_{W^+}, m_{W^-}$$

→ Recover directions of  $\nu, \bar{\nu}$  (= 6)

→ Two constraints in excess can be used to define the b-jet assignment

**All final state particles can be reconstructed**

# Precision of form factors

## Fit of all 10 form factors

di-muonic samples ( $\sim 1/4$  of di-leptonic state)

$\sqrt{s} = 500 \text{ GeV}, 500 \text{ fb}^{-1}, (P_{e^-}, P_{e^+}) = (\pm 0.8, \mp 0.3)$

(eg.)	Precision of $\tilde{F}_{1V}^\gamma$	$N_{\text{signal}}/N_{\text{di-muonic}}$
<b>This result</b>	<b>0.0088</b>	<b>1</b>
<b>Parton level study</b>	<b>0.0037</b>	<b><math>\sim 4</math></b>

- Precision is kept in good condition after considering the detector/hadronization effects.
  - Some biases are observed (eg.  $\tilde{F}_{1A}^Z, \tilde{F}_{2V}^\gamma$ )
- One can reduce them by convoluting the resolution function of angles with  $|M|^2$

## Preliminary

(efficiency =  $\sim 80\%$ )

$\text{Re } \delta \tilde{F}_{1V}^\gamma$	$-0.0047 \pm 0.0088$
$\text{Re } \delta \tilde{F}_{1V}^Z$	$-0.0236 \pm 0.0154$
$\text{Re } \delta \tilde{F}_{1A}^\gamma$	$-0.0460 \pm 0.0126$
$\text{Re } \delta \tilde{F}_{1A}^Z$	$+0.0631 \pm 0.0198$
$\text{Re } \delta \tilde{F}_{2V}^\gamma$	$-0.0669 \pm 0.0253$
$\text{Re } \delta \tilde{F}_{2V}^Z$	$-0.0206 \pm 0.0417$
$\text{Re } \delta \tilde{F}_{2A}^\gamma$	$+0.0011 \pm 0.0160$
$\text{Re } \delta \tilde{F}_{2A}^Z$	$-0.0370 \pm 0.0283$
$\text{Im } \delta \tilde{F}_{2A}^\gamma$	$-0.0143 \pm 0.0163$
$\text{Im } \delta \tilde{F}_{2A}^Z$	$-0.0110 \pm 0.0237$

# $e^+e^- \rightarrow t \bar{t}$ @EW NLO

\* **QCD corrections are known up to N<sup>3</sup>LO**

\* **Electroweak correction known up to NLO**

- ✓ GRACE program (KEK) allows to compute NLO *Y. Sato, F. Le Diberder, H. Yamamoto, A. Ishikawa, R. Poeschl, S. Bilokin*
- ✓ EW NLO is large: 5 % in cross-section, 15 % in  $A_{FB}$
- ✓ Experimental sensitivity to couplings is at the per mill level
- ✓ EW NNLO is impossible to compute as of today
- ✓ Goal: to understand the origin of the large EW NLO (150 diagrams)

\* **Spin-correlation as a tool for precision**

- ✓ ILC can have polarized  $e^+$  and  $e^-$  (LR, RL) *Y. Kiem, E. Kou, Y. Kurihara, B. Mecaj, T. Moskalets, N. Quach*
- ✓ Experimental study shows the  $t\bar{t}$  spins (LR, RL, LL, RR) can be separated at a very high precision as well
- ✓ EW correction ( $\gamma, Z, W$ ) is sensitive to chirality of the particles: spin-correlation for pinning down the origin of NLO

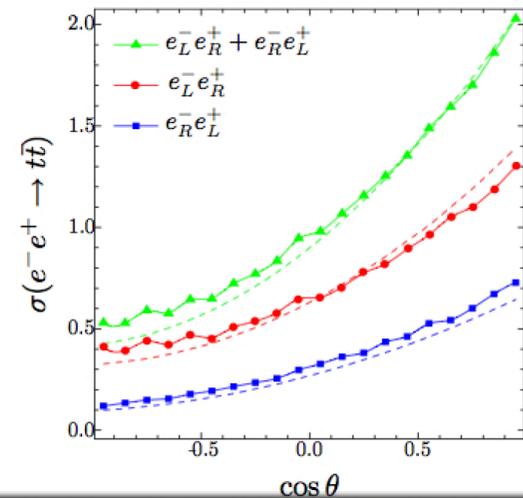
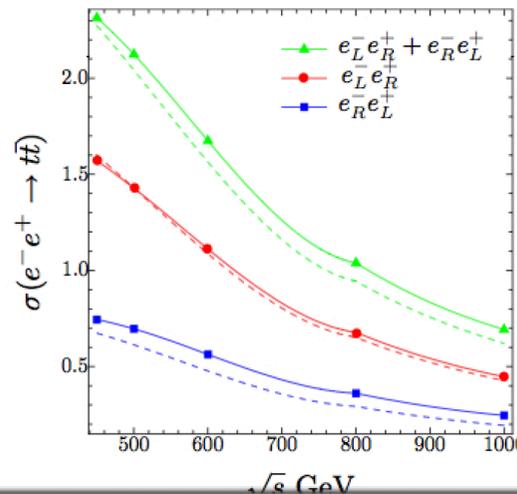
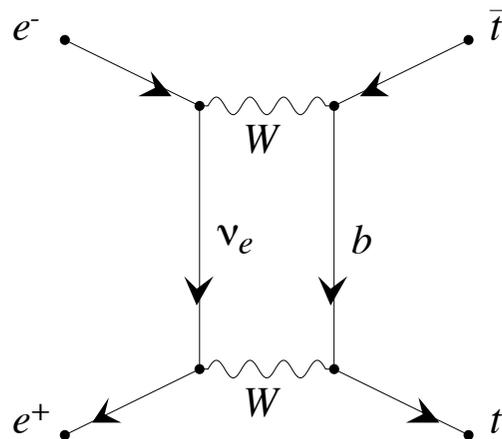
# Anatomy of NLO contributions

Y. Kiem, E. Kou, Y. Kurihara, B. Mecaj, T. Moskalets, N. Quach

✱ Which  $t\bar{t}$  spin states receive more/less electroweak NLO corrections?

GRACE : now both initial and final state polarization available (Kheim&Kurihar)

Graph 113



Example 1 :  $W$  does not couple to  $e^-_R$ . This results in

- ★ NLO to cross section of  $e^-_L e^+_R$  is very small
- ★ NLO to forward-backward asymmetry of  $e^-_R e^+_L$  is very small

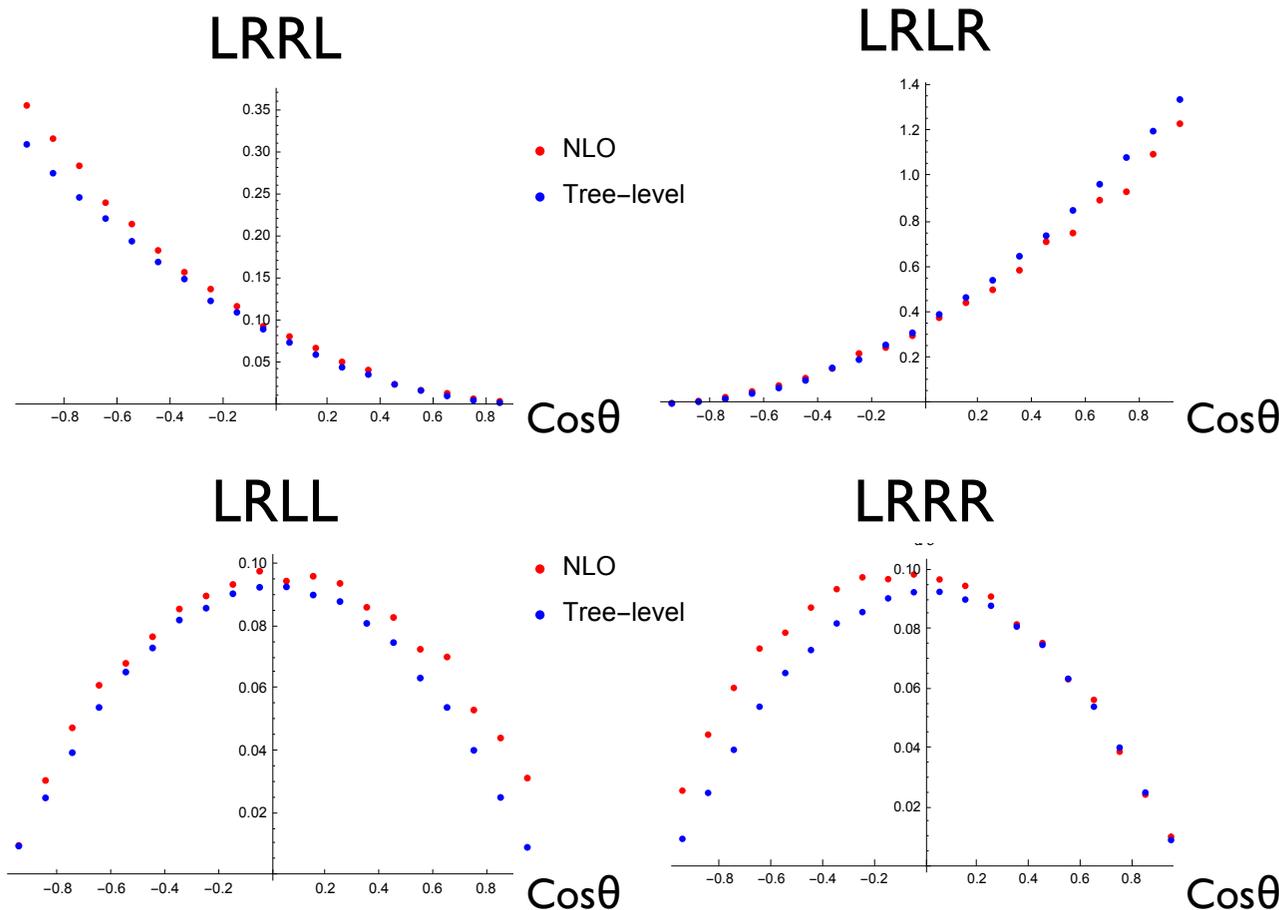
note: there is box-vertex cancelation

# Anatomy of NLO contributions

Y. Khiem, E. Kou, Y. Kurihara, B. Mecaj, T. Moskalets, N. Quach

\* **Which  $t\bar{t}$  spin states receive more/less electroweak NLO corrections?**

*GRACE : now both initial and final state polarization available (Kheim&Kurihara)*



\* *Example II :*

*Experimentally, the  $t\bar{t}$  spins are measurable. We compute NLO corrections of the different spin combination of  $t\bar{t}$ : pinning down the origin of the NLO corrections.*

# Conclusions

- The b-quark polar angle was reconstructed in the ILD environment
  - The ILC will provide precise solution to the LEP tension
  - At the ILC it will be possible to extract the b-quark form factors independently using the differential cross section
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• FJPPL student exchange program was done in 2016

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- The Matrix Element Method was successfully applied on full ILD simulation
    - ISR, FSR, hadronization effects are incorporated
  - Method was checked with NLO events
  - Next step → check with the background processes
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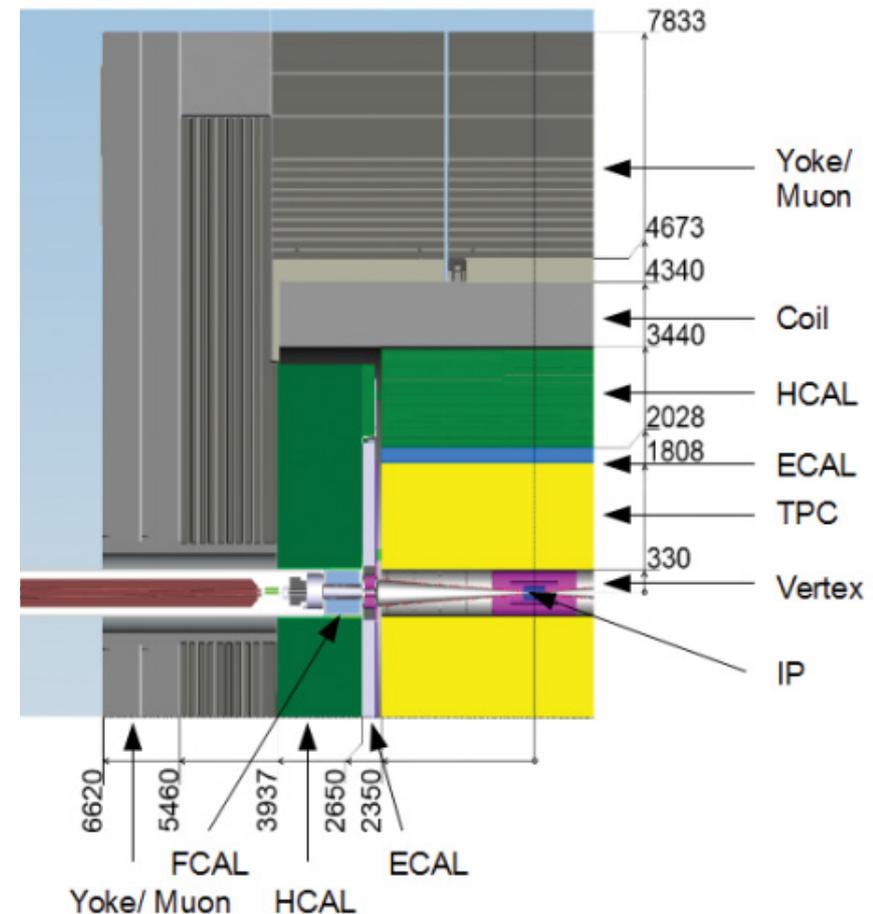
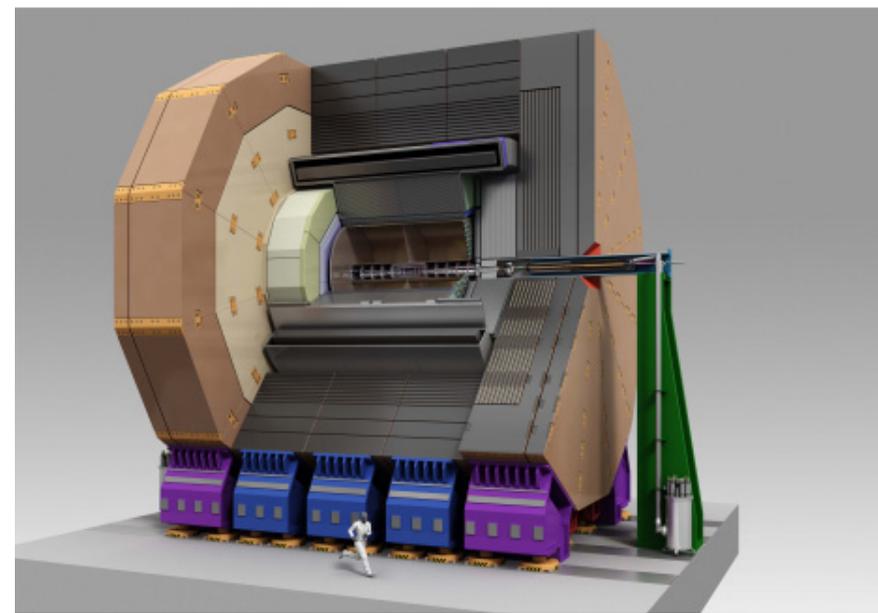
- The box diagram causes the difference between left-handed and right-handed cross section
- The spin correlation analysis is now available in GRACE generator

Thank you!



# ILD project

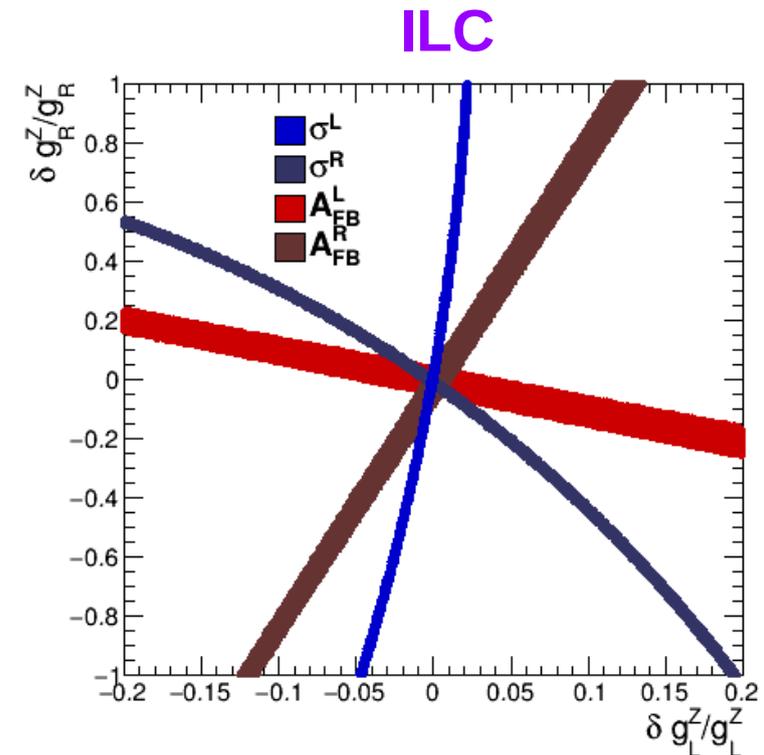
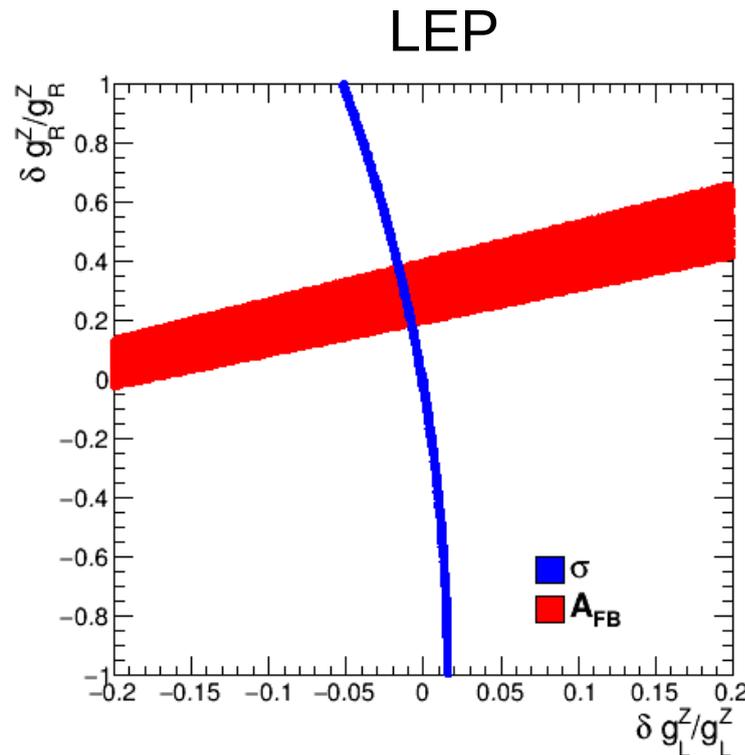
- Designed for Particle Flow algorithms that allow to reconstruct individual particles inside ILD
- Tracking system:
  - Vertex Detector composed of 3 double layers of silicon pixels
  - Time Projection Chamber with particle identification capabilities
  - Other devices
- Calorimeters:
  - High-granular silicon-tungsten Ecal (SiW Ecal)
  - Hcal with iron absorber
- 3.5T Solenoid
- Muon trackers
- Full GEANT4 simulation



# Precision on b-quark couplings

**PRELIMINARY | WORK IN PROGRESS**

Allowed  $1\sigma$  regions for the tree level predictions



- $g_L^Z$  is well defined
- $g_R^Z$  sign flip is possible
- Allows for 20%  $g_R^Z$  variation
- Assume only the  $Zb\bar{b}$  coupling varies

- Only one precise solution
- Better resolution on the  $g_R^Z$  value

# Determination of the Form Factors

**PRELIMINARY | WORK IN PROGRESS**

$$\frac{d\sigma^I}{d\cos\theta} = A(1 + \cos^2\theta) + B\cos\theta + C\sin^2\theta$$

**Reconstructed**  $e_L^- e_R^+ \rightarrow b\bar{b}$  **Generated**

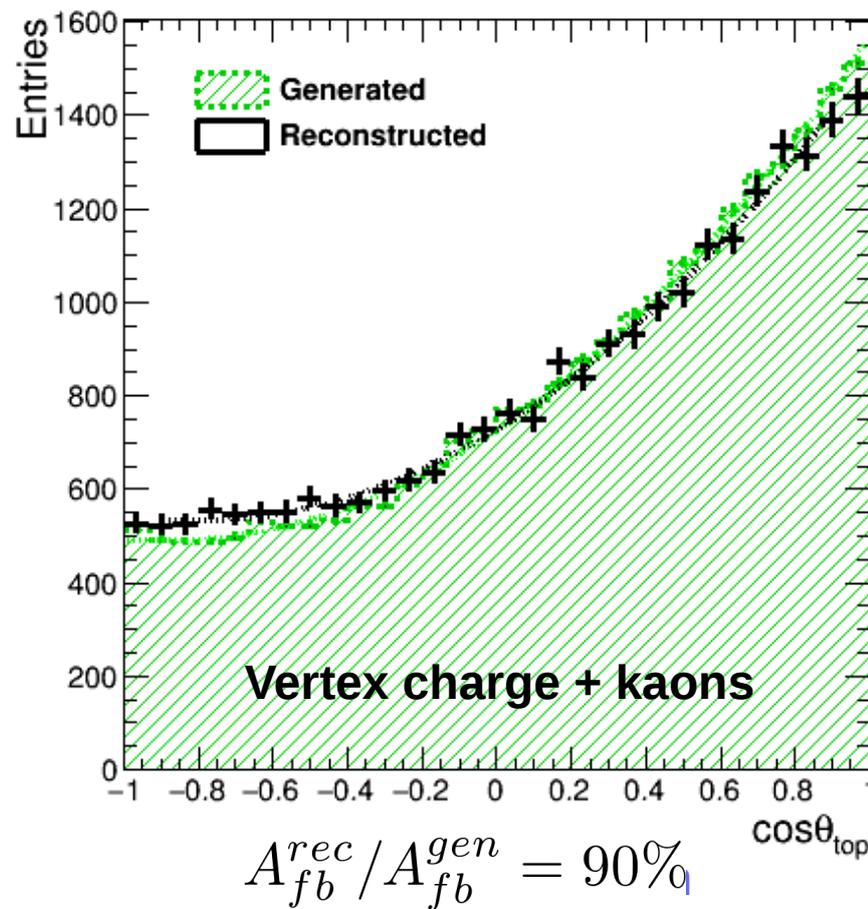
Factor	Value	Error
A	3127.92	16.61
B	5933.01	22.7
C	9.74	22.61

Factor	Value	Error
A	3058.95	2.52
B	5770.09	4.22
C	16.11	3.7

- Results depend on the number of events used – to be fixed
- There are 1-2% percent difference between the reconstructed and generated  $A$  and  $B$  values
- We get small  $C$  value as compared to  $A$  and  $B$  values as expected
- Errors on the  $A$  and  $C$  values are correlated
- Results and conclusions are similar for the right-handed polarization

# Top polar angle reconstruction

$$e_R^+ e_L^- \rightarrow t \bar{t}$$



- Top polar angle reconstruction using kaons and vertex charge combination. **B-jet information only.**